$$\overrightarrow{E} = \lim_{n \to \infty} \frac{\partial \overrightarrow{E} \cdot J \overrightarrow{a}}{\partial \overrightarrow{A}}$$

$$=\lim_{\substack{\Delta X \to 0 \\ \Delta X \to 0}} \frac{E_{x}(\tilde{h}) \Delta y \Delta Z - E_{x}(\tilde{g}) \Delta y \Delta Z + E_{y}(\tilde{a}) \Delta x \Delta Z - E_{y}(\tilde{b}) \Delta x \Delta Z + E_{z}(E) \Delta x \Delta Z + E_{z}(E) \Delta x \Delta Z - E_{z}(E) \Delta Z - E_{z}$$

$$=\lim_{\Delta X \to 0} \frac{E_{X}(\vec{h}) - E_{X}(\vec{k})}{\Delta X} + \lim_{\Delta Y \to 0} \frac{E_{Y}(\vec{h}) - E_{Y}(\vec{h})}{\Delta Y} + \lim_{\Delta Z \to 0} \frac{E_{Z}(E) - E_{Z}(F)}{\Delta Z} = \frac{\partial E_{X}}{\partial X} + \frac{\partial E_{Y}}{\partial Y} + \frac{\partial E_{Z}}{\partial Z}$$

$$\left(\overrightarrow{\nabla} \times \overrightarrow{E}\right)_{\mathbb{Z}} = \lim_{D \to 0} \frac{\partial \overrightarrow{E} \cdot \overrightarrow{k}}{D}$$

$$= \lim_{\Delta X \to 0} \frac{E_{X}(F)\Delta X + E_{Y}(\overline{\Delta})\Delta Y - E_{X}(E)\Delta X - E_{Y}(\overline{\Delta})\Delta Y}{\Delta X \Delta Y}$$

$$=\lim_{\Delta X \Rightarrow 0} \frac{E_{y}(z) - E_{y}(z)}{\Delta X} - \lim_{\Delta Y \Rightarrow 0} \frac{E_{x}(z) - E_{x}(z)}{\Delta Y} = \frac{\partial E_{y}}{\partial X} - \frac{\partial E_{x}}{\partial Y}$$

$$\left(\overrightarrow{\nabla} \times \overrightarrow{E} \right)_{Y} = \lim_{\Delta X \to 0} \frac{E_{Z}(T)\Delta Z + E_{X}(\pm)\Delta X - E_{Z}(\pm)\Delta Z - E_{X}(\pm)\Delta X}{\Delta X \Delta Z} = \frac{\partial E_{X}}{\partial Z} - \frac{\partial E_{Z}}{\partial X}$$

$$\left(\overrightarrow{\nabla}_{X} \overrightarrow{E} \right)_{X} = \lim_{\Delta y \to 0} \underbrace{E_{y}(T) \Delta y}_{\Delta Z} + \underbrace{E_{z}(E) \Delta Z}_{E_{z}(E) \Delta Z} - \underbrace{E_{y}(E) \Delta y}_{E_{z}(E) \Delta Z} - \underbrace{\partial E_{z}}_{\partial Z} - \underbrace{\partial E_{z}}_{\partial Z} - \underbrace{\partial E_{z}}_{\partial Z}$$



