#### FUNDAMENTALS OF LINEAR ALGEBRA, CALCULUS & DIFFERENTIAL **EQUATIONS (MAT211BT)**

## Multiple Integrals

#### **TUTORIAL SHEET-1**

1. 2.

- 4. Find the area bounded between the parabola and.
- 5. Show that the area of one loop of the lemniscates  $r^2 = a^2 \cos 2\theta$  is  $a^2/2$ .
- 6. Find the area of one petal of the rose
- 7. Find the area of the circle  $r = a \sin\theta$  outside the cardioid
- 8. Find the volume of the paraboloid of revolution  $x^2 + y^2 = 4z$  cut off by the plane z = 4.
- 9. Find the volume of the region bounded by the paraboloid and the cylinder.
- 10. Find the volume of the portion of the sphere lying inside the cylinder
- 11. Find the volume cut off the sphere by the cone.
- 12. Change the order of the integration in the integrals:
  - a)

3. =

- b)
- c)
- d)

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## **Multiple Integrals**

### **TUTORIAL SHEET-2**

1.	Given , the region of integration is	and	the	integral	value	is
	The value of the integral is The value of the integral .					
4.	Area of the plane region R in the Cartesian coordinates using	doub	le int	tegral is _		
5.	Prove that 8. Evaluate					
6.	Evaluate					
7.	Evaluate .					
8.	Evaluate .					
9.	Evaluate					
10.	Evaluate .					
11	Evaluate					

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## **Multiple Integrals**

#### **TUTORIAL SHEET-3**

2.	Change the order of integration Change the variables in the polar coordinates in the integrals Area of the plane region R in the Polar coordinates using double integral is
4.	Volume of the region R in Cartesian coordinates in the form of triple integral is
5.	The value of the integral is
7.	Evaluate, Where A is the domain bounded by the x-axis, ordinate $x = 2a$ and the curve. dy dx over the area bounded by the ellipse.
10. 11. 12. 12.	Change the order of integration and hence evaluate the following integral.  a. b. c. d.  Change to polar coordinates and evaluate the following integral.  a. b. c.  Using the triple integrals, find the volume of the sphere x+ y² + z² = a².  Find the volume of the ellipsoid.  Change the order of the integration in the integrals:  a)  b)  c)
	d)