

Advanced Balanced Search Tree

Segment Tree
Construction

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BuildSegmentTree(I)

❖ // Construct a segment tree on

// a set I of n intervals

Sort all endpoints in I before

determining all EI's $\text{//} O(n \log n)$

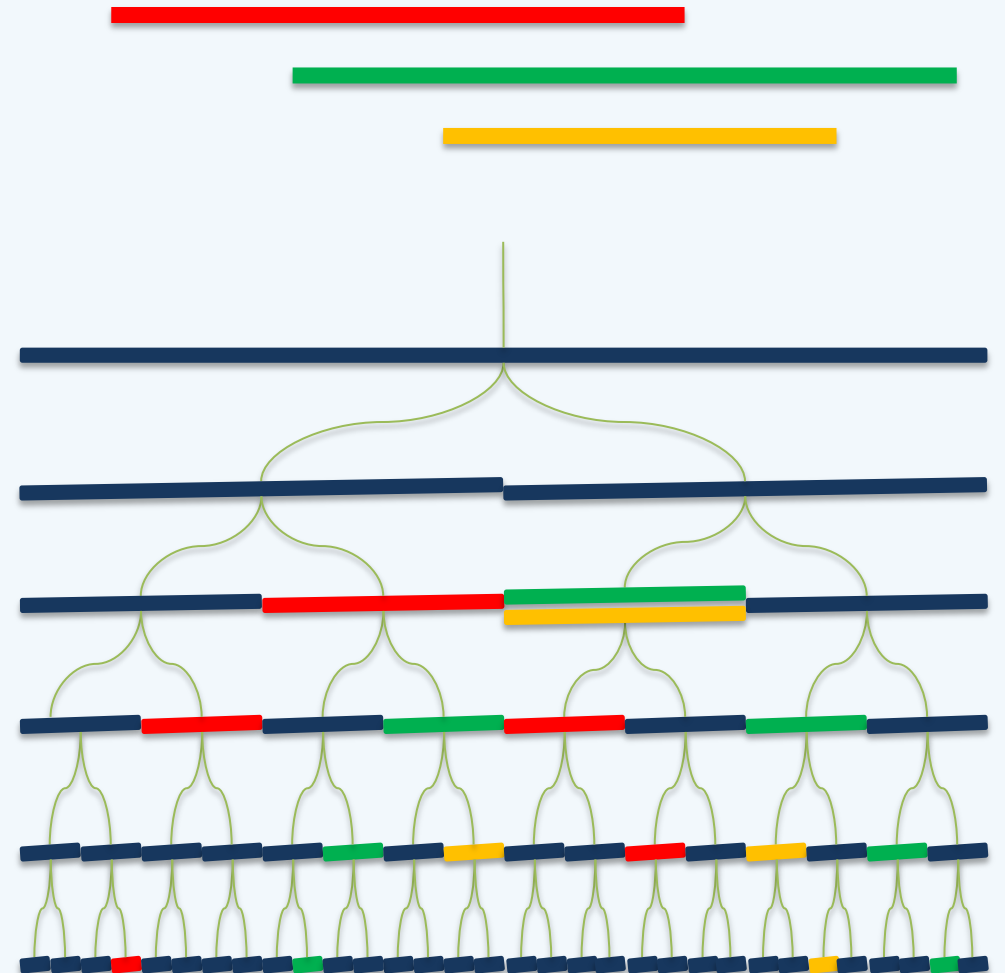
Create T a BBST on all the EI's $\text{//} O(n)$

Determine $\text{Int}(v)$ for each node v

$\text{//} O(n)$ if done in a bottom-up manner

For each s of I

call $\text{InsertSegmentTree}(T.\text{root}, s)$



InsertSegmentTree(v , s)

❖ // Insert an interval s into a segment (sub)tree rooted at v

if ($\text{Int}(v) \subseteq s$) store s at v and return;

if ($\text{Int}(\text{lc}(v)) \cap s \neq \emptyset$) //recurse

InsertSegmentTree(lc(v), s);

if ($\text{Int}(\text{rc}(v)) \cap s \neq \emptyset$) //recurse

InsertSegmentTree(rc(v), s);

👁 At each level, ≤ 4 nodes are
visited (2 stores + 2 recursions)

$\therefore O(\log n)$ time

