$$\frac{\text{ai:}}{T(n)} = 9T(n/3) + n^2 \text{ so } a = 9, \ b = 3 \text{ and } f(n) = n^2$$
Is $n^2 = \Theta(n^{\log_3(9)})$?
Is $n^2 = \Theta(n^2)$? True.
∴ $T(n) = \Theta(n^2 \log n)$

$$\frac{\text{b:}}{T(n)} = 4T(n/2) + 100n \text{ so } a = 4, \ b = 2 \text{ and } f(n) = 100n$$
Is $100n = O(n^{\log_2(4) - \epsilon})$?
Is $100n = O(n^{2 - \epsilon})$? True.
∴ $T(n) = \Theta(n^2)$

$$\frac{\text{c:}}{T(n)} = 2^n T(n/2) + n^3 \text{ so } a = 2^n, \ b = 2 \text{ and } f(n) = n^3$$
 $a \text{ is not constant } ∴ \text{ Master Theorem cannot be applied.}$

$$\frac{\text{d:}}{T(n)} = 3T(n/3) + cn \text{ so } a = 3, \ b = 3 \text{ and } f(n) = cn$$
Assuming c is constant term then Master Theorem can be applied.
Is $cn = \Theta(n^{\log_3(3)})$?
Is $cn = \Theta(n)$? True.
∴ $T(n) = \Theta(n \log n)$

$$\frac{\text{e:}}{T(n)} = 0.99T(n/7) + 1/(n^2) \text{ so } a = 0.99, \ b = 7 \text{ and } f(n) = 1/(n^2) = n^{-2}$$
Is $n^{-2} = \Omega(n^{\log_7(0.99) + \epsilon})$?
Is $n^{-2} \approx \Omega(n^{-0.005 + \epsilon})$? False.

Is $n^{-2} = O(n^{\log_7(0.99) - \epsilon})$? True.
∴ $T(n) = \Theta(n^{\log_7(0.99) - \epsilon})$? True.
∴ $T(n) = \Theta(n^{\log_7(0.99) - \epsilon})$? True.
∴ $T(n) = \Theta(n^{\log_7(0.99) - \epsilon})$? True.