

## TASK 13: USE CASE IMPLEMENTATION

### AIM:

To develop a Python application that plots four common probability distributions (Binomial, Normal, Poisson, Uniform) by manually calculating their probability formulas and visualizing them with Matplotlib, based on user-provided parameters.

### ALGORITHM:

1. **Import Libraries:** Import numpy for numerical arrays, matplotlib.pyplot for plotting, and math for mathematical functions like factorials and exponents.
2. **Define Mathematical Functions:**
  - Create a Python function for each distribution's probability formula (PMF for discrete, PDF for continuous).
  - `binomial_pmf(k, n, p)`: Calculates the probability of  $k$  successes in  $n$  trials.
  - `normal_pdf(x, mu, sigma)`: Calculates the probability density at point  $x$  for a given mean and standard deviation.
  - `poisson_pmf(k, lam)`: Calculates the probability of  $k$  events occurring in a fixed interval.
  - `uniform_pdf(x, a, b)`: Calculates the probability density at point  $x$  between bounds  $a$  and  $b$ .
3. **Define Plotting Functions:**
  - Create a separate plotting function for each distribution (`plot_binomial`, `plot_normal`, etc.).
  - Each function will generate an appropriate range of  $x$ -values and use the corresponding mathematical function from Step 2 to calculate the  $y$ -values (the probabilities).
  - Use Matplotlib to create and display a titled and labeled graph of the distribution.
4. **Create Main Function for User Interaction:**
  - Display a menu prompting the user to select a distribution to plot.
  - Based on the user's choice, ask for the required parameters (e.g., mean and standard deviation for Normal).
  - Call the appropriate plotting function with the parameters provided by the user.
5. **Run the Program:** Execute the main function to start the application

### PROGRAM:

```
import numpy as np
import matplotlib.pyplot as plt
import math
```

```
def binomial_pmf(k, n, p):
    if k < 0 or k > n:
        return 0
    combination = math.factorial(n) / (math.factorial(k) * math.factorial(n - k))
    return combination * (p**k) * ((1-p)**(n-k))
```

```
def normal_pdf(x, mu, sigma):
```

```
coefficient = 1 / (sigma * math.sqrt(2 * math.pi))
exponent = -0.5 * ((x - mu) / sigma)**2
return coefficient * math.exp(exponent)
```

```
def poisson_pmf(k, lam):
    if k < 0:
        return 0
    return (lam**k * math.exp(-lam)) / math.factorial(k)
```

```
def uniform_pdf(x, a, b):
    if a <= x <= b:
        return 1 / (b - a)
    else:
        return 0
```

```
def plot_binomial(n=10, p=0.5):
    x = np.arange(0, n + 1)
    y = [binomial_pmf(val, n, p) for val in x]
    plt.bar(x, y, color='skyblue', edgecolor='black')
    plt.title(f'Binomial Distribution (n={n}, p={p})')
    plt.xlabel('Number of Successes')
    plt.ylabel('Probability')
    plt.grid(True)
    plt.show()
```

```
def plot_normal(mu=0, sigma=1):
    x = np.linspace(mu - 4*sigma, mu + 4*sigma, 1000)
    y = [normal_pdf(val, mu, sigma) for val in x]
    plt.plot(x, y, color='green')
    plt.title(f'Normal Distribution ( $\mu$ = {mu},  $\sigma$ = {sigma})')
    plt.xlabel('x')
    plt.ylabel('Probability Density')
    plt.grid(True)
    plt.show()
```

```
def plot_poisson(lam=5):
    x = np.arange(0, 20)
    y = [poisson_pmf(val, lam) for val in x]
    plt.bar(x, y, color='salmon', edgecolor='black')
    plt.title(f'Poisson Distribution ( $\lambda$ = {lam})')
    plt.xlabel('Number of Events')
    plt.ylabel('Probability')
    plt.grid(True)
    plt.show()
```

```
def plot_uniform(a=0, b=1):
    x = np.linspace(a - 1, b + 1, 1000)
    y = [uniform_pdf(val, a, b) for val in x]
    plt.plot(x, y, color='purple')
    plt.title(f'Uniform Distribution (a={a}, b={b})')
```

```
plt.xlabel('x')
plt.ylabel('Probability Density')
plt.grid(True)
plt.show()
```

```
def main():
    print("Choose a distribution to plot:")
    print("1. Binomial")
    print("2. Normal")
    print("3. Poisson")
    print("4. Uniform")

    choice = input("Enter choice (1-4): ")

    if choice == '1':
        n = int(input("Enter number of trials (n): "))
        p = float(input("Enter probability of success (p): "))
        plot_binomial(n, p)
    elif choice == '2':
        mu = float(input("Enter mean ( $\mu$ ): "))
        sigma = float(input("Enter standard deviation ( $\sigma$ ): "))
        plot_normal(mu, sigma)
    elif choice == '3':
        lam = float(input("Enter rate parameter ( $\lambda$ ): "))
        plot_poisson(lam)
    elif choice == '4':
        a = float(input("Enter lower bound (a): "))
        b = float(input("Enter upper bound (b): "))
        plot_uniform(a, b)
    else:
        print("Invalid choice!")

if __name__ == "__main__":
    main()
```

## OUTPUT:

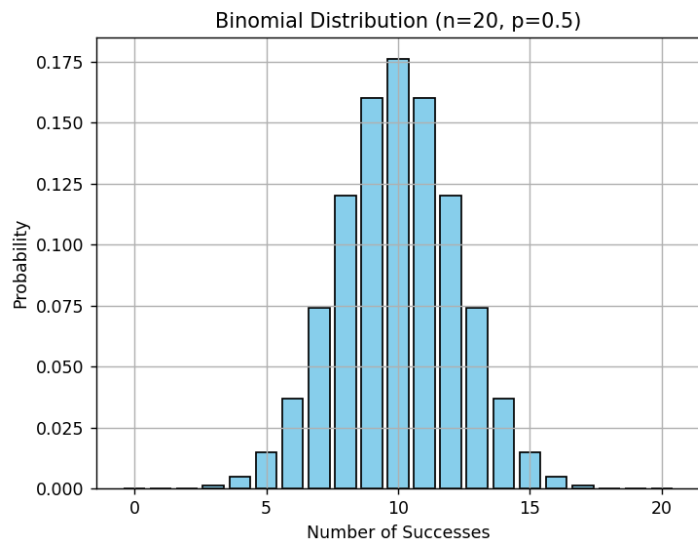
Choose a distribution to plot:

1. Binomial
2. Normal
3. Poisson
4. Uniform

Enter choice (1-4): 1

Enter number of trials (n): 20

Enter probability of success (p): 0.5



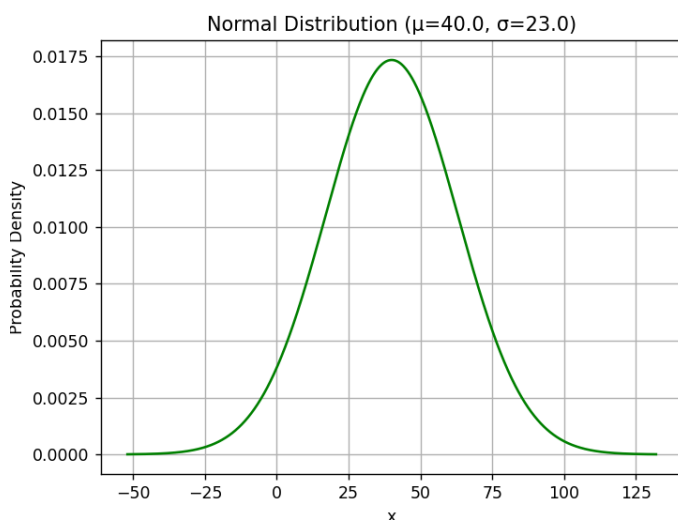
Choose a distribution to plot:

1. Binomial
2. Normal
3. Poisson
4. Uniform

Enter choice (1-4): 2

Enter mean ( $\mu$ ): 40

Enter standard deviation ( $\sigma$ ): 23

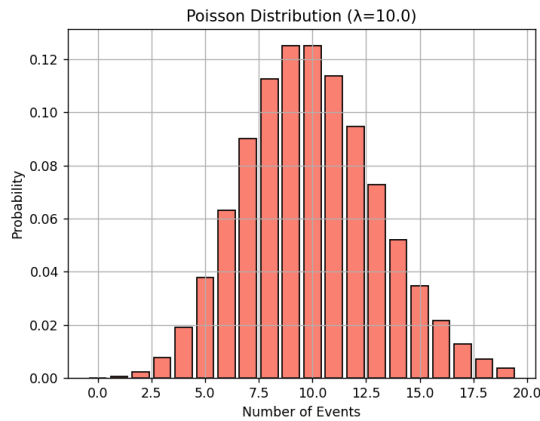


Choose a distribution to plot:

1. Binomial
2. Normal
3. Poisson
4. Uniform

Enter choice (1-4): 3

Enter rate parameter ( $\lambda$ ): 10



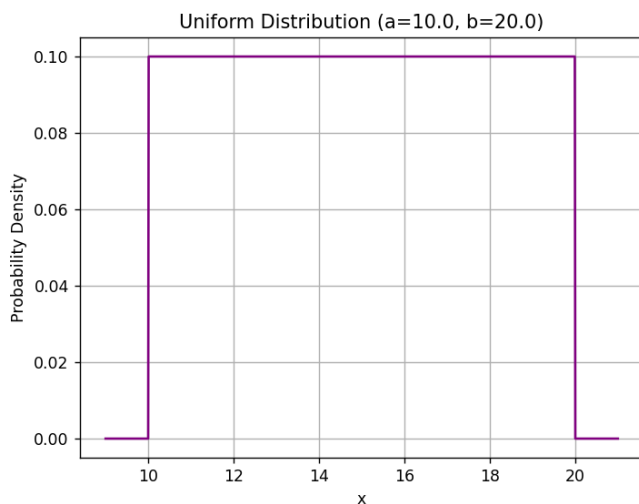
Choose a distribution to plot:

1. Binomial
2. Normal
3. Poisson
4. Uniform

Enter choice (1-4): 4

Enter lower bound (a): 10

Enter upper bound (b): 20



## RESULT:

The Python application successfully prompts the user to select a probability distribution and provide its parameters. Upon receiving the input, the program correctly calculates the probabilities using fundamental mathematical formulas and generates an accurate, well-labeled plot for the chosen distribution using Matplotlib. The program demonstrates the ability to visualize both discrete (Binomial, Poisson) and continuous (Normal, Uniform) distributions without external statistical libraries.