# Domain-specific Heuristics in Answer Set Programming

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Motivation

    Answer Set Programming (ASP)

    General purpose approach to declarative problem solving

   • Combination of a rich yet simple modeling language with highly performant solving capacities
• Sometimes it is advantageous to take a more application-oriented approach by including
  domain-specific information:
   • domain-specific knowledge can be added for improving propagation
   • domain-specific heuristics can be used for making better choices
• Proposal: A declarative framework for incorporating domain-specific heuristics into ASP
  by extending its
```

# Conflict Driven Answer Set Solving

Basic CDCL decision algorithm

Basic concepts

Heuristic functions

```
loop
                                                  // compute deterministic consequences
     propagate
     if no conflict then
          if all variables assigned then return variable assignment
                                              // non-deterministically assign some literal
          else decide
     else
          if top-level conflict then return unsatisfiable
          else add a conflict constraint and backjump
Inside decide
```

```
\mathsf{h}:\mathcal{A}\to [0,+\infty) and \mathsf{s}:\mathcal{A}\to \{\mathsf{T},\mathsf{F}\}

    Algorithmic scheme

                                                                                               for each \mathbf{a} \in \mathcal{A}
      1 h(a) := \alpha \times h(a) + \beta(a)
      2 U := A \setminus (A^T \cup A^F)
      3 C := argmax_{a \in U}h(a)
      4 a := \tau(C)
```

 $A^T = \{a \in \mathcal{A} \mid a \mapsto T \in A\}$  and  $A^F = \{a \in \mathcal{A} \mid a \mapsto F \in A\}$ 

```
Heuristics in ASP
Heuristic language elements
   • Heuristic predicate _heuristic

    Heuristic modifiers

                                                                                             (atom a and integer v)
          init for initializing the heuristic value of a with v
          factor for amplifying the heuristic value of a by factor v
          level for ranking all atoms; the rank of a is v
         sign for attributing the sign of v as truth value to a

    Heuristic atoms

           _heuristic(a,init,5) Add 5 to the initial heuristic value of a
           _heuristic(b,factor,2) Multiply the heuristic value of b by 2
           _heuristic(c,level,1) The rank of c is 1 (the default rank is 0)
           _heuristic(d,sign,-1) If deciding on d, assign it to false
Heuristic modifications to functions h and s
   • \nu(V_{a,m}(A)) — "value for modifier m on atom a wrt partial assignment A"
   • init and factor
                     d_0(a) = \nu(V_{a,init}(A_0)) + h_0(a)
                    d_{i}(a) = \begin{cases} \nu(V_{a,factor}(A_{i})) \times h_{i}(a) \text{ if } V_{a,factor}(A_{i}) \neq \emptyset \\ h_{i}(a) \text{ otherwise} \end{cases}
   • level \ell_{\mathsf{A}_{\mathsf{i}}}(\mathcal{A}') = \operatorname{argmax}_{\mathsf{a} \in \mathcal{A}'} \nu(\mathsf{V}_{\mathsf{a}, \mathsf{level}}(\mathsf{A}_{\mathsf{i}})) \mathcal{A}' \subseteq \mathcal{A}
   • sign
                       \mathsf{t_i}(\mathsf{a}) = \left\{ egin{array}{l} \mathsf{T} \ \mathsf{if} \ 
u(\mathsf{V_{a,\mathrm{sign}}}(\mathsf{A_i})) > 0 \\ \mathsf{F} \ \mathsf{if} \ 
u(\mathsf{V_{a,\mathrm{sign}}}(\mathsf{A_i})) < 0 \end{array} 
ight.
Inside decide, heuristically modified
                                                                                                for each \mathbf{a} \in \mathcal{A}
        0 h(a) := d(a)
        1 h(a) := \alpha \times h(a) + \beta(a)
                                                                                                for each \mathbf{a} \in \mathcal{A}
        2 U := \ell_{\mathbf{A}}(\mathcal{A} \setminus (\mathbf{A}^{\mathsf{T}} \cup \mathbf{A}^{\mathsf{F}}))
        3 C := argmax_{a \in U}d(a)
        4 a := \tau(C)
```

# Experiments in Abduction with Optimization and PDDL Planning

#### **Abductive problems wih optimization**

 $5 A := A \cup \{a \mapsto s(a)\}$ 

• Heuristic rules modify the abducibles, e.g., for the last row in Diagnosis we use: \_heuristic(abnormal(C),level,1) :- component(C).

Setting	Diagno	osis Expa	Expansion		Repair (H)		Repair (S)	
base configuratio	on 111.1s (	(115) $161.5$	s (100)	101.3 <b>s</b> (	113)	33.3 <b>s</b> (	$\overline{(27)}$	
sign,-1	324.5 <b>s</b> (	(407) 7.69	<b>s</b> (3)	8.4 <b>s</b>	(5)	3.1 <b>s</b>	(0)	
sign,-1 facto	or,2   310.1 <b>s</b> (	(387) 7.49	(2)	3.5 <b>s</b>	(0)	3.2 <b>s</b>	(1)	
sign,-1 facto	or,8   305.9 <b>s</b> (	$(376) \mid 7.79$	(2)	3.1 <b>s</b>	(0)	2.9 <b>s</b>	(0)	
sign,-1 level	1,1 76.1s	(83) 6.69	(2)	0.8 <b>s</b>	(0)	2.2 <b>s</b>	(1)	
level	1,1 77.3 <b>s</b>	(86) 12.99	$\mathbf{s}$ (5)	3.4 <b>s</b>	<b>(</b> 0)	2.1 <b>s</b>	<b>(0)</b>	

Showing average times (timeouts)

#### **Planning Competition Benchmarks**

Heuristic rules make the fluents persist backwards:

5  $A := A \cup \{a \mapsto t(a)\}$ 

```
_heuristic(holds(F,T-1),true, last-T+1) :- holds(F,T).
_heuristic(holds(F,T-1),false,last-T+1) :- not holds(F,T)
                                           fluent(F), time(T).
```

Problem	base configuration		$\_\mathtt{heuristic}$		base c.	(SAT)	_heur.	(SAT)		
Blocks'00	134.4 <b>s</b>	(180/61)	9.2 <b>s</b>	(239/3)	163.2 <b>s</b>	(59)	2.6 <b>s</b>	(0)		
Elevator'00	3.1 <b>s</b>	(279/0)	0.0 <b>s</b>	(279/0)	3.4 <b>s</b>	(0)	0.0 <b>s</b>	(0)		
Freecell'00	288.7 <b>s</b>	(147/115)	184.2 <b>s</b>	(194/74)	226.4 <b>s</b>	(47)	52.0 <b>s</b>	(0)		
Logistics'00	145.8 <b>s</b>	(148/61)	115.3 <b>s</b>	(168/52)	113.9 <b>s</b>	(23)	15.5 <b>s</b>	(3)		
Depots'02	400.3 <b>s</b>	(51/184)	297.4 <b>s</b>	(115/135)	389.0 <b>s</b>	(64)	61.6 <b>s</b>	(0)		
Driverlog'02	308.3 <b>s</b>	(108/143)	189.6 <b>s</b>	(169/92)	245.8 <b>s</b>	(61)	6.1 <b>s</b>	(0)		
Rovers'02	245.8 <b>s</b>	(138/112)	165.7 <b>s</b>	(179/79)	162.9 <b>s</b>	(41)	5.7 <b>s</b>	(0)		
Satellite'02	398.4 <b>s</b>	(73/186)	229.9 <b>s</b>	(155/106)	364.6 <b>s</b>	(82)	30.8 <b>s</b>	(0)		
Zenotravel'02	350.7 <b>s</b>	(101/169)	239.0 <b>s</b>	(154/116)	224.5 <b>s</b>	(53)	6.3 <b>s</b>	(0)		
Total	252.8 <b>s</b>	(1225/1031)	158.9 <b>s</b>	(1652/657)	187.2 <b>s</b>	(430)	17.1s	(3)		
Showing avg. times (plans/timeouts), and avg. times (timeouts) for satisfiable instances										

## Heuristics in ASP for PDDL planning

```
Simple STRIPS planner
```

```
time(1...last).
holds(P,0) := init(P).
1 { occurs(A,T) : action(A) } 1 :- time(T).
:- occurs(A,T), pre(A,F), not holds(F,T-1).
holds(F,T) := holds(F,T-1), not nholds(F,T), time(T).
holds(F,T) := occurs(A,T), add(A,F).
nholds(F,T) := occurs(A,T), del(A,F).
:- query(F), not holds(F,last).
```

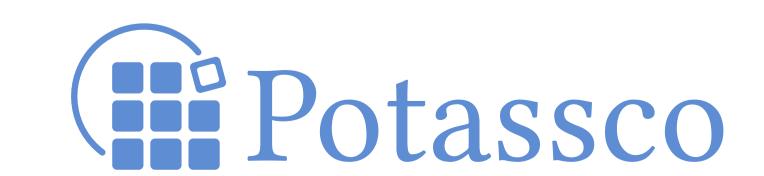
```
Heuristic rules
 Add 5 to the initial heuristic value of actions
  _heuristic(occurs(A,T),init,5) :- action(A), time(T).
 Multiply the heuristic value of actions at T by T
  _heuristic(occurs(A,T),factor,T) :- action(A), time(T).
 Decide first on actions
  _heuristic(occurs(A,T),level,1) :- action(A), time(T).
 Do a forward search on actions
  _heuristic(occurs(A,T),level,last-T+1) :- action(A), time(T).
 If deciding on actions, assign them to false
  _heuristic(occurs(A,T),sign,-1) :- action(A), time(T).
```

#### New modifiers definition

```
Modifier true gives a rank and a positive sign, false gives a rank and a negative sign
_heuristic(X,level,Y) :- _heuristic(X,true,Y).
_heuristic(X,sign,1) :- _heuristic(X,true,Y).
_heuristic(X,level,Y) :- _heuristic(X,false,Y).
_heuristic(X,sign,-1) :- _heuristic(X,false,Y).
Do a forward search on true actions
_heuristic(occurs(A,T),true,last-T+1) :- action(A), time(T).
```

### Summary

- A declarative framework for incorporating domain-specific heuristics into ASP • seamless integration into ASP's input language
- new possibilities of applying, experimenting, and studying domain-specific heuristics in a uniform
- http://potassco.sourceforge.net/labs.html#hclasp



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• input language for expressing domain-specific heuristics

solving capacities for integrating domain-specific heuristics

ullet Atoms  ${\mathcal A}$ , and partial assignments  ${\mathsf A}:{\mathcal A} o \{{\mathsf T},{\mathsf F}\}$