

#Durbin-Watson Autocorrelation Testing

#For reference on what this statistic is and how to interpret it, here's a good explanation from Investopedia; <https://www.investopedia.com/terms/d/durbin-watson-statistic.asp>)

#The gist is that data without autocorrelation generally has a DW statistic between 1.5 and 2.5, and more than 2.5 implies autocorrelation (and could imply that at least one person took the survey more than once with similar responses.)

#First, create a vector that has a count of the survey responses in it, and turn it into a numeric variable instead of an integer

```
> x1 <- 1:56
```

```
> x2 <- as.numeric(x1)
```

#Now we can do the actual testing to see if we have autocorrelation present in our combined datasets...

#DW Testing of one of the Q7 questions to major type, with the response order vector added

```
> DWANOVA1 <- aov(Q7.2N ~ RankedQ2NV1 + x2)
```

```
> library(lmtest)
```

Loading required package: zoo

Attaching package: 'zoo'

The following objects are masked from 'package:base':

as.Date, as.Date.numeric

```
> dwtest(DWANOVA1, alternative = 'less')
```

Durbin-Watson test

data: DWANOVA1

DW = 1.7539, p-value = 0.8576

alternative hypothesis: true autocorrelation is less than 0

```
> dwtest(DWANOVA1, alternative = 'greater')
```

Durbin-Watson test

data: DWANOVA1

DW = 1.7539, p-value = 0.1424

alternative hypothesis: true autocorrelation is greater than 0

```
> library(car)
```

Loading required package: carData

```
> durbinWatsonTest(DWANOVA1)
```

lag Autocorrelation D-W Statistic p-value

lag	Autocorrelation	D-W Statistic	p-value
1	0.1158979	1.753928	0.304

Alternative hypothesis: $\rho \neq 0$

#We can also do some Durbin-Watson analysis on the data where business majors and social sciences majors are separated

```
> BizANOVA <- aov(Q7.2N ~ RankedQ2NV2 + x2)
```

```
> dwtest(BizDWANOVA, alternative = 'less')
```

Durbin-Watson test

data: BizDWANOVA

DW = 1.6949, p-value = 0.9022

alternative hypothesis: true autocorrelation is less than 0

```
> dwtest(BizANOVA, alternative = 'greater')
```

Durbin-Watson test

data: BizDWANOVA

DW = 1.6949, p-value = 0.09785

alternative hypothesis: true autocorrelation is greater than 0

```
> durbinWatsonTest(BizDWANOVA)
```

lag Autocorrelation D-W Statistic p-value

lag	Autocorrelation	D-W Statistic	p-value
1	0.1450712	1.694943	0.188

Alternative hypothesis: $\rho \neq 0$

#The second version of the Question 2 variable also has a Durbin-Watson statistic between 1.5 and 1.7, once again showing that we do not appear to have evidence for auto-correlation

#More Durbin-Watson testing done on Q3 and Q4 specifically

```
> DWANOVA2 <- aov(Q4N ~ Q3N + x2)
```

```
> dwtest(DWANOVA2, alternative = 'less')
```

Durbin-Watson test

data: DWANOVA2

DW = 1.9344, p-value = 0.6519

alternative hypothesis: true autocorrelation is less than 0

```
> dwtest(DWANOVA2, alternative = 'greater')
```

Durbin-Watson test

data: DWANOVA2

DW = 1.9344, p-value = 0.3481

alternative hypothesis: true autocorrelation is greater than 0

```
> durbinWatsonTest(DWANOVA2)
```

lag Autocorrelation D-W Statistic p-value

1	0.0004090474	1.934434	0.62
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Alternative hypothesis: $\rho \neq 0$

#It appears that we have somewhat higher DW test statistics between 1.9 and 2.0. However, the test statistics clearly aren't above 2.5, so there's still no strong evidence for autocorrelation.

Thus, I would conclude that there *probably* weren't any repeat survey takers.