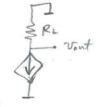
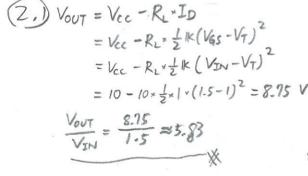
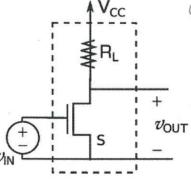


## CSU0007 Basic Electronics, Homework 6 (updated on Dec. 27th 18:30PM)

- 4 questions, 100 points total. Submit your work via Moodle before 9PM, Jan 5th, next year (i.e., 2021).
- Textbook coverage: Section 7.7 and Chapter 8.
- Here is a summary or related textbook examples for the three circuits that we've discussed:
  - o Inverting amplifier (version 1 as we called it):
    - Example 7.7, and as a driving example throughout Chapter 8
  - o Non-inverting amplifier (version 2 as we called it):
    - Examples 7.12 and 8.5
  - o Source follower (also known as a voltage buffer):
    - Examples 7.8, 7.10, 7.11, 8.4 and Problem 7.5
- 1. (40 points) In the following we review some important concepts regarding electronic circuits, in particular for those using MOSFETs. P252 ( in totbook > P406
- the my letture 1. (20 points) State the saturation discipline and the small-signal discipline. 2. (10 points) State the conceptual meaning of *input resistance* and *output resistance* (Note: in general, we should have called it input impedance and output impedance, since the resistance is just a part of the impedance. The concept of impedance is, however, beyond the scope of this course, and therefore we chose not to talk about it).
  - 3. (10 points) Following Question 1.2, explain why in practice we would like to have a circuit with large input resistance and small output resistance.
  - 2. (20 points) Now, analyze the following circuit (it helps to first review Sections 8.2.2 and 8.2.3), assuming that  $V_{CC}=10$  V, K=1 mA/V $^2$ ,  $R_L=10$  k $\Omega$ , and  $V_T=1$  V:



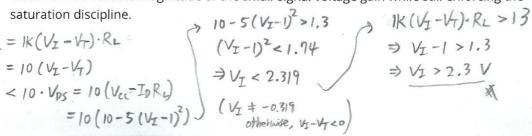




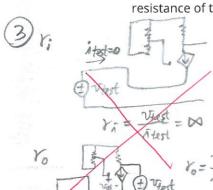
- = IK(V=-V+) · RL = - 1K (V+N-V+) · RL =-1=(1.5-1) > 10
- 1. (5 points) Suppose  $V_{IN}=1.5$  V. Compute  $rac{V_{OUT}}{V_{IN}}$  (that is, the large-signal voltage gain).
- 2. (10 points) Following Question 2.2, now compute  $\frac{v_{out}}{v_{in}}$  (that is, the *small-signal* voltage gain). You see that the small-signal voltage gain may be different from the large-signal voltage gain.
- 3. (5 points) Now, by changing  $V_I$ , is it possible to make the magnitude of a small-signal voltage gain larger than 13 while still enforcing the saturation discipline? If your answer is yes, determine the minimum value of  $V_I$  to achieve so; if your answer is no, determine the maximum achievable magnitude of the small-signal voltage gain while still enforcing the



gmRL = IK(Vz-VT)·RL

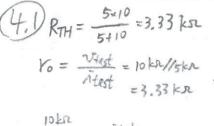


3. (15 points) Compute both the small-signal input resistance and the small-signal output resistance of the following non-inverting amplifier, under the saturation discipline:

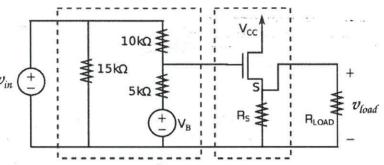


84KQ 10V 16kΩ: I forgot to ground this, will give 15 points to all with

4. (25 points) In this exercise, we will combine what we've learned so far to analyze a two-stage circuit shown below. Stage 1 is a linear circuit with a DC voltage source,  $V_B$ . Stage 2 is a source-follower circuit serving as a voltage buffer. We are interested in the small-signal voltage response on our load  $R_{LOAD}$  caused by the small-signal voltage input,  $v_{in}$ . We will go through a four-step analysis and will see how a voltage buffer may be useful. Each step is described below.

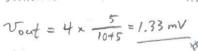


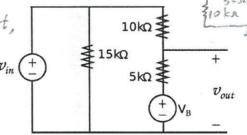
to= RTH because



1. (10 points) Let's first consider a circuit without a voltage buffer, as shown below. Suppose that  $v_{in}=4$  mV and  $V_B=8$  V. Determine the Thevenin equivalent circuit seen from the output port, and explain why in this case the small-signal output resistance is

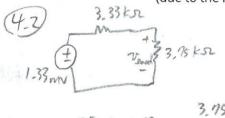
when we determine the same as Thevenin resistance. Also, compute  $v_{out}$ , the small-signal open-circuit to we are essentially computing the equivalent resistance across the output port, which is the definition of RTH.



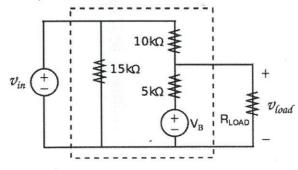


VTH = Vout + V' (Superposition) = 5.33V+1.33 mV

2. (5 points) Following the question above, now consider the circuit with  $R_{LOAD}=3.75\,$  $k\Omega$  attached, as shown below. Compute  $v_{load}$ , the small-signal voltage response on  $R_{LOAD}$  caused by  $v_{in}$  . You should see that  $v_{load}$  is smaller than  $v_{out}$  computed above (due to the non-zero output resistance).



Vard = 1.33 x 323+371

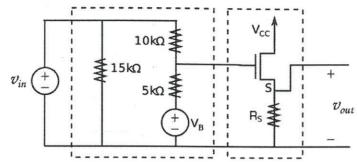


3. (5 points) Now, we insert a source-follower circuit, as shown below. Suppose that  $R_S=10\,k\Omega$  and  $V_{CC}=10$  V and  $V_{K}=1$  mA/V $^2$ . Find the small-signal output resistance. You should find it smaller than that in Question 4.1.

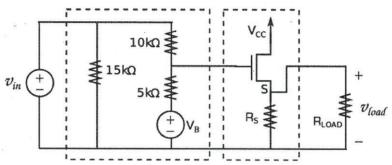
We will give

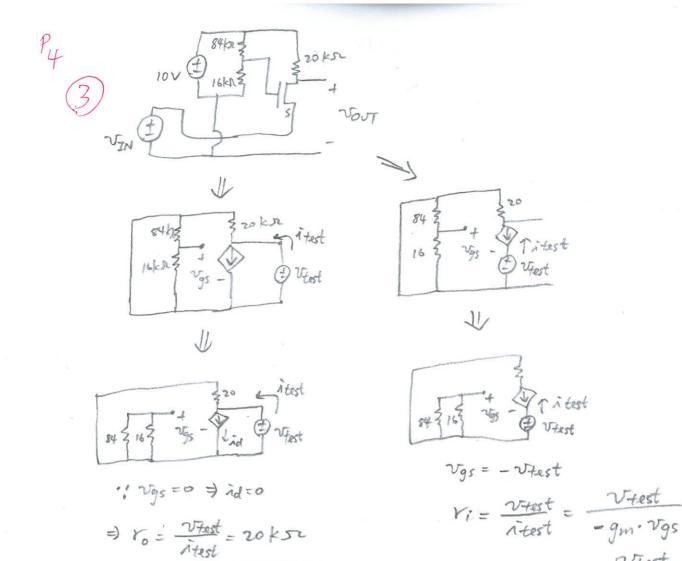
10 points to all

students, because
we didn't give the
right parameter.



4. (5 points) Now we attach  $R_{LOAD}$  again, as the circuit shown below. Determine  $v_{load}$ , the small-signal voltage response on  $R_{load}$  caused by  $v_{in}$ . You should find this voltage larger than that in Question 4.2. This demonstrates a benefit of using a voltage buffer: because the voltage buffer has a smaller output resistance, the circuit may waste less energy internally, and more energy may be applied to the actual load (which is  $R_{LOAD}$  here).





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