Assignment 1 - Lab Exercises

1. Short Python Practice

Task: Create a class named Dog

- Each instance of the class should have a variable, name (should be set on creating one)
- The class has two main methods, action and age
- Action is an instance method taking in an *optional* parameter, quietly. Calling action prints "WOOF WOOF WOOF" if nothing is passed in, "woof" if quietly is passed in as True. (Use only one hardcoded string in the method)
- Age is a class method that takes in a list of ages in human years and returns it in dog years (Use list comprehension)

```
In [0]:

def __init__(self, name):
    # complete the class
    self.name = name

def action(self, quietly=False):
    bark = "woof"
    if quietly:
        print(bark.strip())
    else:
        print((3*bark.upper()).rstrip())

def age(humans):
    return [i*7 for i in humans]
```

```
In [0]: human_ages = [3, 4, 7, 4, 10, 6]
```

- 1. Create an instance of this class, and print its name
- 2. Call action with both possible options for the parameter
- 3. Call age on the provided array above

```
In [0]: # complete the task above
    fido = Dog("Fido")
        print(fido.name)
        fido.action()
        fido.action(quietly=True)
        Dog.age(human_ages)

Fido
        WOOF WOOF
        woof
Out[0]: [21, 28, 49, 28, 70, 42]
```

2. Numpy Practice

Numpy is a commonly used library in Python for handling data, especially helpful for handling arrays/multi-dimensional arrays. It's particularly important for helping bridge the ineffiencies of Python as a high level language with the improved performance of handling data structures in low level languages like C.

Part 1: General Numpy Array Exercises

- 1. Create a matrix, with shape 10 x 7, of ones
- 2. Create 10 matrices, with shape 100 x 70, of random integers from -10 to 10
- 3. Print the number of elements equal between a pair of matrices, for each possible pair in the 10 created above except for with itself (Don't compare the 1st with the 1st)

```
In [0]: import numpy as np
        # example
        die_roll = np.random.randint(1, 6)
        print("Rolled a " + str(die_roll))
        Rolled a 3
In [0]:
        #complete part 1
        uno = np.ones((10,7))
        print(uno)
        [[1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. 1.]
         [1. 1. 1. 1. 1. 1. ]
In [0]: mats = []
        for i in range(10):
            mats.append(np.random.randint(-10,10,size=(100,70)))
```

```
In [0]: for i in range(10):
            for j in range(i+1, 10):
                common = np.sum(mats[i]==mats[j])
                print("Matrix "+ str(i)+" and matrix "+str(j)+" have "+ str(common)
                +" elements in common")
        Matrix 0 and matrix 1 have 365 elements in common
        Matrix 0 and matrix 2 have 357 elements in common
        Matrix 0 and matrix 3 have 374 elements in common
        Matrix 0 and matrix 4 have 358 elements in common
        Matrix 0 and matrix 5 have 325 elements in common
        Matrix 0 and matrix 6 have 311 elements in common
        Matrix 0 and matrix 7 have 362 elements in common
        Matrix 0 and matrix 8 have 350 elements in common
        Matrix 0 and matrix 9 have 326 elements in common
        Matrix 1 and matrix 2 have 333 elements in common
        Matrix 1 and matrix 3 have 373 elements in common
        Matrix 1 and matrix 4 have 335 elements in common
        Matrix 1 and matrix 5 have 322 elements in common
        Matrix 1 and matrix 6 have 359 elements in common
        Matrix 1 and matrix 7 have 342 elements in common
        Matrix 1 and matrix 8 have 344 elements in common
        Matrix 1 and matrix 9 have 355 elements in common
        Matrix 2 and matrix 3 have 346 elements in common
        Matrix 2 and matrix 4 have 369 elements in common
        Matrix 2 and matrix 5 have 357 elements in common
        Matrix 2 and matrix 6 have 369 elements in common
        Matrix 2 and matrix 7 have 362 elements in common
        Matrix 2 and matrix 8 have 373 elements in common
        Matrix 2 and matrix 9 have 342 elements in common
        Matrix 3 and matrix 4 have 345 elements in common
        Matrix 3 and matrix 5 have 315 elements in common
        Matrix 3 and matrix 6 have 378 elements in common
        Matrix 3 and matrix 7 have 345 elements in common
        Matrix 3 and matrix 8 have 367 elements in common
        Matrix 3 and matrix 9 have 331 elements in common
        Matrix 4 and matrix 5 have 308 elements in common
        Matrix 4 and matrix 6 have 384 elements in common
        Matrix 4 and matrix 7 have 357 elements in common
        Matrix 4 and matrix 8 have 369 elements in common
        Matrix 4 and matrix 9 have 324 elements in common
        Matrix 5 and matrix 6 have 339 elements in common
        Matrix 5 and matrix 7 have 334 elements in common
        Matrix 5 and matrix 8 have 346 elements in common
        Matrix 5 and matrix 9 have 366 elements in common
        Matrix 6 and matrix 7 have 362 elements in common
        Matrix 6 and matrix 8 have 369 elements in common
        Matrix 6 and matrix 9 have 348 elements in common
        Matrix 7 and matrix 8 have 340 elements in common
        Matrix 7 and matrix 9 have 371 elements in common
        Matrix 8 and matrix 9 have 308 elements in common
```

Part 2: Splicing and some Numpy Methods

- 1. Find the pseudoinverse of one of the above matrices (or create a new one with shape 100 x 70)
- 2. Turns out the last 40 rows and last 10 columns of data were useless. Set a new variable to the matrix used above, without the last 40 rows or 10 columns.
- 3. Find the inverse for this square matrix.

Optional: You can use the same command for 1 and 3 (briefly explain why if you do)

```
In [0]: # complete part 2
mat = mats[0]
pinv = np.linalg.pinv(mat)
mat_square = mat[:-40, :-10]
inv = np.linalg.pinv(mat_square)
In [0]: print(mat.shape)
print(pinv.shape)
print(mat_square.shape)
print(inv.shape)

(100, 70)
(70, 100)
(60, 60)
(60, 60)
(60, 60)
```

Part 3: Matrix Methods

- 1. Generate 2 more matrices, a and b with shape 2 x 3 and 4 x 3.
- 2. Create 2 matrices, a_on_b and b_on_a for the first, stack a on top of b, and the opposite for the second. The join them to create abba, with b_on_a to the right of a_on_b
- 3. Print the right eigenvalues and eigenvectors for abba

```
In [0]: # complete part 3
        a = np.random.randint(-10, 10, size=(2,3))
        b = np.random.randint(-10, 10, size=(4,3))
        a_{on_b} = np.vstack((a,b))
        b_on_a = np.vstack((b,a))
        abba = np.hstack((a_on_b, b_on_a))
        print(a)
        print(b)
        print(abba)
        [[ 2 -5 -8]
           5 2 8]]
           6 -3 -1]
        ГΓ
              -7
                  -4]
           6
           7
               8
                   6]
           6
              -1 -10]]
        ]]
           2
              -5 -8
                       6 -3 -1]
           5
              2
                  8
                       6 -7 -41
           6
              -3 -1
                       7
                          8
                              61
           6
              -7 -4
                       6 -1 -101
           7
               8
                  6
                       2 -5 -81
              -1 -10
                               8]]
```

```
In [0]: print(np.linalg.eig(abba))
        (array([ 6.22019279+14.90272269j, 6.22019279-14.90272269j,
                -3.48443388 +9.49878874j, -3.48443388 -9.49878874j,
                -2.01124785 +0.j
                                         , 8.53973004 +0.j
                                                                    ]), array([[ 0.4397589
        -0.05839195j, 0.4397589 +0.05839195j,
                 0.01880205+0.07369621j, 0.01880205-0.07369621j,
                 -0.5855294 +0.j
                                           0.21492057+0.j
                [ 0.00403524-0.32072171j, 0.00403524+0.32072171j,
                                       , 0.61316062-0.j
                  0.61316062+0.j
                                         , -0.27216933+0.j
                  0.45052556+0.j
                [ 0.02333355-0.47111122j, 0.02333355+0.47111122j,
                 -0.34449578+0.22272504j, -0.34449578-0.22272504j,
                                       , -0.21087539+0.j
                 -0.19001174+0.j
                [ 0.50277566+0.j
                                           0.50277566-0.j
                  0.0073965 -0.00460599j, 0.0073965 +0.00460599j,
                  0.59650993+0.j
                                         , -0.4525855 +0.j
                [-0.05409778-0.19424935j, -0.05409778+0.19424935j,
                  \hbox{\tt 0.28109597-0.52675325j,} \quad \hbox{\tt 0.28109597+0.52675325j,}
                  0.21056003+0.j
                                         , -0.5489487 +0.j
                [ 0.24603627-0.35193317j, 0.24603627+0.35193317j,
                 -0.30560246-0.00359126j, -0.30560246+0.00359126j,
                                        , 0.5736604 +0.j
                 -0.13385795+0.j
                                                                   ]]))
```

3. Matplotlib Practice

Matplotlib is a commonly used visualization library.

Part 1: Generate plots

- 1. Generate sine (y sin) and cosine (y cos) data for x from 0 to 4 * pi (Use np.arange with step size 0.1)
- 2. Create a plot with both on the same chart. The sine wave should be solid, cosine dashed
- 3. Create a second plot with 2 subplots, with the first plotting the sine wave and second plotting the cosine wave

```
In [0]: import matplotlib.pyplot as plt
In [0]: # complete 1
    x = np.arange(0, 4*np.pi, 0.1)
    y_sin = np.sin(x)
    y_cos = np.cos(x)
```

```
In [0]: # complete 2
          overlayed = plt.figure()
          plt.plot(x, y_sin, "-")
plt.plot(x, y_cos, "--")
          plt.show()
            1.00
            0.75
            0.50
            0.25
            0.00
           -0.25
           -0.50
           -0.75
           -1.00
                                4
                                                     10
                                                            12
In [0]:
          # complete 3
          subplotted = plt.figure()
          plt.subplot(2,1,1)
          plt.plot(x, y_sin)
          plt.subplot(2,1,2)
          plt.plot(x, y_cos)
          plt.show()
            0
                              4
                                                   10
                                                          12
                                            8
            1
            0
           -1
                                                          12
```

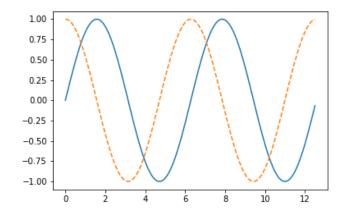
Part 2: Save Output

- 1. For the above plots, save each as a image file.
- 2. Open both files in this notebook

```
In [0]: # complete 1
    overlayed.savefig("overlayed.png")
    subplotted.savefig("subplotted.png")
In [0]: from IPython.display import Image
```

```
In [0]: # complete 2
Image("overlayed.png")
```

Out[0]:





Out[0]:

