LO 1. Use the t-distribution for inference on a single mean, difference of paired (dependent) means, and difference of independent means.

LO 2. Explain why the t-distribution helps make up for the additional variability introduced by using s (sample standard deviation) in calculation of the standard error, in place of σ (population standard deviation).

LO 3. Describe how the t-distribution is different from the normal distribution, and what "heavy tail" means in this context.

LO 4. Note that the t-distribution has a single parameter, degrees of freedom, and as the degrees of freedom increases this distribution approaches the normal distribution.

LO 5. Use a t-statistic, with degrees of freedom df=n−1 for inference for a population mean:

$$\text{CI: } \bar{x} \pm t_{df}^{\star} SE \qquad\qquad \text{HT: } T_{df} = \frac{\bar{x} - \mu}{SE}$$

where $SE = \frac{s}{\sqrt{n}}$.

LO 6. Describe how to obtain a p-value for a t-test and a critical t-score (t·df) for a confidence interval.

LO 7. Define observations as paired if each observation in one dataset has a special correspondence or connection with exactly one observation in the other data set.

LO 8. Carry out inference for paired data by first subtracting the paired observations from each other, and then treating the set of differences as a new numerical variable on which to do inference (such as a confidence interval or hypothesis test for the average difference).

LO 9. Calculate the standard error of the difference between means of two paired

$$\cdots \qquad \frac{s_{diff}}{\cdots} \qquad \cdots$$