



1. Initialization

$V(s) \in \mathbb{R}$ and $\pi(s) \in \mathcal{A}(s)$ arbitrarily for all $s \in \mathcal{S}$

2. Policy Evaluation

Repeat

$\Delta \leftarrow 0$

For each $s \in \mathcal{S}$:

$v \leftarrow V(s)$

$V(s) \leftarrow \sum_{s',r} p(s',r|s,\pi(s)) [r + \gamma V(s')]$

$\Delta \leftarrow \max(\Delta, |v - V(s)|)$

until $\Delta < \theta$ (a small positive number)

3. Policy Improvement

policy-stable \leftarrow true

For each $s \in \mathcal{S}$:

$a \leftarrow \pi(s)$

$\pi(s) \leftarrow \arg\max_a \sum_{s',r} p(s',r|s,a) [r + \gamma V(s')]$

If $a \neq \pi(s)$, then *policy-stable* \leftarrow false

If *policy-stable*, then stop and return V and π ; else go to 2

Initialize array V arbitrarily (e.g., $V(s) = 0$ for all $s \in \mathcal{S}^+$)

Repeat

$\Delta \leftarrow 0$

 For each $s \in \mathcal{S}$:

$v \leftarrow V(s)$

$V(s) \leftarrow \max_a \sum_{s',r} p(s',r|s,a) [r + \gamma V(s')]$

$\Delta \leftarrow \max(\Delta, |v - V(s)|)$

until $\Delta < \theta$ (a small positive number)

Output a deterministic policy, π , such that

$\pi(s) = \operatorname{argmax}_a \sum_{s',r} p(s',r|s,a) [r + \gamma V(s')]$

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初始化 $Q(s, a), \forall s \in S, a \in A(s)$, 任意的数值, 并且 $Q(\text{terminal} - \text{state}, \cdot) = 0$

重复 (对每一节 episode) :

初始化 状态 S

重复 (对episode中的每一步) :

使用某一个policy比如 ($\epsilon - greedy$)根据状态 S 选取一个动作执行

执行完动作后, 观察reward和新的状态 S'

$$Q(S_t, A_t) \leftarrow Q(S_t, A_t) + \alpha(R_{t+1} + \lambda \max_a Q(S_{t+1}, a) - Q(S_t, A_t))$$

$$S \leftarrow S'$$

循环直到 S 终止