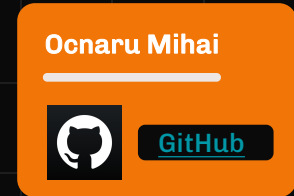


# Sorting algorithms

- a brief comparison -



# Summary

- Within this power point I want to illustrate the best usecase for the following sorting algorithms choosen
- The tests were based on positive integers
- They were performed using different parameters, such as number of elements and max-value

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# Sorting algorithms used

Count sort

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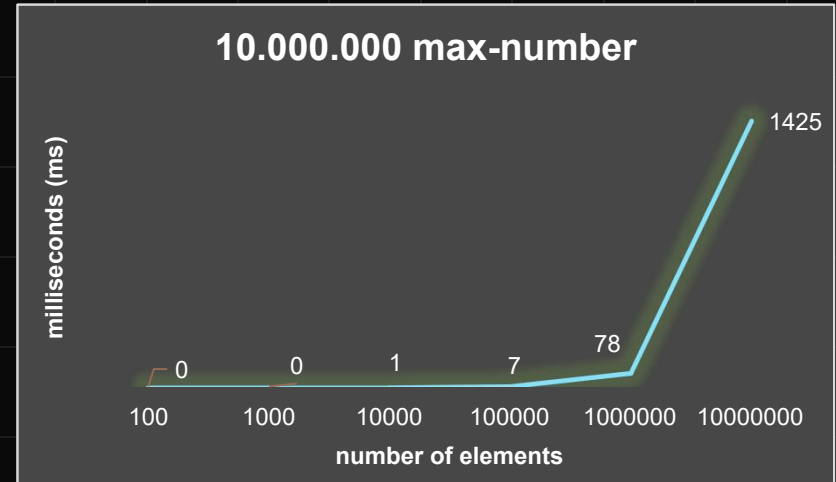
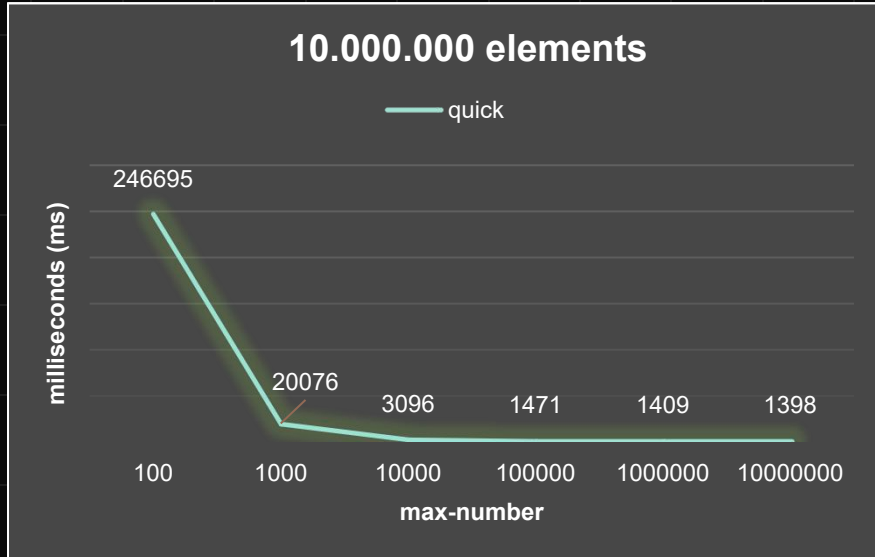
Shell sort

# Quick sort

- Having a debatable Big-O complexity from  $O(n \log n)$  to  $O(n^2)$ , quick sort is a divide and conquer algorithm, based on partitioning
- In my implementation, the pivot is chosen randomly

Worst case	Average case	Best case	Memory	Stable
$n \log n$	$n \log n$	$n^2$	$n$	no

# Quick sort





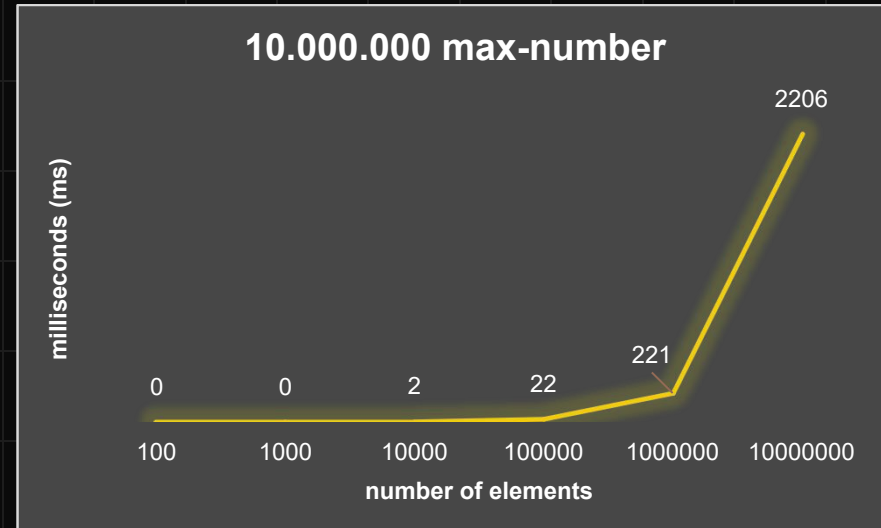
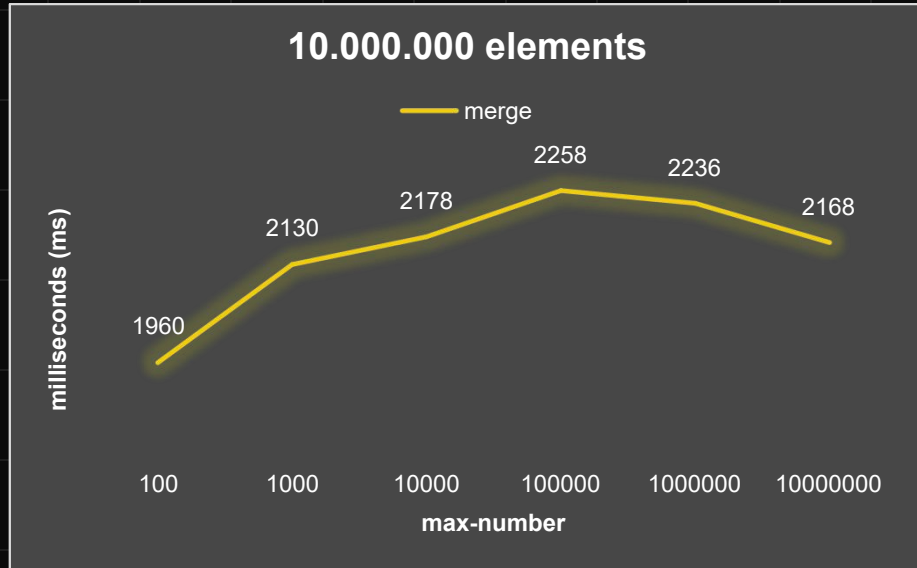
# Merge sort

- A merging algorithm, with Big- $O(n \log n)$ , easy to implement and fast

Worst case	Average case	Best case	Memory	Stable
$n \log n$	$n \log n$	$n \log n$	$n$	yes



# Merge sort





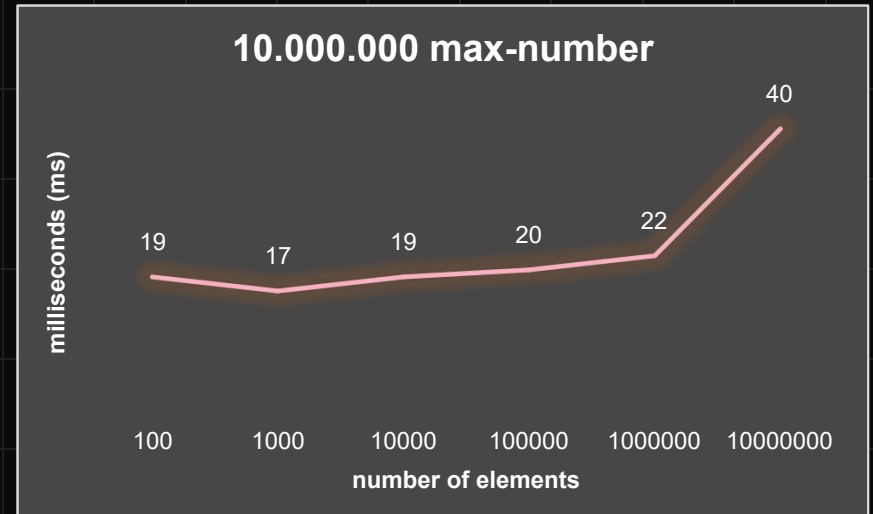
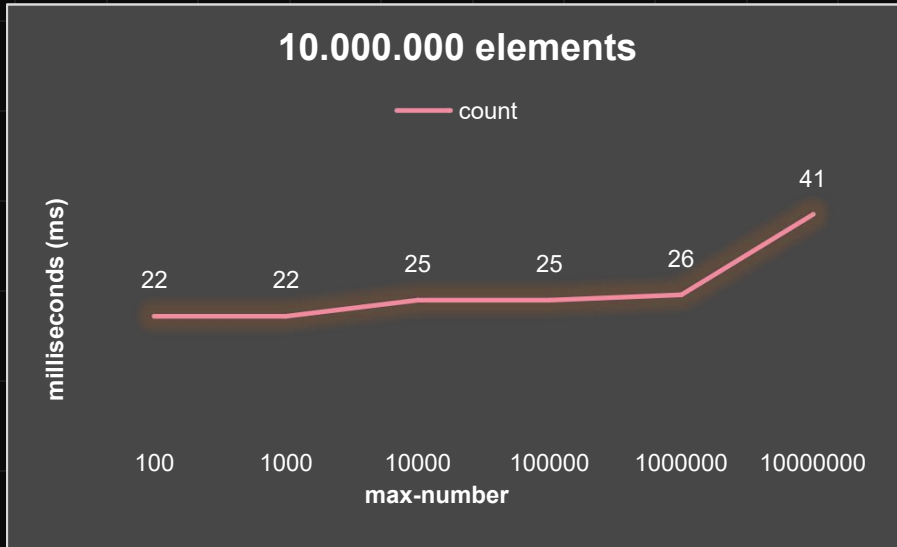
# Count sort

- Based on counting, an very efficient algorithm for unsigned integer numbers. It can be modify to work with negative and floats too.

Worst case	Average case	Best case	Memory	Stable
-	$n + r$	$n + r$	$n + r$	yes

- $n$  - represents the number of elements
- $r$  - represents the max-number (range)

# Count sort



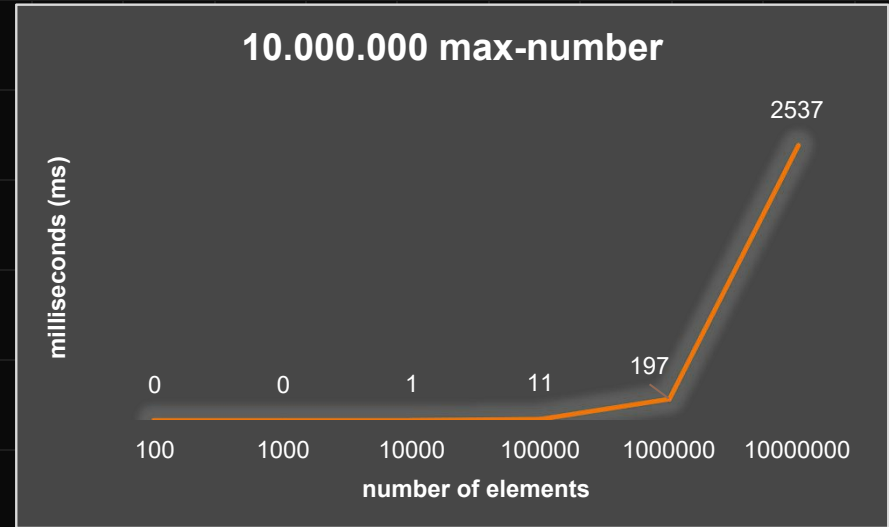
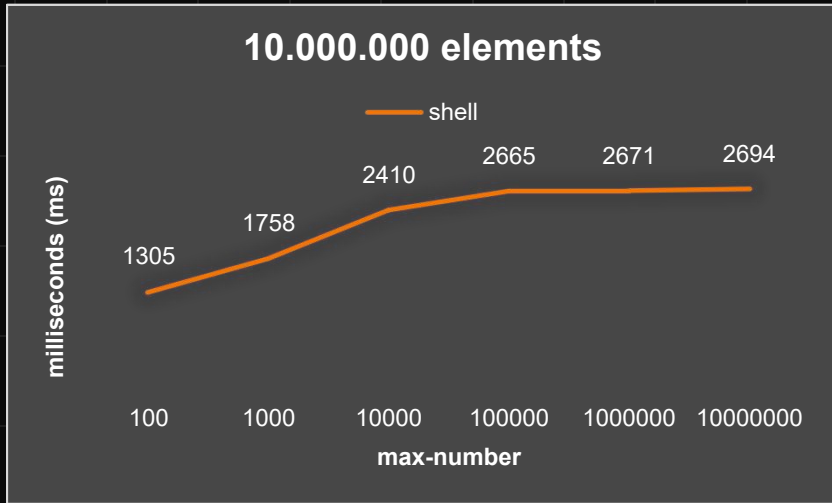


# Shell sort

- An insertion algorithm, an improvement to bubble sort, that eliminates more than one inversion at a time.
- My implementation utilise the standard shell sort gap, dividing by 2

Worst case	Average case	Best case	Memory	Stable
$n \log n$	$n^{4/3}$	$n^{3/2}$	1	no

# Shell sort





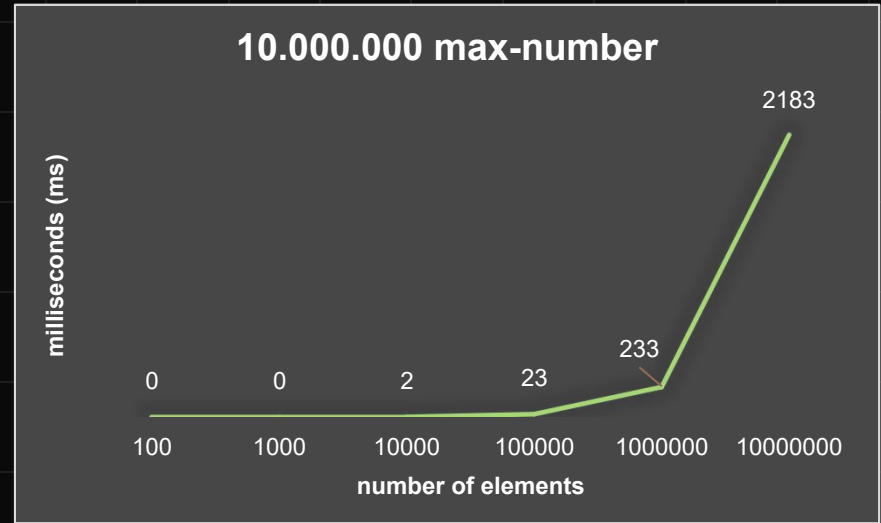
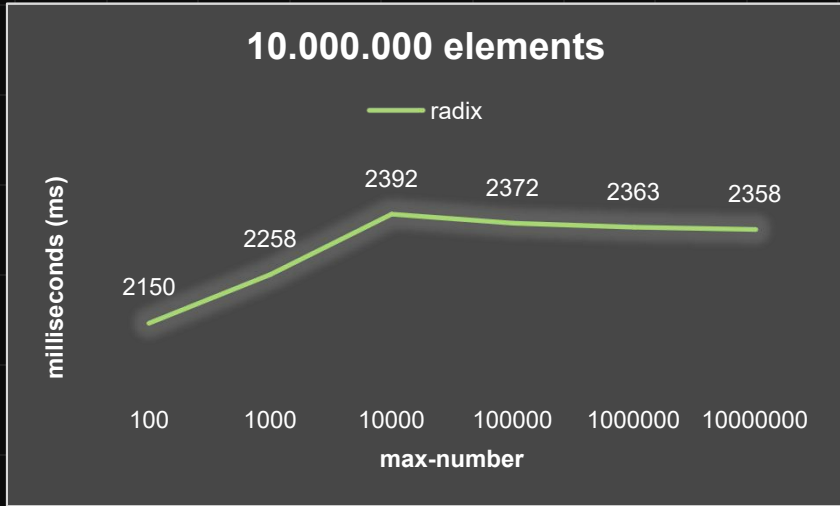


# Radix sort

- Based on counting, this algorithm can offer different results based on the base used
- The tests include different bases. It was implemented as a LSD Radix.

Worst case	Average case	Best case	Memory	Stable
n	$n * \text{no\_of\_digits}$	$n * \text{no\_of\_digits}$	$n + 2^{\text{no\_of\_digits}}$	yes

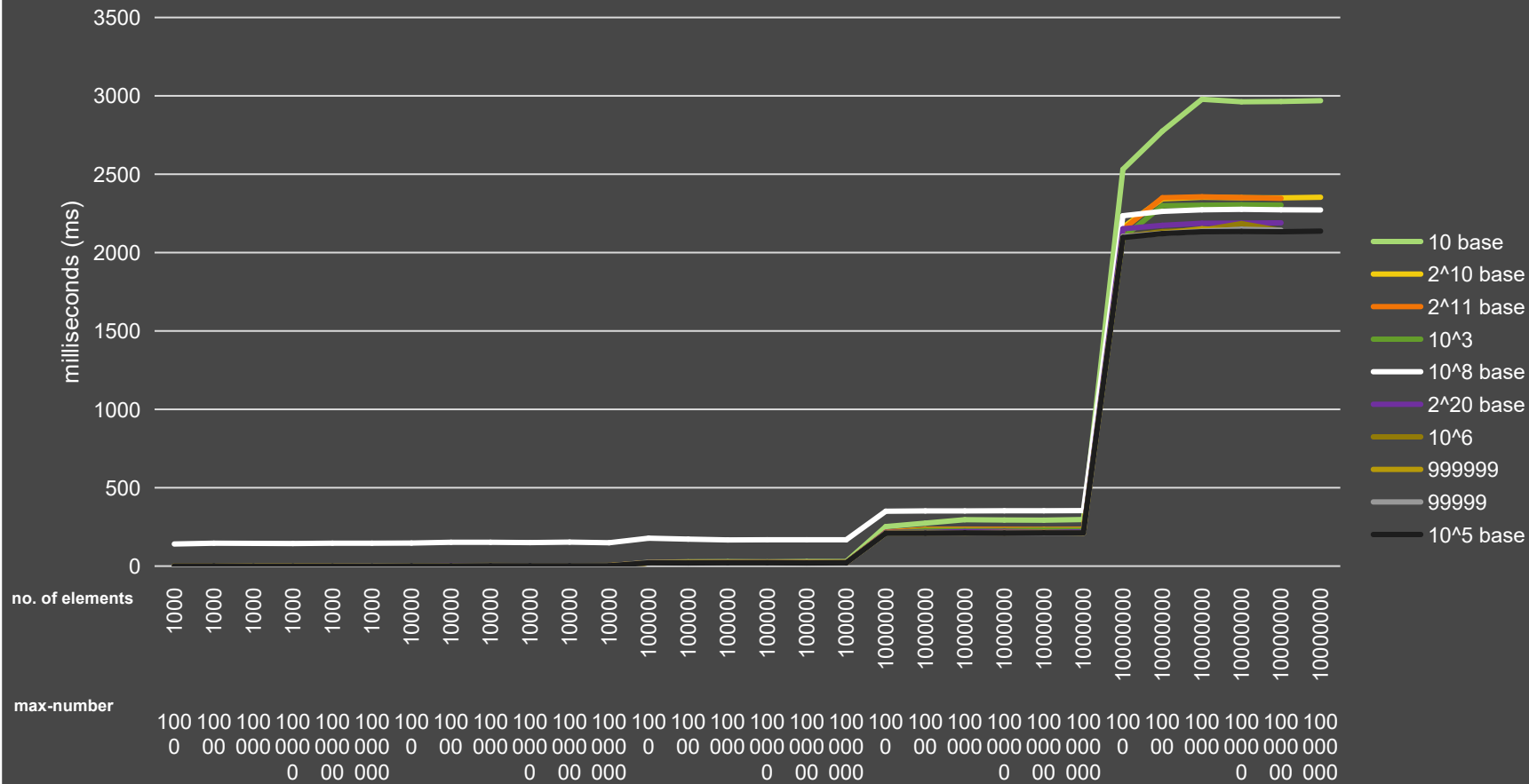
# Radix sort



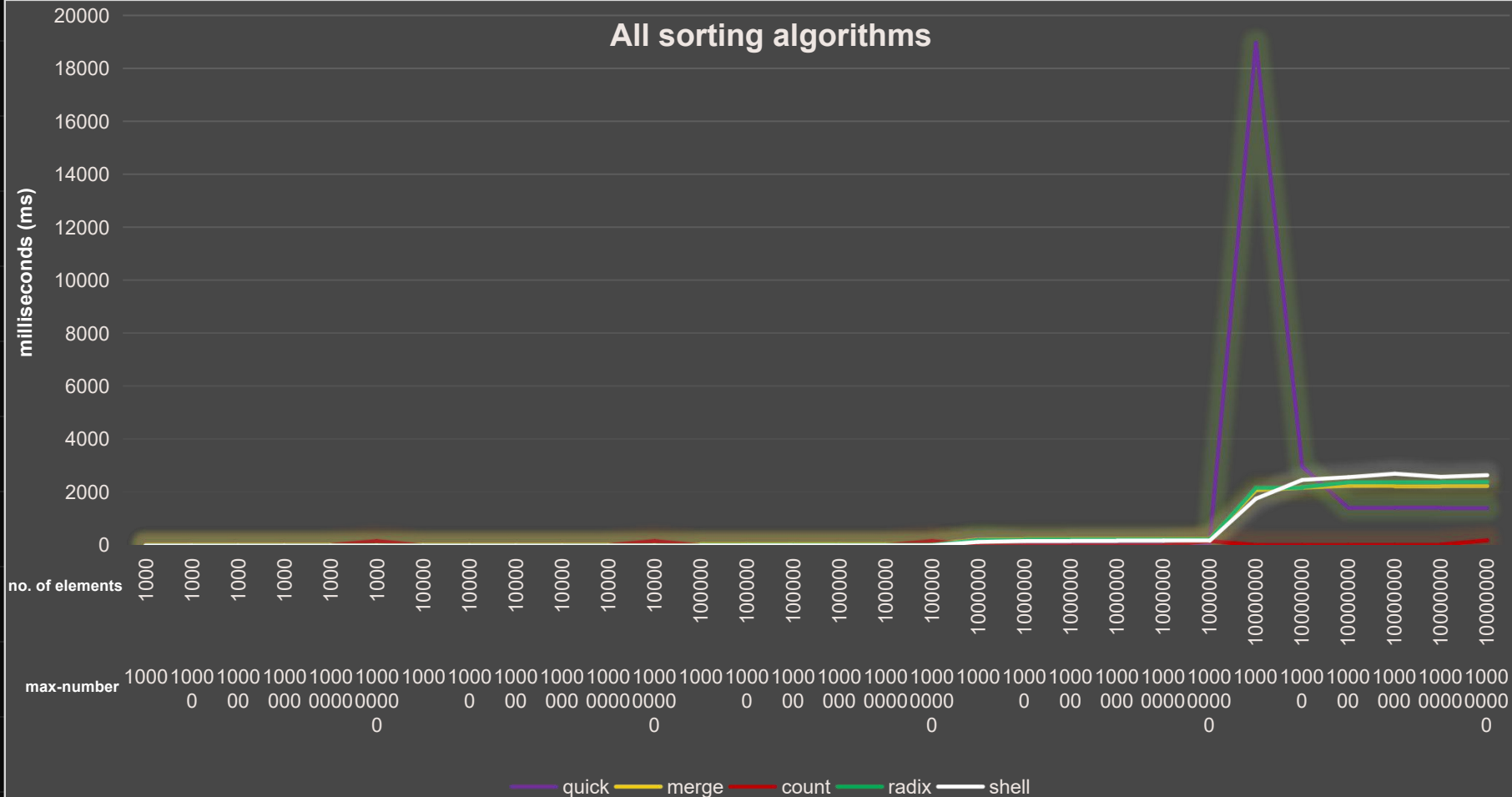
- Here and in the next slide the base raises exponentially from  $2^{10}$  to  $2^{15}$  by 2 on every step



## Comparison between bases



# All sorting algorithms



# Bibliography

[https://en.wikipedia.org/wiki/Sorting\\_algorithm](https://en.wikipedia.org/wiki/Sorting_algorithm)

Thank you for your patience!