

# SHUBHAM WARE

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## FOLLOWING IS MAIN LOOP USED IN PROGRAM

### POSITION UPDATES FOR PARTICLE

```
x1_update=x1+v1_update.*del_t;  
x1=x1_update;
```

```
x2_update=x2+v2_update.*del_t;  
x2=x2_update;
```

### CALULATING OVERLAP OF PARTICLES

```
overlap_update=overlap(x1_update,x2_update,d1,d2);  
del_overlap=overlap_update-overlp;  
overlp=overlap_update;
```

### CONDITION FOR LOADING AND UNLOADING COEFF OF RESTITUTION

```
if del_overlap>=0  
    force=-kl*overlap_update*norm_unit_vector(x1_update,x2_update);  
    else  
    force= -kun*overlap_update*norm_unit_vector(x1_update,x2_update);  
end
```

### UPDATE VELOCITY FOR NEW FORCE CALCULATED

```
v2_update=v2_update+0.5*(force/m)*del_t;
```

### CALULATING KINETIC ENERGY FOR PARTICLE 2

```
KE(j)=kinetic_energy(m,v2_update);
```

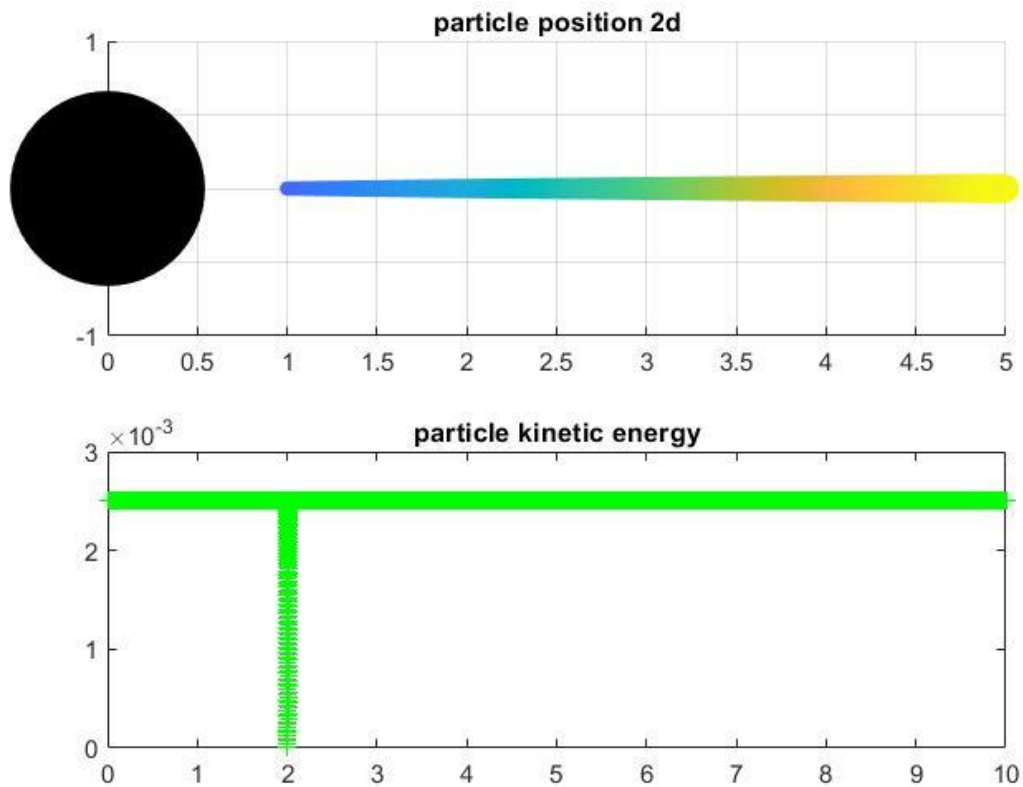
## ANSWERS

1.

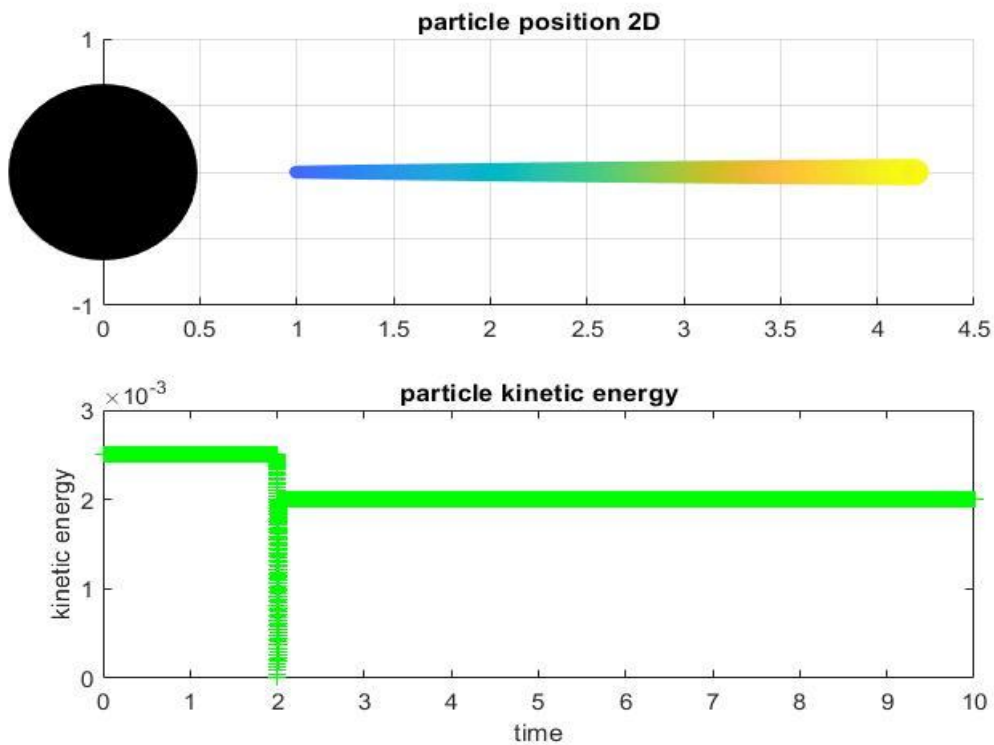
```
Radius_sum=d1/2+d2/2;  
if R12>= Radius_sum  
    sigma=0;  
else  
    sigma=(Radius_sum)-R12;  
end
```

2. [leapfrog](#)

### 3&4. PARTICLE POSITION WITH LINEAR MODEL



Fig(1.1)particle position and kinetic energy



5.

Fig(1.2)particle position and kinetic energy for 0.8 coeff of restitution

## CONCLUSION:

1. By looking at two different plots for linear model and one with coeff. of restitution we could easily see that kinetic energy is lost in the process of Collision.
2. By making time step more finer we get more better results; but in this case time step 0.01 was found to be efficient and viable.
3. Additionally I also changed the mass of the 2<sup>nd</sup> particle and found that with a mass of 100 kg second particle goes even further near to 1<sup>st</sup> object, proving change in movement conservation for the algorithm.