

Chapter 13

Recursion

Recursion: Introduction

- Algorithm
 - Sequence of steps required to solve a problem
- Recursive Algorithm
 - Breaks the problem into smaller subproblems, and applies the same algorithm to the smaller problems
 - Requires a base case

Recursive Functions

- A function that calls itself is a **recursive function**
 - Could be indirect (e.g. $f() \rightarrow g() \rightarrow f()$)
- Example: [CountDown](#)

Recursive Binary Search

- The algorithm
- Guessing Game
- Searching a sorted list

Debugging recursive functions

- Add output statements
 - Indent the statements to show the depth of recursion
 - Example: [Find String Match](#)
 - [Hands-on example](#)

Creating a Recursive Function

1. Write the base case
 - There can be > 1 base case
 2. Write the recursive case
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- Example: Factorial
 - Common Errors
 - Not covering all base cases
 - Not reaching a base case
 - Results: Infinite recursion
 - Common pattern: function plus helper

Is recursion an appropriate choice?

- Is there a natural recursive solution?
- Is the recursive solution actually better?

Coding Example

- [Prime Number Checker](#)

Recursive Math Functions

- [Recursive Fibonacci](#)
- [Greatest Common Divisor](#)

Exploration of all possibilities

- Word Scramble viewed as a tree
- Recursive Implementation
- Shopping Spree
- Traveling Salesman

Stack Overflow

- Each function call adds a new **stack frame** on the stack
- If the recursion is too deep (i.e. too many function calls), the stack may grow too large for its allocated memory
 - This is known as **stack overflow** and will likely cause the program to crash
 - This is often an indication of unintended infinite recursion
- Stack size can be increased in some cases
- Otherwise, algorithm must be changed to avoid the overflow
- One possible solution: Tail Recursion
 - Recursive call is the last call in the function
 - May be optimized by the compiler

C++ Examples/Labs

- [Recursively Output Permutations](#)
- [Number Pattern](#)