

## Nested Loops

A nested loop is a loop within a loop.

Ex: MATLAB code

```
colors = ["blue", "white", "red", "brown"];  
things = ["egg", "liquid", "shirt"];  
  
for x = colors  
    display(x)  
end
```

OUTPUT

"blue"  
"white"  
"red"  
"brown"

```
colors = ["blue", "white", "red", "brown"];  
things = ["egg", "liquid", "shirt"];  
  
for x = colors  
    for y = things  
        display(x + " " + y)  
    end  
end
```

OUTPUT:

x = "blue"  
y = "egg" "blue egg"  
y = "liquid" "blue liquid"  
y = "shirt" "blue shirt"  
x = "white"  
y = "egg" "white egg"  
y = "liquid" "white liquid"  
y = "shirt" "white shirt"  
x = "red"  
y = "egg" "red egg"  
"red liquid"  
"red shirt"  
"brown egg"  
"brown liquid"  
"brown shirt".

"Alondra" + "Braulio" → "AlondraBraulio"

"Dustin" + " " + "Karina" → "Dustin Karina"

Ex: The  $n \times n$  (augmented) Hilbert matrix is the matrix whose  $(j,k)$  entry is

$$H(j,k) = \frac{1}{j+k+\lambda}$$

where  $\lambda$  is some chosen constant called the augmentation parameter.

How can I write a program to make this matrix?

```
H = zeros(n,n)
for j = 1:n
    for k = 1:n
        H(j,k) = 1/(j+k+lambda)
    end
end
```

$$\begin{bmatrix} \frac{1}{1+1+\lambda} & \frac{1}{1+2+\lambda} & \frac{1}{1+3+\lambda} & \dots & \frac{1}{1+n+\lambda} \\ \frac{1}{2+1+\lambda} & \frac{1}{2+2+\lambda} & \frac{1}{2+3+\lambda} & \dots & \frac{1}{2+n+\lambda} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ \frac{1}{n+1+\lambda} & \frac{1}{n+2+\lambda} & \frac{1}{n+3+\lambda} & \dots & \frac{1}{n+n+\lambda} \end{bmatrix}$$

$j=1$

$$\begin{aligned} k=1 & H(1,1) = \frac{1}{1+1+\lambda} \\ k=2 & H(1,2) = \frac{1}{1+2+\lambda} \\ k=3 & H(1,3) = \frac{1}{1+3+\lambda} \\ & \vdots \\ k=n & H(1,n) = \frac{1}{1+n+\lambda} \end{aligned}$$

$j=2$

$$\begin{aligned} k=1 & H(2,1) = \frac{1}{2+1+\lambda} \\ k=2 & H(2,2) = \frac{1}{2+2+\lambda} \\ & \vdots \end{aligned}$$

Write some MATLAB code to make an  $7 \times 9$  matrix whose  $(j,k)$  entry is  $jk + j^2 + k^3$

```
for j = 1:7
    for k = 1:9
        A(j,k) = j*k + j^2 + k^3;
    end
end
```

$k=1 \quad k=2 \quad \dots \quad k=9$

$j=1$

$$\begin{bmatrix} * & * & \dots & * \\ * & * & \dots & * \\ * & * & \dots & * \end{bmatrix}$$









