CS 170 - Lab 1

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Coding Tips

- Learn to use git
 - Distributed Version Control System (VCS)
 - Preserves history of all changes
 - You will use this later in your career
- Learn to use gdb
 - Print statement debugging won't cut it
- Always zero out all values:
 - o void *memset(void *s, int c, size t n);
- Always check pointers for NULL before use
- Piecewise decomposition:
 - Fully understand problem domain
 - Decompose into individual sub-steps
- Testing
 - Unit each sub-step in isolation
 - Integration all sub-steps composed for final solution

Suggested Plan of Attack

- 1. Command line argument parsing
 - a. Handle all errors, check sanity
- Matrix data structure + string parsing
 - a. Handle all edge cases: comments, invalid dimensions etc
- 3. Matrix multiplication
 - Write tests to ensure correctness
- 4. Single-threaded matrix multiplication
 - a. Learn pthread API, passing arguments to threads (work-unit)
- 5. Multi-threaded matrix multiplication
 - a. Properly divide up rows, handling uneven splits

Mastering C

- How to C in 2016
- The Clockwise/Spiral Rule
 - Type declarations can be a bit ambiguous, use this rule for clarity
- String Parsing
 - What if I told you...there are no strings in C
 - o char yo[6] = {'H', 'e', 'l', 'l', 'o', ' $\0$ '};
 - o char yo[] = { 'H', 'e', 'l', 'l', 'o'};
 - o char *yo = (char *)malloc(6*sizeof(char))
 - $y[5] = '\0'$
- Pointers
 - Dereferencing, arithmetic, malloc, free
- Carefully read appropriate man pages

C String Parsing

#include <stdlib.h> Conversion routines from string -> {int, double, float, unit} atoi, strtoll, etc... #include <string.h> Routines for: Copying Comparison Searching Reading a line from a file: char *fgets(char *s, int size, FILE *stream); Command-line parsing: #include <unistd.h> int getopt(int argc, char * const argv[], const char *optstring); Think "state machine" when parsing

Matrix Multiplication

- Computes: A x B = C
- Matrix A must have the same number of columns that B has rows
 - $\circ \quad (M \times N) * (N \times P) = OK$
 - Results in M x P matrix
 - \circ (M x M) * (P x N) = NOPE
 - Solution should handle cases where matrix multiplication is undefined
- Naive algorithm is O(N³) or O(mpn)
 - for i in range(num_c_rows):

```
for j in range(num_c_cols):
```

```
for k in range(num_cols_a):

C[i][j] += (a[i][k] * b[k][j])
```

Can be easily parallelized by partitioning range of two outer loops

Threading

- Thread vs Process
 - In the beginning...there were only processes
 - o Processes are "containers", abstraction around a unit of execution + its resource
 - Virtual address space, code, file descriptors, PID, etc.

 Threads are "lighter weight" units of execution within a process.
 - Threads are "lighter weight" units of execution within a process
 Threads across a process share resources, added special thread context
 - code, locals, globals
- pthreads
- - o int pthread_join(pthread_t thread, void **retval);
- Throw away all notions of implicit "order", need <u>synchronization</u> for explicit "order"

Threaded Multiplication

Need to define a "unit of work" to be passed as the last argument to pthread create

```
struct work {
....
}
```

- Properly partition work:
 - o rows_per_thread = num_rows_a / num_threads
 - o left over = num rows a % num threads
- Watch out for race conditions due to improper work allocation
 - Threads executing overlapping work-units
- pthread join to wait/collect

Error Handling

- Matrix parsing
- Command line arguments
- Matrix multiplication correctness

Extra Credit - CPU Cache Optimization

- Memory hierarchy: L1, L2, L3, main memory
 - Main memory is **slow** compared to the CPU caches
- Locality is King
 - Temporal Locality
 - If a piece of memory was just accessed, it'll likely be accessed in the future
 - Spatial Locality
 - If a piece of memory was just accessed, it's neighbors will likely also be accessed
 - Both forms of "pre-fetching" essentially
- Loading may cause evictions, which are slow. Goal is to avoid "cache thrashing".

Extra Credit - CPU Cache Optimization

- Caches are divided into "lines" or "blocks"
- Granularity of loads/stores is at the cache line level
- Optimize spatial+temporal locality:
 - o for i in range(num_c_rows):

```
for j in range(num_c_cols):

for k in range(num_cols_a):

c[i][i] += (a[i][k] * b[k][i])
```

- Problems:
 - Each new inner loop iteration may cause cache misses on array b due to column-wise traversal
 - Dividing C by strips (strips of each thread would be much longer than one cache line) may cause cache misses when storing values into C

Extra Credit - CPU Cache Optimization

- Solution 1
 - switch to row-wise traversal of b
- Solution 2
 - o divide C into several tessellating rectangles. No overlap between rectangles.
 - o Example:

$$A = \begin{pmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{pmatrix}, \quad B = \begin{pmatrix} B_{11} & B_{12} \\ B_{21} & B_{22} \end{pmatrix}, \quad C = \begin{pmatrix} C_{11} & C_{12} \\ C_{21} & C_{22} \end{pmatrix},$$

so then we rewrite C = A*B as:

$$\begin{pmatrix} C_{11} & C_{12} \\ C_{21} & C_{22} \end{pmatrix} = \begin{pmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{pmatrix} \cdot \begin{pmatrix} B_{11} & B_{12} \\ B_{21} & B_{22} \end{pmatrix} \cdot \begin{pmatrix} C_{11} & = & A_{11} \cdot B_{11} + A_{12} \cdot B_{21} , \\ C_{12} & = & A_{11} \cdot B_{12} + A_{12} \cdot B_{22} , \\ C_{21} & = & A_{21} \cdot B_{11} + A_{22} \cdot B_{21} , \\ C_{22} & = & A_{21} \cdot B_{12} + A_{22} \cdot B_{22} . \end{pmatrix}$$