

1.) Informed Search

i.) Greedy Search Description

- First I check if the current vertex we are at is the Goal.
- If it is, I return from the method
- If it is not, I loop through the neighbors of the current vertex
- If the vertex has not already been visited
 - I then compare the value of the heuristic function for the current vertex to the vertex I am currently going to go to next (initially initialized to the first neighbor in the graph).
- If the current vertex's heuristic is smaller than the one I am currently about to go to I set the current vertex to be the one I am most likely to go to.
- After iterating through all the neighbors I add the one that I will be going to next to the path and visited Nodes.
- I then recursively call the search function using the next vertex as the starting point

ii.) Results of Greedy Search

- Nodes expanded: ['S', 'E', 'R', 'F', 'G']
- Path returned: ['S', 'E', 'R', 'F', 'G']

iii.) A* Search Description

- while there are known un-expanded nodes
- get the node with the smallest total cost
- if that node is the goal return the path and expanded nodes
- else
- remove node from the un-expanded list and add it to the expanded list
- loop through the neighbors of the current vertex
- if the neighbor has already been expanded skip it
- else
- sum the total edge weight of the current node with the weight of the edge to its neighbor
- if the neighbor is not in the set of known nodes add it
- else check if the current total edge weight is greater than or equal to the total edge weight of the neighbors
- if so skip it
- else
- set the parent of the neighbor to be the current node
- set the total edge weight for the neighbor to the current edge weight
- set the total weight for the neighbor to the total edge weight of the neighbor + the heuristic of the neighbor
- delete the current node from the total weight dictionary
- to get the path
- loop through the parent dictionary created when going through the graph
- set the current node to the parent of the current node
- add the new current node to the path
- reverse the path so it is the right way

iv.) **Results of A* Search**

- Nodes expanded: ['S', 'D', 'E', 'R', 'B', 'F', 'A', 'G']
- Path returned: ['S', 'D', 'E', 'R', 'F', 'G']

v.) Yes, h is admissible. Every heuristic in the graph is less than or equal to the actual distance between the node and the goal.

vi.) Yes, h is constant because for every pair of nodes A and C, $h(A) - h(C) \leq \text{cost}(A \text{ to } C)$.

2.) **Constraint satisfaction Problems**

i.) After a value is assigned for A and forward checking is done for A the domains for B, D, and E will change.

ii.) After forward checking is done for A and then a value is assigned to D and forward checking is done for D the domains that might change would be E and F

iii.) After assigning a value to A and enforcing arc consistency the domains that may be changed are D and E.

iv.) After a value is assigned to A and arc consistency is enforced and then a value is assigned to D and Arc Consistency is enforced there are no domains that will be effected.

v.) No, there is not a valid solution, because the nodes can only have one of two values and D and E share the same parent and are also adjacent to each other. For example, when A is black, D and E will both need to be white however, D and E cannot be the same color.

3.) **Adversarial search**

i.) **Adversarial search description**

- First we pass the root of the tree to the value function.
- Then we get the type of the node that the root is based on its root Id.
- If the node is a terminal node we return the value stored in that node.
- If the node is a max node we return the value returned by the max_value function done on the node
- If the node is a min node we return the value returned by the min_value function done on the node.
- In the max_value function
 - we set the initial state of the value to be returned to 0 (this is smaller than the smallest possible number in the tree).
 - Next we make a list of the children coming off of the node
 - We then loop through the list of children and get the max value between them.
 - We get the value of the children through a recursive call to the value function with the child as the state
 - We then set the value of that node to that max value
 - then we return the value
- In the min_value function
 - we set the initial value to be returned to 100 (this is larger than any possible value in the tree)
 - next we make a list of the nodes children.
 - We loop through the children getting the min value between them.

- iii.) Output value: 3

- In the value function we check the type of our current node and then call the respective function for a min node or max node, or we return the value if it is a terminal node.
- In the max_value function
 - we get out list of children and we loop through them getting the max value between the two
 - next we check if that value is larger than or equal to the current beta
 - if so we return that value
 - if not then we set the new alpha to the max between the current alpha and the new found value
 - we then return the found value
- In the min_value function
 - We get our list of children and then loop through them getting the smallest value between them
 - if that value is less than or equal to the current value we return that value
 - else we set the new beta to the min between the current beta and the found value
 - we then return the found value.
- To get the path we call the get_path function with the output from the search and the root of the tree
- we then append the nodes id to the path
- if the node has children we check if the left child has the same value as the output value.
- If so we call the get_path function with the left child as the staring point
- else we make the call on the right child

v.) Alpha beta pruning output

- **Output value: 3**
- **Output Path: ['l1_0', 'l2_1', 'l3_3', 'l4_7', 'l5_15']**
- *l1_0 represents a node at the first level of the tree and at index 0 in the tree

vi.)

No, the pruning does not get us the output path, because no pruning is done down the right side of the tree.