EE5134-Optical Communication and Networks CA1 – Assignment

March 17, 2023

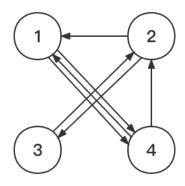
Question 1

(a)

The trace of the algorithm is given below.

Iteration	Node Pair	Physical Path	Wavelength	Remarks
1	1,4	$1 \rightarrow 2 \rightarrow 4$	w_0	clockwise
2	1,4	$1 \rightarrow 3 \rightarrow 4$	w_0	more free wavelength
3	1,4	N/A	N/A	Node 1 no Tx
4	2,3	$2 \rightarrow 4 \rightarrow 3$	w_1	clockwise
5	1,3	N/A	N/A	Node 1 no Tx
6	1,2	N/A	N/A	Node 1 no Tx
7	2,1	2 → 1	w_0	
8	3,2	$3 \rightarrow 1 \rightarrow 2$	w_1	clockwise
9	2,3	N/A	N/A	Node 2 no Tx
10	2,4	N/A	N/A	No free wavelength
11	4,1	$4 \rightarrow 3 \rightarrow 1$	w_0	clockwise
12	2,1	N/A	N/A	Node 1 no Rx
13	4,2	4 → 2	w_0	
14	3,2	N/A	N/A	No free wavelength
15	3,4	N/A	N/A	Node 4 no Rx
16	4,3	N/A	N/A	No free wavelength
17	4,1	N/A	N/A	No free wavelength
18	3,1	N/A	N/A	No free wavelength

The virtual topology is shown in the following figure:



(b)

Traffic flow <s,d></s,d>	Route on virtual topology	No. of (virtual) hops
<1,2>	1-4-2	2

<2,1>	2-1	1
<1,3>	1-4-2-3	3
<3,1>	3-2-1	2
<1,4>	1-4	1
<4,1>	4-1	1
<2,3>	2-3	1
<3,2>	3-2	1
<2,4>	2-1-4	2
<4,2>	4-2	1
<3,4>	3-2-1-4	3
<4,3>	4-2-3	2

Lightpath $i \rightarrow j$	Load
1 → 4	0.78+0.8+1+0.7+0.6 = 3.88
4 → 1	0.65
2 → 1	0.75+0.32+0.7+0.6 = 2.37
4 → 2	0.78+0.8+0.64+0.55 = 2.77
2 → 3	0.8+0.8+0.55 = 2.15
3 → 2	0.32+0.72+0.6 = 1.64

(c)

Average weighted number of hops:

$$h_{ave} = \frac{\sum (h_{s,d} \times t^{s,d})}{\sum t^{s,d}} = \frac{13.46}{8.31} = 1.6197$$

Congestion:

$$f_{max} = max f_{i,j} = max (3.88, 2.37, 2.15, 1.64, 0.65, 2.77) = 3.88$$

Question 2

(a)

Availability is the probability that a system will work as required when required during the period of a mission:

$$Avalibility = \frac{MTTF}{MTBF} = \frac{MTTF}{MTTF + MTTR} = 90\%$$

where MTTF = Mean Time To Failure, MTTR = Mean Time To Repair, MTBF = Mean Time Between failure = MTTF + MTTR.

(b)

if it is required to set up a lightpath from node 0 to node 4 without requiring any wavelength conversion, the path is $0 \to 1 \to 2 \to 3 \to 4$ with wavelength w_1

(c)

For path $0 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4$ the availability is:

Availability =
$$\left(\frac{9}{9+1}\right)^4 = 65.61\%$$

(d)

It is possible to improve the availability of a path by protecting one or more links, or segments on a path. Since it is given that only node 2 has converter, we can use the converter with protection path. Path $2 \to 3 \to 4$ (w_1) can be protected by path $2 \to 6 \to 4$ (w_2):

$$fail_{2,3,4} = 1 - (90\%)^2 = 19\%;$$

 $fail_{2,6,4} = 1 - (90\%)^2 = 19\%$
 $fail_{both} = 19\% \times 19\% = 3.61\%$
 $Availability = 1 - 3.61\% = 96.39\%$

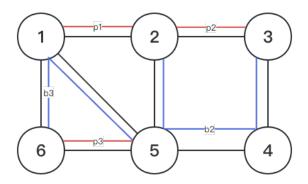
The overall improved availably is:

$$Availability_{0,2} \times Availability_{2,4} = (90\%)^2 \times 96.39\% = 78.08\%$$

Question 3

(i)

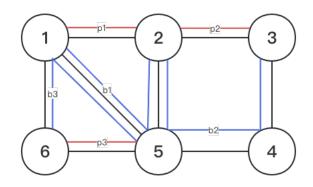
Dedicated backup figure:



<s,d></s,d>	<pre><primary path,="" wavelength=""></primary></pre>	<pre><backup path,="" wavelength=""></backup></pre>	<accept reason="" reject,=""></accept>
<1,2>	<1-2, <i>w</i> ₀ >	N/A	<reject, backup="" is<="" path="" td="" the=""></reject,>
			occupied by b3 and b2>
<2,3>	<2-3, <i>w</i> ₀ >	<2-5-4-3, <i>w</i> ₀ >	<accept, do="" need="" not="" td="" to<=""></accept,>
			share the path with others>
<6,5>	<6-5, <i>w</i> ₀ >	<6-1-5, <i>w</i> ₀ >	<accept, do="" need="" not="" td="" to<=""></accept,>
			share the path with others>

(ii)

Shared backup figure:



<s,d></s,d>	<pre><pre><pre><pre><pre><pre><pre><pre></pre></pre></pre></pre></pre></pre></pre></pre>	<pre><backup path,="" wavelength=""></backup></pre>	<accept reason="" reject,=""></accept>
<1,2>	<1-2,w ₀ >	<1-5-2, <i>w</i> ₁ >	<accept, backup="" is<br="" path="" the="">shared with b3 and b2 in different wavelength></accept,>
<2,3>	<2-3,w ₀ >	<2-5-4-3, w ₀ >	<accept, b1="" path="" share="" the="" with=""></accept,>
<6,5>	<6-5, <i>w</i> ₀ >	<6-1-5, w ₀ >	<accept, b1="" path="" share="" the="" with=""></accept,>

Question 4

