

GloBox Hypothesis Test for the Difference in Conversion Rates

Two-sample z-test with pooled proportion

Measures for Data Set

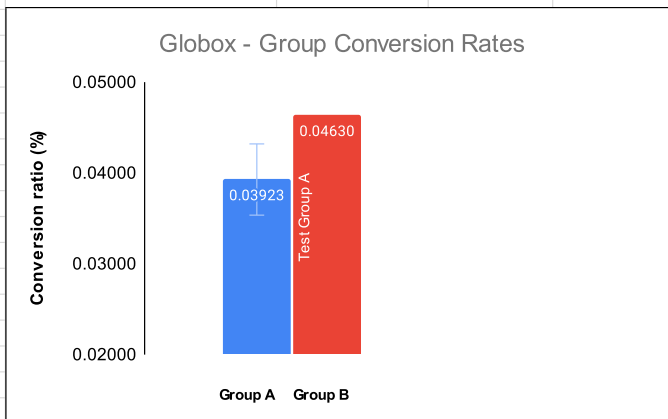
| | Full Population | Test Group A | Test Group B |
|--------------------|-----------------|--------------|--------------|
| Sample Size | 48943 | 24343 | 24600 |
| Mean Sales | 3.3827 | 3.3745 | 3.3910 |
| Conversions | 2095 | 955 | 1139 |
| Conversion ratio | 0.04280 | 0.03923 | 0.04630 |
| Standard Deviation | 25.6749 | 25.9364 | 25.4146 |

Hypothesis

| | |
|--------------|--|
| Null: | There is no difference in the conversion rate between the control group and the treatment group H0: Conversion rate of control group = Conversion rate of treatment group |
| Alternative: | The treatment group has a higher sales conversion rate than the control group. H1: Conversion rate of control group < Conversion of treatment group |
| Conclusion: | With the p-value < 0.05, we reject the null hypothesis that stated H0 = H1 in favor of the alternate hypothesis which stated H0 < H1. |

Calculations

| | Notations | Value | Equation |
|-------------------------------|-----------|----------|---|
| Sample Size (control) | n1 | 24343 | |
| Sample Size (Treatment) | n2 | 24600 | |
| Sample Proportion (Control) | p1_hat | 0.03923 | p1_hat = Conversions / Sample Size |
| Sample proportion (treatment) | p2_hat | 0.04630 | |
| Pooled Proportions | p_hat | 0.04280 | |
| Standard Error | SE | 0.00124 | SE = $\sqrt{p_{\text{hat}}(1-p_{\text{hat}})(\frac{1}{n1} + \frac{1}{n2})}$ |
| Test Statistic | T | -3.86351 | T = $\frac{p1_hat - p2_hat}{SE}$ |
| p-value | p_val | 0.00011 | p_val = T.DIST.2T(3.86351, 24342) |



GloBox Confidence Interval for the Difference in Conversion Rates

Two-sample z-interval with unpooled proportions

Measures for Data Set

| | Full Population | Test Group A | Test Group B |
|--------------------|-----------------|--------------|--------------|
| Sample Size | 48943 | 24343 | 24600 |
| Mean Sales | 3.3827 | 3.3745 | 3.3910 |
| Conversions | 2095 | 955 | 1139 |
| Conversion ratio | 0.04280 | 0.03923 | 0.04630 |
| Standard Deviation | 25.6749 | 25.9364 | 25.4146 |

| Calculation | Notation | Value | Equation |
|------------------------------|----------|----------|--|
| Sample size (control) | n1 | 24343 | |
| Sample size (treatment) | n2 | 24600 | |
| Sample proportion(control) | p1_hat | 0.03923 | .=conversion/sample |
| Sample proportion treatment) | p2_hat | 0.04630 | |
| Sample statistic | stat | 0.00707 | .=p1_hat-p2_hat |
| Standard error | SE | 0.00183 | $\text{SQRT}(((p1_hat*(1-p1_hat))/N1)+(p2_hat*(((1-p2_hat))/N2)))$ |
| Z-score | z | -3.86652 | $z=(p_hatA-p_hatB)/SE$ |
| Critical value | cv | -1.9816 | .=Z(1-(a/2) |
| Margin of error | ME | -0.0036 | ME=SE*Z |
| Lower bound | | 0.00345 | .=stat=ME |
| Upper bound | | 0.01069 | .=stat+ME |

Conclusion

In our two-sample z-interval proportion test, we aimed to determine if there is a significant difference in proportions between two independent groups. Analysis of the 95% confidence interval revealed a range from 0.00345 to 0.01069, which did not encompass zero, indicating a statistically significant distinction in proportions between the groups.

GloBox Hypothesis Test for the Difference in average amount spent

Two-sample T-interval with unpooled proportions

Hypothesis

NULL H0: $\mu_1_bar = \mu_2_bar$

Alternate H1: $\mu_1_bar < \mu_2_bar$

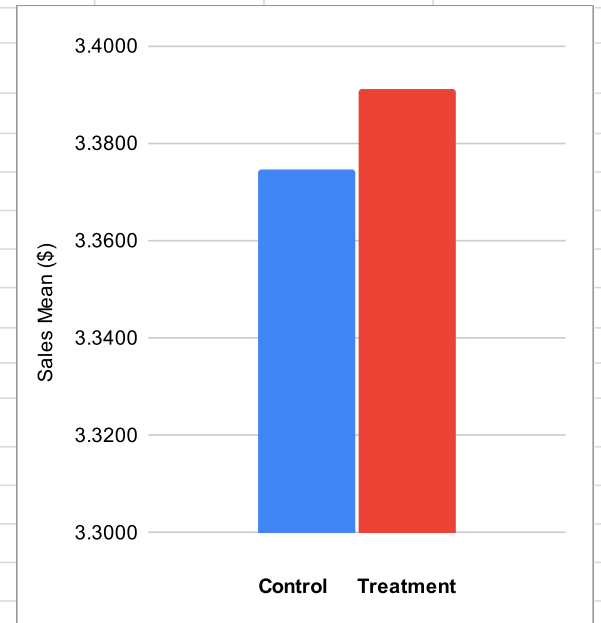
With an alpha threshold of 0,05 we are testing the null hypothesis where sample mean1 is equal to sample mean2 to decide to reject or fail to reject H0. If we reject the null hypothesis we will adopt the alternative hypothesis where the sample mean2 is greater than sample mean 1.

Measures for Data Set

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| Conversions | 2095 | 955 | 1139 |
| Conversion ratio | 0.04280 | 0.03923 | 0.04630 |
| Standard Deviation | 25.6749 | 25.9364 | 25.4146 |

Calculation

| | Notation | Value | Equation |
|-------------------------|----------|---------|---------------------------------|
| Sample size (control) | n1 | 24343 | |
| Sample size (treatment) | n2 | 24600 | |
| Sample mean (control) | x1_bar | 3.3745 | |
| Sample mean (treatment) | x2_bar | 3.3910 | |
| Sample STD (control) | s1 | 25.9364 | |
| Sample STD (treatment) | s2 | 25.4146 | |
| Standard error | SE | 0.2321 | $.= \sqrt{(s1^2/n1 + s2^2/n2)}$ |
| Test statistic | T | 0.0711 | $.= (x1_bar - x2_bar) / SE$ |
| Degrees of freedom | df | 24342 | $.= n1 - 1$ |
| p-value | pval | 0.9433 | $.= T.TEST.2T(T, df)$ |



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|---|--|--|--|--|--|--|--|--|--|
| | | | | | | | | | |
| Conclusion | | | | | | | | | |
| <p>In our two-sample t-test with unpooled means, we investigated whether there is a statistically significant difference between the two groups. The test yielded a p-value of 0.9439, which is significantly higher than the alpha level of 0.05. As a result, we fail to reject the null hypothesis, suggesting that there is insufficient evidence to conclude that the means of the two groups are different. Therefore, we can reasonably assume that the two samples are not significantly distinct in their means.</p> | | | | | | | | | |

| GloBox Confidence Interval for the Difference in Avg. Amount Spent | | | |
|--|-----------------|--------------|-------------------------------|
| Two-sample T-interval with unpooled proportions | | | |
| Measures for Data Set | | | |
| | Full Population | Test Group A | Test Group B |
| Sample Size | 48943 | 24343 | 24600 |
| Mean Sales | 3.3827 | 3.3745 | 3.3910 |
| Conversions | 2095 | 955 | 1139 |
| Conversion ratio | 0.04280 | 0.03923 | 0.04630 |
| Standard Deviation | 25.6749 | 25.9364 | 25.4146 |
| Calculation | | | |
| | Notation | Value | Equation |
| Sample size (control) | n1 | 24343 | |
| Sample Size (treatment) | n2 | 24600 | |
| Sample Mean(control) | x1_bar | 3.3745 | |
| Sample Mean (treatment) | x2_bar | 3.3910 | |
| Sample std dev (control) | s1 | 25.9364 | |
| Sample std dev (treatment) | s2 | 25.4146 | |
| Sample statistic | stat | 0.0165 | .=x1_bar-x2_bar |
| Standard Error | SE | 0.2321 | .= $\sqrt{s1^2/n1 + s2^2/n2}$ |
| Degrees of Freedom | df | 24342 | n1-1 |
| Critical Value | T | 1.9601 | .=T.INV(probability, df) |
| Margin of Error | ME | 0.4550 | .=T*SE |
| lower bound | | -0.4385 | .=stat-ME |
| upper bound | | 0.4715 | .=stat+SE |
| Conclusion | | | |
| We conducted a two-sample t-test to assess potential differences between two groups. The resulting confidence interval ranged from -0.4386 to 0.4715. This interval reflects the likely range of the true difference in means between the two groups. As it includes both positive and negative values around zero, it suggests that we cannot assert a statistically significant difference between the groups at the chosen confidence level. Our analysis indicates that, with the available data and confidence level, the means of the two groups are consistent with being equal, highlighting the importance of reliable data and careful interpretation. | | | |