

## EE5801 EMC

### Tutorial 5 - Shielding

1. Design a copper shielded box of dimensions  $1.0 \times 0.5 \times 0.5 \text{ m}^3$  with (plane-wave) shielding effectiveness (SE) of at least 100 dB in the frequency range from 10 kHz to 1 GHz. All doors, joints and seams are properly done. The conductivity of copper is  $5.8 \times 10^7 \text{ S/m}$ .

(**Note:** This is just an exercise since the source at frequencies below 80MHz will likely be near-field source instead of far-field source, i.e., no plane wave.)

- i) State the formula of calculating SE under good conductor condition.
- ii) Fig. 1 shows the SE of two copper sheets with thicknesses of 0.25 mm and 0.025 mm. Which thickness is recommended? [**Hint:** some margin is needed.]
- iii) Prove that the lowest SE provided by 0.025 mm and 0.25 mm copper sheets happen at  $\sim 7 \text{ MHz}$  and  $\sim 70 \text{ kHz}$ , respectively. [**Hint:** take the 1st derivative with respect to frequency of the formula in i) and find the zero-slope point which correspond to the minimum.]
- iv) If a rectangular hole of dimensions  $10 \times 5 \text{ cm}^2$  is to be opened on the front door to accommodate a meter of  $10 \times 5 \times 5 \text{ cm}^3$ , and a front plastic viewing panel of dimensions  $10 \times 5 \times 0.5 \text{ cm}^3$ . The plastic has a dielectric constant of 2.5. Can the shielded box still meet the design requirement? If not, state the degradation clearly.
- v) What of the following mitigation methods is the best to recover the SE performance back? State the reasons. [**Hint:** cost-effectiveness and the least modification to the meter/shielded box.]
  - a) Open a smaller hole for the meter and add metal rim around the meter;
  - b) Change the front plastic viewing panel with a lower dielectric constant material;
  - c) Use a conductive front plastic panel that is able to provide an SE of 100 dB;
  - d) Add a 0.25 mm thick copper box that can tightly accommodate the meter to cover the interior of the meter; the joining (soldering) between the second copper box and the main box and cabling are properly done.

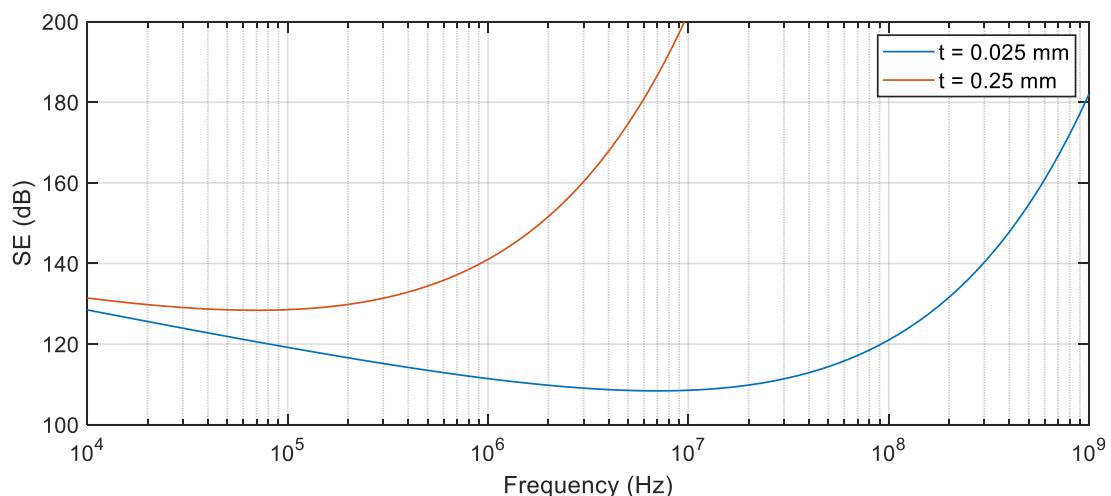


Figure 1. Shielding effectiveness versus frequency for two copper sheets of thickness  $t = 0.25 \text{ mm}$  and  $t = 0.025 \text{ mm}$ .

2. The shielding effectiveness (SE) of a solid shielding material arranged as in Fig. 2 is given as:  $|T_1 T_2|^{-1} e^{\alpha t} |1 - \Gamma_2^2 e^{-2\gamma t}|$ , where  $T_1$  is the transmission coefficient at the first interface (between material 1 and material 2),  $T_2$  is the transmission coefficient at the second interface (between material 2 and material 3),  $\Gamma_2$  is the reflection coefficient at the second interface,  $t$  is the thickness of material 2, and  $\gamma = \alpha + j\beta$  is the complex propagation constant of material 2. Material 1 is air.

The source is a 10 kHz low-impedance source located 0.01 m away from the interface. The wave impedance of a low-impedance source is  $240\pi^2 r / \lambda_0 e^{-j\pi/2} \Omega$ , where  $r$  is the distance between the source and the interface,  $\lambda_0$  is the free space wavelength of the source. Material 2 is a conductive material with  $\epsilon = \epsilon_0$ ,  $\sigma = 5.8 \times 10^7 \text{ S/m}$ . Material 3 is air.

- Find the required thickness  $t$  of Material 2 in order to achieve a 60 dB SE.
- Discuss and comment on the results if the source is 50 Hz.

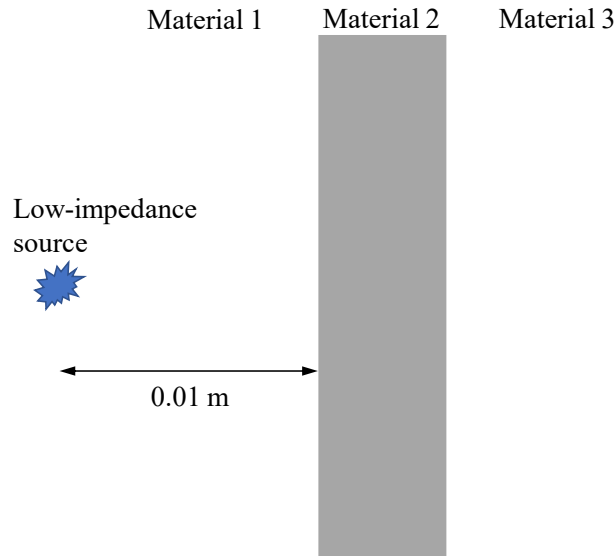


Figure 2. Arrangement of the low-impedance source and the conductive shield.