

# CEG5103 - Wireless and Sensor Networks for IoT EE5023 - Wireless Networks

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### Scope

- Part I Wireless Networks
  - Wireless channel characteristics
  - Medium Access Control (MAC) techniques
  - Routing protocols and Ad-Hoc Networks
  - TCP over Wireless Networks
  - Wireless Mesh Networks
- Part II Wireless Sensor Networks
  - Recent Advances: Internet of Things (IoT)
  - Collaborative Signal Processing and Data Fusion
  - Energy models for sensor networks
  - Low Energy Routing protocols for sensor networks
  - Sensor Selection and Tracking
  - Case Studies: Anomaly Detection, Vehicular Sensor Networks
- 2 Assignments corresponding to Parts I and II of the module
- Mid-Term Test (24 Feb 2023, 6pm), Exam (29 April 2023, 9am)



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### **Wireless Channel Characteristics**

### Lecture 1

Reference book:

Wireless Communications: Principles and Practice (2nd Edition)

by Theodore S. Rappaport (Prentice Hall)

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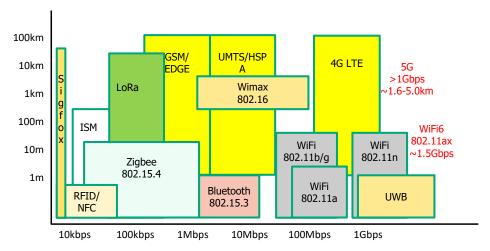
### **Wireless Comes of Age**

- Guglielmo Marconi invented wireless telegraph in 1896
  - Communication by encoding alphanumeric characters in analog signal
  - Sent telegraphic signals across the Atlantic Ocean
- Communications satellites launched in 1960s
- Advances in wireless technology
  - Radio, television, mobile telephone, communication satellites
- More recently
  - Satellite communications
  - Mobile cellular networks
  - Wireless Local Area Networks (LANs)
  - Personal Area Networks (PAN) & Body Area Networks (BAN)
  - Mobile ad hoc networks (MANET)
  - Wireless mesh networks
  - Wireless sensor networks
  - Vehicular networks





### **Types of Wireless Networks**



### Cellular Technologies

2<sup>nd</sup> Generation : GSM
 3<sup>rd</sup> Generation: WCDMA

4<sup>th</sup> Generation: LTE

5<sup>th</sup> Generation

### Personal Area Networks (PANs)

Bluetooth (IEEE 802.15.3)

Zigbee (IEEE 802.15.4)

Wireless LAN

IEEE 802.11 a/b/g/n/ac/ax

Wireless Broadband

WiMAX (IEEE 802.16)

Others

RFID

Ultra WideBand (UWB)

Sigfox

LoRa & LoRaWAN

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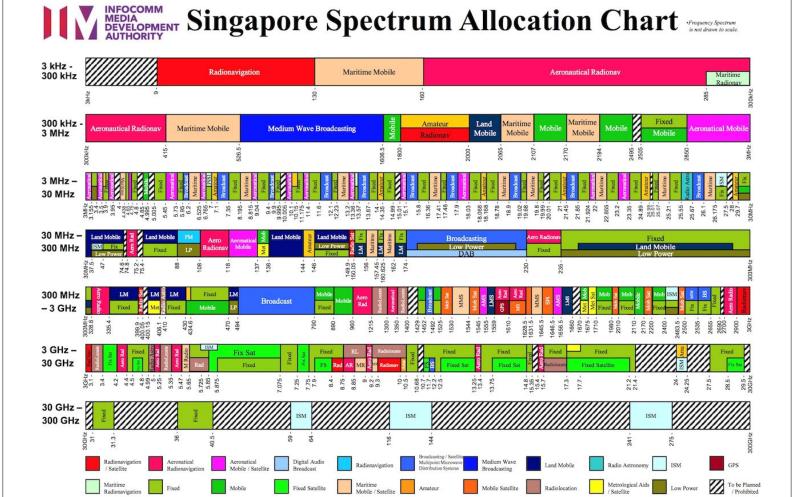


### **Network Characteristics**

	Wireless Network	Fixed (Wired) Network
Terminal-to-network channel	Unpredictable, time varying, poor at times	Constant, high quality
Transmission medium	Shared	Dedicated to 1 terminal
Privacy, security	Vulnerable: signals radiated in the air	Wiretapping requires special measures
Bandwidth allocation	Policy-based (radio spectrum) e.g. 4G, 5G	Technology-based and cost-based (e.g. optical fibre)
Network configuration	Frequent changes during calls, e.g. due to mobility	Rarely changes

<u>Note</u>: Cellular networks have better assured service levels

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### **Radio Propagation - Factors**

- Understanding of how radio propagates provide insights to challenges and limitations
- Factors that affect radio propagation:
  - Antenna type and height

  - Line-of-Sight vs Non-Line-of-Sight propagation
  - Shadowing
  - Multipath fading
  - Obstacles and corners

  - Frequency band
  - Signal bandwidth
  - Speed of mobility

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### **Signal Attenuation**

- Strength of signal falls off with distance over transmission medium
- Attenuation factors for unguided media:
  - Received signal must have sufficient strength so that circuitry in the receiver can interpret the signal
  - Signal must maintain a level sufficiently higher than noise to be received without error
  - Attenuation is greater at higher frequencies, causing distortion



## I. Large Scale Path Loss

# Signal Attenuation dB(decibel): ratio of 2 power values on a loa scale

Average received signal power S is:



k = constant (function of  $\lambda$ , antenna heights, antenna gains, effective areas, etc.)

r = transmitter-receiver distance

a = signal attenuation or path loss exponent

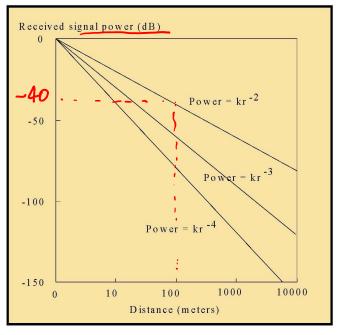
Or in dB: 
$$S_{dB} = 10 \log_{10} S_{dB} = 10 \log_{10} kr^{-1}$$

Typical values of a:

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a = 2	: free space	2	001
<i>a</i> = 3	: open country		100
a = 2.1-2.4	: urban, antenna h	t 50-93	m
a = 2.5-3.8	: urban, antenna h	t 10-50	m
a = 1.2-6.5	: indoor - hard par	rtitioned	
a = 1.6-1.8	: indoor - factory I	LOS	
a = 1.9-2.8	: indoor - factory	open	
a = 2.4-3.8	: indoor - open pla	an	
a = 4.2	: indoor - 1 floor s	eparatio	on

a = 5.0: indoor - 2 floor separation

a = 3.0-6.2: residential houses



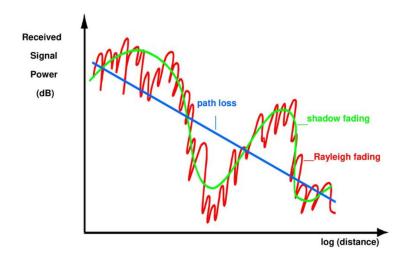
log-distance path loss model

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### **Fading**

- *Fading* is variation of the attenuation of a signal with various variables such as time, position and radio frequency.
- It is often modeled as a random process.





### **Shadow Fading / Shadowing**

time-varying received signal

- Shadow fading is caused by the nature of the terrain and local geographical features, where the signal is blocked by natural obstacles.
- Each terminal i receives a signal of power  $T_i$  and the distribution of this signal power is Gaussian, i.e.

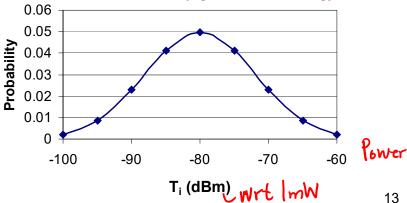
$$p(T_i) = \frac{1}{\sigma\sqrt{2\pi}} \exp \left[ -\frac{(T_i - \overline{T})^2}{2\sigma^2} \right]$$

where  $\bar{T}$  and  $\sigma$  are the mean and standard deviation of  $T_i$ , respectively.

- Typically  $\sigma$  is in the range of 6 to 12 dB. note: distance dependent mean and std dev have units in dB
- Variation of T<sub>i</sub> with location is called Shadow fading /shadowing (same T-R separation) (log-normal shadowing)

e.g. 100m

log-normal distribution (normal in dB)

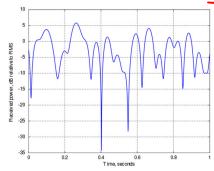


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### II. Small-Scale Fading / Multipath Fading

- Multipath fading
  - Line of Sight (LOS) or non-LOS
    - Rayleigh fading when there is no dominant propagation along a line of sight
       (LOS) between the transmitter and receiver, i.e. non-LOS

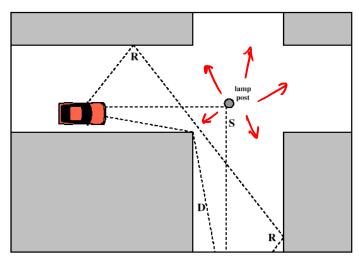


- Rician fading when there is a dominant line of sight (LOS)
- Fast fading, Slow fading (wrt symbol period)
- Frequency-dependent fading: Flat fading, Frequency-Selective fading (wrt bandwidth of signal)



### **Multipath Propagation**

- Reflection occurs when signal encounters a surface that is large relative to the wavelength of the signal
- 2 Diffraction occurs at the edge of an impenetrable body that is large compared to wavelength of the signal
- Scattering occurs when incoming signal hits an object whose size is in the order of the wavelength of the signal or less



Sketch of 3 important propagation mechanisms:

- Reflection (R),
- Diffraction (D),
- Scattering (S)

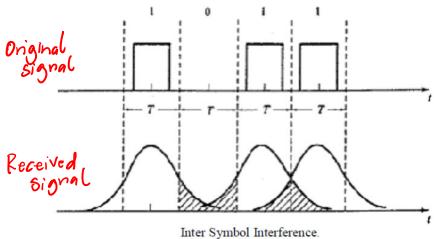
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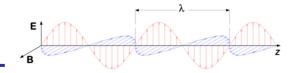


### **Effects of Multipath Propagation**

- Multiple copies of a signal arrive at different phases at the receiver
  - If phases add destructively, the signal level relative to noise declines, making detection more difficult
- Inter Symbol Interference (ISI)
  - One or more delayed copies of a pulse may arrive at the same time as the primary pulse for a subsequent bit



### **Multipath Fading**



- Consider vertically polarised transmission & vertical component of EM field E<sub>z</sub>.
   Suppose no strong LOS path between transmitter and receiver, i.e. receiver receives many scattered or reflected waves from all directions.
- Consider 1 ray,  $\cos \omega_c t$ , arriving at angle  $\theta$  w.r.t. direction of motion. Received ray is:

$$\mathbf{e}(t) = \mathbf{C}\cos(\underline{\omega_c t} + \underline{\omega_\theta t} + \underline{\psi})$$

$$= C\cos(\omega_{\theta}t + \psi)\cos\omega_{c}t - C\sin(\omega_{\theta}t + \psi)\sin\omega_{c}t$$

$$= x(t)\cos\omega_c t + y(t)\sin\omega_c t$$

where:  $f_{\theta} = f_d \cos \theta = \text{Doppler shift due to mobile antenna movement}$ 

 $\omega_{\theta} = 2\pi f_d \cos \theta$ 

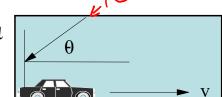
 $f_d = maximum Doppler shift (freq) = v/\lambda$ 

 $\lambda$  = wavelength of carrier =  $df_c$ 

 $f_c$  = carrier frequency

 $c = \text{speed of light (3 x 10}^8 \text{ m/s)}$ 

 $\psi = \text{path delay} \rightarrow \text{phase}$ 



e.g. if v = 100 km/h (27.8 m/s) &  $f_c = 850$  MHz, then  $f_d = v/\lambda = v.f_c/c = 78.7$  Hz

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### **Multipath Fading (cont.)**

• Next, consider N rays arriving at different  $\theta$  's. All the rays add to give:

$$E_z(t) = \sum_{n=1}^{N} C_n \cos(\omega_n t + \psi_n) \cos \omega_c t - \sum_{n=1}^{N} C_n \sin(\omega_n t + \psi_n) \sin \omega_c t$$

$$=A_c(t)\cos\omega_c t-A_s(t)\sin\omega_c t$$

$$= r(t)\cos[\omega_c t + \phi(t)]$$

where  $\omega_n = 2\pi f_d \cos \theta_n$  is the Doppler shift of the  $n^{th}$  ray

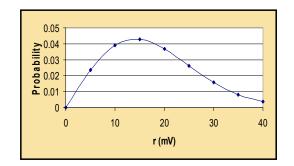
As the sum of many independent terms, A<sub>c</sub>(t) and A<sub>s</sub>(t) have Gaussian distributions [Central Limit Theorem], with zero mean and variance

$$\sigma^2 = E\{A_c^2(t)\} = E\{A_s^2(t)\} = \sum_{n=1}^{N} C_n^2 / N$$

The received envelope\*  $r(t) = [A_c^2(t) + A_s^2(t)]^{1/2}$ , has a **Rayleigh distribution**:

$$p(r) = \frac{r}{\sigma^2} \exp \left[ -\frac{r^2}{2\sigma^2} \right]$$

\*received signal amplitude





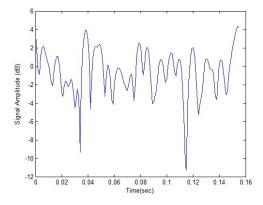
### **Multipath Fading (cont.)**

• Mean: 
$$\bar{r} = E[r] = \int_{0}^{\infty} rp(r)dr = 1.2533\sigma$$

• Mean square: 
$$E[r^2] = E\{A_c^2(t)\} + E\{A_s^2(t)\} = \int_0^\infty r^2 p(r) dr = 2\sigma^2$$

• Variance: 
$$\sigma_r^2 = E[r^2] - (E[r])^2 = 0.4292\sigma^2$$

- Phase  $\phi(t)$  has a *uniform distribution* over range of  $\pm \pi$ .
- Fast fading occurs when many fades occur within a symbol duration, which is the time to send one symbol. For binary data, a symbol is just a bit.



- Slow fading occurs when a fade occurs over several symbol durations.
- Diversity reception is a way to overcome fading adversities:
  - Space diversity
  - Time diversity
  - Frequency diversity
  - Code diversity

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### Rayleigh Fading – Level Crossing Rate

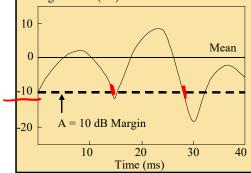
The *level crossing rate* is the no. <u>of times per second</u> the signal envelope fades below the *fade margin*, A. The level crossing rate is a 2nd-order statistic given by:

$$N_A = \int_0^\infty \dot{r} p(r = A, \dot{r}) d\dot{r} = \sqrt{2\pi} f_d \frac{A}{\sqrt{2}\sigma} \exp\left[-\frac{A^2}{2\sigma^2}\right]$$



where  $\dot{r}={}^{dr}/_{dt}$  , and  $p\underline{(r=A,\dot{r})}$  is the joint distribution

$$p(r,\dot{r}) = \frac{r}{\sqrt{2\pi\upsilon^2}\sigma^2} \exp\left[-\frac{1}{2}\left(\frac{r^2}{\sigma^2} + \frac{\dot{r}^2}{\upsilon^2}\right)\right]$$



and  $\underline{\upsilon}^2$  is the variance of the derivative of the quadrature components, i.e.

$$v^2 = E\{\dot{A}_c^2(t)\} = E\{\dot{A}_s^2(t)\} = 2\pi^2 f_d^2 \sigma^2$$

- The fade margin is the minimum received signal level for successful recovery of the information/message
- Suppose  $f_d = 10$  and  $A^2/(2\sigma^2) = 0.1$ , then  $N_A = 7.17$
- Suppose  $f_a = 10$  and  $A^2/(2\sigma^2) = 0.01$ , then  $N_a = 2.48$

normalized fade margir



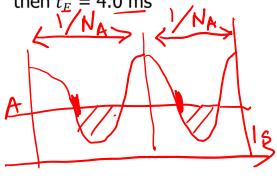
### Rayleigh Fading – Ave. Fade Duration

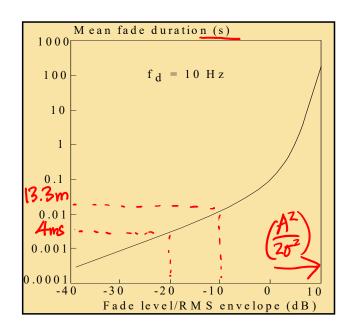
Bad

Average fade duration in seconds (time that envelop is < A) is:</p>

$$\underline{\bar{t}_F} = \frac{P(r \le A)}{N_A} = \frac{1}{\sqrt{2\pi}f_d} \frac{\sqrt{2}\sigma}{A} \left[ \exp\left(\frac{A^2}{2\sigma^2}\right) - 1 \right]$$

- Suppose  $\underline{f_d} = 10$  and  $A^2/(2\sigma^2) = 0.1$ , then  $\bar{t}_F = 13.3$  ms
- Suppose  $f_d = 10$  and  $A^2/(2\sigma^2) = 0.01$ , then  $\bar{t}_E = 4.0$  ms





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# Rayleigh Fading – Inter-fade Duration

Ave. inter-fade duration in seconds (time that envelope is > A) is:

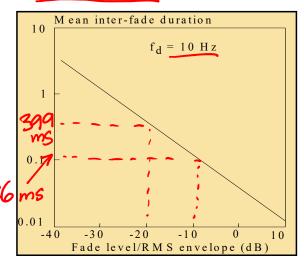
$$\frac{\bar{t}_{IF}}{I_{IF}} = \frac{1}{N_A} - \bar{t}_F = \frac{1}{N_A} - \frac{P(r \le A)}{N_A}$$

$$= \frac{1}{N_A} [1 - P(r \le A)]$$

$$= \frac{1}{\sqrt{2\pi} t_d} \frac{A}{\sqrt{2}\sigma} \exp\left(-\frac{A^2}{2\sigma^2}\right) \left[1 - \left[1 - \exp\left(-\frac{A^2}{2\sigma^2}\right)\right]\right]$$

$$= \frac{1}{\sqrt{2\pi} t_d} \frac{\sqrt{2}\sigma}{A}$$

where  $P(r \le A)$  is the prob. that the envelope  $r \le A$ , is:



$$P(r \le A) = \int_0^A p(r)dr = \int_0^A \frac{r}{\sigma^2} \exp\left(-\frac{r^2}{2\sigma^2}\right) dr = 1 - \exp\left(-\frac{A^2}{2\sigma^2}\right)$$

- Suppose  $f_d = 10$  and  $A^2/(2\sigma^2) = 0.1$ , then = 126 ms
- Suppose  $f_d = 10$  and  $A^2/(2\sigma^2) = 0.01$ , then = 399 ms



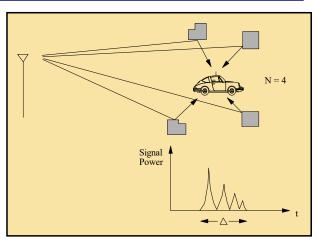
### **Delay Spread**

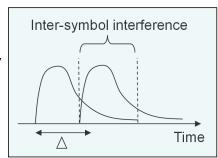
- **Delay spread** occurs when the base station transmits a signal, say, an impulse  $s_0(t) = a_0 \delta(t)$ , and because of multipath scattering, many delayed versions of the scattered signals are received.
- The received impulse signal is:

$$s(t) = a_0 \sum_{i=1}^{n} a_i \delta(t - \tau_i) \cdot e^{j\omega t} = E(t)e^{j\omega t}$$

where n = no. of paths,  $a_i = \text{attenuation}$  of the  $i^{\text{th}}$  path; and  $\tau_i = \text{delay.}$ 

- As no. of scatterers increases, discrete impulses merge into a continuous pulse of length  $\Delta$ , commonly known as the delay spread.
- Delay spread limits data rate to below  $1/\Delta$  to avoid *inter-symbol interference*, beyond which special measures are required to overcome data error.





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### **Delay Spread (cont.)**

Mean delay spread is:

$$\overline{\tau} = \int_0^\infty t E(t) dt$$

Delay spread variance is:

$$\sigma_{\tau}^2 = \int_0^{\infty} t^2 E(t) dt - (\tau)^2$$

Note: Mean delay spread in urban environment generally higher because of scattering effects arising from building surfaces causing rays to decay more slowly.

Parameter	Urban	Suburban
Mean delay spread, $\bar{ au}$	1.5 <u>- 2.5 μ</u> s	0.1 - 2.0 μs
Corresponding path length	450 - 750 m	30 - 600 m
Maximum delay time (-30 dB)	5.0 - 12.0 μs	0.3 - 7.0 μs
Corresponding path length	1.5 - 3.6 km	0.9 - 2.1 km
Range of delay spread, $\Delta_i$	1.0 - 3.0 μs	0.2 - 2.0 μs



### Other Path Loss & Fading Models

- Several path loss models have been proposed for outdoor and indoor environments.
- Basically, follow the standard path loss model with modifications to include adjustment factors for:
  - Terrain
  - Type of environment (e.g. rural/urban)
  - Adjustment factors for the type of building materials and floors in the case of indoor environments.
- Other multi-path fading models (distribution of received signal amplitude):
  - Rician distribution: when strong Line of Sight (LOS) is present
  - Nakagami (multiple random Rayleigh fading signals) etc.

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### **Error Compensation Mechanisms**

- To compensate for channel impairments
  - 1. Forward error correction
  - 2. Adaptive equalization
  - 3. Diversity techniques



### 1. Forward Error Correction

- Transmitter adds error-correcting code to data block
  - Code is a function of the data bits
- Receiver calculates error-correcting code from incoming data bits
  - If calculated code matches incoming code, no error occurred
  - If error-correcting codes do not match, receiver attempts to determine bits in error and correct

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### 2. Adaptive Equalization

- Adapts filter coefficients in response to time-varying communications channel
- Can be applied to transmissions that carry analog or digital information
  - Analog voice or video
  - Digital data, digitized voice or video
- Used to combat inter-symbol interference
- Involves gathering dispersed symbol energy back into its original time interval
- Techniques
  - Lumped analog circuits
  - Sophisticated digital signal processing algorithms



### 3. Diversity Techniques

- Diversity is based on the fact that individual channels experience independent fading events
- Types of diversity techniques:
- Space diversity techniques involving physical transmission path, e.g. multiple antennas (MIMO is an example of this)
- Frequency diversity techniques where the signal is spread out over a larger frequency bandwidth, or carried on multiple frequency carriers, e.g. spread spectrum and OFDM (Orthogonal Frequency Division Multiplexing)
- Time diversity techniques aimed at spreading the data out over time
- Code diversity e.g. <u>CDMA</u> (Code Division Multiple Access)
   Spread spectrum

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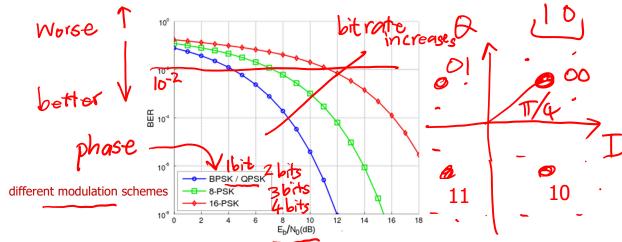


### Signal-to-Noise Ratio (per bit) Normalized SNR

• Ratio of signal energy per bit  $(E_b)$  to noise power density per Hertz  $(N_0)$ :

$$\frac{E_b}{N_0} = \frac{S / R}{N_0}$$

- Bit Error Rate (BER) for digital data transmission is a function of  $E_b/N_0$ 
  - as bit rate R increases, transmitted signal power S must increase to maintain required  $E_b/N_0$





- Atmospheric absorption water vapor and oxygen contribute to attenuation
- Refraction bending of radio waves as they propagate through the atmosphere
- Adjacent channel interference disturbances from radio signals at adjacent frequency channels
- RF frontends quality of RF electronics and antenna design
- Thermal noise in electronic devices and transmission media

The End Questions?