A PREFERRED-HABITAT MODEL OF TERM PREMIA, EXCHANGE RATES, AND MONETARY POLICY SPILLOVERS

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Motivation

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- Four broad empirical facts
 - 1. Strong patterns in currency returns: deviations from Uncovered Interest Parity (UIP) (Fama 1984...)
 - 2. Strong patterns in the term structure: deviations from the Expectation Hypothesis (EH) (Fama & Bliss 1987, Campbell & Shiller 1991...)
 - 3. The two risk premia are deeply connected (Lustig et al 2019, Lloyd & Marin 2019, Chernov & Creal 2020...)
 - 4. Quantitative easing (which affects term premia) seems to have strong effect on exchange rates even with policy rates unchanged at the ZLB...
- · Making sense of these facts is important
 - · To understand what determines exchange rates (volatility, disconnect...)
 - To understand how monetary policy transmits domestically (along the yield curve)...
 - ...but also internationally, via exchange rates and the foreign yield curve (spillovers)

Motivation

- On the theory side:
 - · Standard representative agent no-arbitrage models have a hard time
 - Recent literature emphasizes the optimization of financial intermediaries and the constraints they face (Gabaix & Maggiori 2015, Itskhoki & Mukhin 2019, Koijen & Yogo 2020)
 - · Revives an old literature on portfolio-balance (Kouri 1982, Jeanne & Rose 2002)
- This paper: introduce risk averse 'global rate arbitrageur' absorbing supply and demand shocks in bond and currency markets
 - FX and bond markets populated by different investor clienteles (pension funds, importers/exporters)
 - Arbitrageurs (hedge funds, fixed income desk of broker-dealer) partly overcome segmentation
- Formally: Two-country version of Vayanos & Vila's (2021) preferred-habitat model
 - · Contemporaneous paper by Greenwood et al (2020) in discrete time with two bonds

Findings

- 1. Can reproduce qualitative and quantitative facts about the joint behavior of bond and currency risk premia
- 2. Rich transmission of monetary policy shocks (particularly unconventional) via exchange rate and term premia, contrasting with standard models
- 3. General message: floating exchange rates provide limited insulation. Failure of Friedman-Obtsfeld-Taylor's Trilemma

Framework is very rich. Can use it to answer more ambitious questions (not there yet):

- (a) plunge into standard open economy macro model (general equilibrium; Ray 2019)
- (b) think about deviations from LOP (from UIP to CIP; Hebert, Du & Wang 2019)

Set-Up

Set-Up: Two-Country Vayanos & Vila (2021)

- Continuous time $t \in (0, \infty)$, 2 countries j = H, F
- Nominal exchange rate e_t : H price of F (increase \equiv depreciation of H's currency)
- In each country j, continuum of zero coupon bonds in zero net supply with maturity $0 \le \tau \le T$, and $T \le \infty$
- · Bond price (in local currency) $P_{jt}^{(au)}$, with yield to maturity $y_{jt}^{(au)} = -\log P_{jt}^{(au)}/ au$
- Exogenous nominal short rate ("monetary policy") $i_{jt} = \lim_{\tau \to 0} y_{jt}^{(\tau)}$:

$$\mathrm{d}i_{jt} = \kappa_{ij}(\bar{i}_j - i_{jt})\,\mathrm{d}t + \sigma_{ij}\mathrm{d}B_{ijt}$$

Arbitrageurs and Preferred-Habitat Investors

Three types of investors:

- Home and Foreign preferred-habitat bond investors (hold bonds in a specific currency and maturity)
 - \cdot Eg, pension funds, money market mutual funds
- Preferred-habitat currency traders (hold foreign currency)
 - Eg, importers/exporters
- Global Rate Arbitrageurs (can trade in both currencies, in domestic and foreign bonds)
 - · Eg, global hedge funds

Global Rate Arbitrageur

- Wealth W_t :
 - W_{Ft} invested in country F short rate (denominated in Home currency)
 - $\cdot X_{it}^{(\tau)}$ invested in bond of country j and maturity τ (denominated in Home currency)
 - · Remainder in country H short rate
- · Instantaneous mean-variance optimization (limit of OLG model)

$$\begin{aligned} \max \mathbb{E}_t (\mathrm{d}W_t) &- \frac{a}{2} \mathbb{V} \mathrm{ar}_t (\mathrm{d}W_t) \\ \text{s.t. } \mathrm{d}W_t &= & W_t i_{Ht} \, \mathrm{d}t + W_{Ft} \left(\frac{\mathrm{d}e_t}{e_t} + (i_{Ft} - i_{Ht}) \, \mathrm{d}t \right) \\ &+ \int_0^T X_{Ht}^{(\tau)} \left(\frac{\mathrm{d}P_{Ht}^{(\tau)}}{P_{Ht}^{(\tau)}} - i_{Ht} \, \mathrm{d}t \right) \mathrm{d}\tau + \int_0^T X_{Ft}^{(\tau)} \left(\frac{\mathrm{d}(P_{Ft}^{(\tau)}e_t)}{P_{Ft}^{(\tau)}e_t} - \frac{\mathrm{d}e_t}{e_t} - i_{Ft} \, \mathrm{d}t \right) \mathrm{d}\tau \end{aligned}$$

Key insight: Risk averse arbitrageurs' holdings increase with expected return

Preferred-Habitat Bond and FX Investors

• Demand for bonds in currency j, of maturity τ (denominated in Home currency):

$$Z_{jt}^{(\tau)} = -\alpha_j(\tau) \log P_{jt}^{(\tau)} - \theta_j(\tau) \beta_{jt}$$

- $\theta_i(\tau) \geq 0, \beta_{it} > 0 \iff$ decrease in net demand for bonds of maturity τ
- Demand for foreign currency (spot) (denominated in Home currency):

$$Z_{et} = -\alpha_e \log e_t - \theta_e \gamma_t$$

- · Can accommodate forward demand. Under CIP, equivalent to spot + H and F bond trades
- Exogenous bond and FX demand risk factors:

$$\mathrm{d}\beta_{jt} = -\kappa_{\beta j}\beta_{jt}\,\mathrm{d}t + \sigma_{\beta j}\mathrm{d}B_{\beta jt}, \ \mathrm{d}\gamma_t = -\kappa_{\gamma}\gamma_t\,\mathrm{d}t + \sigma_{\gamma}\mathrm{d}B_{\gamma t}$$

Key Insight: Price elastic habitat traders. Price movements require portfolio rebalancing

Equilibrium

• Risk factors \mathbf{q}_t : short rates $(\mathrm{d}B_{ijt})$, bond demands $(\mathrm{d}B_{\beta jt})$ and currency demand $(\mathrm{d}B_{\gamma t})$. Affine solution:

$$-\log P_{jt}^{(\tau)} = \mathbf{A}_j(\tau)^{\top} \mathbf{q}_t + C_j(\tau), \quad -\log e_t = \mathbf{A}_e^{\top} \mathbf{q}_t + C_e$$

Optimality conditions imply expected excess returns are given by:

$$\mathbb{E}_{t} dP_{Ht}^{(\tau)} / P_{Ht}^{(\tau)} - i_{jt} = \mathbf{A}_{j}(\tau)^{\top} \mathbf{\Lambda}_{t}, \quad \mathbb{E}_{t} de_{t} / e_{t} + i_{Ft} - i_{Ht} = \mathbf{A}_{e}^{\top} \mathbf{\Lambda}_{t}$$
$$\mathbf{\Lambda}_{t} = a \mathbf{\Sigma} \left(W_{Ft} \mathbf{A}_{e} + \sum_{j=H,F} \int_{0}^{T} X_{jt} \mathbf{A}_{j}(\tau) d\tau \right)$$

• Market clearing: $X_{it}^{(\tau)} + Z_{it}^{(\tau)} = 0$, $W_{Ft} + Z_{et} = 0$ where

$$Z_{jt}^{(\tau)} = -\alpha_j(\tau) \log P_{jt}^{(\tau)} - \theta_j(\tau) \beta_{jt}, \ \ Z_{et} = -\alpha_e \log e_t - \theta_e \gamma_t$$

Key Insight: market price of risk $\mathbf{\Lambda}_t$ depends on equilibrium holdings. Bond and currency premia jointly determined

Risk Neutral Global Arbitrageur

(aka Standard Model)

1. Benchmark: Risk Neutral Global Rate Arbitrageur (aka Standard Model)

Consider the benchmark case of a risk neutral global rate arbitrageur: a = 0

• Expectation Hypothesis holds:

$$\mathbb{E}_{t} dP_{Ht}^{(\tau)} / P_{Ht}^{(\tau)} = i_{Ht}, \ \mathbb{E}_{t} dP_{Ft}^{(\tau)} / P_{Ft}^{(\tau)} = i_{Ft}$$

- · No effect of QE on yield curve, at Home or Foreign
- · Yield curve independent from foreign short rate shocks
- Uncovered Interest Parity holds:

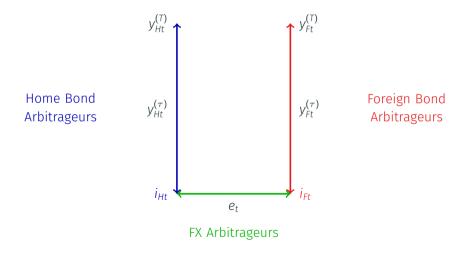
$$\mathbb{E}_t \, \mathrm{d} e_t / e_t = i_{Ht} - i_{Ft}$$

- · 'Mundellian' insulation: shock to short rates 'absorbed' into the exchange rate
- · Classical Trilemma: capital flows and floating exchange rates deliver monetary autonomy

Segmented Arbitrage

2. Segmented Arbitrage and No Demand Shocks ($\beta_{jt}=\gamma_t=0$)

Assume foreign currency and bonds traded by three disjoint sets of arbitrageurs



2. Segmented Arbitrage and No Demand Shocks ($\beta_{it}=\gamma_t=0$)

Postulate:
$$\log P_{jt}^{(\tau)} = -A_{ij}(\tau)i_{jt} - C_j(\tau)$$
; $\log e_t = A_{iFe}i_{Ft} - A_{iHe}i_{Ht} - C_e$

Proposition (Segmented Arbitrage, Currency Carry Trade CCT and UIP Deviations)

When arbitrage is segmented, risk aversion a>0 and FX price elasticity $\alpha_e>0$

- Attenuation: $0 < A_{ije} < 1/\kappa_{ije}$
- CCT expected return $\mathbb{E}_t de_t / e_t + i_{Ft} i_{Ht}$ decreases in i_{Ht} and increases in i_{Ft} (UIP deviation)

Intuition: Similar to Kouri (1982), Gabaix and Maggiori (2015)

- When $i_{Ft}\uparrow$, FX arbitrageurs want to invest more in the CCT
- · Foreign currency appreciates $(e_t \uparrow)$
- · As $e_{\rm t}\uparrow$, price elastic FX traders reduce holdings ($\alpha_e>0$): $Z_{\rm et}\downarrow$
- FX arbitrageurs increase their holdings $W_{Ft} \uparrow$, which requires a higher CCT return

2. Segmented Arbitrage and No Demand Shocks ($eta_{jt}=\gamma_t=0$)

Proposition (Segmented Arbitrage and Bond Carry Trade BCT)

When arbitrage is segmented, a > 0 and $\alpha(\tau) > 0$ in a positive-measure subset of (0, T):

- · Attenuation: $A_{ij}(au) < (1-e^{-\kappa_{ij} au})/\kappa_{ij}$
- Bond prices in country *j* only respond to country *j* short rates (no spillover)
- · BCT_j expected return $\mathbb{E}_t \, \mathrm{d} P_{jt}^{(\tau)} / P_{jt}^{(\tau)} i_{jt}$ decreases in i_{jt}

Intuition: Similar to Vayanos & Vila (2021)

- When $i_{it} \downarrow$, bond arbitrageurs want to invest more in the BCT
- Bond prices: $P_{jt}^{(\tau)} \uparrow$
- · As $P_{jt}^{(\tau)}\uparrow$, price-elastic habitat bond investors $(\alpha_j(\tau)>0)$ reduce their holdings: $Z_{jt}^{(\tau)}\downarrow$
- Bond arbitrageurs increase their holdings $X_{it}^{(\tau)} \uparrow$, which requires a larger BCT return

Macro Implications of the Segmented Model

Assume a > 0, $\theta_i(\tau) > 0$ and $\theta_e > 0$:

- Unexpected increase in bond demand in country j (QE_i) reduces yields in country j
- · No effect on bond yields in the other country or on the exchange rate
 - QE purchases: $Z_{jt}^{(\tau)} \uparrow$
 - · Bond arbitrageurs reduce holdings $X_{ir}^{(\tau)} \downarrow$, reducing risk exposure and pushing down yields
 - · Arbitrageurs in other markets are unaffected

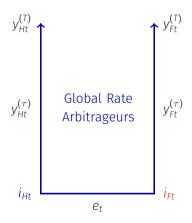
Open Economy Macro Implications:

- Changes in Home monetary conditions (conventional or QE) have no effect on the Foreign yield curve. Full insulation
- Insulation is even stronger in the case of QE: exchange rate is unchanged
- Trilemma? As we will see, this result arises because of markets segmentation (limited capital flows), not because of floating exchange rates

Global Arbitrage

3. Global Rate Arbitrageur and No Demand Shocks ($eta_{it}=\gamma_t=0$)

Assume now global rate arbitrageur can invest in bonds (H and F) and FX



3. Global Rate Arbitrageur and No Demand Shocks ($eta_{it}=\gamma_t=0$)

Postulate
$$\log P_{it}^{(\tau)} = -A_{ijj}(\tau)i_{jt} - A_{ijj'}(\tau)i_{j't} - C_H(\tau)$$
; $\log e_t = A_{iFe}i_{Ft} - A_{iHe}i_{Ht} - C_e$

Proposition (Global Arbitrage and Carry Trades CCT, BCT)

When arbitrage is global, risk aversion a > 0 and price elasticities $\alpha_e, \alpha_i(\tau) > 0$:

- The results of the previous propositions obtain: both *CCT* and BCT_H return decrease with i_{Ht} , and attenuation is stronger than with segmented markets
- \bigwedge In addition, BCT_F increases with i_{Ht}
- The effect of i_{jt} on bond yields is smaller in the other country: $A_{jj'}(\tau) < A_{jj}(\tau)$

Intuition: Bond and FX Premia Cross-Linkages

- When $i_{Ht} \downarrow$ global arbitrageurs want to invest more in CCT and BCT_H
- e_t and W_{Ft} \uparrow : increased FX exposure (risk of $i_{Ft} \downarrow$)
- Hedge by investing more in BCT_F since price of foreign bonds increases when i_{Ft} drops: foreign yields decline and BCT_F decreases

Macro Implications of Global Rate Arbitrageur Model

Assume a > 0 and $\alpha_e, \alpha_i(\tau) > 0$:

- Unexpected QE_H reduces yields in country H
- Also reduces yields in country F, and depreciates the Home currency
 - Arbitrageurs decrease H bond exposure (less exposed to risk of $i_{Ht} \uparrow$)
 - More willing to hold assets exposed to this risk: increase holdings of F bonds and currency, pushing down F yields and depreciating the H currency

Open Economy Macro Implications:

- Changes in Home monetary conditions (conventional or QE) affect both yield curves and the exchange rate: potential spillovers from monetary policy. Imperfect insulation even with floating rates
- QE or FX interventions in one country affect monetary conditions in both countries and depreciate the currency
- Failure of the Classical Trilemma

The Full Model

The Full Model: Adding Demand Shocks $\beta_{jt} \neq 0 \; , \gamma_t \neq 0$

• Can allow for rich demand structure embodied in VCV of risk factors. DGP:

$$\mathbf{q}_{t} = \begin{bmatrix} i_{Ht} & i_{Ft} & \beta_{Ht} & \beta_{Ft} & \gamma_{t} \end{bmatrix}^{\top}$$
$$d\mathbf{q}_{t} = -\mathbf{\Gamma} (\mathbf{q}_{t} - \overline{\mathbf{q}}) dt + \boldsymbol{\sigma} d\mathbf{B}_{t}$$

- · In general: dynamics matrix Γ and correlation matrix σ completely unrestricted
 - · Retains equilibrium affine structure:

$$-\log P_{jt}^{(\tau)} = \mathbf{q}_t^{\top} \mathbf{A}_j(\tau) + C_j(\tau), \quad -\log e_t = \mathbf{q}_t^{\top} \mathbf{A}_e + C_e$$

- Complicates hedging behavior of arbitrageurs
- Today: we assume independent processes for all factors, except shocks to short rates may be correlated, and currency demand γ_t may respond to short rates
 - $\cdot \implies$ block-lower-triangular $oldsymbol{\Gamma}$, block diagonal $oldsymbol{\sigma}$

Numerical Calibration

- Data: Zero coupon data: US Treasuries (*H*) and German Bunds (*F*); exchange rate data: German mark/euro
- Targets: second moments of short/long term rates, exchange rates, and volumes

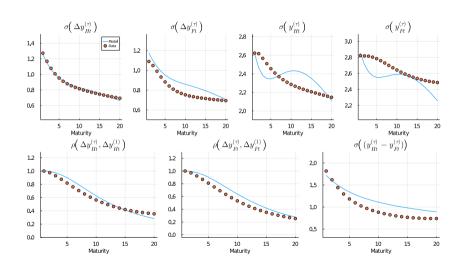
Parameter	Value	Parameter	Value	Parameter	Value
κ_{iH}	0.126	κ_{γ}	0.134	$a\sigma_{eta} heta_0$	90.6
$\kappa_{i\scriptscriptstyle F}$	0.0896	$\kappa_{\gamma,iH}$	-0.267	$a\alpha_e$	73.4
σ_{iH}	1.43	κ_{γ,i_F}	0.252	$a\alpha_0$	4.74
$\sigma_{i extit{F}}$	0.751	$a\sigma_{\gamma}\theta_{e}$	763.0	α_1	0.144
$\sigma_{iH,iF}$	1.05	κ_{eta}	0.0501	θ_1	0.374

 \cdot For policy experiments: CRRA $\gamma=2$ and arbitrageur wealth $\frac{W}{GDP_H} \approx 5\% \implies a=40$

Model Fit: Short Rates and Exchange Rates

Moment	Data	Model	Moment	Data	Model
$\sigma\left(y_{Ht}^{(1)}\right)$	2.622	2.614	$\rho\left(\Delta\log e_t, (y_{Ht}^{(1)} - y_{Ft}^{(1)})\right)$	-0.105	-0.096
$\sigma \left(\Delta y_{Ht}^{(1)} \right)$	1.273	1.254	$\rho\left(\Delta\log e_t, \Delta y_{Ht}^{(1)}\right)$	-0.095	-0.214
$\sigma\left(y_{Ft}^{(1)}\right)$	2.822	2.853	$\rho\left(\Delta\log e_t, \Delta y_{Ft}^{(1)}\right)$	0.048	0.071
$\sigma\left(\Delta y_{Ft}^{(1)}\right)$	1.09	1.174	$\rho\left(\Delta^{(5)}\log e_t, (y_{Ht}^{(5)} - y_{Ft}^{(5)})\right)$	0.12	0.06
$\sigma\left((y_{Ht}^{(1)}-y_{Ft}^{(1)})\right)$	1.816	1.717	$\tilde{V}_H(0 \le \tau \le 3)$	0.361	0.378
$\sigma(\Delta \log e_t)$	10.186	10.183	\tilde{V}_H (11 $\leq \tau \leq$ 30)	0.08	0.116

Model Fit: Long Rates



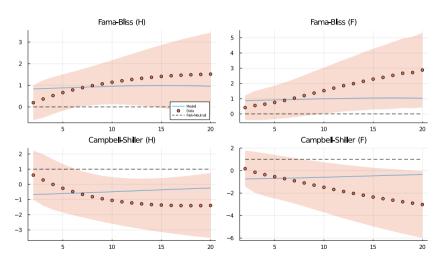
Return Predictability

- Bond returns and slope of the term structure
 - · Fama & Bliss (1987), Campbell & Shiller (1991)

- · Currency returns and UIP
 - Fama (1984), Chinn & Meredith (2004)

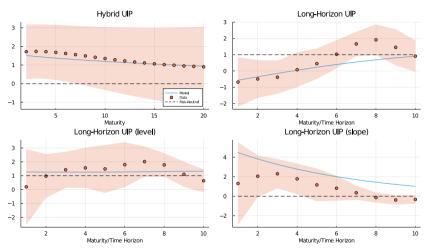
- · Cross-country bond and currency returns
 - Lustig, Stathopoulos & Verdelhan (2019)
 - · Chernov & Creal (2020), Lloyd & Marin (2019)

Regression Coefficients: Term Structure



Implications: Positive slope-premia relationship

Regression Coefficients: UIP



Implications: CCT is profitable, but profitability goes to zero if CCT is done with long-term bonds or over long horizon. Slope differential predicts CCT return

Policy Spillovers

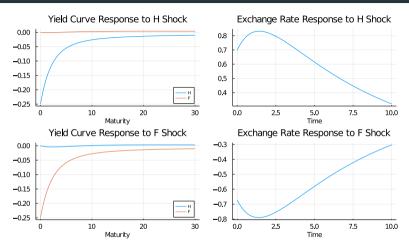
Conduct policy experiments:

- · Monetary policy shock: unanticipated and idiosyncratic 25bp decrease in policy rate
- \cdot QE shock: unanticipated and idiosyncratic positive demand shock = 10% of GDP

Examine spillovers:

- Across the yield curves (short and long rates; and across countries)
- To the exchange rate

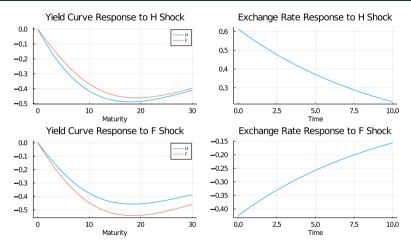
Monetary Shock Spillovers



Implications: small cross-country yield response; exchange rate "delayed overshooting"

• Intuition: correlated short rates, currency demand response

QE Shock Spillovers



Implications: large spillovers of QE, both to foreign yields and exchange rate

• Intuition: correlated short rates, elastic currency traders

Concluding Remarks

- · Present an integrated framework to understand term premia and currency risk
- · Resulting model ties together
 - Deviations from Uncovered Interest Parity
 - Deviations from Expectation Hypothesis
- Allows rich demand specification with complex potential interactions between hedging demands
- Break the 'Friedman-Obstfeld-Taylor' Trilemma: monetary policy transmits to other countries via FX and term premia
- · Extensions:
 - (a) Endogenize policy rates as in Ray (2019)
 - (b) Consider deviations from LOP as in Hebert, Du & Wang (2019)
 - (c) Consider additional unconventional monetary policy and official interventions

Thank You!