

Moving Circle vs Static Line – Pseudo Code

Introduction:

LNS is a line segment with end points **P0** and **P1** and outward normal \hat{N} .

Circle is centered by **B** and has radius **R**. It is moving with velocity \vec{V} per one frame.

B_s is the starting position of **B**, **B_e** is the end position of **B**, **B_i** is the intersection position of **B** (if any collision).

Problem:

Detect the collision time, the collision position of Circle, and the reflected position after bouncing of LNS.

Solution:

The following is a pseudo-code.

We need to distinguish between 2 cases:

- 1 - The Circle might hit the body of LNS first (2 sub-cases = 2 sides (normal's side and opposite normal's side))
- 2 - The circle might hit one of the edges (end points) of LNS.

MovingCircleVsStaticLine()

```
{      //N is normalized

if( $\hat{N} \cdot \mathbf{B}_s - \hat{N} \cdot \mathbf{P0} \leq -R$ ) //Here we consider we have an imaginary line LNS1, distant by  $-R$  (opposite  $\hat{N}$  direction)

    //Check if the velocity vector  $\vec{V}$  is within the end points of LNS1

    //  $\vec{M}$  is the outward normal to Velocity  $\vec{V}$ . Compute P0' and P1'

     $\mathbf{P0}' = \mathbf{P0} - R * \hat{N}$  and  $\mathbf{P1}' = \mathbf{P1} - R * \hat{N}$  //To simulate LNS1 line edge points

    if( $\vec{M} \cdot \mathbf{B}_s \mathbf{P0}' * \vec{M} \cdot \mathbf{B}_s \mathbf{P1}' < 0$ )

         $\mathbf{T_i} = (\hat{N} \cdot \mathbf{P0} - \hat{N} \cdot \mathbf{B}_s - R) / (\hat{N} \cdot \vec{V})$  //We are sure  $\hat{N} \cdot \vec{V} \neq 0$ 

        if( $0 \leq \mathbf{T_i} \leq 1$ )

             $\mathbf{B_i} = \mathbf{B}_s + \vec{V} * (\mathbf{T_i})$ 

             $\mathbf{B'_e} = \text{ApplyReflection}(-\hat{N}, \mathbf{B_iB_e})$  //Normal of reflection is  $-\hat{N}$ 

        else

            CheckMovingCircleToLineEdge(false)

    else if( $\hat{N} \cdot \mathbf{B}_s - \hat{N} \cdot \mathbf{P0} \geq R$ ) //Here we consider we have an imaginary line LNS2 distant by  $+R$  (Same  $\hat{N}$  direction)

        //Check if the velocity vector  $\vec{V}$  is within the end points of LNS2

        //  $\vec{M}$  is the outward normal to Velocity  $\vec{V}$ . Compute P0' and P1'

         $\mathbf{P0}' = \mathbf{P0} + R * \hat{N}$  and  $\mathbf{P1}' = \mathbf{P1} + R * \hat{N}$  //To simulate LNS2 line edge points

        if( $\vec{M} \cdot \mathbf{B}_s \mathbf{P0}' * \vec{M} \cdot \mathbf{B}_s \mathbf{P1}' < 0$ )

             $\mathbf{T_i} = (\hat{N} \cdot \mathbf{P0} - \hat{N} \cdot \mathbf{B}_s + R) / (\hat{N} \cdot \vec{V})$  //We are sure  $\hat{N} \cdot \vec{V} \neq 0$ 

            if( $0 \leq \mathbf{T_i} \leq 1$ )

                 $\mathbf{B_i} = \mathbf{B}_s + \vec{V} * (\mathbf{T_i})$ 

                 $\mathbf{B'_e} = \text{ApplyReflection}(\hat{N}, \mathbf{B_iB_e})$  //Normal of reflection is  $\hat{N}$ 

            else

                CheckMovingCircleToLineEdge(false)

    else //The circle's starting position  $\mathbf{B}_s$ , is between both lines LNS1 and LNS2.

        CheckMovingCircleToLineEdge(true)

}
```

Point2D ApplyReflection(Vector2D normal, Vector2D penetration)

```
{  
    return Bi + penetration - 2(penetration . normal) * normal;  
}
```