

Application of Stack

Date: _____

① Operator $\rightarrow +, -, *, /, ^$

② Operand $\rightarrow A-Z, 1-9$

$(+, -) L \rightarrow R$ $(\times, /) L \rightarrow R$ $(^) R \rightarrow L$

Computer understands Prefix/Postfix

$((4 * 2) + 3)$ \rightarrow $(* 4 2 + 3) \rightarrow (+ * 4 2 3)$

Infix

Prefix

Prefix starts from left side when it finds operator it calculate two numbers

$((4 * 2) + 3)$ $\rightarrow (4 2 * + 3) \rightarrow (4 2 * 3 +)$

Infix

Postfix

$(7 + (4 \times 5)) - (2 + 0) \rightarrow$ Prefix conversion

Step 1: Reverse the string \rightarrow

$0 + 2 (-) 5 \times 4 + 7 ($

Step 2: \rightarrow If $(0-9)$ Print the value

\rightarrow If ')' Push to stack

\rightarrow If '(' POP() from stack until ')' found

$\frac{+}{1}, \frac{-}{2}, \frac{\times}{1}, \frac{/}{2}$

$\frac{A}{3}$

$\frac{C}{-1}$

Casper



① Less presidence হলো বড়

মাঝে বা same ন হিসেবে

বেসিন স্ট্রাকচুর

② higher presidence হলো

বেশি না সame বা less ন

বা এই ধরনের POP() বয়েগে উৎপন্ন

③ Same presidence প্রক্রিয়া ক্ষেত্রে না।

Self Referential Structures

Self Referential Structure are

those structure that have more than

one or more pointers which
point to same type of structure
as their Member.

In other words structure pointing to the same type of structure are self-referential in nature.

Struct node :

```
int data1;
```

```
char data2;
```

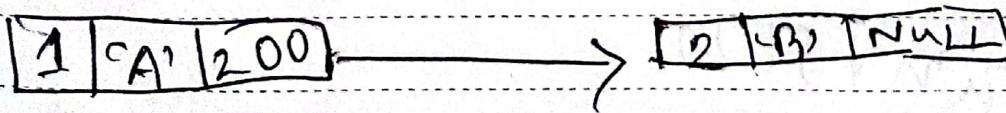
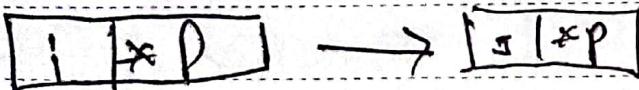
```
struct Node { link; };
```

```
int main () {
```

```
    struct node ob;
```

```
    return 0;
```

2



100

① Pointers are structure

Caspa

↳ name same 260 260

Dynamie Memory Allocation

```
#include <stdio.h>
```

```
int g; /* global var.
```

```
Q() { int a; /* local var */ }
```

```
P() { int x; /* local var */ }
```

```
Q(); }
```

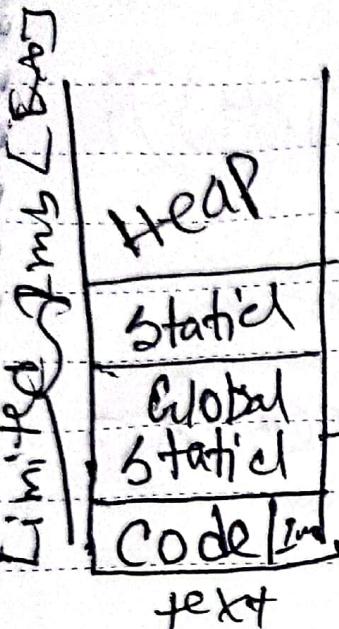
```
int main() {
```

```
int static k;
```

```
P();  
printf("%d",
```

```
}
```

free / can't now upto
Actual Memory
is virtual.



→ while the
program is
running



Runtime Memory ↗(273) in 260 m² ↗
Dynamic memory Allocation ↗(273) in 160 m² ↗
malloc() calloc() free() realloc()

malloc() < std::lib >

malloc ⇒ Memory allocation

Syntax ⇒ void * malloc (sizeof());

size of ⇒ different type of memory size
for a character, int 2 byte or 4 bytes
260 m² ↗

int * p ⇒ * p = (int) malloc (sizeof(int));

$P \rightarrow$

$P = (\ast \text{int}) \text{ malloc}(10 * \text{sizeof}(\text{int}))$

free \rightarrow memory free command

① (1) OOPS! memory free error
syntax:

calloc() \rightarrow contiguous

① calloc need two arguments

`void *calloc(size_t n, size_t size);`

`int *ptr = (int *) calloc(10, sizeof(int));`

② memory allocated by calloc is initialized by zero & by calloc with some garbage value.

malloc is called returns null

when sufficient memory is not available
in heap.

Realloc()

* Changes the size of the memory block without losing old data,

(subbytes)

`int *ptr = (int *) malloc (size of (int));`

`ptr = (int *) realloc (ptr, 2 * sizeof (int));`

(8 bytes,

* This will allocate memory space 2 * size

* Also this function moves the contents of the old block to a new block and the data of the old block is not lost

* We may loose the data when the new size is smaller than the old size.

Free()

* Used to release the dynamically allocated memory.

void free(PTR)

The memory allocated to heap will not be released automatically after using memory. The space remains free and can't be used.

```
int *P = (int*) malloc(4 * sizeof(int));
```

Typecast

It is used to give a new name to a type.

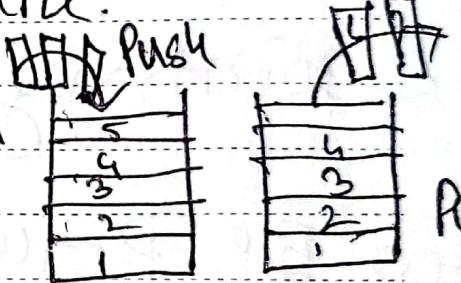
`typedef struct node * point;`

Stack

① Abstract data type, ② Linear data structure.

WORKS ON LIFO structure.

Insertion is called Push



Removal is called POP

Peek() - get the top data element of stack

isFull() → Check if the stack is full

isEmpty() → Checks if stack is empty

Push operation

Step 1: Check if the stack is full.

Step 2: If the stack is full, raise error.

Step 3: If the stack is not full,

increment top to point to
next empty space.

Step 4: Adds data element to
the stack location, where top
is pointing

Step 5: Return success.

POP operation

In an array the data element
is not actually removed instead
top is decremented to a lower
position in stack in pop()
operation. But in linked list

- POP() actually removes data element and deallocate memory space.
- Step1: Checks if the stack is empty().
- Step2: If the stack is empty, produce an error and exit.
- Step3: If the stack is not empty access the data element at which top is pointing
- Step4: Decrease the value of top by 1

Operations

(top A)

* , /

to +, -

Presidence

Highest (3)

Nex highest/Mid (2)

lowest (1)

Prefix to Infix

Postfix to infix

Or

- ① Read the openents push it to stack
- ② If it is operation pop two value from stack Add it between them and push it.

Evaluation ABC * DEF A / G(* H +

Reading of Postfix	Stack to
A	A
B	A B
C	A B C
*	A B * C
D	A B * C D
E	A B * C D E
F	A B * C D E F

Operator X

2nd

Date: _____ / _____ / _____

'SST + TOP'

\wedge

$$A \mid B \times C \mid D \mid E \wedge F$$

$$A \mid B \times C \mid (D \mid (E \wedge F))$$

G_2

$$A \mid B \times C \mid (D \mid (E \wedge F)) \mid G_2$$

*

$$A \mid B \times C \mid (D \mid (E \wedge F)) * G_2$$

-

$$A \mid ((B \times C) - ((D \mid (E \wedge F)) * G_2))$$

H

$$A \mid ((B \times C) - ((D \mid (E \wedge F)) * G_2)) \mid H$$

A

$$A \mid ((B \times C) - ((D \mid (E \wedge F)) * G_2)) \mid H$$

+

$$(A + ((B \times C) - ((D \mid (E \wedge F)) * G_2))) \mid H$$

$$\text{Ans: } (A + ((B \times C) - ((D \mid (E \wedge F)) * G_2))) \mid H$$

Infix to Postfix

① Print 1-9 | A = 2

② If '(' Push to stack

③ If ')' → Pop from u until ')' find, if

④ +,-,*,/, (,), ^, -

Given: $2 + 4 \cdot 15 + (5 - 3)^5 \cdot 4$

Symbol	Stack	Expression
2		2
+	+	2
4	+ 4	2 4
1	+ 1	2 4
5	+ 1 5	2 4 5
*	+ * 5	2 4 5 1
(+ * (2 4 5 1
5	+ * (5	2 4 5 / 5
-	+ * (-	2 4 5 / 5 -
3	+ * (- 3	2 4 5 / 5 3
)	+ *	2 4 5 / 5 3 -
^	+ * ^	2 4 5 / 5 3 -
5	+ * ^ 5	2 4 5 / 5 3 - 5

Symbol

Stack

n

4

Stack

+ * n

+ * n

+ *

+

Expression

2 4 5 1 5 3 - 5 ^

2 4 5 / 5 3 - 5 ^ 4

2 4 5 / 5 3 - 5 ^ 4 ^

2 4 5 / 5 3 - 5 ^ 4 ^ *

2 4 5 / 5 3 - 5 ^ 4 ^ *

Infix to prefix

- ① Highest priority operation will not stay in the stack when lowest operation will be inserted.
- ② Same level can stay together.

$$A * B \wedge C - D + E / F / (G + H)$$

$$(H + G) / F / E + D - C \wedge B * A$$

- ③ Reverse the evaluation

Do operation

Reverse it again

Symbol	Stack	Expression
((
H	(H	H
+	(+H	H
G	(+H G	H G
)		H G +
I	I	H G +
F	I F	H G + F
I	II	H G + F
E	II E	H G + F E
+	II +	H G + F E II
D	+ D	H G + F E II D
-	+ -	H G + F E II D
C	+ - C	H G + F E II D C
A	+ - A	H G + F E II D C A
B	+ - n	H G + F E II D C B

Date: / /

A	+ - *	Hr + FE // DCBA Hr + FE // DCBAA
	+ -	Hr + FE // DCBAA*

(+ - * A \ B C D // EF + GH)

Prefix to Infix

- ① Scan the prefix expression from high to left / reverse it.
- ② If the scanned symbol is an operand then push onto the stack
- ③ If the scanned symbol is an operation pop two operands from the stack

Create it as string by placing the operators in between two operators and push it to stack.

(iv) Repeat Step (3 & 2)

X → top value
 $x = E$

$y = F$ X operation

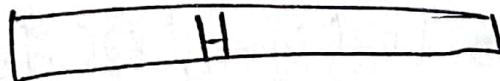
$\Rightarrow H G F E A D /$

$\Rightarrow + A * - * B L A / D \wedge E F G R H$

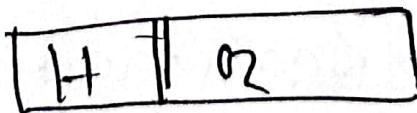
Symbol

Stack

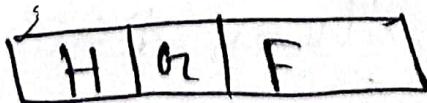
H



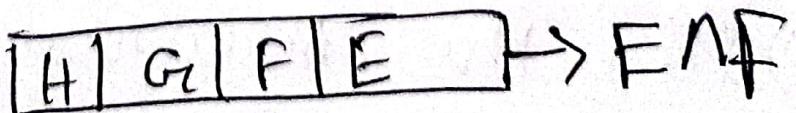
O₂



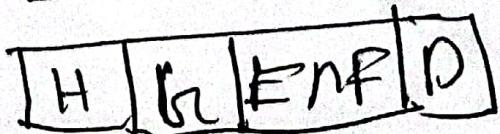
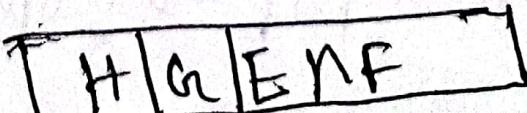
F



E



A
D



1 $H \mid G \mid (D \neq (E \wedge F))$

* $H \mid (D \mid (E \wedge F) \rightarrow G_2)$

C $H \mid (D \mid (E \wedge F) \rightarrow G_2) \mid C$

B $H \mid (D \mid (E \wedge F) \rightarrow G_2) \mid (C \mid B)$

* $\boxed{H \mid (D \mid (E \wedge F) \rightarrow G_2) \mid B \times C}$

~~A~~ $\boxed{H \mid (D \mid (E \wedge F) \rightarrow }$
~~B~~ $\boxed{H \mid ((B \times C) - (D \mid (E \wedge F) \rightarrow G_2))}$

* $\boxed{((B \times C) - (D \mid (E \wedge F) \rightarrow G_2)) \times H}$

A $\boxed{((B \times C) - (D \mid (E \wedge F) \rightarrow G_2)) \times H \mid A}$

+ $\boxed{(A + ((B \times C) - (D \mid (E \wedge F) \rightarrow G_2))) \times H}$

Postfix to Prefix

① Scan the postfix from left to right

② If the scan symbol is an operand

Push it onto the stack.

- ③ If the scanned symbol is an operator pop two operators from stack and create it as a string by placing the operands in front of the operators and push it onto the stack

Ex : $\boxed{A} \boxed{B} * \rightarrow \boxed{*AB}$

④ Repeat Step ② & ③

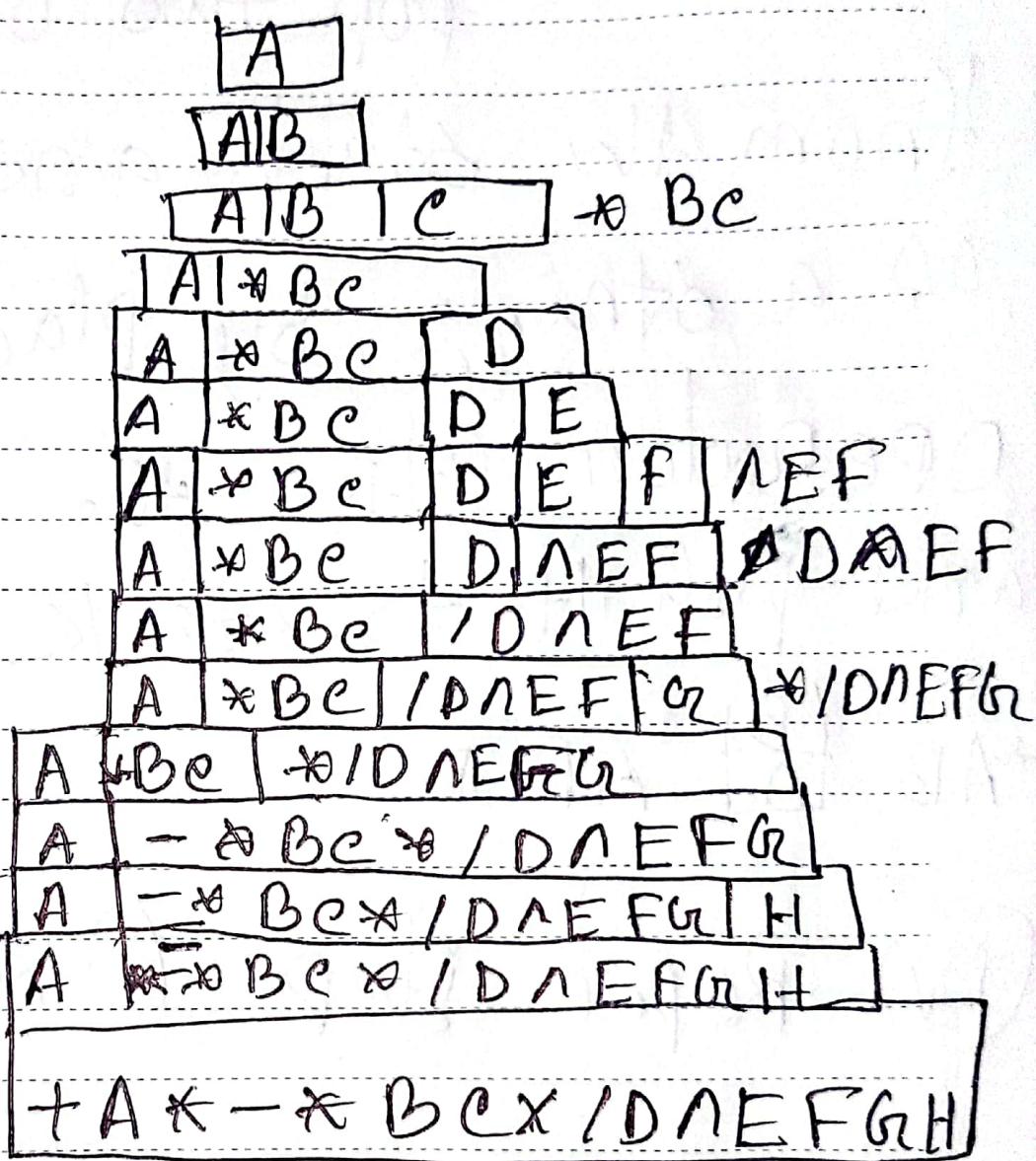
~~*X~~ Operator

Given Expression :

A B C * D E F ^ G H + - I * J

SymbolStack

A
B
C
*
D
E
F
/
G
*
-
H
**
+

Prefix to Postfix

- ① Scan from Right to left R → L
- ② If scanned symbol is operand push it to stack

③ If the scanned symbol is an operation pop two operation from the stack and create it as a string by placing the operation after the operands and push it to stack

* AB $\frac{B}{A}$ AB *

④ Repeat step ③ & ② -

Evalued : $+ A * \rightarrow B @ + / \ominus \wedge E F G H$

$x = E \quad y = F \quad x^y$ operation

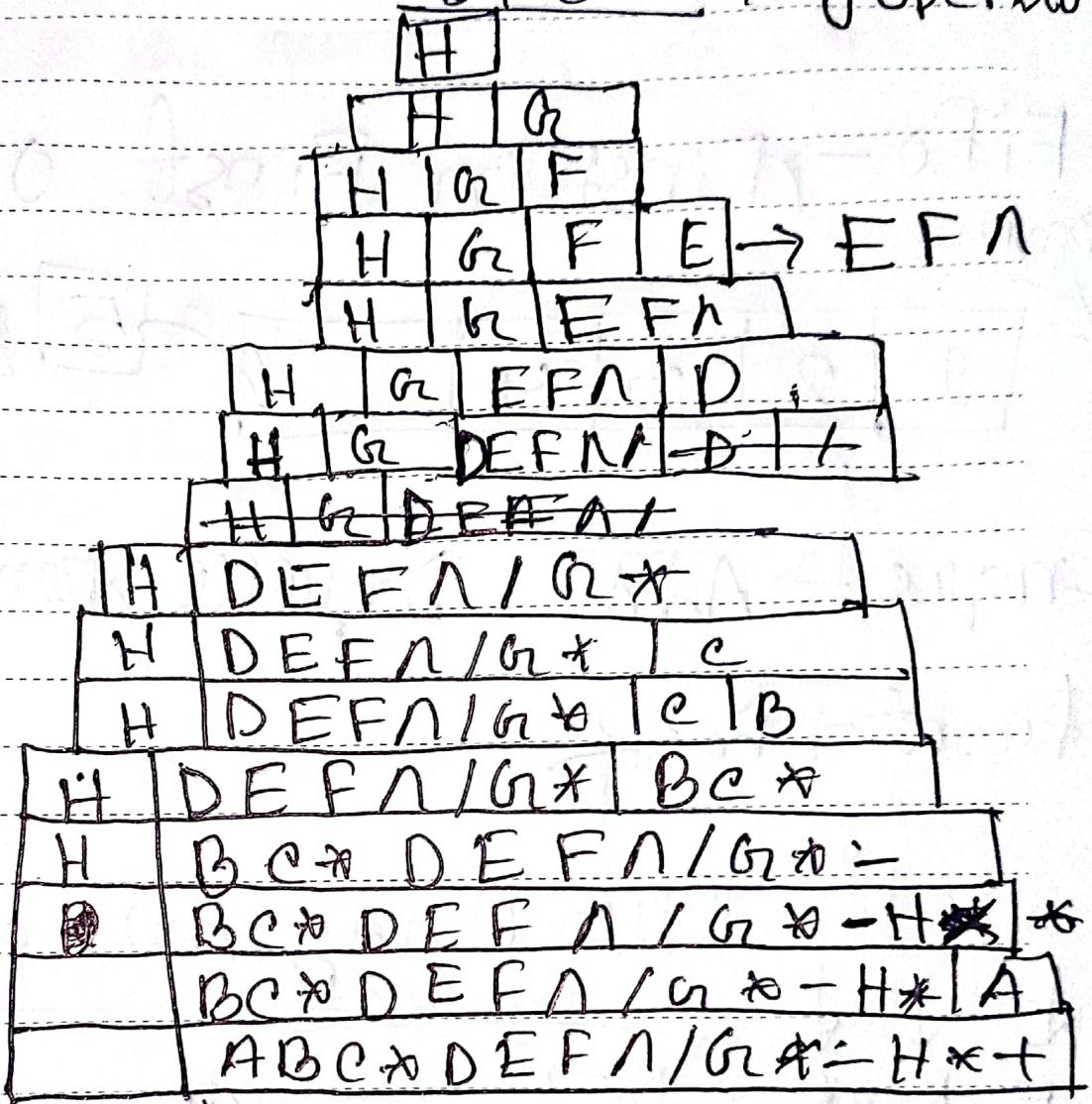
Date : 1. 1.

Symbol

H
Or
F
E
A
D
/
*
@
C
B
*
-
*
A
+

Stack

X Y Opendon

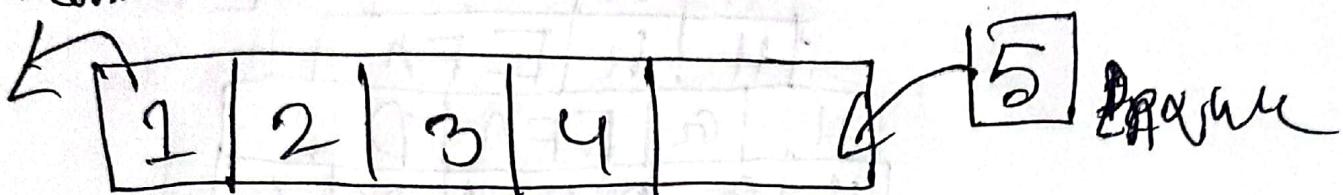


→ ABC X DEF / A / G X - H X + A

Queue

FIFO \rightarrow First in First out

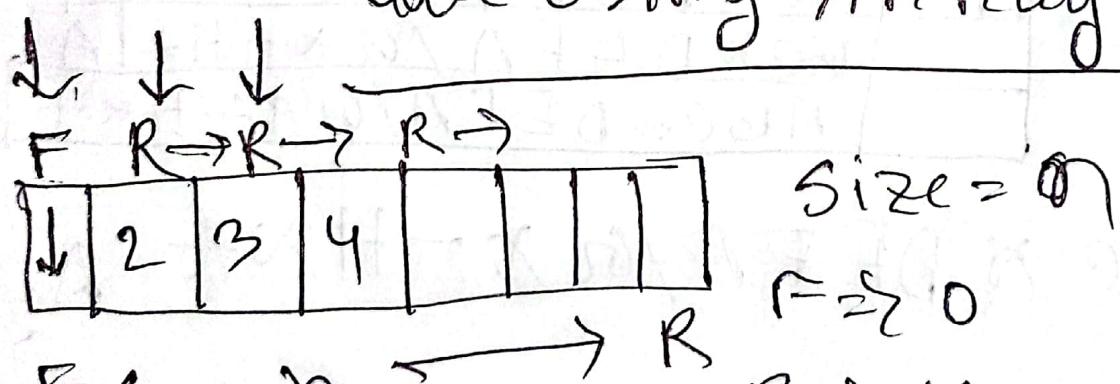
Dequeue



Enqueue \rightarrow Add | Dequeue \rightarrow Remove

front & Peek

Queue Using An Array (Fixed size)



R \Rightarrow idx of last

R = -1 if empty

ADD

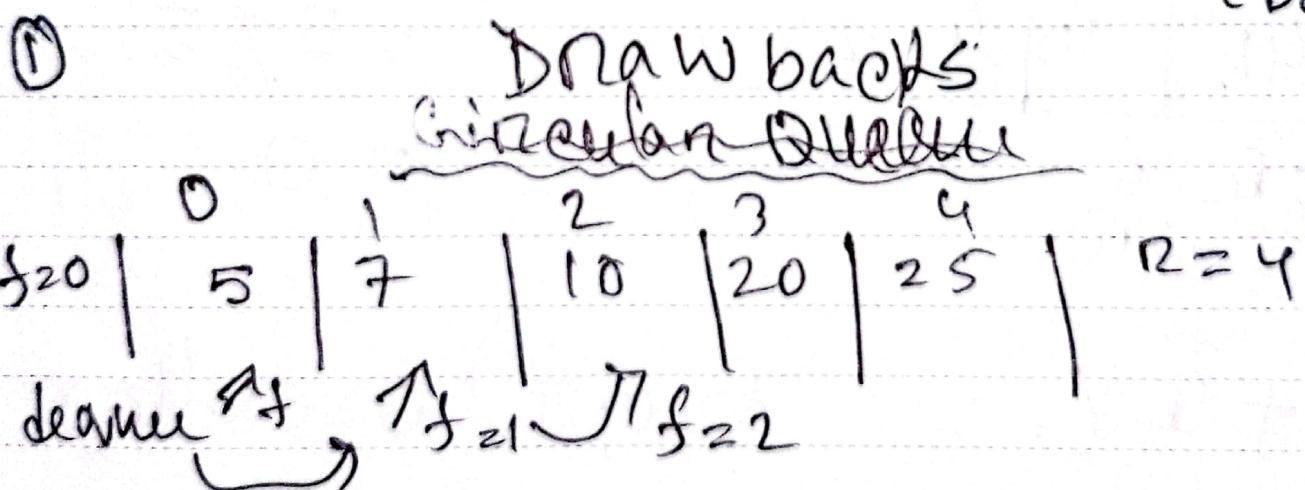
① Check is Full

② If queue is full produce overflow error

③ If not create a temp node and assign it

Dequeue:

- ① check if the queue is not empty
- ② If empty then produce overflow
- ③ Is not the access the data where front is pointing
- ④ Increment the front pointer to point to the next available data element.

Overflow: When the Queue is full (Enque)Underflow: When the Queue is empty (Dequeue)

- ① 0, 1 index are free but the front is moved to two so we are not using the empty 0 indexes.

Circular Queue

$$q = (q + 1) \% n$$

Initially $f = R = -1$

0	1	2	3	4
5	7	10	20	25

$f \rightarrow$ $R \leftarrow$

$$n = 5 \quad q = n - 1$$

$$4 = 4$$

0	1	2	3	4
35	45	10	20	25

$R \rightarrow$ $R +$ \rightarrow

$$q = (n + 1) \% n$$

$$= 5 \% 5$$

$$= 0$$

$((n + 1) \% n = \text{front})$ overflow

Pseudo Code

```
void enque(int x) {
    if ((rear + 1) \% N == front) {
        cout << "Overflow" <<
```

else if (front == -1 && rear == -1)

Date: _____

2 front = rear = 0;

arrange $[rear] = x; \{$

else

$\text{queue} = (\text{rear} + 1) \% N$

$\text{queue}[\text{rear}] = x; \{$

void delete()

if (front == -1 && rear == -1)

print ("Under flow"); $\{$

else if (front == rear)

2 print (arr[front]); $\{$

front = rear = -1

else { print (queue[front]); $\{$

front = (front + 1) % N; $\}$

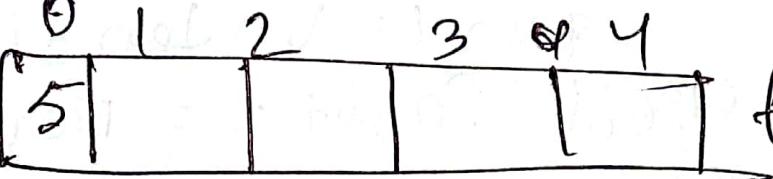
void display()

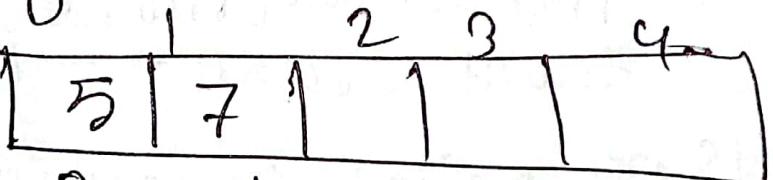
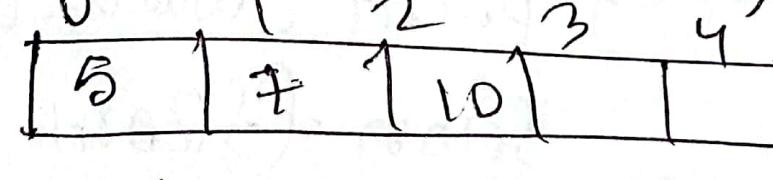
int i = front

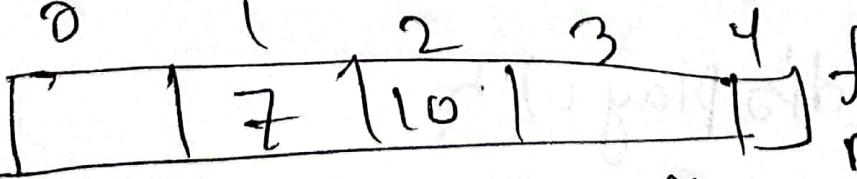
if (front == -1 && rear == -1)

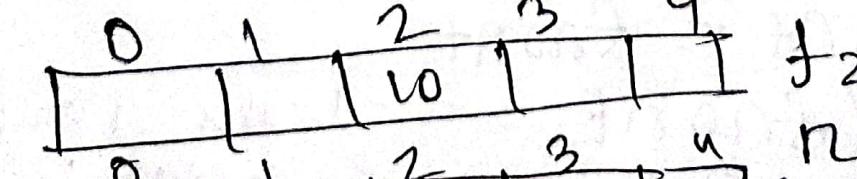
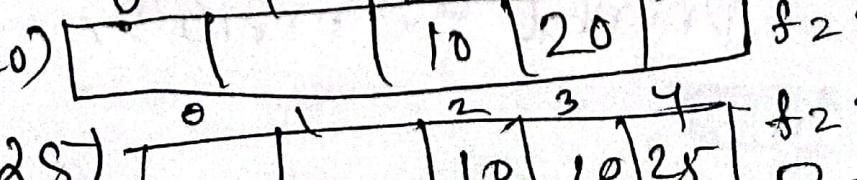
print ("empty"); $\{$

else
 {
 while (i <= Rear) {
 printf("%c", d[i], queen[Rear]);
 i = (i + 1) % N;
 }
 printf("\n", queen[Rear]);
}

$f = n_2 - 1$
 evaluate[5]  $f = n_2 - 0$

evaluate[7]  $f = 0$
 evaluate[10]  $f = 0$
 $n_2 = 1$
 $n_2 = 2$

devaluate()  $f_{2,1}$
 $n_2 = 2$

devaluate()  $f_{2,2}$
 evaluate(20)  $f_{2,2}$ $n_2 = 3$
 evaluate(28)  $f_{2,2}$
 $n_2 = 28$

f2 2 $n=3$
 $(4+1) \% 3 = 0$
 enode(30) | 50 | 1 | 10 | 20 | 25 |

enode(40) | 50 | 40 | 10 | 20 | 25 |

Linked List

with Array:

Struct Node {

int data;

Struct Node *next;

Struct Node *createList(int arr[], int size)

2

Struct Node *head = NULL; *temp = NULL, *curr = NULL;

for (i=0; i < size; i++) {

temp = (Struct Node*) malloc (sizeof (Struct Node))

temp->data = arr[i]

temp->next = NULL;

If (head == NULL) {

head = temp;

current = ~~temp~~ Caspa

else current->next = temp;

`curn = current → next q`

restern head; ?

First data : 10 `head = 10`

`curn = NULL`

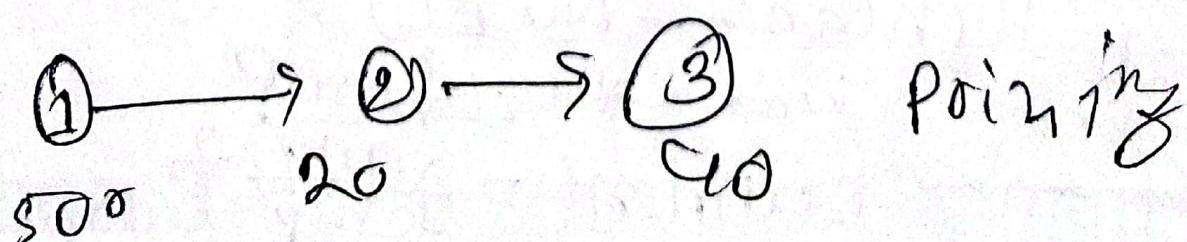
Second data : 20 `curn → next = temp(20)`

`curn = curn → next`

Use of linked list

- ① Stack & Queue ② Image gallery
- ③ Music player ④ Browser
- ⑤ Hash map & Hash set.

Representation of linked list



struct Node {

int val;

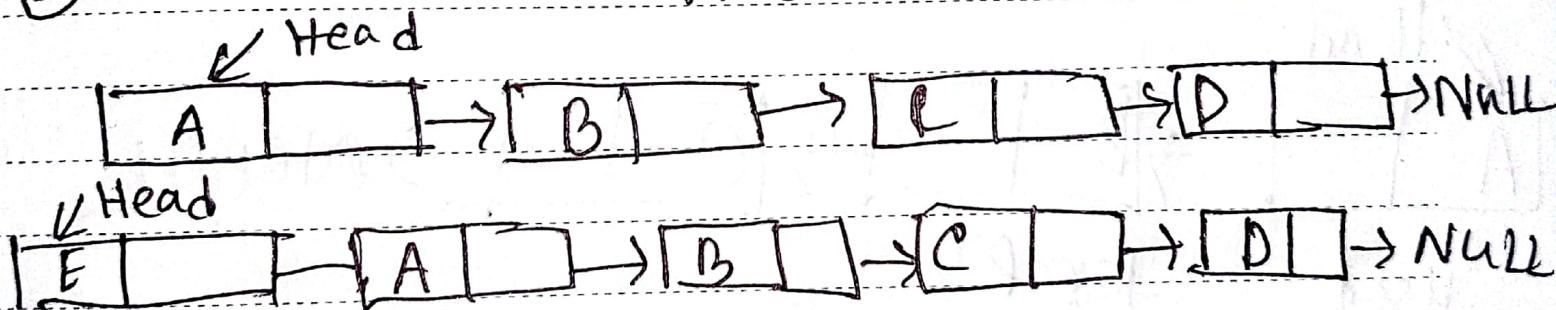
Node *next;

Node *next; }

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Insertion at head O(1)

- ① Make the first node of linked list to the new node.
- ② Remove head from first node.
- ③ Make the new node as the head of list.



Insert a Node after a given Node

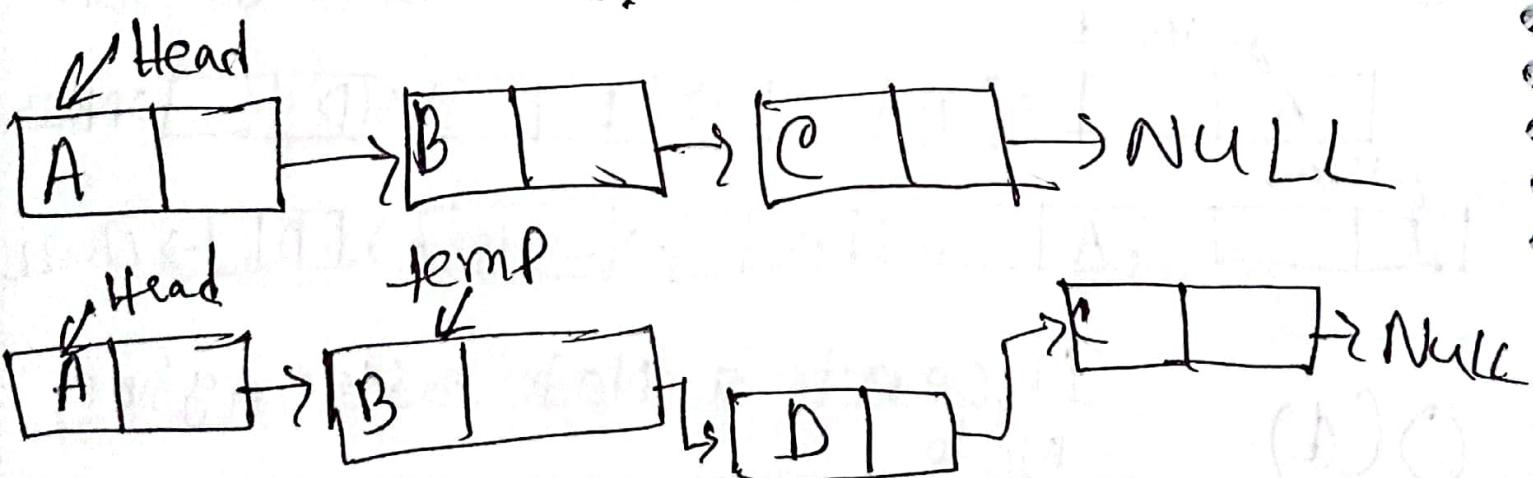
O(1)

- ① Check If the given node exists or not
- ② If it does not exist → terminate the program
- ③ If given node exists :

- Make the element to be inserted as a new node

- Change the next pointer of given node to the new node

- Now shift the original next pointer of given node to the next pointer of new node.



Insertion at Node at the END of Linked List

① Traverse to end of the linked list

② change the next pointer of last node to the new node

- ③ Make the next pointer node as NULL

Delete at Beginning

- ① Point head to the next node i.e 2nd node
 $\text{temp} = \text{head}$
 $\text{head} = \text{head} \rightarrow \text{next}$

- ② free the temp node

Delete at end

- ① Traverse to last element of Node
 ② change the prev node to NULL.

while ($\text{end} \rightarrow \text{next}$) {

$\text{prev} = \text{end};$

$\text{end} = \text{end} \rightarrow \text{next};$

} $\text{prev} \rightarrow \text{next} = \text{NULL};$

free (end); delete

Delete from Middle

Keeps the track of pointer before node to delete and pointer to node to delete.

temp = head;

pPrev = head;

for (i=0 ; i < position ; i++) {

 if (i == 0 && pos == 1)

 head = head -> next;

 free(temp);

 else if (i == pos - 1 && temp)

 pPrev -> next = temp -> next;

 free(temp);

 else pPrev = temp;

 if (pPrev == NULL)

(*) position was greater than number
of nodes in the list).

~~break;~~

temp = temp → next;

2 2 2

Searching

① Set Ptn = head
Set i = 0

② If PTR = NULL

then error "empty list";

Go to step 7

END OF IF

③ Repeat step 5 & 7 until PTR != NULL

④ If Ptn → data == item
write i + 1
end of if

⑤ i = i + 1.

⑥ Ptn = PTR → Next

⑦ EXIT