RDBMS AND SQL PHYSICAL VIEW AND INDEXING

Venkatesh Vinayakarao

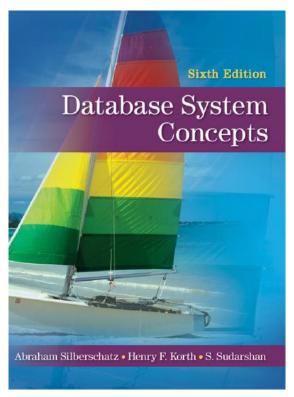
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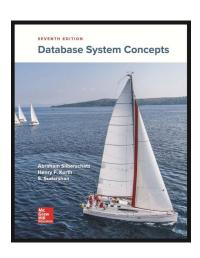
Chennai Mathematical Institute

Some slide contents are borrowed from the course text. For the authors' original version of slides, visit: https://www.db-book.com/db6/slide-dir/index.html.

Course Text

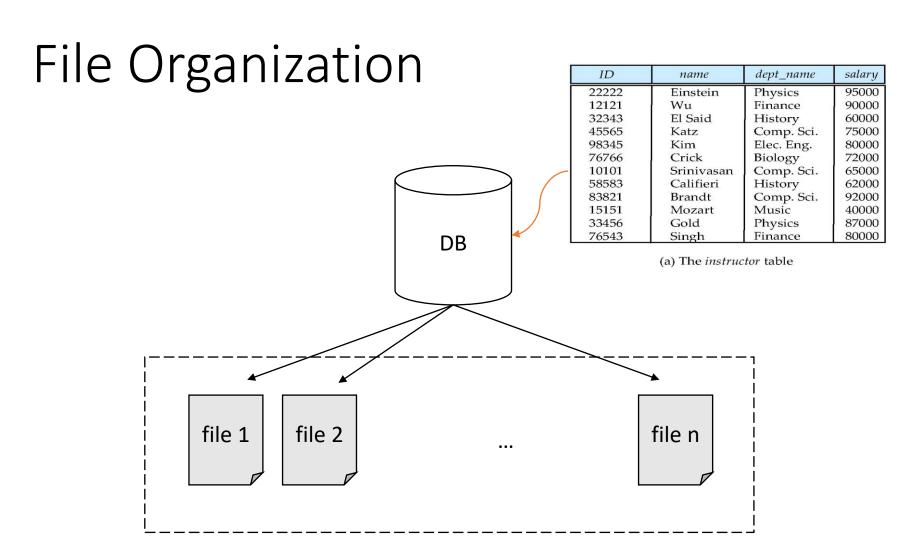
We will follow the...





7th Edition Covers Big Data, Block Chain, Distributed Comptuing...

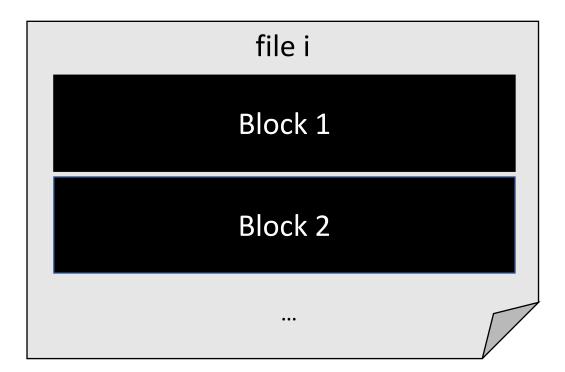
https://www.db-book.com/db6/index.html



Data stored as files.
Files are managed by the underlying OS.

Files

- A file is a sequence of blocks.
- **Blocks** are fixed-length units of both storage allocation and data transfer.

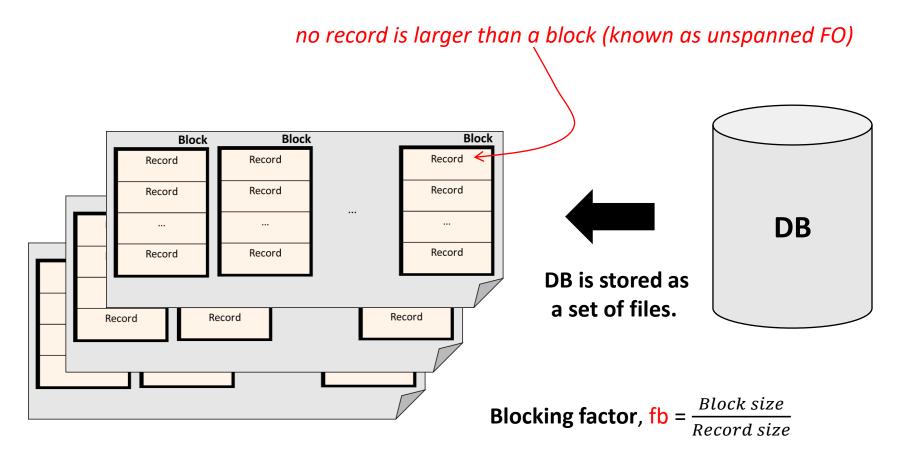


Records

- A block may contain several records.
- Each **record** is entirely contained in a single **block**.

	Block i
Record 1	
Record 2	
Record n	

File Organization (FO)



We have **fb** records per block.



For "SELECT" Queries: How to retrieve the blocks containing our data records with minimal disk access?

For "INSERT/DELETE" Queries: Can we ensure disk space is wisely used?

And more ...



Sequential (Unspanned) File Organization with Fixed Length Records



A Simple Approach

Fixed Length Records =

Each record is made up of its fields whose length is fixed.

Sequential file
organization =
Records are stored in
sequential order (of
key).

type instructor = record
ID varchar (5);
name varchar(20);
dept_name varchar (20),
salary numeric (8,2);
end

10101	Srinivasan	Comp. Sci.	65000
12121	Wu	Finance	90000
15151	Mozart	Music	40000
22222	Einstein	Physics	95000
32343	El Said	History	60000
33456	Gold	Physics	87000
45565	Katz	Comp. Sci.	75000
58583	Califieri	History	62000
76543	Singh	Finance	80000
76766	Crick	Biology	72000
83821	Brandt	Comp. Sci.	92000
98345	Kim	Elec. Eng.	80000
	12121 15151 22222 32343 33456 45565 58583 76543 76766 83821	12121 Wu 15151 Mozart 22222 Einstein 32343 El Said 33456 Gold 45565 Katz 58583 Califieri 76543 Singh 76766 Crick 83821 Brandt	12121 Wu Finance 15151 Mozart Music 22222 Einstein Physics 32343 El Said History 33456 Gold Physics 45565 Katz Comp. Sci. 58583 Califieri History 76543 Singh Finance 76766 Crick Biology 83821 Brandt Comp. Sci.

Quiz

Assume each

- char takes 1 byte and
- numeric(8,2) type take 8 bytes

of physical storage. Say, block size in our file system is 1 KB. If there are 20 records in our relation, how many block accesses will we need to retrieve all of them?

```
type instructor = record

ID varchar (5);

name varchar(20);

dept_name varchar (20);

salary numeric (8,2);

end
```

record 0	10101	Srinivasan	Comp. Sci.	65000
record 1	12121	Wu	Finance	90000
record 2	15151	Mozart	Music	40000
record 3	22222	Einstein	Physics	95000
record 4	32343	El Said	History	60000
record 5	33456	Gold	Physics	87000
record 6	45565	Katz	Comp. Sci.	75000
record 7	58583	Califieri	History	62000
record 8	76543	Singh	Finance	80000
record 9	76766	Crick	Biology	72000
record 10	83821	Brandt	Comp. Sci.	92000
record 11	98345	Kim	Elec. Eng.	80000

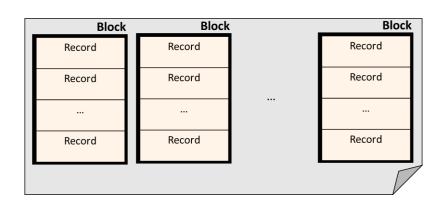
Quiz

- Assume each char takes 1 byte and numeric(8,2) type take 8 bytes of physical storage. Say, block size in our file system is 1 KB. If there are 20 records in our relation, how many block accesses will we need to retrieve all of them?
 - Record length = 53 bytes
 - Total no. of records = 20
 - Space required = 53 * 20 = 1060 bytes
 - Block size = 1024 bytes.
 - We need two block accesses to retrieve all records.

Issues

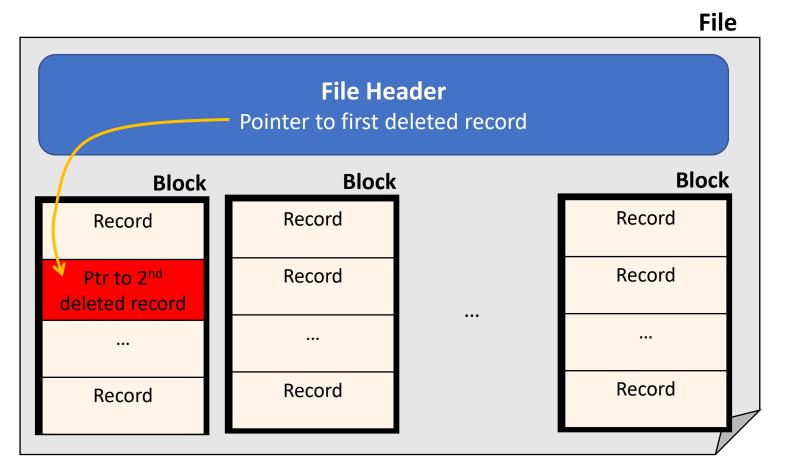
- Deletion
 - Causes gaps inside blocks.
- Space optimization
 - block size may not be a multiple of record length
 - space wasted in blocks.







Space Usage



Deleted records form a linked list called the "free list".

Free List

header				`	
record 0	10101	Srinivasan	Comp. Sci.	65000	
record 1				4	
record 2	15151	Mozart	Music	40000	
record 3	22222	Einstein	Physics	95000	
record 4				(
record 5	33456	Gold	Physics	87000	
record 6				<u>*</u>	
record 7	58583	Califieri	History	62000	
record 8	76543	Singh	Finance	80000	
record 9	76766	Crick	Biology	72000	
record 10	83821	Brandt	Comp. Sci.	92000	
record 11	98345	Kim	Elec. Eng.	80000	

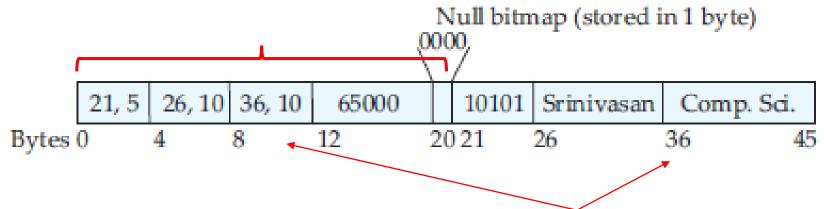
Free list $1 \rightarrow 4 \rightarrow 6$

We now have a way to handle deletion.

How to optimize for space (block size not being a multiple of record length?

Variable Length Record

Metadata about the variable length data is stored (in fixed length part)



Read 10 bytes from 36th byte for this field Null bitmap shows which fields are null.

15

Does the order in which records are stored matter?

Yes, we usually search with the primary key!

So, save records in the order of primary key.



Storage Organization of Records

Heap file organization

Place any record anywhere in the file.

Sequential file organization

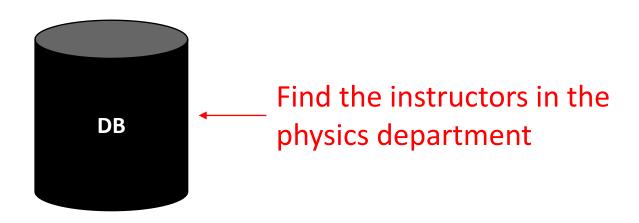
Records are stored in sequential order (of key).

Hashing file organization

Hash (some attribute of) records to blocks.

Motivation

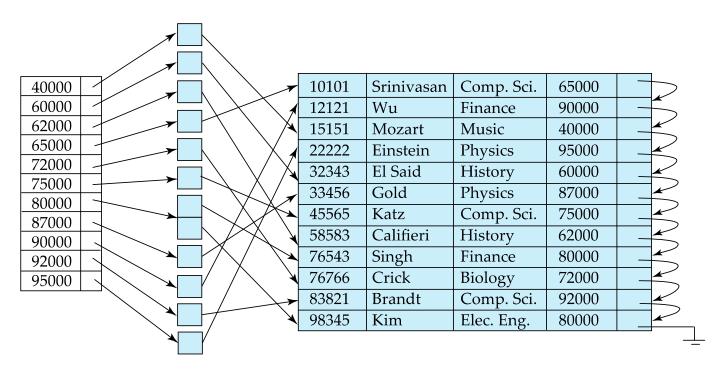
• We usually access only a small part of the DB.



Need additional structures to access data efficiently

An Index to Speed Up SELECT queries

 Indices different from the order in which the records are stored in the disk are called Secondary indices.



Secondary index on salary field of instructor

Creating an Index in MySQL

CREATE INDEX
name_of_the_index
ON customer (name(10));

- Creates an index using the first 10 characters of the name column.
- Column prefixes for indexes can make the index file much smaller.
- Speeds up INSERTs.



For "SELECT" Queries: How to retrieve the blocks containing our data records with minimal disk access?

For "INSERT/DELETE" Queries: Can we ensure disk space is wisely used?

Now, we have answers!

- Hashing, Sequential, Heap FO
- 2. Free Lists, Variable Length Records
- 3. Secondary Index



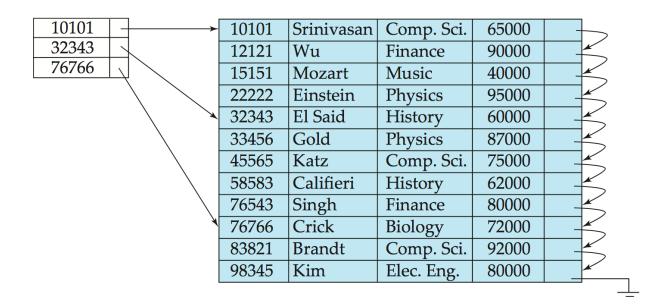


Can we improve indexing to save some space?



Sparse Index

Sparse Index: contains index records for only some search-key values.



Dense Index

• Dense index on dept_name, with instructor file sorted on dept_name

Biology	→ 76766	Crick	Biology	72000	
Comp. Sci.	→ 10101	Srinivasan	Comp. Sci.	65000	
Elec. Eng.	45565	Katz	Comp. Sci.	75000	
Finance	83821	Brandt	Comp. Sci.	92000	
History	98345	Kim	Elec. Eng.	80000	
Music	12121	Wu	Finance	90000	
Physics \	76543	Singh	Finance	80000	
	32343	El Said	History	60000	
	58583	Califieri	History	62000	
	15151	Mozart	Music	40000	
	22222	Einstein	Physics	95000	
	33465	Gold	Physics	87000	

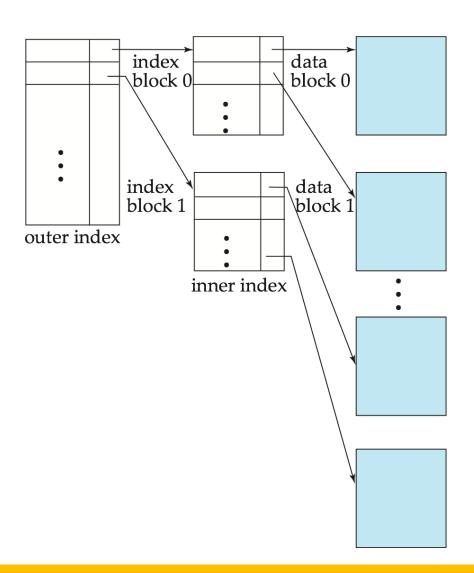


Can we improve indexing for faster search?



Multilevel Index

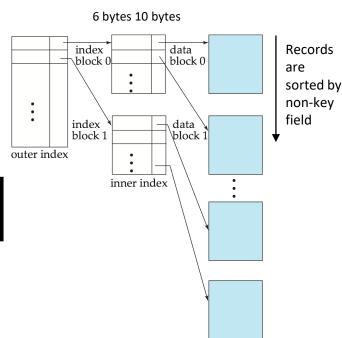
Indexing the index!



 Consider a file of 16384 records. Each record is 32 bytes long and its key field is of size 6 bytes. The file is ordered on a non-key field, and the file organization is unspanned. The file is stored in a file system with block size 1024 bytes, and the size of a block pointer is 10 bytes. If the secondary index is built on the key field of the file, and a multi-level index scheme is used to store the secondary index, the number of first-level and second-level blocks in the multi-level index are respectively

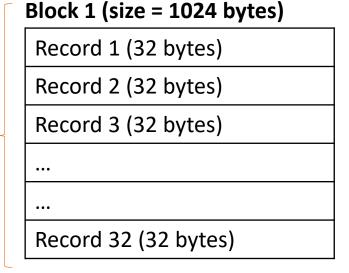
- The file organization is unspanned.
- Number of Records = 16384
- Record Size = 32 bytes
- Block Size = 1024 bytes

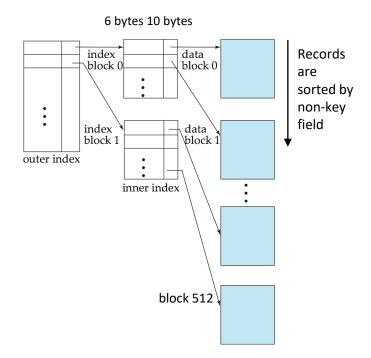
Search Key Pointer
6 bytes 10 bytes



How many records per block?

1024/32 = 32 records per block



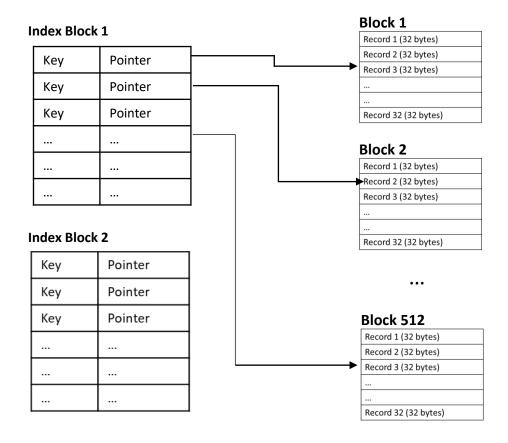


 How many data blocks do we need if we have 16384 records?

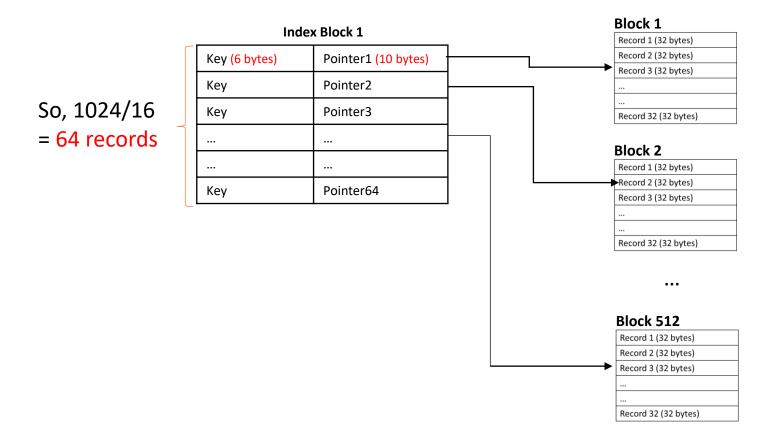
Block 1	
Record 1 (32 bytes)	
Record 2 (32 bytes)	
Record 3 (32 bytes)	
Record 32 (32 bytes)	
Block 2	
Record 1 (32 bytes)	
Record 2 (32 bytes)	
Record 3 (32 bytes)	
Record 32 (32 bytes)	
 Block n	
Record 1 (32 bytes)	
Record 2 (32 bytes)	
Record 3 (32 bytes)	
Record 32 (32 bytes)	

16384/32 = **512** blocks

How does the index block look like?



How many index blocks exist?



How many levels of index do we need?

Index Block 1

Key (6 bytes)	Pointer1 (10 bytes)
Key	Pointer2
Key	Pointer3
Key	Pointer64

Index Block 2

Key (6 bytes)	Pointer65 (10 bytes)
Key	Pointer66
Key	Pointer67
Key	Pointer128

Block 1

Record 1 (32 bytes)
Record 2 (32 bytes)
Record 3 (32 bytes)
Record 32 (32 bytes)

Block 2

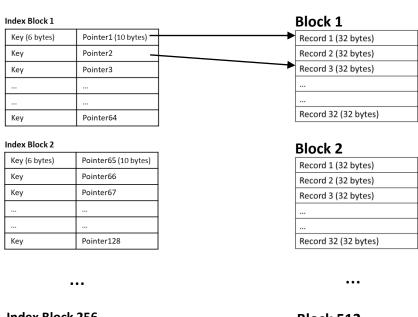
Record 1 (32 bytes)
Record 2 (32 bytes)
Record 3 (32 bytes)
Record 32 (32 bytes)

•••

Block 512

Record 1 (32 bytes)	
Record 2 (32 bytes)	
Record 3 (32 bytes)	
Record 32 (32 bytes)	

How many levels of index do we need?



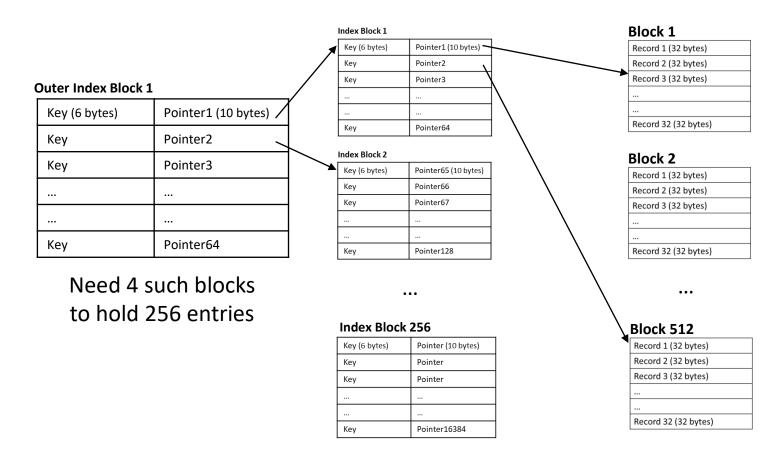
Index Block 256

Key (6 bytes)	Pointer (10 bytes)
Кеу	Pointer
Кеу	Pointer
Кеу	Pointer16384

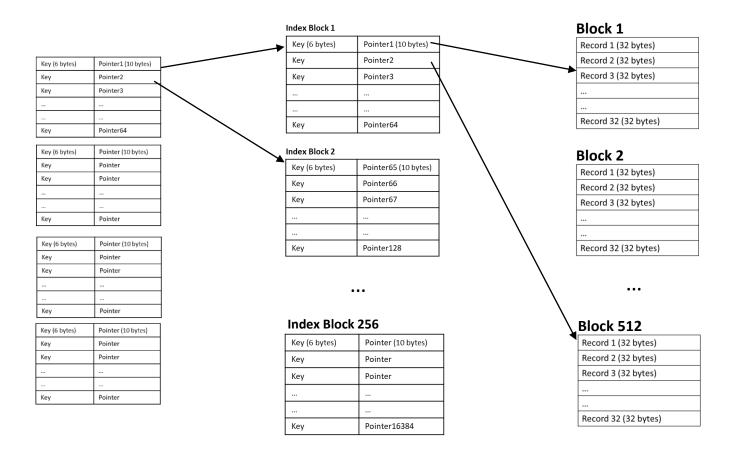
Block 512

Record 1 (32 bytes)	
Record 2 (32 bytes)	
Record 3 (32 bytes)	
Record 32 (32 bytes)	

How many levels of index do we need?



How many levels of index do we need?



GATE CS 2008

- Consider a file of 16384 records. Each record is 32 bytes long and its key field is of size 6 bytes. The file is ordered on a non-key field, and the file organization is unspanned. The file is stored in a file system with block size 1024 bytes, and the size of a block pointer is 10 bytes. If the secondary index is built on the key field of the file, and a multi-level index scheme is used to store the secondary index, the number of first-level and second-level blocks in the multi-level index are respectively ______
- Answer: (256, 4)



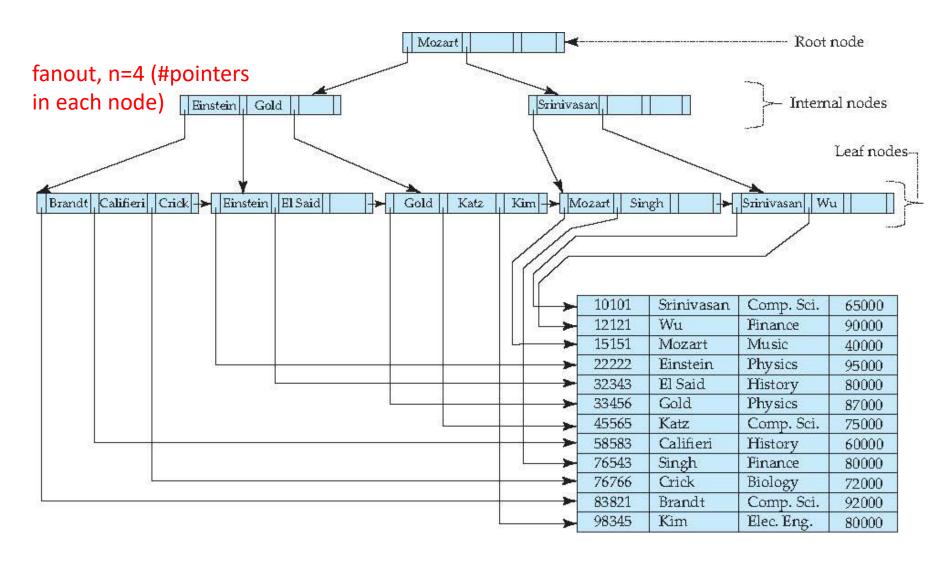
Inserting and deleting entries of the multi-level index is expensive. Can you improve it?



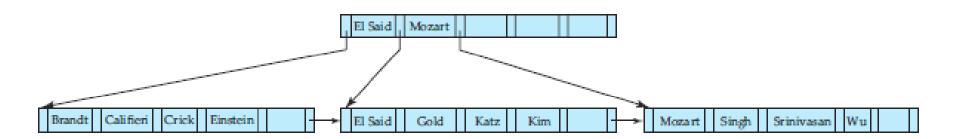
B⁺-Tree Index Files

- B+-tree indices are an alternative to indexed-sequential files.
- Advantage of B+-tree index files:
 - automatically reorganizes itself with small, local, changes, in the face of insertions and deletions.
 - Reorganization of entire file is not required to maintain performance.
- (Minor) disadvantage of B+-trees:
 - extra insertion and deletion overhead, space overhead.

Example of B+-Tree



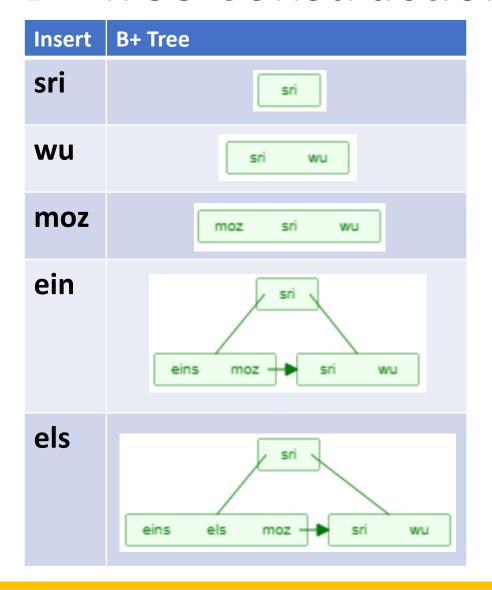
n=6



Rules

- Root node
 - can hold fewer than n/2 pointers.
 - must hold at least two pointers, unless the tree consists of only one node.
- Internal nodes
 - all pointers are pointers to tree nodes.
 - and must hold at least $\lceil n/2 \rceil$ pointers and up to n pointers.
- Leaf nodes
 - Can contain from as few as $\lceil (n-1)/2 \rceil$ values, up to n-1 values

B+ Tree Construction

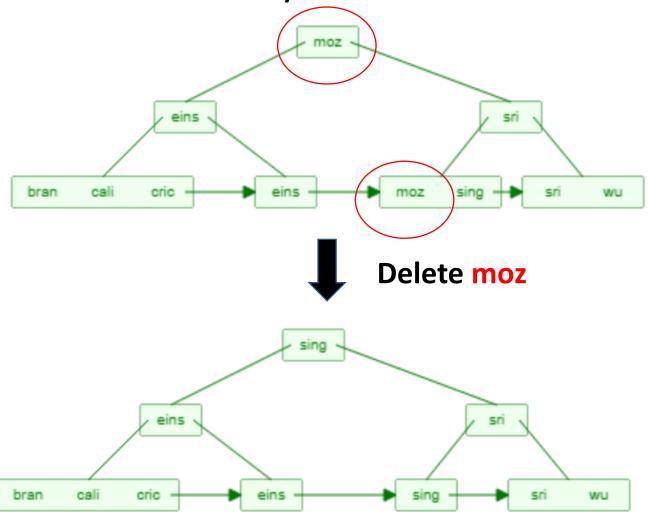


10101	Srinivasan
12121	Wu
15151	Mozart
22222	Einstein
32343	El Said
33456	Gold
45565	Katz
58583	Califieri
76543	Singh
76766	Crick
83821	Brandt
98345	Kim

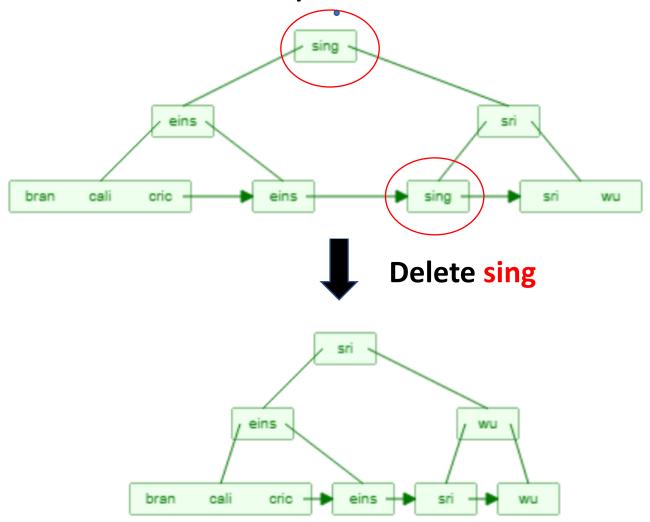
See

https://www.cs.usfca.edu/~galles/visualization/BPlusTree.html

Deletion of a Key in a B+ Tree



Deletion of a Key in a B+ Tree



Readings

Insert and Delete algorithms over B+Trees

```
procedure insert(value K, pointer P)
procedure delete(value K, pointer P)
                                                                                 if (tree is empty) create an empty leaf node L, which is also the r
   find the leaf node L that contains (K, P)
                                                                                 else Find the leaf node L that should contain key value K
   delete\_entry(L, K, P)
                                                                                 if (L has less than n-1 key values)
                                                                                      then insert_in_leaf (L, K, P)
                                                                                      else begin /*L has n-1 key values already, split it */
procedure delete_entry(node N, value K, pointer P)
   delete (K, P) from N
                                                                                          Create node L'
   if (N is the root and N has only one remaining child)
                                                                                           Copy L.P_1...L.K_{n-1} to a block of memory T that can
   then make the child of N the new root of the tree and delete N
                                                                                               hold n (pointer, key-value) pairs
                                                                                          insert_in_leaf (T, K, P)
   else if (N has too few values/pointers) then begin
                                                                                          Set L'.P_n = L.P_n; Set L.P_n = L'
      Let N' be the previous or next child of parent(N)
                                                                                           Erase L.P_1 through L.K_{n-1} from L
      Let K' be the value between pointers N and N' in parent(N)
                                                                                          Copy T.P_1 through T.K_{\lceil n/2 \rceil} from T into L starting at L.
      if (entries in N and N' can fit in a single node)
                                                                                           Copy T.P_{\lceil n/2 \rceil+1} through T.K_n from T into L' starting at
          then begin /* Coalesce nodes */
                                                                                           Let K' be the smallest key-value in L'
              if (N is a predecessor of N') then swap_variables(N, N')
                                                                                           insert_in_parent(L, K', L')
              if (N is not a leaf)
                                                                                      end
                 then append K' and all pointers and values in N to N'
                 else append all (K_i, P_i) pairs in N to N'; set N'. P_n = N.P_n
                                                                               ocedure insert_in_leaf (node L, value K, pointer P)
              delete\_entry(parent(N), K', N); delete node N
                                                                                 if (K < L.K_1)
          end
                                                                                      then insert P, K into L just before L.P_1
      else begin /* Redistribution: borrow an entry from N' */
                                                                                      else begin
          if (N') is a predecessor of N) then begin
                                                                                          Let K_i be the highest value in L that is less than K
              if (N is a nonleaf node) then begin
                                                                                           Insert P, K into L just after T.K_i
                 let m be such that N'.P_m is the last pointer in N'
                                                                                      end
                 remove (N'.K_{m-1}, N'.P_m) from N'
                 insert (N'.P_m, K') as the first pointer and value in N,
                                                                               ocedure insert_in_parent(node N, value K', node N')
                     by shifting other pointers and values right
                                                                                 if (N is the root of the tree)
                 replace K' in parent(N) by N'.K_{m-1}
                                                                                      then begin
              end
                                                                                           Create a new node R containing N, K', N' /* N and N
              else begin
                                                                                          Make R the root of the tree
                 let m be such that (N'.P_m, N'.K_m) is the last pointer/value
                                                                                                                                           46
```



For "SELECT" Queries: How to retrieve the blocks containing our data records with minimal disk access?

For "INSERT/DELETE" Queries: How to ensure disk space is wisely used?

Can we improve indexing for faster search, improved space utilization?

Now, we have some answers!

- 1. Hashing, Sequential, Heap FO
- 2. Free Lists, Variable Length Records
- 3. Secondary Index, Multi-level Index, Dense and Sparse Indices, B+ Trees



Research Directions

 We have gone a long way away from "Sequential File Organization with Fixed Length Records".

1959 PROCEEDINGS OF THE WESTERN JOINT COMPUTER CONFERENCE

295

File Searching Using Variable Length Keys

RENE DE LA BRIAN

ANY computer applications require the storage of large amounts of information within the ingreco computer's memory where it will be readily ing the available for reference and updating carre commonly, then ta more storage space is required than is available in the record. computer's high-speed working membry. It is, therefore, a common practice to equip corputers with magnetic tapes disks or drums or a combination of these to

it just t then tal correspo nique re Programming Techniques

G. Manacher, S.L. Graham

Pagination of B*-Trees with Variable-Length Records

Edward M. McCreight Xerox Palo Alto Research Center

A strategy is presented for pagination of B*-trees with variable-length records. If records of each length are uniformly distributed within the file, and if a wide distribution of record lengths exists within the file, then this strategy results in shallow trees with fast access times. The performance of this strategy in an application is presented, compared with that of another strategy, and analyzed.

Key words and Phrases: B-tree, index, database, tree, storage structure, searching

CR Categories: 3.73, 4.33, 4.34

Introduction

B*-trees have come into increasing use as index structures for large disk-stored databases. A number of characteristics recommend them for such applications. They preserve order among keys, so neighborhood searching is an inexpensive operation. They preserve reasonable density and good access times across any sequence of updating operations. They carry out reorganization locally and incrementally in response to updating operations, so massive global index re-organizations are never required.

For our purposes, a keyed record contains two fields: a key, which is a member of some totally-ordered domain (like the set of eight-digit decimal integers, for example), and a value, which might represent some property of the key, or might be a point to a record in a database associated with the base. A 1-tree of order m [1, 2] is an ordered uniformed on the tree of fixed-length pages (or nodes) each containing an ordered sequence of fixed-length key in cords. Every page contains at most m-1 rectude, and every page except the root contains at least (2) 4)/3 roords. The root page contains at least one record. In other words, every page except the root is somewhere between \(^2_3\) full and completely full, and the root page may not be

A page represents an interval in the linear key space, and its son pages represent a partition of its interval into subintervals. Thus each nonleaf page has one more son page than the number of (interval bound-

Progressive Indexes: Indexing for Interactive Data Analysis

Bigtable: A Distributed Storage System for Structured Data

FAY CHANG, JEFFREY DEAN, SANJAY GHEMAWAT, WILSON C. HSIEH, DEBORAH A. WALLACH, MIKE BURROWS, TUSHAR CHANDRA, ANDREW FIKES, and ROBERT E. GRUBER Google, Inc.

Bigtable is a distributed storage system for managing structured data that is designed to scale to a very large size: petabytes of data across thousands of commodity servers. Many projects at Google store data in Bigtable, including web indexing, Google Earth, and Google Finance. These applications place very different demands of citable, both in terms of data size (from URLs to web pages to satellite imagery) and latenty to differents (from backend bulk processing to real-time data serving). Despite these variety to displace the successfully provided a flexible, high-performance solution for all to the Google products. In this article, we describe the simple data model provided by Bigtable, while gives clients dynamic control over data layout and format, and we describe the design and implementation of Bigtable.

Categories and Subject Descriptors: C.2.4 [Computer Communication Networks]: Distributed Systems—distributed databases

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and generate hypotheses. When dealing with small data sets, providing answers within this interactivity threshold is possible without utilizing indexes. However, exploratory data analysis is often performed on larger data sets as well. In these scenarios, indexes are required to speed up query response times.

Index creation is one of the major difficult decisions in database schema design [8]. Based on the expected workload, the database administrator (DBA) needs to decide whether creating a specific index is worth the overhead in creating and maintaining it. Creating indexes up-front is especially challenging in exploratory and interactive data analysis, where queries are not known in advance, workload patterns change frequently and interactive responses are required. In these scenarios, data scientists load their data

Thank You

B+ Tree simulation available at

https://www.cs.usfca.edu/~galles/visualization/BPlusTree.html