

**Topic:** Approximation Properties of Müntz polynomials

**Main Content:** Chapter 11 of [Lorentz (1996)]

**Notes:**

- December 10, 2024: [dec10.pdf](#), [dec10.tex](#).

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## References

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