

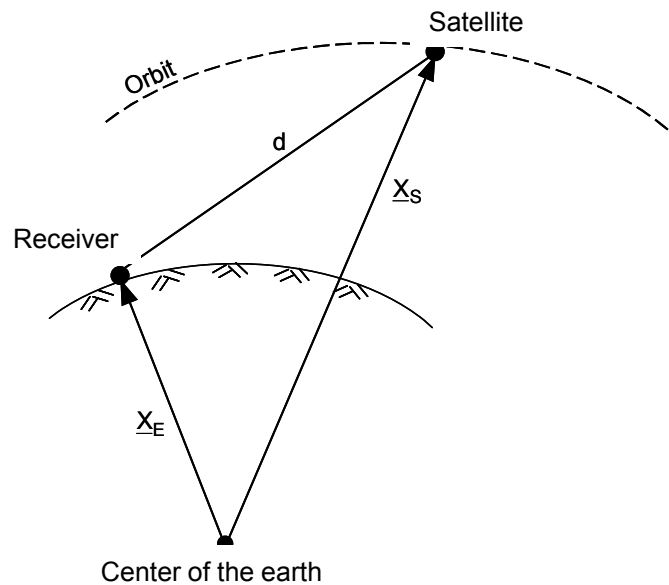


# **Lab 4:**

# **Kinematic GNSS Measurements**



# Main Principle



- Coordinates of satellite are known  $X_S$
- $d$  measurements are made by evaluating the transit-time between satellite and receiver
- Measurements of distances  $d$  to different satellites  
→  $d$  defines a sphere surface around  $X_S$
- $X_E$  is the intersection point of 3 spheres  
(but: 4 satellites are needed in consideration of clock error)



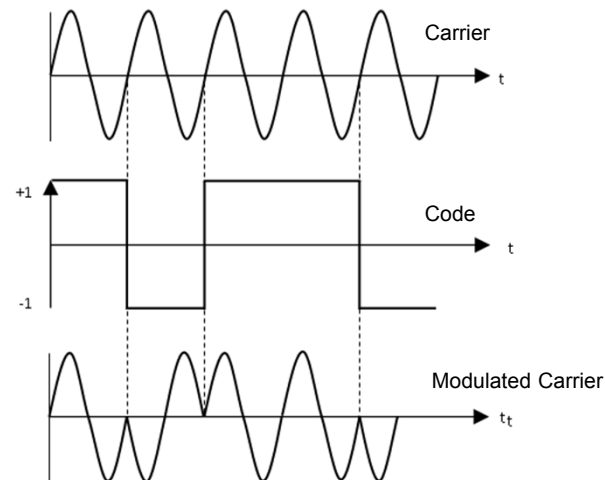
# Signals

## Carrier waves

L1 :  $154 \times 10.23 \text{ MHz} = 1575.42 \text{ MHz}$  19.05 cm

L2 :  $120 \times 10.23 \text{ MHz} = 1227.60 \text{ MHz}$  24.45 cm

## Codes



C/A-Code: course acquisition code on L1  
Periode 1 msec  
 $f = f_0/10 = 1.023 \text{ MHz}$  293.1 m  
Noise (1%) of  $\lambda \Rightarrow 3 \text{ m}$

P-Code: precise code on L1 und L2  
Period 267 days (7 days per satellite)  
 $f = f_0 = 10.23 \text{ MHz}$  29.31 m  
Noise (1%) of  $\lambda \Rightarrow 0.3 \text{ m}$

## Data

- Phase modulation on L1 and L2
- Likewise sequence of +1 and -1
- Contains information about satellite's clock and position/ orbit
- 1500 bit at 50 bit/sec



# Signal Processing

**Code observations:** measurements of pseudo ranges, falsification of distance by receiver's clock error

Observation equation:

$$\rho_{rs} + v_{rs} = \sqrt{(X_s - X_r)^2 + (Y_s - Y_r)^2 + (Z_s - Z_r)^2} - c \cdot \delta T_r$$

$\rho_{rs}$  - Pseudo Range between receiver and satellite

$v_{rs}$  - Correction

$c$  - Speed of light

$\delta T_r$  - Receiver's clock error (difference between receiver clock and GPS system time)

4 unknowns:  $X_r$   $Y_r$   $Z_r$   $\delta T_r \rightarrow$  at least 4 observations are needed



# Signal Processing

## Phase observations:

### Observation equation:

$$\rho_{rs} + v_{rs} = N \cdot \lambda + \frac{\lambda}{2\pi} \cdot \Delta\Phi_i = \sqrt{(X_s - X_r)^2 + (Y_s - Y_r)^2 + (Z_s - Z_r)^2} - c \cdot \delta T_r$$

$\lambda$

- carrier wave length

$N$

- ambiguities, unknown number of full wavelengths

$\Delta\Phi_i = \Phi^R - \Phi_i^S$

- measured phase difference for satellite  $i$

$\Delta\phi_i(t_0) + \Delta\Delta\phi_i(t_0, t_1) + \Delta\Delta\phi_i(t_1, t_2) + \Lambda + \Delta\Delta\phi_i(t_{n-1}, t_n) = \Delta\Phi_i(t_n)$  Permanent satellite tracking and summation of phase differences.  
 $N$  is unaltered, but unknown!

## 2 problems:

- unknown ambiguity  $N$  for each satellite
- cycle slips at tracking (loss of ambiguities)

## solution:

- long observation times
- usage of more than 4 satellites
- usage of linear combinations of L1 and L2



## Equipment

### Leica Viva GS15



### Phase Observations

### U-Blox



### Code Observations



# Task

One member of each group has to join the test drives with the IIGS bus on the “Cannstatter Wasen”. One member of each group has to do the data readout after testdrives.

The collected data should be processed as follows:

- Calculation of the distance between the two antennas on the bus' roof
- Comparison of the calculated distances between the antennas with the “reference baseline” and plot of the differences for each epoch
- Plot of the driven trajectories for both GNSS receivers (in geodetic coordinate system  $\lambda[^\circ], \varphi[^\circ], h[m]$ )
- Calculation of the velocities for both receivers and their presentation in figures
- Plot of height differences between the two receivers
- Discussion on the results under following aspects:
  - code solution
  - phase solution
  - shadowing areas





# Measurement drives with the IIGS bus

City Map of Stuttgart



Source: Google Earth

IIGS Bus







## Dates+Times

Date	Students	Place	Time
Friday 15.06.2018	One member of each group	Cannstatter Wasen (Meeting Point: Institute bus in front of M24.01)	13:00-16:00
Monday 18.06.2018	One member of each group	IIGS CIP Pool	?