NP-hard problems and NP-complete problems are the subsets of NP problems.

○ T ◎ F

○ 创建提问 🖸

The decision problem HALTING returns TRUE, if, for a given input I and a given (deterministic) algorithm A, A terminates, otherwise it loops forever. The HALTING problem is NP-complete.

F

If P = NP then the Shortest-Path (finding the shortest path between a pair of given vertices in a given graph) problem is NP-complete.

Τ

## All NP problems are decidable.

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To prove problem B is NP-complete, we can use a NP-complete problem A and use a polynomial-time reduction algorithm to transform an instance of problem

F

Given that problem A is NP-complete. If problem B is in NP and can be polynomially reduced to problem A, then problem B is NP-complete.

○ T ○ F

答案正确: 1分 ♀ 创建提问 🖸

## 反了,必须让已知的NPC规约到我们想要知道的这个问题

A language L belongs to NP iff there exist a two-input polynomial-time algorithm A that verifies language L in polynomial time.

Т

Which one of the following statements is TRUE about the NP class?

 $\circ$  A.  $P \subseteq NP \subseteq NP$ -Complete  $\subseteq NP$ -hard

ullet B.  $P\subseteq NP$  and NP-Complete  $=NP\cap NP$ -hard

 $\circ$  C.  $P \subseteq NP$ -Complete  $\subseteq NP$ -hard  $\subseteq NP$ 

 $\circ$  D.  $P\subseteq NP$  and NP=NP-Complete  $\cap$  NP-hard

答案正确: 1分 ♀ 创建提问 ☑

About Vertex Cover problem, which of the following statements is FALSE?

- $\circ$  A. The time complexity of its verification algorithm is  $O(N^3)$ , where N refers to the number of nodes.
- B. It is an NP problem.
- O. It is an NP-complete problem.
- D. It is polynomial-time reducible to Clique problem, but not vice versa.

答案正确: 1分

♀ 创建提问 ☑

Let X be a problem that belongs to the class NP. Then which one of the following is **TRUE**?

- A. If X is NP-hard, then it is NP-complete.
- B. X may be undecidable.
- O. There is no polynomial time algorithm for X.
- $\circ$  D. If X can be solved deterministically in polynomial time, then P = NP.

Α