

Description

BACKGROUND OF THE DISCLOSURE

This invention is related to computer science. More specifically it is related to cryptographic communications.

Information in many modern electronic systems required to be encrypted. This is used to ensure only parties predetermined, will know message. In case of symmetric cyphers both sender and recipient of message must know some secret information called key. This key can be used to read message previously encrypted with same key. This is needed as some third party may access message. To prevent that party to read message, it needs to be in form that cannot be easily understood. This is the purpose of encryption.

Encryption may ensure privacy as well as security. It requires that both parties: sender and receiver first share some secret called key and written as number. This secret key is first used to encrypt and later to decrypt message. However secure transmission of keys is a separate problem with already many proposed solutions.

R. Rivest, A. Stein and L. Adleman proposed RSA communication method and system that is often used to share key between two parties. Another common solution is to provide key on other secure channel of communication like for example in person.

SUMMARY OF THE INVENTION

Given is message consisting of n numbers M_1, M_2, \dots, M_n . There is also key consisting of o numbers K_1, K_2, \dots, K_o . System uses random number generator. Random number generator is such method that allows to generate random that cannot be easily assumed beforehand. Simple example is rolling dice – we never can tell easily what number we will get. Modern random number generators are easily and widely available for programmers. Computers with Intel processors provide `random_device` method in C++ programming language that generates random numbers. System also uses pseudorandom generator. Pseudorandom generator generates numbers that are hard to be predicted not knowing initial state of generator. However there can be determined with 100% certainty if necessary information about initial state is given. One of popular software methods for pseudorandom number generator is Mersenne Twister proposed in 1997 by Makoto Matsumoto and Takuji Nashimura.

Key in system is used to setup initial state of pseudorandom generator. Later generator is used to generate m numbers. Each generated number must be in range 0 to total number of already generated numbers plus n . Thus first number must be in range 0 and n . Second generated number must be in range 0 to $n+1$. Third generated number must be in range 0 to $n+2$ etc.

Numbers generated by pseudorandom generator will be called indexes. Later system uses random number generator to generate n random numbers. Those numbers will be called *hidden*.

First number M_1 is XORed with first hidden number. Second number M_2 is XORed with second hidden number and so on for all numbers M . Then additional $(m-n)$ random numbers are generated called *noise*. First *noise* number is inserted in position determined by first index number. Second *noise* number is inserted in position determined by second index number. This is done for all *noise* numbers. Once all *noise* numbers are inserted into message, all *hidden* numbers are inserted into message. Number m needs to be much larger than number n to ensure encrypted message won't introduce any significant pattern into series of mostly random numbers. Such prepared message is encrypted ciphertext. It can be sent in that form to recipient by sender.

Once recipient gets message he or she must also use key to initialise state of pseudorandom generator. It must be same pseudorandom generator sender used to ensure it will generate same numbers if initialised into same state. Later generator is used to generate m numbers. Numbers generated by pseudorandom generator will be called indexes. Number on position estimated by last index is removed. Later number on position estimated by index one before last is removed. This way all numbers inserted previously as *noise* are being removed. Last n removed noise numbers need to be stored. Once they are stored they are used to xor with remaining message.

IMPLEMENTATION

Below is implementation of encryption method used to encrypt message and decryption method used to read encrypted message. Implementation have been written in Visual Studio 2017 in C++ programming language. Implementation use come arbitrary chosen maximum_text_length. It uses 1000 times more noise symbols to make message around 0,1% of all symbols in cipher and thus render its effect as insignificant on any statistical properties that could help to break code. Implementation use pseudorandom number generator called mersenne twister. However instead of describing state as initial state after creation of mersenne twister object with some part of key it use it state after inserting given part number and later set it state to next part of key.

```
#ifndef WATERDOWN_H
#define WATERDOWN_H

#include <iostream>
#include <vector>
#include <random>
#include <time.h>

using namespace std;

namespace waterdown {
    //Encryption is process of converting data to unrecognizable form
    typedef unsigned int symbol;
    const size_t maximum_text_length = 90*1024;
    const size_t password_length = 64; //this is in quadruplets of chars that is 64 for
    example means 4*64 = 256 char long password
    const size_t extended_size = 90* 1024*1024;
    symbol random_char() {
        std::random_device rd;
        (symbol)return rd();
    }

    bool encrypt(vector<symbol>& plain_text, vector<symbol>& encrypted_text, int
key[password_length + 1]) {
        if (plain_text.size() > maximum_text_length) {
            return false;
        }

        const size_t part_size = extended_size / password_length;
        const size_t text_length = plain_text.size();

        vector<symbol> mask(text_length);
        for (int i = 0; i < text_length; ++i) {
            mask[i] = random_char();
        }

        try {
            encrypted_text.resize(extended_size);
        }
        catch (std::bad_alloc& wrong_alloc) {
            std::cerr << "bad_alloc caught: " << wrong_alloc.what() << '\n';
            return false;
        }
    }
}
```

```

    if (encrypted_text.size() != extended_size) {
        return false;
    }

    encrypted_text.resize(0);
    encrypted_text.reserve(extended_size);
    encrypted_text = plain_text;
    for (int i = 0; i < encrypted_text.size(); ++i) {
        encrypted_text[i] ^= mask[i];
    }
    int up = 0;

    for (int key_part_index = 0; key_part_index < password_length; ++key_part_index)
    {
        mt19937 mt_rand(key[key_part_index]);
        for (int i = 0; i < part_size; ++i) {
            std::uniform_int_distribution<int> dis(0, up + text_length);
            int insert_index = dis(mt_rand);

            symbol rchar = random_char();
            try {
                encrypted_text.insert(
                    encrypted_text.begin() + insert_index, rchar);
            }
            catch (std::bad_alloc& wrong_alloc) {
                std::cerr << "bad_alloc caught: " <<
                    wrong_alloc.what() << '\n';
                return false;
            }
            ++up;
        }
    }

    mt19937 mt_rand(key[password_length]);
    for (int ins = 0; ins < text_length; ++ins) {
        std::uniform_int_distribution<int> dis(0, up + text_length);
        int insert_index = dis(mt_rand);
        encrypted_text.insert(
            encrypted_text.begin() + insert_index, mask[ins]);
        ++up;
    }

    return true;
}

bool decrypt(vector<symbol>& encrypted_text, int key[password_length + 1]) {
    const size_t part_size = extended_size / password_length;
    vector<int> index;
    size_t text_length = encrypted_text.size();
    text_length -= extended_size;
    text_length /= 2;
    try {
        index.resize(part_size);
    }
    catch (std::bad_alloc& wrong_alloc) {
        std::cerr << "bad_alloc caught: " << wrong_alloc.what() << '\n';
        return false;
    }
    int up = 0;
    vector<int> indexes_elements_to_be_removed;
    vector<symbol> mask(text_length);
    for (int key_part_index = 0; key_part_index < password_length; +
        ++key_part_index) {
        mt19937 mt_rand(key[key_part_index]);

```

```

        for (int i = 0; i < part_size; ++i) {
            std::uniform_int_distribution<int> dis(0, up + text_length);
            int insert_index = dis(mt_rand);
            indexes_elements_to_be_removed.push_back(insert_index);
            ++up;
        }
    }

    mt19937 mt_rand(key[password_length]);

    vector<int> mask_location(text_length);
    for (int ins = 0; ins < text_length; ++ins) {
        std::uniform_int_distribution<int> dis(0, up + text_length);
        int insert_index = dis(mt_rand);
        mask_location[ins] = insert_index;
        ++up;
    }
    for (int rem = (text_length - 1); rem >= 0; --rem) {
        mask[rem] = encrypted_text[mask_location[rem]];
        encrypted_text.erase(encrypted_text.begin() + mask_location[rem]);
    }
    for (int i = indexes_elements_to_be_removed.size() - 1; i >= 0; --i) {
        if (indexes_elements_to_be_removed[i] > encrypted_text.size()) {
            cout << "Error : " << encrypted_text.size() << " " <<
                indexes_elements_to_be_removed[i] << " " << i;
            return false;
        }
        encrypted_text.erase(encrypted_text.begin() +
            indexes_elements_to_be_removed[i]);
    }

    for (int k = 0; k < text_length; ++k) {
        encrypted_text[k] ^= mask[k];
    }
    return true;
}

}

#endif

```

DRAWINGS

Fig. 1. Presents text „ABC” before encryption.

Fig. 2. Presents text after inserting random number on position with index 1. Random number is denoted as blank field as it can be any number.

Fig. 3 Presents text after inserting random number on position with index 3 after previously inserting random number on position 1. This is to show that the more random numbers will be inserted the more difficult it will be to find text before encryption.

Fig 4. Presents general overview. Random number generator is used to generate random numbers. Pseudorandom number generator is to establish order in which those random numbers will be inserted into text that need to be encrypted. After inserting random numbers into text it will lose its original format and structure. Illustration further highlights that if only few random number would be inserted original structure of message could still be deduced. This is illustrated by using similar cloud graphics for both text and encrypted cipher.