

Animated Point to Line

Method 1:

This first method is exactly as the one in “Lecture 16 - Normal Line Equation - Animated Point To Line” pdf file, on moodle.

Steps:

- a- Check if **Bs** and **Be** are both on the inside half plane (rejection test)
 - o **If((n.Bs < n.P0) && (n.Be < n.P0))**
- b- Check if **Bs** and **Be** are both on the outside half plane (rejection test)
 - o **If((n.Bs > n.P0) && (n.Be > n.P0))**
- c- Compute **n.V**
 - o If **(n.V == 0)** then no collision
- d- Compute **ti**, the time of intersection
 - o **ti = (n.P0 - n.Bs) / (n.V)**
- e- If **(ti < 0)** or **(ti > 1)** then no collision
- f- Check if **Bi** is outside of the area of **P0P1** from **P0** side (rejection test)
 - o **if((Bi - P0).(P1 - P0) < 0)**
- g- Check if **Bi** is outside of the area of **P0P1** from **P1** side (rejection test)
 - o **if((Bi - P1).(P0 - P1) < 0)**
- h- If you reach here, it means **Bi** is your intersection point

Method 2: This method is the best because, similar to method 1, we can reuse the 3 dot products used in rejection tests in the computation of **ti**, and the last two dot products are replaced with only one.

Steps:

- a- Check if **Bs** and **Be** are both on the inside half plane (rejection test)
 - a. **If((n.Bs < n.P0) && (n.Be < n.P0))**
- b- Check if **Bs** and **Be** are both on the outside half plane (rejection test)
 - a. **If((n.Bs > n.P0) && (n.Be > n.P0))**
- c- Compute **n.V**
 - a. If **(n.V == 0)** then no collision
- d- Compute **ti**, the time of intersection
 - a. **ti = (n.P0 - n.Bs) / (n.V)**
- e- If **(ti < 0)** or **(ti > 1)** then reject
- f- In this step we replace the steps **f** and **g** from the previous method with only one dot product test to check if **Bi** is within **P0** and **P1** area. We test **if((Bi - P0).(Bi - P1) < 0)** return collision at point **Bi**

Method 3:

- a- Get the outward normal of the vector formed by $(\mathbf{B_e} - \mathbf{B_s})$, where $\mathbf{B_e}$ is the starting moving point position, and $\mathbf{B_s}$ is the end moving point position (both in one frame). The outward normal vector is \mathbf{M}
- b- Now we check if the endless line formed by $(\mathbf{B_e}, \mathbf{B_s})$ is passing in between $\mathbf{P0}$ and $\mathbf{P1}$ as follow:
if $((\mathbf{B_sP0.M}) * (\mathbf{B_sP1.M}) < 0)$ then $(\mathbf{B_s}, \mathbf{B_e})$ endless line is intersecting the line segment $(\mathbf{P0}, \mathbf{P1})$
- c- Compute t_i , the time of intersection
 - a. $t_i = (\mathbf{n.P0} - \mathbf{n.B_s}) / (\mathbf{n.V})$
- d- **If $(t_i < 0)$ or $(t_i > 1)$ then no collision**
- e- Else If you reach here, it means $\mathbf{B_i}$ is your intersection point.