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**To be prepared for the exercise on Nov 13, 2019**  
(10 points total)

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**Reference Systems**

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**Task 1 (3 points)**

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- a) Compute the geocentric coordinates (x y z) for the two locations:

A:  $\varphi = 48^\circ 46' 33''$  N       $\lambda = 9^\circ 10' 58''$  E      h = 300 m

B:  $\varphi = 88^\circ 46' 33''$  N       $\lambda = 9^\circ 10' 58''$  E      h = 300 m

each based on the following reference ellipsoids:

- "Bessel 1841" with a = 6 377 397.2 m and f = 1:299.15
- WGS 84 with a = 6 378 137 m and f = 1:298.257 22
- PZ-90.11 with a = 6 378 136 m and f = 1:298.257 84

What is the total difference between the solutions? Which of the three geocentric position components has the largest difference?

- b) Compute the geocentric coordinates (x y z) for the defined locations, based on a sphere with  $R = 6378\,000$  m and compare them with the geocentric WGS84 coordinates.

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**Task 2 (4 points)**

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- a) The reading of a measurement epoch is Thursday 7<sup>th</sup> November 2019, 8:00:00 CET (Central European Time). Convert this reading into the following time frames (remind leap seconds at this time defined by TAI-UTC = 37 sec):

- GPS time frame (week number, TOW)
- GLONASS time frame
- Galileo time frame

- b) The reading of a GPS measurement epoch is WN = 2079, TOW = 203400 s/week. Convert this reading to local time in Stuttgart (date, day of the week, time).

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**Task 3 (3 points)**

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The main measurement principle of GPS is based on transmission time. Calculate the measured distance between satellite and receiver in the case of

- a) error-free clocks at both sites (GPS time system)
- b) an error-free clock at the satellite and an error(bias) of 1 ms at the receiver clock

using the following time readings

- transmit time at GPS-satellite     $T = 194418.000$  s/week GPST
- receive time at the receiver       $t = 6\text{ h } 0\text{ m } 18.070$  s GPST