

Q21 C

Q22 A

Since Dijkstra is greedy, the answer computed by Dijkstra may be incorrect.

Q23

Link State

Distance Vector

Distance Vector

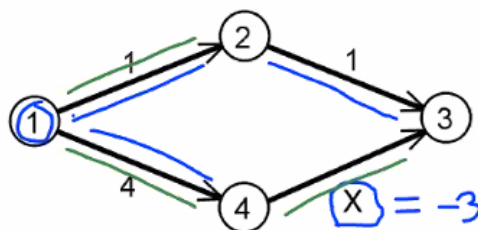
Path-vector

Q24

Work correctly: $x \geq -2$

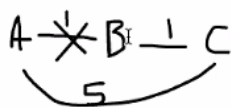
Not work correctly: $x < -2$

Q24



For what values of x will Dijkstra's algorithm work correctly and not work correctly?

Q25



The fundamental reason for which

Q25

Before break:

At C: $d(ca)=2$

After break: At B: $d(ba)=\text{infinity}$

At B: $d(ca)=2$, run BF, $d(ba)=$



Q25

Q: The fundamental reason for which loops form in the Distance Vector protocol is that a node A decides to use a neighbor B as the next hop for a destination based on routing information that was, at some point, propagated by A itself.

Give an example of this - draw a simple topology, break a link, and show a sequence of updates triggered by the distance vector protocol.

A—B—C

If B—C breaks, then B will notice, recompute its route to C using A, which will then update its route to C using B, and so on forever. This is the count-to-infinity problem in DV routing.

Before break:

At C: $d(ca)=2$

After break: At B: $d(ba)=\text{infinity}$

At B: $d(ca)=2$, run BF, $d(ba)=2+1=3$, inform c

At C: run BF, $d(ca)=4$, inform b

At B: run BF, $d(ba)=5$, inform c

At C: run BF, $d(ca)=\min(5+1,5)=5$

At B: run BF, $d(ba)=6$

Everything stabilizes.

Poisoned reverse partially fixes this: B lies to A.

In **Path vector**, nodes also exchange path information. This fixes the routing loop problem once and for all.

Q26

- a) 255.255.255.0
- b) $2^8 - 2 = 254$
- c) 4 subnets
- d)

198.42.180.0/24	198.42.180.255
198.42.181.0/24	198.42.181.255
198.42.182.0/24	198.42.182.255
198.42.183.0/24	198.42.183.255