Design and Analysis of Algorithm Lab7

Name: V. Prasanna Vyshnavi

Regno:19BCE7661

Binary Search:

Code:

```
import java.util.*;
class BinarySearch{
public static void binarySearch(int arr[], int first, int last, int key){
 int mid = (first + last)/2;
 while( first <= last ){</pre>
   if ( arr[mid] < key){</pre>
    first = mid + 1;
   }else if ( arr[mid] == key){
    System.out.print(" "+mid);
     break;
   }
 else{
     last = mid - 1;
   }
   mid = (first + last)/2;
  }
 if ( first > last ){
   System.out.print(" -1");
```

```
}
}
public static void main(String args[]){
Scanner sc=new Scanner(System.in);
    int n=sc.nextInt();
    int arr[] = new int[n];
    for(int i=0;i<n;i++)</pre>
      arr[i]=sc.nextInt();
    int m=sc.nextInt();
    int key[]=new int[m];
for(int i=0;i<n;i++)</pre>
    {
      key[i]=sc.nextInt();
    int last=n-1;
System.out.println("output :");
    for(int i=0;i<m;i++)
{
      int k=key[i];
      binarySearch(arr,0,last,k);
    }
}
```

Output:

```
Administrator: cmd
```

```
C:\Users\Personal\Downloads\5th sem>javac BinarySearch.java
C:\Users\Personal\Downloads\5th sem>java BinarySearch
5
1
5
8
12
13
5
8
1
23
1
11
output :
2 0 -1 0 -1
C:\Users\Personal\Downloads\5th sem>_
```

Asymptotic Analysis:

$$n=2^{k}$$

$$= t(1) + k = 1 + \log_{2}^{n} + \log$$

Maximum Votes:

Code:

import java.util.*;
public class maxvotes

```
static int maxvote(int a,int A[])
{
int ca;
for(int i=1;i<=a;i++)
{
ca=A[i];
int count=0;
for(int j=1;j<=a;j++)
{
if (A[j]==ca)
count=count+1;
if(count>a/2)
{
return 1;
}
}
return 0;
public static void main(String args[])
{
Scanner sc=new Scanner(System.in);
System.out.println("enter size of array");
```

```
int n=sc.nextInt();
int A1[]=new int[10];
System.out.println("enter array");
for(int i=0;i<n;i++)</pre>
A1[i]=sc.nextInt();
}
System.out.println("output: "+maxvote(n,A1));
}
}
```

Output:

Administrator: cmd

```
C:\Users\Personal\Downloads\5th sem>javac maxvotes.ja
C:\Users\Personal\Downloads\5th sem>java maxvotes
enter size of array
enter array
output: 1
```

Analysis:

Mox vote Naive:

Max votes (a, a2...an): for i from 1 ton:

current Flement \neq air and a position

for j from 1 to n:

(f a = current Element:

count \neq count \neq if count \Rightarrow n/2:

(et un a i return "no max vota"

There are two for loops $= n^2 + 2n + 1 + 2$ $= n^2 + 2n + 3$ $T(n) = O(n^2)$