Interferometric stabilisation of a fiber-based optical computer

Experimental study

Denis Verstraeten

ULB - Opera Photonics

April 5, 2019



- Introduction
- Reservoir Computing
- 3 Photonics reservoir computer with frequency-multiplexed neurons
- 4 Interferometric stabilisation of RC optical resonator
- Outlooks

Context

- The need for always faster data processing devices is ever increasing
- This motivates the study of a new physical computation paradigm, the optical computer
- This kind of computer relies on light to process information
- Different ways to implement computing logic
- In this work, focus on Reservoir Computing (RC)

- Introduction
- Reservoir Computing
- 3 Photonics reservoir computer with frequency-multiplexed neurons
- Interferometric stabilisation of RC optical resonator
- Outlooks

Reservoir Computing (RC) in a nutshell...

- Artificial Neural Network
- Real-time data processing scheme
- Can be implemented in physical systems
- State of the art performances in time series prediction

Mathematical model of a RC

Discrete time dynamics of a neuron [Jae01]:

$$x_i(t+1) = f_{NL} \left(W^{ij} x_j(t) + W^{ij}_{in} u_j(t) + W^{ij}_{fb} y_j(t) \right)$$
(1)

Discrete time output of the reservoir:

$$y_i(t) = W_{\text{out}}^{ij} x_j(t) \qquad (2)$$

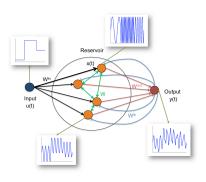


Figure: [BFP12]

Example - NARMA 10

 Nonlinear AutoRegressive Moving Average

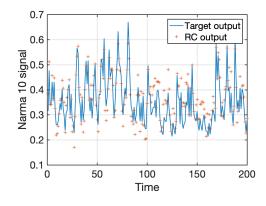
50 neurons

• Washout: 300

• Learning: 3000

• Testing: 6000

• NMSE = 0.1439



Example - Nonlinear Channel Equalisation

50 neurons

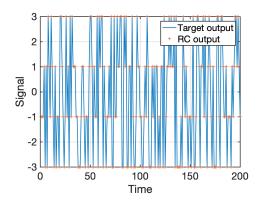
 \bullet SNR = 32 dB

• Washout: 300

• Learning: 3000

• Testing : 6000

• SER= $3.33 \cdot 10^{-4}$



- Introduction
- Reservoir Computing
- 3 Photonics reservoir computer with frequency-multiplexed neurons
- 4 Interferometric stabilisation of RC optical resonator
- Outlooks

Introduction
Reservoir Computing
Photonics RC with frequency-multiplexed neurons
Interferometric stabilisation of RC optical resonator
Outlooks

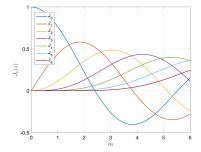
Motivations

- Blablabla
- Coupling of the different frequencies

Frequency coupling - phase modulator I

Effect of a phase modulator:

$$Ee^{-i\omega t} \xrightarrow{\Omega} Ee^{-i\omega t}e^{im\sin\Omega t} = \sum_{k=-\infty}^{\infty} EJ_k(m)e^{-i(\omega+k\Omega)t}$$
 (3)



- m usually small (≤ 2)
- $J_k(m)$ decrease fast with k
- Series can be truncated
- Finite number of frequencies can be coupled

Frequency coupling - phase modulator II

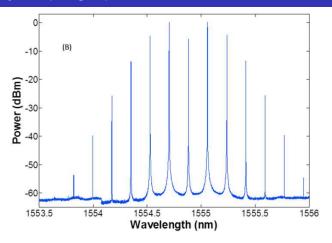


Figure: Spectrum inside the cavity. 13 frequencies are usable.[Akr+16]

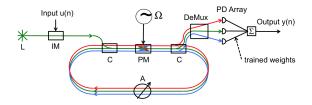


Figure: [Akr+16]

- Introduction
- Reservoir Computing
- 3 Photonics reservoir computer with frequency-multiplexed neurons
- 4 Interferometric stabilisation of RC optical resonator
- Outlooks

- Introduction
- Reservoir Computing
- 3 Photonics reservoir computer with frequency-multiplexed neurons
- 4 Interferometric stabilisation of RC optical resonator
- Outlooks

- [Akr+16] A. Akrout et al. "Parallel photonic reservoir computing using frequency multiplexing of neurons". In: (2016).
- [BFP12] A. Bernal, S. Fok, and R. Pidaparthi. "Financial Market Time Series Prediction with Recurrent Neural Networks". In: (2012). URL: http://citeseerx.ist.psu.edu/viewdoc/download?doi=10.1.1.278.3606&rep=rep1&type=pdf.
- [Jae01] H. Jaeger. The "echo state" approach to analysing and training recurrent neural networks. 2001.