# From Excel Scaffold to Bloomberg-Driven CCS Pricing: BDP Wiring, Drag-Down Mechanics, and Interpretation

### Purpose

This note explains how to take the provided Excel scaffold (MarketData + Calc sheets) and connect it to Bloomberg via BDP formulas, so that spot FX, forwards, and discount curves update from the terminal. We also describe how the drag-down design works across arbitrary tenors, how to interpret the outputs  $(x, x_{\text{basis}}, B, \phi)$ , and a minimal sequence of next steps (plots and diagnostics) to show the mathematical power of the method.

#### Pre-requisites:

- Bloomberg Excel Add-In enabled and logged in.
- The refined workbook scaffold with:
  - MarketData: tables tblPd  $(T, P_d)$ , tblPf  $(T, P_f)$ , tblFwd (T, Fwd), named range Spot.
  - Calc: drag-down block in columns A:N, summary in Q:R.

## Step 1: Wire *MarketData* to Bloomberg

The goal is to fill Spot, tblFwd, tblPd, and tblPf with Bloomberg-driven values.

#### 1.1 Spot FX

In MarketData!B1 (named Spot), insert a BDP for the spot level. For example:

```
=BDP("EURUSD Curncy", "PX_LAST")
```

(Use the Excel Bloomberg Formula Builder to choose your preferred bid/mid/ask field.)

#### 1.2 FX forwards (outrights or points)

Populate tblFwd with outright forwards  $\{F_t(T)\}\$  at the tenors listed in its Tenor column.

Method A (one cell per tenor; recommended for clarity). Place the cursor in MarketData!H5 (first Fwd cell), open the Bloomberg Formula Builder (*Create*), select the FX pair (<ccy1><ccy2> Curncy), select a forward field (outright or points), and add a tenor override that points to the cell with the tenor label from tblFwd[Tenor]. The Formula Builder will emit a BDP with the correct override syntax. The pattern looks like:

```
=BDP($B$<pairCell> & " Curncy",
    "<FIELD_FOR_FWD_OUTRIGHT>",
    "Tenor", [@[Tenor]])
```

*Note:* Exact field names/overrides vary by entitlement and convention. Use the Formula Builder to select the canonical field (outright vs points) for your venue/source, and point the override to the **Tenor** cell in the same row so it drags.

**Method B (bulk-to-range).** Some FX fields expose a full forward curve as a bulk field (array). Use the Formula Builder to return the forward curve into an unused range, then *link* the appropriate tenors into tblFwd with XLOOKUP:

```
= XLOOKUP([@[Tenor]], BulkCurveTenors, BulkCurveOutrights)
```

#### 1.3 Discount factors

tblPd and tblPf hold discount factors at the *same* tenors as tblFwd. You have two common routes:

Route 1: Pull zero/swap/OIS rates and convert to DFs. Fetch a term structure of rates  $\{r(T)\}$  via BDP or BDS (bulk), then convert with the compounding convention you choose. For continuous compounding:

$$P(t,T) = e^{-r(T)T}.$$

In Excel (inside tblPd):

= EXP( - [@[Tenor]] \* XLOOKUP([@[Tenor]], tblPdRates[Tenor], tblPdRates[ZeroRate]) )

Repeat analogously for the foreign curve (tblPf). If you pull simple/annual rates, adjust the formula for the correct day-count/compounding.

Route 2: Pull discount factors directly. Certain curve tickers/fields return discount factors per tenor. Use the Formula Builder to return those values directly into tblPd/tblPf matching Tenor row-by-row.

**Practical tip.** Keep the *tenor labels* in tblPd, tblPf, and tblFwd identical (e.g. 1, 2, 3, 5, ... years or 1Y, 2Y, ...). This makes XLOOKUP exact and the Calc sheet drag-down seamless.

### Step 2: Drag-down mechanics on Calc

Column A ( $Tenor\ (yrs)$ ) is the driver: type any ladder (1, 2, 3, 5, 10, 15, 20, 30) and drag formulas down.

- Accruals:  $\Delta_i = T_i T_{i-1}$  and  $\delta_i = \Delta_i$  (or point to a foreign accrual rule).
- Lookups:  $P_d(t,T_i)$ ,  $P_f(t,T_i)$ ,  $F_t(T_i)$  via XLOOKUP into the three MarketData tables.
- Forward-floating rates:

$$L_{d,i} = \frac{P_d(T_{i-1}) - P_d(T_i)}{\Delta_i P_d(T_i)}, \qquad L_{f,i} = \frac{P_f(T_{i-1}) - P_f(T_i)}{\delta_i P_f(T_i)},$$

implemented by referencing the prior row's DF values.

- FX conversion factor:  $C(t, T_i) = F_t(T_i)/S_t$  (uses named Spot).
- Period PVs: DomLeg<sub>i</sub> =  $\Delta_i P_d(T_i) L_{d,i}$ , ForLeg<sub>i</sub> =  $\delta_i P_d(T_i) C(t, T_i) L_{f,i}$ .
- Basis diagnostics:  $B(t, T_i) = \frac{C(t, T_i)}{P_f/P_d}$ ,  $\phi = \log B$ , and BasisAdj<sub>i</sub> =  $\delta_i P_f(T_i)(B-1)L_{f,i}$ .

The summary computes  $A_d = \sum_i \Delta_i P_d$ ,  $x = \frac{\sum_i \operatorname{ForLeg}_i - \sum_i \operatorname{DomLeg}_i}{A_d}$ , and  $x_{\operatorname{basis}} = \frac{\sum_i \operatorname{BasisAdj}_i}{A_d}$ , with both decimal and bps displays.

# Step 3: Interpreting the outputs

- Par spread x (bps). The fair domestic spread that equates legs. Positive x: foreign leg richer after converting via forwards; negative x: domestic leg richer.
- Basis factor B. B=1 is CIP-consistent;  $B \neq 1$  measures the wedge between observed forwards and the ratio  $P_f/P_d$ .

- Log-basis  $\phi = \log B$ . For small deviations,  $\phi \approx B 1$ . Useful for linearised analytics and averaging.
- Basis-only spread  $x_{\text{basis}}$ . The portion of x attributable purely to basis; lets you attribute moves in x to basis vs. curve/rate effects.
- **Per-period reconciliation.** Inspect row-level contributions DomLeg<sub>i</sub>, ForLeg<sub>i</sub>, BasisAdj<sub>i</sub> to see which maturities drive the result.

## Step 4: Minimal next steps (plots & diagnostics)

These are small, high-signal additions that show the maths working and the method's power.

- 1. CIP check: B vs tenor. Line plot of  $B(t, T_i)$  across  $T_i$ . Add a reference line at 1.00. This visually quantifies basis across the curve.
- 2. **Spread decomposition:** x **vs**  $x_{\text{basis}}$ . Two numbers (bars) or a stacked bar showing total x and the basis-only share. Highlights whether x is driven by basis or domestic/foreign curve shape.
- 3. Waterfall of contributions. Bar chart of period PV differences  $ForLeg_i DomLeg_i$ . Reveals which maturities dominate the par spread.
- 4. Sensitivity nibbles (optional). Small bump tests: +1bp parallel on C (or forwards),  $P_d$ ,  $P_f$  to show directional impacts on x. A simple three-bar "tornado" communicates robustness.

**Excel how-to (plots).** Select the data in Calc, insert a *Line* chart for B vs tenor; insert *Clustered column* for x (bps) and  $x_{\text{basis}}$  (bps); insert *Column* for the per-period PV differences. Keep axis units in years and label bps explicitly.

# Operational notes and guardrails

- Exact Bloomberg fields. Field names and overrides depend on entitlement/source. Use the *Bloomberg Formula Builder* to pick the canonical fields (spot, forward outright or points, curve/DFs) and to inject tenor/date overrides tied to the Tenor cells so the BDP drags row-by-row.
- Compounding conventions. If converting rates to DFs, align day-count/compounding across domestic/foreign; mismatch will masquerade as basis.
- Volatile recalc. BDP is live; consider *Manual Calculation* during development to keep the sheet responsive.
- Tenor alignment. Ensure tblPd, tblPf, and tblFwd share the same tenor labels as Calc!A.

## Appendix A: Example Excel snippets (templates)

```
' Spot (named range Spot)
=BDP("EURUSD Curncy", "PX_LAST")
' Forwards (per tenor row, use Formula Builder to emit field + tenor override)
=BDP("EURUSD Curncy", "<FIELD_FOR_FWD_OUTRIGHT>",
     "Tenor", [@[Tenor]])
' If pulling zero rates then converting to discount factors:
'tblPdRates[Rate] holds the domestic zero rate r(T) in decimal (cont comp for example)
=EXP( - [@[Tenor]] * XLOOKUP([@[Tenor]], tblPdRates[Tenor], tblPdRates[Rate]))
' Calc sheet (already wired in the scaffold)
C(t,T_i)
           : =H(row)/Spot
B(t,T_i)
           : =I(row)/(E(row)/D(row))
phi
           : =LN(J(row))
DomLeg_i
           : =B(row)*D(row)*F(row)
ForLeg_i : =C(row)*D(row)*I(row)*G(row)
BasisAdj_i : =C(row)*E(row)*(J(row)-1)*G(row)
' Summary
A_d
           : =SUMPRODUCT(B:B, D:D) over active rows
           : =(SUM(ForLeg_i)-SUM(DomLeg_i))/A_d
х
           : =SUM(BasisAdj_i)/A_d
x_basis
```

# Appendix B: Minimal QC checklist

- B near 1.00 when  $\frac{F}{S} \approx \frac{P_f}{P_d}$  (CIP sanity).
- $P_d$ ,  $P_f$  monotone decreasing in T (typical DF shape).
- $\sum \Delta_i P_d$  (annuity) positive and of reasonable magnitude.
- Replacing forwards by  $S \cdot P_f/P_d$  (i.e. forcing B=1) shrinks  $x_{\text{basis}}$  to  $\approx 0$ .

This completes the wiring from Bloomberg into the Excel engine, preserves the clean drag-down mechanics over arbitrary tenors, and provides immediate visual diagnostics (*B*-curve, spread decomposition, contribution waterfall) to demonstrate the mathematical structure and explanatory power of the method.