

3D Road Scene understanding with soft continuous occlusion modeling

Vikas Dhiman

NEC Laboratories America

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- ▶ Use output of various sub-systems
 - ▶ Ego motion
 - ▶ Detection bounding boxes
 - ▶ Detection orientation
 - ▶ Maps, GPS
 - ▶ Point tracks on objects

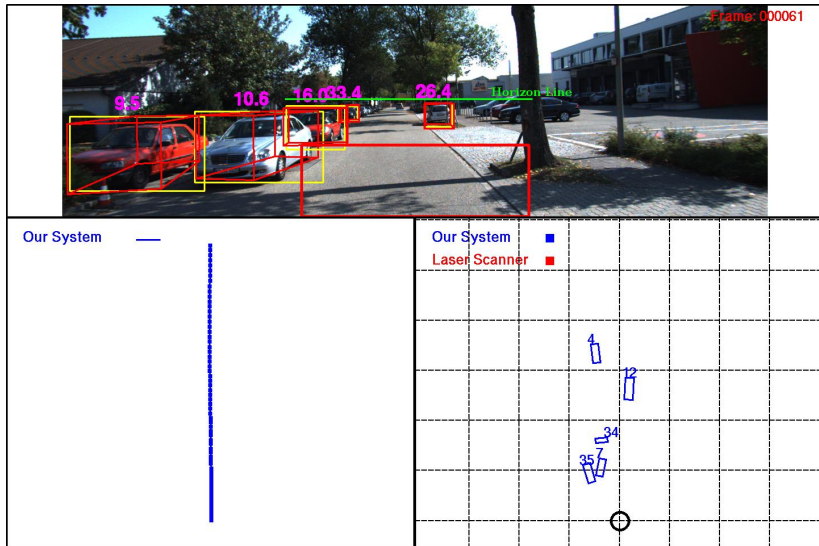
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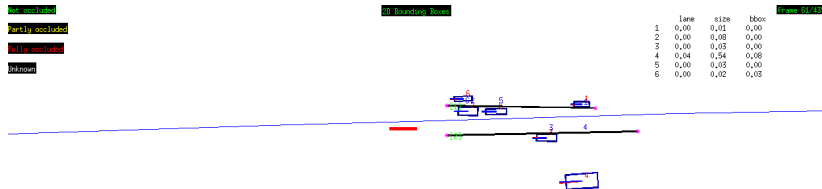
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- ▶ Output the most likely configuration of scene that best fits the output of various sub-systems and our heuristic knowledge

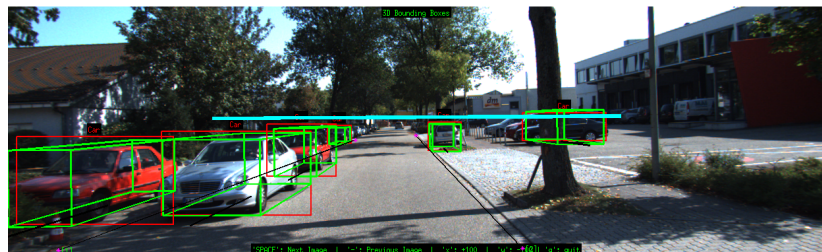
Before

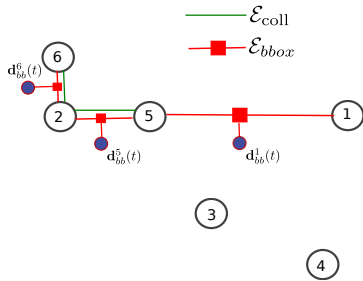


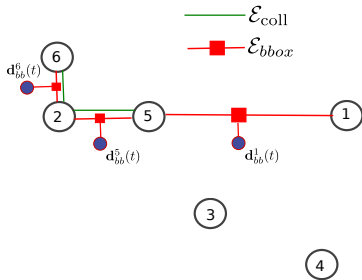
After



lon=8,43678;lat=49,00672;49,00962



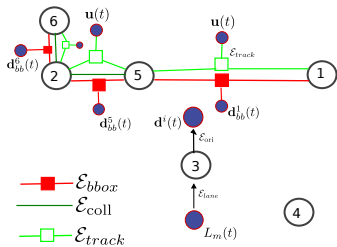




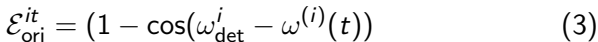
$$\mathcal{E}_{\text{col}}^{ijt} = \frac{|\Sigma_i|^{\frac{1}{4}} |\Sigma_j|^{\frac{1}{4}}}{|\frac{1}{2}\Sigma_i + \frac{1}{2}\Sigma_j|^{\frac{1}{2}}} e^{-\frac{1}{8}(\mathbf{p}^{(i)}(t) - \mathbf{p}^{(j)}(t))^{\top} (\frac{1}{2}\Sigma_i + \frac{1}{2}\Sigma_j)^{-1} (\mathbf{p}^{(i)}(t) - \mathbf{p}^{(j)}(t))} \quad (1)$$

$$\mathcal{E}_{\text{occ}}^{ijt}(\Omega^i(t), \mathbf{B}^i, \Omega^j(t), \mathbf{B}^j) = \sum_k p_{ik}^{\text{track}} (\pi_{\Omega^i(t)}(\mathbf{B}^i) - \mathbf{d}^k(t))^\top \boldsymbol{\rho}(i, j, t) \quad (2)$$

where p_{ik}^{track} is the probability of k th detection being the right track for i hypothesis. (to be computed from tracklet score)



$$\mathcal{E}_{ori}^{it} = (1 - \cos(\omega_{det}^i - \omega^{(i)}(t))) \quad (3)$$



where $a_j^i(t)$ is the probability of association of $u_j(t)$ with tracklet i .

$a_j^i(t)$ is soft occlusion dependent probability. Assume the projection of tracklet is given by 2D bounding box $[u_l^i, v_t^i, u_r^i, v_b^i] = \pi_{\Omega^i(t)}(\mathbf{B}^i)$. Approximate bounding box by ellipse

$$\mu_i = \frac{1}{2} \begin{bmatrix} u_l^i + u_r^i \\ v_t^i + v_b^i \end{bmatrix} \quad (5)$$

$$\Sigma_i = \begin{bmatrix} \frac{2}{(u_l^i - u_r^i)^2} & 0 \\ 0 & \frac{2}{(v_t^i - v_b^i)^2} \end{bmatrix} \quad (6)$$

The occlusion function

Following [?] we model occlusion as soft continuous probabilistic function that varies with distance from camera and distance of the center of projection of the object.

$$f_{\text{occ}}^i(u, v, \lambda) = \frac{N(u, v; \mu_i, \Sigma_i)}{1 + e^{-\frac{\lambda - \mu_i^{(d)}}{\beta}}} \text{where} \quad (7)$$

$$\beta = \frac{\mathbf{B}_z^i}{2 \log(49)} \quad (8)$$

$$\mu_d = \Omega^i(t)_z \quad (9)$$

Soft occlusion modeling using can be viewed as if the traffic participant are being viewed as translucent objects with the probability of reflection as $P_{\text{reflection}} = f_{\text{occ}}^i$. Given a point (u, v) on the image, the probability of its association to the i tracklet is given by

$$a_j^i(t) = f_{\text{occ}}^i(u, v, \mu_i^{(d)}) \prod_{k: \mu_k^{(d)} < \mu_i^{(d)}} (1 - f_{\text{occ}}^k(u, v, \mu_i^{(d)})) \quad (10)$$

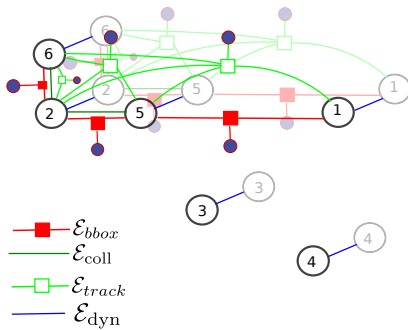
where the second term determines the probability of ray being *not occluded* by the k objects in front of the i th object and the first term is the probability of the ray being finally *occluded* by the i object.

Since our occlusion function f_{occ}^i is dependent upon depth as well, we can remove the explicit condition over $k : \mu_k^{(d)} < \mu_i^{(d)}$.

$$a_j^i(t) = f_{\text{occ}}^i(u, v, \mu_i^{(d)}) \prod_k (1 - f_{\text{occ}}^k(u, v, \mu_i^{(d)})) \quad (11)$$

Also, in practice we compute this association only for the tracklets that have overlapping 2D bounding boxes.

$$a_j^i(t) = \begin{cases} f_{\text{occ}}^i \prod_{k:(u,v) \in \pi_{\Omega^k(t)}(\mathbf{B}^k)} (1 - f_{\text{occ}}^k) & \text{if } i : (u, v) \in \pi_{\Omega^i(t)}(\mathbf{B}^i) \\ 0 & \text{otherwise} \end{cases} \quad (12)$$



$$\mathcal{E}_{\text{dyn-hol}}^{it} = 1 - \omega^{(i)}(t-1) \cdot (\mathbf{p}^{(i)}(t) - \mathbf{p}^{(i)}(t-1)) \quad (14)$$

$$\mathcal{E}_{\text{dyn-ori}}^{it} = \|\omega^{(i)}(t) - \omega^{(i)}(t-1)\|^2 \quad (15)$$

$$\mathcal{E}_{\text{dyn-vel}}^{it} = \|(\mathbf{p}^{(i)}(t) - 2\mathbf{p}^{(i)}(t-1)) + \mathbf{p}^{(i)}(t-2)\|^2 \quad (16)$$

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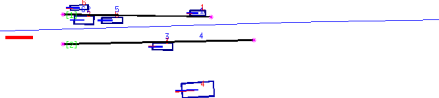
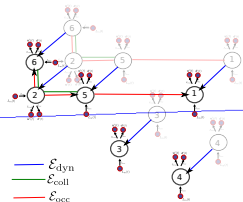
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- ▶ We will need simpler smooth analytical approximation of messages for continuous state spaces.
- ▶ The approximation will need to be done for each message passing step

Unknown

2D Bounding Boxes

Frame 61/439

	lane	size	bbox
1	0.00	0.01	0.00
2	0.00	0.08	0.00
3	0.00	0.03	0.00
4	0.04	0.54	0.08
5	0.00	0.03	0.00
6	0.00	0.02	0.03



lon=8.43678;8.43925 lat=49.00872;49.00962

