

# Are Economists Getting Climate Dynamics Right?

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# The models are getting it wrong

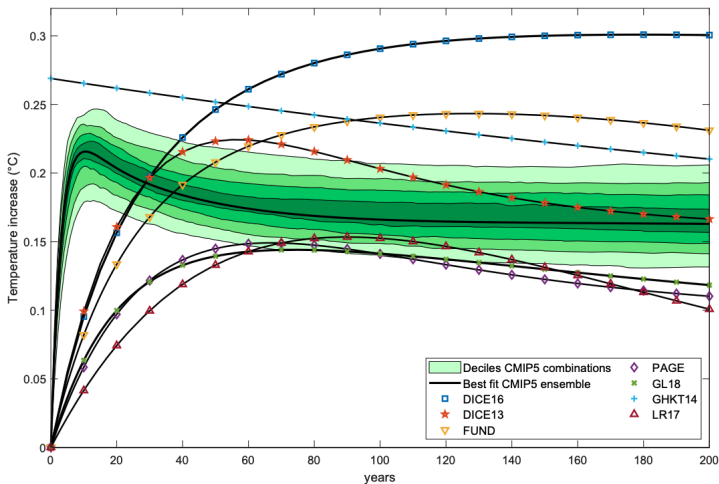
In this paper Dietz et. al. claim climate dynamics aren't accurately modelled in economics papers. Economists are getting predictions wrong in two major ways:

1. They underestimate how quickly temperatures will rise as a result of an emissions impulse;
2. They don't correctly model the saturation of carbon sinks

# Temperature Response Experiment

- ▶ Performed an experiment exposing climate models from DICE16, DICE13, FUND, PAGE, GL18, GHKT14, and LR17 to a 100 GtC (367 GtCO<sub>2</sub>) emissions impulse against a background CO<sub>2</sub> concentration of 389ppm
- ▶ Roughly equivalent to introducing 10 years of carbon emissions to the atmosphere from 2010
- ▶ Compared to an average model from an ensemble of 256 models from climate science (CMIP5)

Figure: Dynamic temperature responses of economics models and CMIP5



## What's going on?

- ▶ CMIP5 resembles a step function quickly increasing and then flattening out
- ▶ All the economics models (besides GHKT14) increase temperatures much more slowly and don't stabilize as much
- ▶ Predictions diverge severely 2 centuries out

## Why this is happening

- ▶ The change in temperature from an emission impulse is modelled by

$$\frac{\Delta T_t}{\Delta E_0} = \int_0^t \frac{\Delta T_t}{\Delta M_s} \frac{\Delta M_s}{\Delta E_0} ds$$

- ▶ In CMIP5,  $\frac{\Delta T_t}{\Delta M_s}$  is slowly increasing and  $\frac{\Delta M_s}{\Delta E_0}$  is slowly decreasing, which results in an initial gain in temperature followed by almost perfect offsetting
- ▶ Furthermore economics models end up reaching peak temperatures much later due to their incorrect models
  - ▶ 55, 68, 75, 92, 128, and 180 years out vs 10 years out in CMIP5

# Implications

- ▶ Delayed temperature responses means costs of carbon that are incurred further into the future
- ▶ This results in undervaluation of costs an increased sensitivity to discount rates

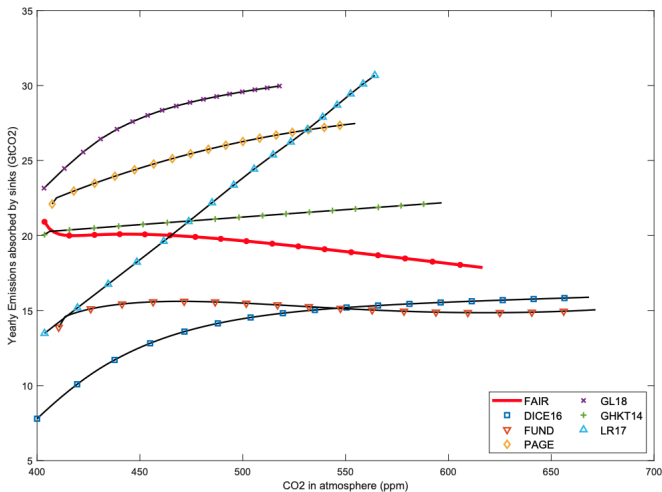
We'll elaborate soon, now we'll talk about the other shortcoming

# Undervaluation of Carbon Sink Saturation

- ▶ Carbon sinks get saturated as  $\text{CO}_2$  concentrations increase
- ▶ Economics models don't capture this positive feedback in the carbon cycle which causes overly optimistic estimates of emissions removal
- ▶ To show this, Dietz et. al. performed the same experiment as before but looked at absorption of carbon into sinks
- ▶ They compared economics models to FAIR which is a model from climate science with decreasing marginal carbon absorption as concentrations of  $\text{CO}_2$  increase



Figure: Emissions absorbed by sinks plotted against atmospheric CO<sub>2</sub>



## What's going on?

- ▶ FAIR has a negative slope indicating a decreasing marginal emissions uptake
- ▶ Economics models have largely linear emissions absorption which is far too optimistic when compared with FAIR
- ▶ None of the models except FUND have negative slope (FUND has a positive feedback mechanism)

# Implications

- ▶ Overly optimistic emissions uptake results in underestimates of long-term CO<sub>2</sub> concentrations and inaccurate temperature responses
- ▶ This impacts welfare evaluations

# Model considerations

There are 2 components in climate models to consider in comparisons:

1. Carbon cycle models
2. Temperature dynamics models

## Linear Reservoir Carbon Cycles

- ▶ Most papers model carbon cycle as a diffusion model between reservoirs
- ▶ The reservoir concentrations are given by a linear equation:

$$\mathbf{m}_t = \mathbf{A}\mathbf{m}_{t-1} + \mathbf{b}E_t$$

- ▶  $\mathbf{m}_t$  is the vector of reservoir carbon stocks,  $E_t$  is the emissions during the period  $t$  and  $\mathbf{A}$  is a matrix of diffusion coefficients
- ▶ Using spectral decomposition you can compute an impulse response that determines the aggregate carbon stock

$$\frac{\Delta M_t}{\Delta E_1} = \psi_1 + \sum_{i=2}^n \psi_i \lambda_i^{t-1}$$

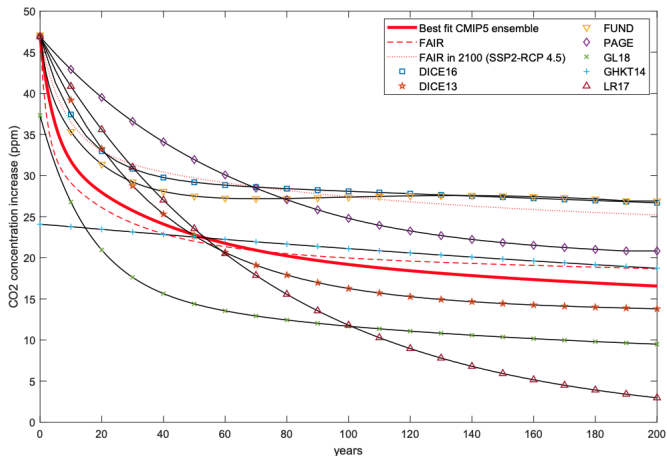
Table 1: Comparing key linear carbon cycle models

Model	Time step (years)	Box				
		1. Permanent	2. Temporary	3. Temporary	4. Temporary	5. Temporary
DICE 2016	5	22%	41%; 851 years	37%; 9 years		
FUND	1	13%	20%; 252 years	32%; 51 years	25%; 12 years	10%; 1.4 years
PAGE	varies	19%	43%; 73 years	38%; < 1 years		
GHKT14	10	20%	31%; 300 years	49%; < 10 years		
GL18	10	16%	18%; 91 years	44%; 11 years		
LR17	1		100%; 50 years			
Joos et al. (2013) / best fit	1	22%	22%; 277 years	28%; 25 years	28%; 3 years	
CMIP5 ensemble						

Key: the first figure in each cell is the fraction of emissions flowing into box  $i$  ( $\psi_i$ ) and the second figure the time it takes for half of the carbon to have left box  $i$  ( $\ln(0.5)/\lambda_i$  for Joos et al. (2013) and timestep  $\times \ln(0.5)/\ln(\lambda_i)$  for the other models).

Both FUND and PAGE include additional positive carbon cycle feedbacks that are not included in this table.

Figure: Emissions uptake as a result of removing a 100 GtC emissions impulse



## What's going on?

- ▶ Economic models differ severely from the best fit model CMIP5, but FAIR is a good approximation
- ▶ To account for saturation, FAIR scales down carbon removal by a factor based on

$$\text{iIRF}_{100} = r_{pi} + r_T T + r_C \left[ \sum_{s=pi}^t E_s - (M_s - M_{pi}) \right]$$

( $r_{pi}$ ,  $r_T$ ,  $r_C$  are constants)

- ▶ Dietz does not elaborate on this, but the effect is replacing  $\lambda_i \rightarrow \lambda_i / \alpha$  for some  $\alpha$  based on  $\text{iIRF}_{100}$



## Temperature Models

- ▶ Most economic and climate models agree on a radiative forcing model that's linear in log emissions:

$$F_t = F_{j \times CO_2} \left( \log_j \frac{M_t}{M_{1750}} \right) + F_{\text{non}CO_2,t}$$

- ▶ Intercept ( $F_{\text{non}CO_2,t}$ ) captures forcing by GHGs and other mechanisms that aren't CO<sub>2</sub>
  - ▶ May be endogenous or exogenous (DICE is exogenous, FUND and PAGE are endogenous and model dynamics of other GHGs)
- ▶ Can be simplified into an expression that's similar to the one from carbon cycles:

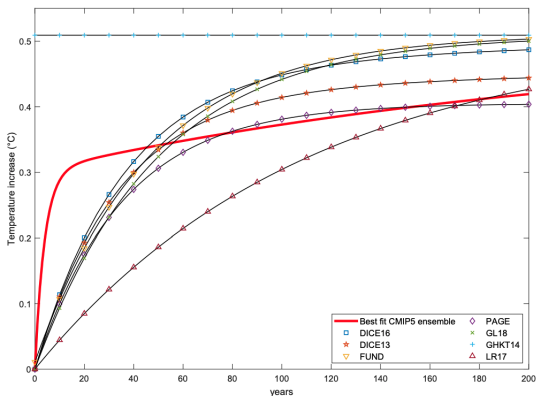
$$\Delta T_t = \sum_{s=1}^t \sum_{i=1}^2 \psi_i^T (\lambda_i^T)^{t-s} \Delta F_s$$

Table 2: Comparing linear temperature-forcing responses

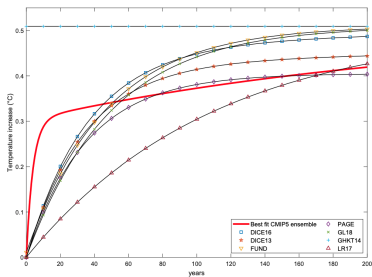
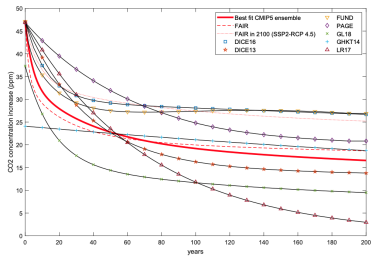
	Time step (years)	Box 1	Box 2
DICE 2016	5	9.9%; 25 years	0.2%; 150 years
FUND	1	100%; 31 years	
PAGE	varies	100%; 24 years	
GHKT14	10	n.a.	n.a.
GL18	10	100%; 34 years	
LR17	1	100%; 50 years	
Geoffroy et al. (2013) / best fit CMIP5 ensemble	1	13.5%; 3 years	0.2%; 167 years

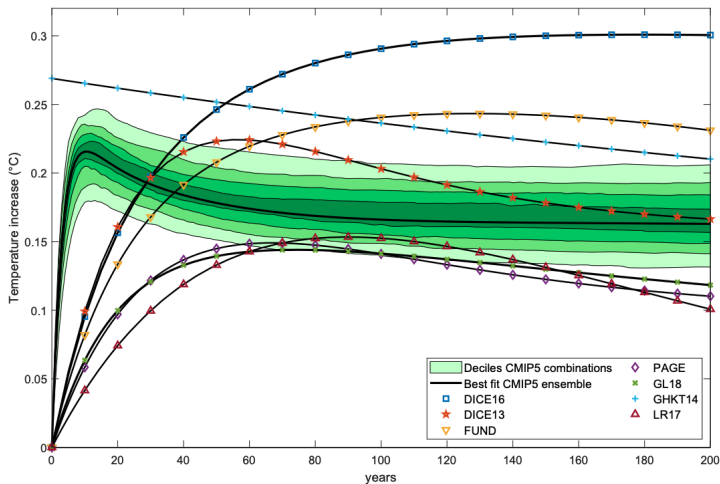
Key: The first figure in each cell is the weight of each mode and the second figure the half-life for each mode. PAGE models regional temperature and calculates global temperature as the area-weighted average.

Figure: Dynamic temperature responses for different models



- Every model has a temperature response that's too delayed





# Effect on Economic models

This analysis looks at the following.

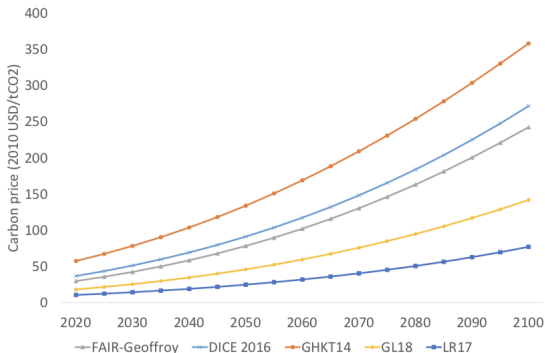
- 1 Optimal emissions (maximizing social welfare)
- 2 Limit warming to 2 degrees Celcius at minimum cost.

Table 3: List and description of models used for economic evaluation

Model	Description
DICE 2016	Standard DICE 2016 economy and climate
DICE-GHKT14	DICE 2016 economy with the Golosov et al. (2014) climate model
DICE-GL18	DICE 2016 economy with the Gerlagh and Liski (2018) climate model
DICE-LR17	DICE 2016 economy with the Lemoine and Rudik (2017) climate model
DICE-FAIR-Geoffroy	DICE 2016 economy with the FAIR carbon cycle and the Geoffroy et al. (2013) warming model
DICE-Joos-Geoffroy	DICE 2016 economy with the Joos et al. (2013) carbon cycle and the Geoffroy et al. (2013) warming model

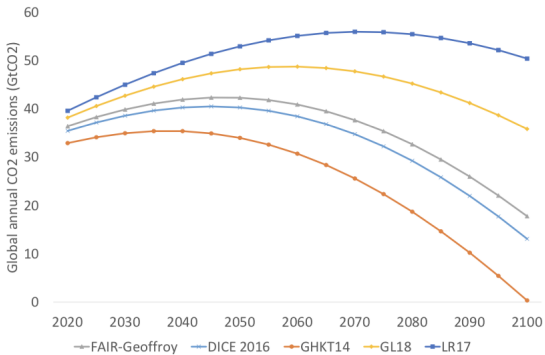
- ❶ Economics parts of all the models are DICE.
- ❷ Climate modules in DICE-FAIR-Geoffroy and DICE-Joos-Geoffroy represent recent climate science models.
- ❸ Policies examined
  - ❶ Optimal policies (maximizing social welfare)
  - ❷ Efficiently limit warming to  $2^{\circ}\text{C}$ .

Figure: Welfare Maximizing Carbon Price (SCC)



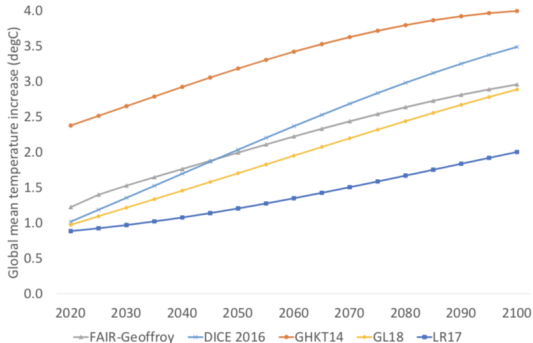
- 1 Science models are in the middle.
- 2 Initial welfare maximizing carbon price varies. \$57 in DICE-GHKT14, \$30 in DICE-FAIR-Geoffroy, \$11 in DICE-LR17. Unsurprisingly, the differences grow over time





Efficient carbon emissions.

Figure: Optimal Warming



- 1 Lowest optimal warming in 2100 is DICE-LR17, which has lowest carbon price and highest emissions. Why? Because it has slow temperature response when CO<sub>2</sub> concentrations are high.
- 2 Warming is high in GHKT14 because it has no delay and exogenous radiative forcing.

**Figure:** Carbon prices to limit warming to 2 degrees C.

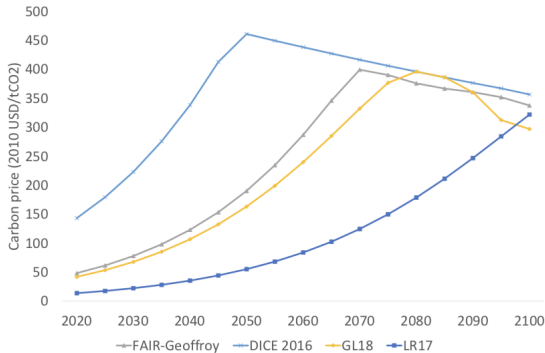


Figure: Achieving the 2°C Constraint

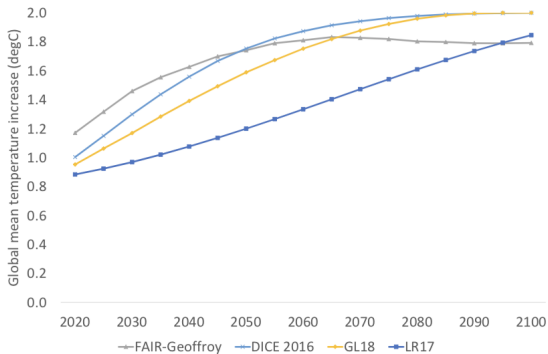
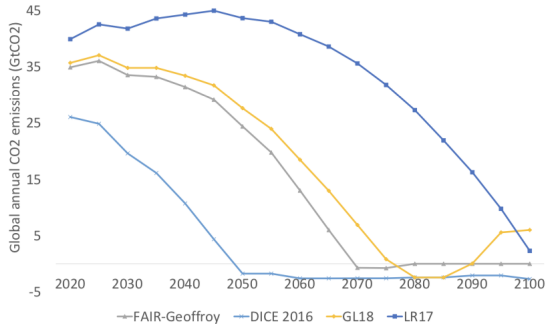


Figure: Emission Limits



- 1 Eventually, emissions have to become negative to achieve the  $2^{\circ}\text{C}$  constraint.

## Effects of Delayed Warming.

The longer the delay, the farther out in the future are the damages, which are **discounted**. Hence, delay will bias the SCC and optimal carbon taxes down.

There also seems to be a second-order effect from feedback or lack thereof.

				2020	2050	2100	2020	2050	2100	2020	2050	2100
	Model	Carbon-cycle feedback	Temp. model	Carbon price (USD/tCO <sub>2</sub> )			CO <sub>2</sub> emissions (GtCO <sub>2</sub> )			Warming (°C)		
1	DICE-FAIR-Geoffroy	Yes	Short delay	29.68	78.17	242.18	36.37	42.28	17.75	1.22	1.99	2.95
2	DICE-Joos-Geoffroy	No	Short delay	26.97	66.53	197.61	36.76	44.23	25.28	1.25	2.08	3.01
3	Delay 56	No	Long delay	23.02	55.45	159.01	37.35	46.28	32.38	0.98	1.81	2.93
4	Delay 112	No	Long delay	17.88	42.17	122.98	38.19	48.91	39.68	0.92	1.52	2.67
5	DICE 2016	No	Long delay + too hot later	36.72	91.04	271.34	35.40	40.25	13.07	1.02	2.03	3.48

Models for this analysis are DICE-Joos-Geoffroy. Models converge at different speeds to the same long-run temperature from an emissions impulse.

- 1 Delay 56: Peak warming is 56 years after the emission impulse.
- 2 Delay 112: Peak warming is 112 years after the emission impulse. Achieved by increasing the effective heat capacity of the ocean and decreasing the rate of CO<sub>2</sub> removal.
- 3 DICE-FAIR-Geoffroy includes feedbacks (closest to science). DICE-Joos-Geoffroy does not.
- 4 Long delay lowers carbon price.
- 5 Including the feedbacks raises carbon price.

Model	Discount	2020	2030	2040	2050	2060	2070	2080	2090	2100
DICE-Joos-Geoffroy	Standard	26.97	37.55	50.64	66.53	85.52	107.86	133.86	163.72	197.61
	Public	40.45	53.20	71.53	94.24	121.13	152.31	187.95	228.20	273.12
	% diff.	<b>50.0</b>	<b>41.7</b>	<b>41.3</b>	<b>41.6</b>	<b>41.6</b>	<b>41.2</b>	<b>40.4</b>	<b>39.4</b>	<b>38.2</b>
Delay 56	Standard	23.02	31.79	42.54	55.45	70.73	88.55	109.12	132.57	159.01
	Public	36.59	47.44	63.25	82.70	105.50	131.68	161.29	194.30	230.49
	% diff.	<b>59.0</b>	<b>49.2</b>	<b>48.7</b>	<b>49.1</b>	<b>49.2</b>	<b>48.7</b>	<b>47.8</b>	<b>46.6</b>	<b>44.9</b>
Delay 112	Standard	17.88	24.38	32.41	42.17	53.82	67.56	83.57	102.00	122.98
	Public	30.07	38.09	50.46	65.93	84.25	105.41	129.46	156.41	186.10
	% diff.	<b>68.2</b>	<b>56.3</b>	<b>55.7</b>	<b>56.4</b>	<b>56.5</b>	<b>56.0</b>	<b>54.9</b>	<b>53.3</b>	<b>51.3</b>

- 1 Examine optimal carbon tax sensitivity to the discount rate.
- 2 Rate of time preference: 1.5% (standard), 0.1% (public). Then combine with 2.5% per capita growth, discount rate becomes 5.1% (standard) and 3.5% (public).
- 3 Accounting faster reaction and feedbacks lowers the sensitivity. Why? Because costs are more heavily borne in the near term?