

► Normalization

- prevent the possible occurrence of anomalies
 - insert anomaly → delete anomaly → update anomaly
- ↳ a technique for producing a set of suitable relations
 - ↳ minimal necessary attribute
 - ↳ minimal redundancy; attrb. represented only once.
- 4 common form of normalization (NF: Normal form)
 - ↳ 1NF
 - ↳ 2NF
 - ↳ 3NF
 - ↳ BCNF (Boyce-Codd)

• Redundant data : repeated data for every occurrence.

- Properties of decomposition
 - ↳ Lossless-join : find instance of original from smaller relation (corresponding)
 - ↳ Dependency preservation: enforce constraint on original by enforce some constraint on smaller.

• functional Dependency.

- what attribute depends on attribute
- $A \rightarrow B$: if each value of A is associated w/ exactly 1 of B
- ↳ characteristics
 - have 1:1 or M:1 relationship b/w attrb.
 - hold for all time
 - non-trivial.

↳ depends on entire PK

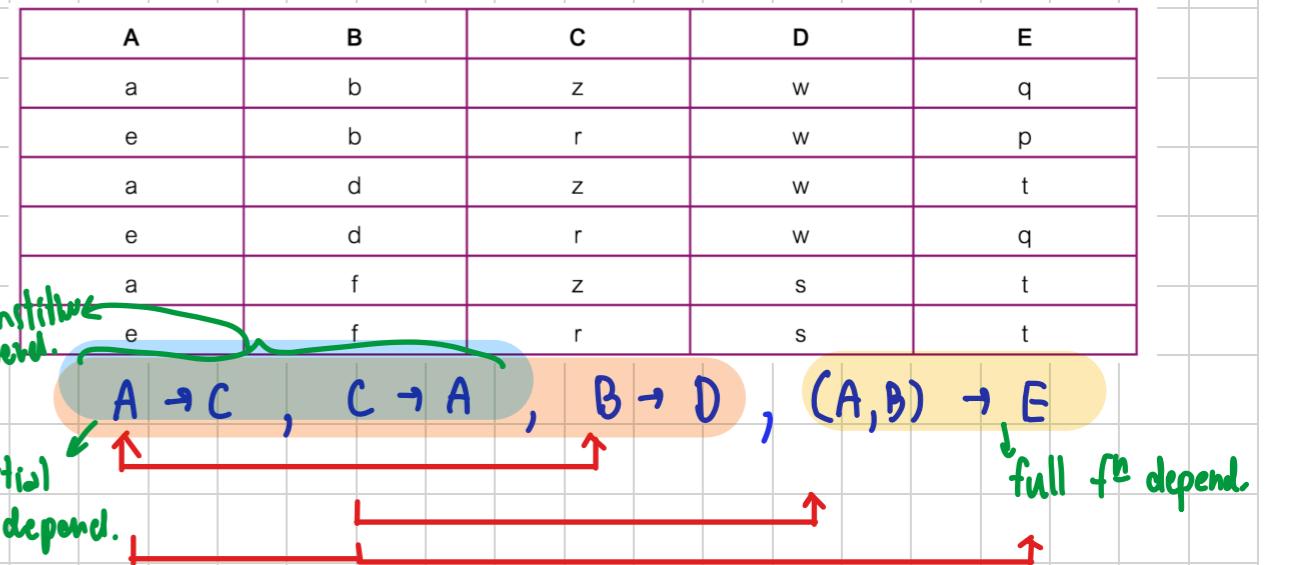
• full functional dependency

• partial functional dependency

↳ depends on subset of PK

• transitive dependency

↳ depend on each others.



• how to identify primary key using functional dependency

↳ identify group of attrb. that uniquely identifies each table in the tables.

↳ in this case, PK is (A, B)

• normalization step.

UNF

↓ : Ungroup: flatten the table

1NF

↓ : Primary + Partial dependency

(A, B, C, D, E)

2NF

↓ : Transitive Dependency

(A, B, C, E), (B, D)

3NF

↓ : determinant

(A, B, E), (A, C), (B, D)

BCNF: non-prime attrb. → prime-attrb.

A	B	C	D	E	F	G
a1	b1	c1	d1	e1	f1	g1
a1	b2	c2	d2	e2	f1	g2
a1	b2	c3	d3	e3	f1	g2
a1	b2	c4	d4	e4	f1	g3
a2	b1	c1	d1	e1	f2	g1
a2	b2	c1	d2	e4	f2	g2
a2	b2	c3	d3	e2	f2	g2
a2	b2	c4	d4	e4	f2	g3
a3	b1	c1	d1	e1	f2	g1
a3	b2	c2	d2	e2	f2	g2
a3	b2	c1	d3	e6	f2	g2
a3	b2	c4	d4	e4	f2	g3

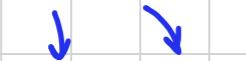
✓ ✓ ✓ ✓ ✓ ✓ ✓

functional dependencies.

$A \rightarrow F$ ✓
 $D \rightarrow B$ ✓
 $D \rightarrow G$ ✓
 $E \rightarrow B$
 $G \rightarrow B$
 $(A, D) \rightarrow C, E$ full fk
PK: (A, D)

A	F	D	B	G	A	C	D	E
a1	f1	d1	b1	g1	a1	c1	d1	e1
a2	f2	d2	b2	g2	a1	c2	d2	e2
a3	f2	d3	b2	g2	a1	c3	d3	e3
		d4	b2	g3	a1	c4	d4	e4
					a2	c1	d1	e1
					a2	c1	d2	e4
					a2	c3	d3	e2
					a2	c4	d4	e4
					a3	c1	d1	e1
					a3	c2	d2	e2
					a3	c1	d3	e6
					a3	c4	d4	e4
					g1	b1		
					g2	b2		
					g3	b2		

1NF: (A, B, C, D, E, F, G)



2NF: (A, C, D, E), (A, F), (D, B, G)



3NF: (A, C, D, E) (A, F), (D, B, G)



BCNF: (A, C, D, E), (A, F), (B, G), (G, B)

• Stored Procedure.

- set of SQL statements that can be stored in the server

function / Procedure / Triggers
 ↪ user-defined ↪ return 1 or more ↪ depend on the event
 function dataset as OUT ↪ event: INSERT BEFORE
 ↪ multi return ↪ DELETE X AFTER
 ↪ one value of given type ↪ UPDATE

• DECLARATION

→ Function

DELIMITER \$\$

```
CREATE FUNCTION fn-name(param1 DataType, ...)  

RETURNS DataType [NOT] DETERMINISTIC.  

BEGIN
```

```
    DECLARE result DataType;  

    Statements;
```

```
    RETURN result;
```

END\$\$

DELIMITER ;

→ Procedure

DELIMITER \$\$

```
CREATE PROCEDURE pd-name([IN/OUT] param DataType, ...)
```

```
BEGIN
```

```
    Statements;
```

END \$\$

DELIMITER ;

• While

WHILE condition DO

Statements;

END WHILE;

→ Triggers

DELIMITER \$\$

```
CREATE TRIGGER · tg-name  

[BEFORE/AFTER] [INSERT/DELETE/UPDATE]
```

```
ON table-name FOR EACH ROW  

BEGIN
```

statements;

END \$\$

DELIMITER ;

new.*: new values
old.*: old values

• Declare Variable

optional

```
DECLARE variable-name DataType [DEFAULT initial value];
```

• Flow Controls

• If / else

IF condition THEN

Statements;

ELSEIF condition THEN

Statements;

ELSE

Statement;

END IF;

• Case

CASE variable-name

WHEN value1 THEN

Statements;

WHEN value2 THEN

Statements;

ELSE

Statements;

END CASE;

• Cursor. | DECLARE c-name CURSOR FOR SELECT; -- iterate through result

| DECLARE CONTINUE HANDLER FOR NOT FOUND Statement; -- when no result from cursor

| OPEN c-name; -- open cursor for use

| FETCH c-name INTO variable-name [attrib.]; - assign value from cursor to variable

| CLOSE c-name; -- close cursor after used.

► Relational Algebra & Relational Calculus

- Definition : Relation = table w/ rows & columns
Attributes = column name
Domain = set of allowable values
Tuple = a row Cardinality = # of tuples
Degree = # of attributes
Relational Database = a collection of relations
- Cartesian Product $A \times B = \{(x,y) \mid x \in A \wedge y \in B\}$
- subset of cartesian product is a relation

• Relational Algebra (RA)

Unary	σ	: SELECT (select some rows based on condition)
Relational	π	: PROJECT (select some columns)
Operation	ρ	: RENAME (don't worry we aren't going to use it)

Set Theory	\cup	: UNION
Operation	\cap	: INTERSECT
	-	: DIFFERENCE
	\times	: CARTESIAN PRODUCT

Join Operation	$R \bowtie_F S$: Theta-join = $\sigma_F(R \times S)$
	$R \bowtie_{=}$: Equi-join

JOIN
(cont.)

$R \bowtie S$: Natural Join
(a.k.a. inner join on common attribute)

$R \bowtie_L S$: LEFT Join on common attribute

$R \bowtie_R S$: RIGHT Join on common attribute

$R \triangleright_F S$: Semi Join = $\prod_A (R \bowtie_F S)$
(basically, join but show attributes in R only)

$R \div S$: Division

(Select R if match every tuple in S on attribute C)

Aggregated function

$\exists_{\text{max Attr.}}(R)$: MAX value in that attribute
(MIN / AVERAGE / SUM / COUNT)

$\forall_{\text{max Attr.}}(R)$: MAX value in that attribute
GROUP BY attribute A

• Relational Calculus (RC)

$\{ x \mid P(x) \}$
proposition

↳ predicate

Quantifiers

\exists : there exist (existential quantifier)
 \forall : for all (universal quantifier)

Query Processing

"find the efficient & correct execution strategy of query written in high-level language"

Tuple-oriented RC

$$\{ S.a, \dots | F(S_1, \dots S_n) \}$$

$S \rightarrow \text{relation}$

Domain-oriented RC

$$\{ d_1, \dots | F(d_1, \dots) \}$$

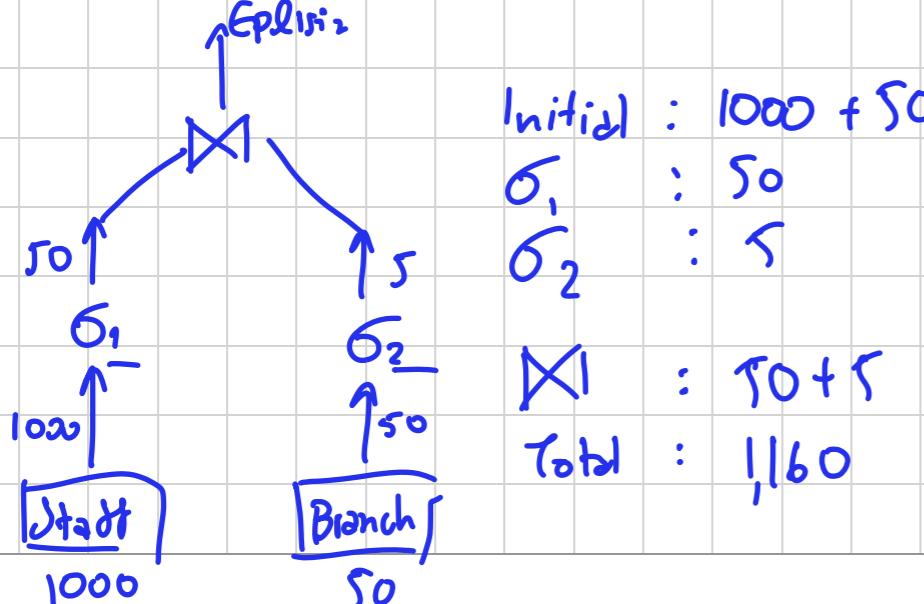
$d \rightarrow \text{domain}$

ex: List the names of all managers who earn more than £25k

Tuple : $\{ S.fName, S.lName | Staff(S) \wedge S.position = 'Manager' \wedge S.salary > 25000 \}$

Domain : $\{ fN, IN | (\exists sN, posn, sex, DOB, sal, bN)$
 $(Staff(sN, fN, IN, posn, sex, DOB, sal, bN)) \wedge posn = 'Manager' \wedge sal > 25000 \}$

(3)



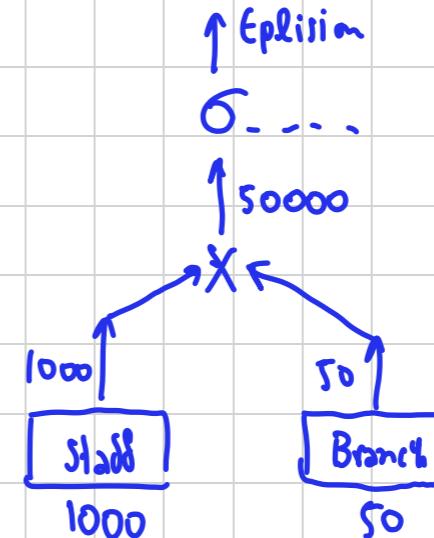
(1) $\sigma_{(position='Manager') \wedge (city='London')} (Staff \times Branch)$

(2) $\sigma_{(position='Manager') \wedge (city='London')} (Staff |><| staff.bno=branch.bno Branch)$

(3) $(\sigma_{position='Manager'}(Staff)) |><| staff.bno=branch.bno (\sigma_{city='London'}(Branch))$

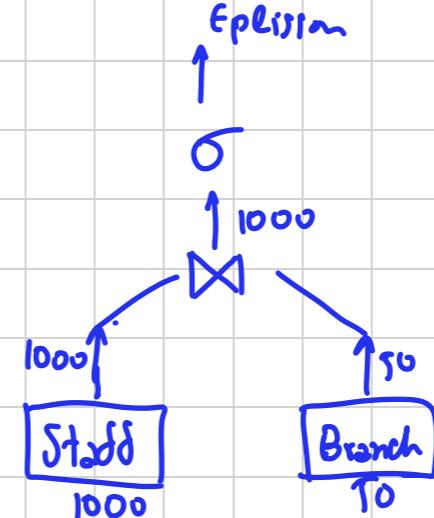
- ◻ 1000 tuples in Staff; 50 tuples in Branch;
- ◻ 50 Managers; 5 London branches;
- ◻ No indexes or sort keys;
- ◻ Results of any intermediate operations stored on disk;
- ◻ Cost of the final write is ignored;
- ◻ Tuples are accessed one at a time.

(1)



initial : $1000 + 50$
 after X : $50000 ; (1000 \times 50)$
 σ : 50000
 $= 1000 + 50 + (2 \times 50,000)$
 $= 101,050$

(2)



Initial : $1000 + 50$
 \bowtie : 1000
 σ : 1000
 $= 3,050$