## [Self] Chapter15-practice (Lec10) [ALL CORRECT]

```
xtest = 6;
x1test = 1.5;
x2test = 1.5;
```

```
Linear
Fit a line to the following data:
x = [3 4 5 7 8 9 11 12]';
y = [6.9 \ 10.0 \ 11.1 \ 15.0 \ 15.7 \ 16.2 \ 24.0 \ 27.5]';
Determine the r^2 and s_{y/x}.
Use the least-squares fit to predict the value of y when x = 6.
Rounding a decimal number to four decimal places.
r^2 =
s_{y/x} =
x = 6, y =
  xL = [3 \ 4 \ 5 \ 7 \ 8 \ 9 \ 11 \ 12]';
  yL = [6.9 \ 10.0 \ 11.1 \ 15.0 \ 15.7 \ 16.2 \ 24.0 \ 27.5]';
  [aL, r2L] = linregr(xL, yL)
  aL = 1 \times 2
      2.0900
                  0.3861
  r2L =
  0.9494
  resL = yL - aL(2) - (aL(1) \cdot * x)
  resL = 8 \times 1
       0.2438
      1.2538
      0.2638
     -0.0162
     -1.4063
      -2.9963
      0.6237
```

```
srL = sum(resL .^ 2)
```

2.0337

```
srL =
17.1814
```

```
syxL = sqrt(srL / (length(xL) - 2)) % "2" comes from "degree + 1"
```

syxL = 1.6922

```
ypredL = aL(2) + (aL(1) ** xtest) % no residuals needed
```

ypredL = 12.9262

## Quadratic

```
Fit a quadratic to the following data:
x = [3 4 5 7 8 9 11 12]';
y = [40 88 110 200 290 347 510 625]'
Determine the r^2 and s_{u/x}.
Use the least-squares fit to predict the value of y when x = 6.
Rounding a decimal number to four decimal places.
r^2 =
s_{y/x} =
x = 6, y =
  nQ = 2
  nQ =
  2
  xQ = [3 \ 4 \ 5 \ 7 \ 8 \ 9 \ 11 \ 12]';
  yQ = [40 88 110 200 290 347 510 625]';
  pQ = polyfit(xQ, yQ, n)
  pQ = 1 \times 3
               -3.0965
      4.4384
                          16.6925
  valQ = polyval(pQ, xQ)
  valQ = 8 \times 1
     47.3487
     75.3211
    112.1704
    212.4994
    275.9791
    348.3357
    519.6793
    618.6663
  srQ = sum((yQ - valQ).^2)
  srQ =
  707.8754
  stQ = sum((yQ - mean(yQ)).^2)
  stQ =
  3.0617e+05
  r2Q = 1 - (srQ/stQ)
  r20 =
  0.9977
  syxQ = sqrt(srQ / (length(yQ) - (n+1)))
  syxQ =
  11.8985
  ypredQ = polyval(pQ, xtest)
  ypredQ =
  157.8965
Multiple
Use multiple linear regression to fit the following data:
x1 = [111222333]';
x2 = [1 2 3 1 2 3 1 2 3]';
y = [10.5 13.9 15.1 11.5 14.7 18.9 14.2 18.5 20.1]';
Determine the r^2 and s_{y/x}.
Use the least-squares fit to predict the value of y when x1 = 1.5 and x2 = 1.5
Rounding a decimal number to four decimal places.
```

## x1 = [1 1 1 2 2 2 3 3 3]';

x2 = [1 2 3 1 2 3 1 2 3]';

x1 = 1.5, x2 = 1.5, y =

```
Z = 9 \times 3
    1
          1
               1
    1
          1
               2
               3
    1
          1
          2
2
    1
               1
               2
    1
          2
               3
    1
          3
    1
               1
          3
    1
               2
    1
          3
               3
a = (Z' * Z) \setminus (Z' * y) % the coefficient vector
a = 3 \times 1
   4.8667
   2.2167
   2.9833
st = sum((y - mean(y)).^2)
st =
87.2800
sr = sum((y - Z*a).^2)
sr =
4.3967
r2 = 1 - (sr/st) % coefficient of determination
r2 =
0.9496
syx = sqrt(sr / (length(y) - length(a)))
syx = 0.8560
ypredM = a(1) + (a(2) * x1test) + (a(3) * x2test)
```

 $Z = [ones(size(y)) \times 1 \times 2] \%$  has ones() because we're using the default polynomial expression (not

 $y = [10.5 \ 13.9 \ 15.1 \ 11.5 \ 14.7 \ 18.9 \ 14.2 \ 18.5 \ 20.1]';$ 

specified otherwise)

12.6667