PET/CT Image Denoising and Segmentation based on a Multi Observation and Multi Scale Markov Tree Model

[Medical Sensors Defense]

Yeman Hagos Vu Hoang Minh

University of Bourgogne

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- Introduction
- Literature Review
 - Hidden Markov Tree
 - Wavelet Transform
 - Contourlet Transform
 - PET Denoising
 - PET/CT Segmentation
- Result
- 4 Conclusion

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Hidden Markov Tree

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Lists - Itemize

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

- Point A
- Point B
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 - part 1
 - part 2
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- Point D

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

Lists - Enumerate

- Point A
- Point B
 - part 1
 - part 2
- Point C
- Point D

Lists - Enumerate (Roman Numerals)

- (I) Point A
- (II) Point B
 - (i) part 1
 - (ii) part 2
- (III) Point C
- (IV) Point D

Columns

Lorem ipsum dolor sit amet, consectetur adipisicing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua. Lorem ipsum dolor sit amet, consectetur adipisicing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua.

Description Environment

API Application Programming Interface

LAN Local Area Network

ASCII American Standard Code for Information Interchange

Tables

Competitor Name	Swim	Cycle	Run	Total
John T	13:04	24:15	18:34	55:53
Norman P	8:00	22:45	23:02	53:47
Alex K	14:00	28:00	n/a	n/a
Sarah H	9:22	21:10	24:03	54:35

Table: Triathlon results

Blocks

Block Title

Lorem ipsum dolor sit amet, consectetur adipisicing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua.

Alert Block Title

Lorem ipsum dolor sit amet, consectetur adipisicing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua.

Definition

Then thereâĂŹs the definition environment which produces a standard ColorA color block but with the title already specified as âĂŸdefinitionâĂŹ.

```
\begin{definition}
A prime number is a number that...
\end{definition}
```

Definition

A prime number is a number that...

Example

Next there \tilde{a} \tilde{A} \tilde{Z} s the example environment which produces a green block with the title \tilde{a} \tilde{A} \tilde{Y} Example \tilde{a} \tilde{A} \tilde{Z} .

```
\begin{example}
Lorem ipsum dolor sit amet...
\end{example}
```

Example

Lorem ipsum dolor sit amet, consectetur adipisicing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua.

Theorem

There is also a group of blocks that are especially useful for presenting mathematics. For example the âĂŸtheoremâĂŹ environment, the âĂŸcorollaryâĂŹ environment and the âĂŸproofâĂŹ environment.

```
\begin{theorem} [Pythagoras] a^2 + b^2 = c^2 \end{theorem} \begin{corollary} x + y = y + x \end{corollary} \begin{proof} \omega + \phi = \epsilon \end{proof}
```

Theorem Blocks

Theorem (Pythagoras)

$$a^2 + b^2 = c^2$$

Corollary

$$x + y = y + x$$

Proof.

$$\omega + \phi = \epsilon$$



Hyperlink

Before we can create any hyperlinks we need to tag the frames we want to link to using the ommand.

click here section 1 page > columns page > pictures page < pictures page

A trivial Set Cover algorithm

Algorithm 1: MSC(S, U)

```
: A set cover instance (S, \mathcal{U}) and a variable S_{\text{dom}}.
    Output: A minimum set cover of (S, U).
1 if S = \emptyset then
2 | return ∅;
3 Let S \in \mathcal{S} be a set of maximum cardinality:
4 C_1 = \{S\} \cup MSC(\{S' \setminus S \mid S' \in S \setminus \{S\}\}, \mathcal{U} \setminus S);
5 C_2 = MSC(S \setminus \{S\}, \mathcal{U});
6 S_{\text{dom}} \leftarrow \emptyset:
7 if \mathcal{U} \subseteq \mathcal{C}_1 then
            \mathcal{S}_{\mathrm{dom}} \leftarrow \mathcal{C}_1:
        if \mathcal{U} \subseteq \mathcal{C}_2 then
                    if |\mathcal{C}_2| < |\mathcal{C}_1| then
                     \mathcal{S}_{	ext{dom}} \leftarrow \mathcal{C}_2;
```

12 return $\mathcal{S}_{ ext{dom}};$

Q&A

Thank you for listening