# Non-Deterministic Policy Improvement Stabilizes Approximated Reinforcement Learning



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#### **Abstract**

This paper investigates a type of instability that is linked to the greedy policy improvement in approximated reinforcement learning. We show empirically that non-deterministic policy improvement can stabilize methods like least-squares policy iteration (LSPI, Lagoudakis and Parr, 2003) by controlling the improvements' stochasticity. Additionally we show that a suitable representation of the value function also stabilizes the solution to some degree. The presented approach is simple and should also be easily transferable to more sophisticated algorithms like deep reinforcement learning.

### **Non-Deterministic Policy Improvement**

replace greedy policy improvement

$$\Gamma_*[f|q](x) = f(x, \underset{a \in \mathcal{A}}{\operatorname{argmax}} q(x, a))$$

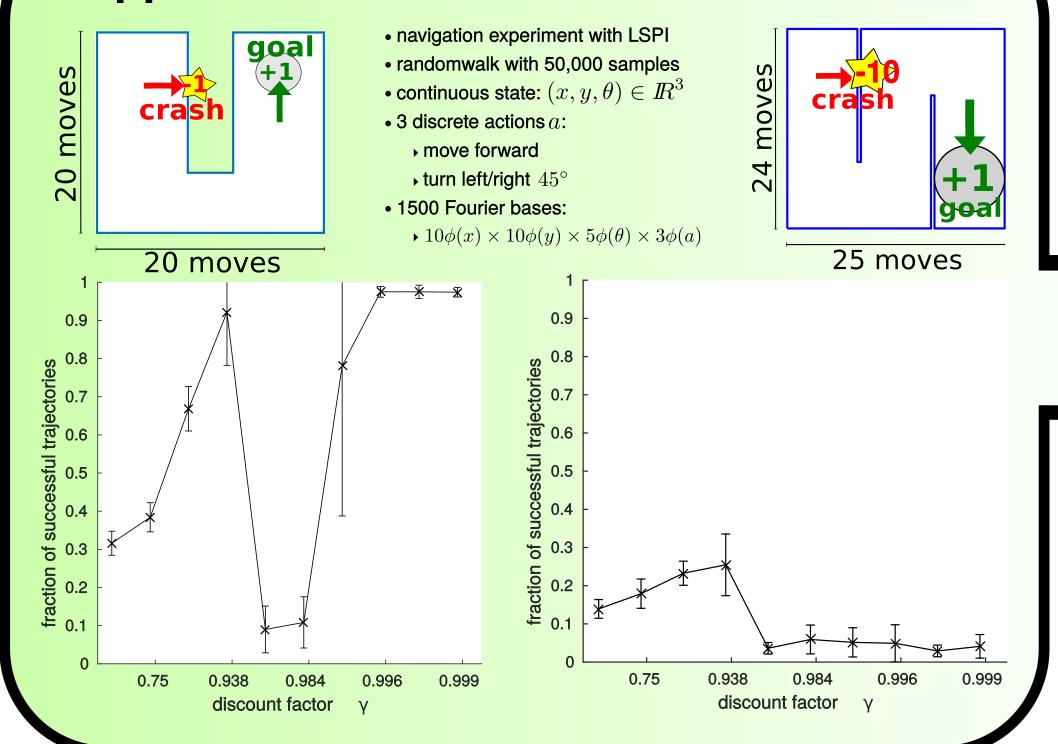
with an improved non-deterministic policy

$$\Gamma_{\beta}[f|q](x) = \sum_{a \in \mathcal{A}} \pi_{\beta}^{q}(a|x) f(x,a)$$

• e.g. the softmax with *inverse tempterature*  $\beta$ 

$$\pi_{\beta}^{q}(a|x) = \frac{\exp(\beta q(x,a))}{\sum_{a' \in \mathcal{A}} \exp(\beta q(x,a'))}$$

#### **Approximated Batch PI is not Stable**

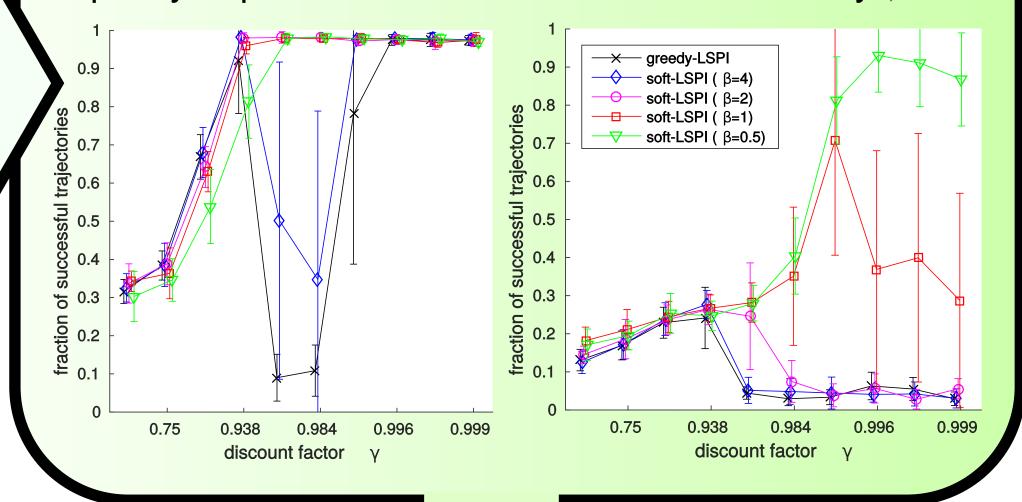


#### Stochasticity Stabilizes LSPI

normalize Q-values for equal stoachsticity

$$\bar{q}(x,a) = \frac{q(x,a) - \langle q(x,\cdot) \rangle}{\sqrt{\langle q^2(x,\cdot) \rangle - \langle q(x,\cdot) \rangle^2}}$$

ullet policy improvement with constant stochasticity eta

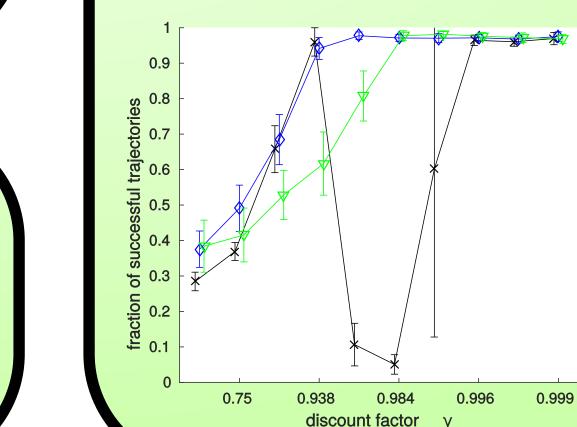


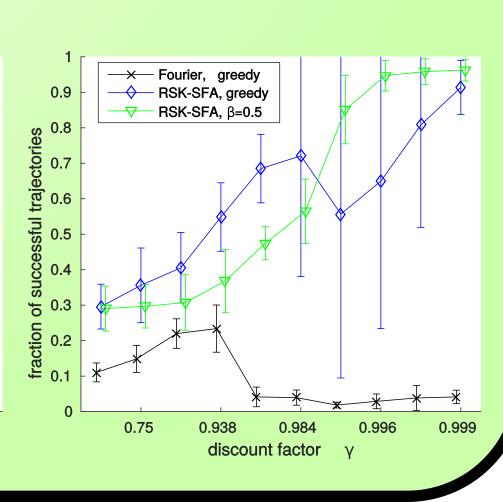
#### Conclusion

- approximated RL can become instable
- non-deterministic PI can stabilize solution
- even good representations must be stabilized
- proposed heuristic is easy to implement

## Stabilization and Representation

- deep RL learns representations in lower layers
- good representations may influence stabilization
- learn rep. with non-linear SFA (Böhmer et al., 2012)
- SFA close to optimal for LSPI (Böhmer et al., 2013)





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