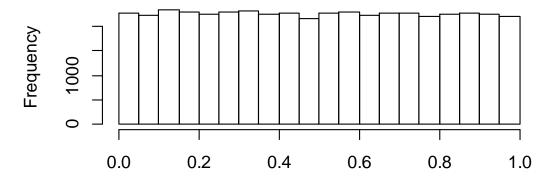
#Multiple Testing Simulation

For Illustration: This is not a basic data analysis example! We simulate data where H0 is true (no difference between means) with t = 5 or 10 groups and n = 10 observations per group. For each scenario, we consider 1000 "runs" where 1 run = 1 ANOVA = 1 "experiment". Then compare CER (comparison-wise error rate) and EER (experiment-wise error rate) of unadjusted (LSD), Tukey (HSD) and Bonferroni pairwise comparisons.

```
> library(emmeans)
> library(plyr)
> library(tidyverse)
> library(broom)
> #t = 10 groups
> #n = 10 observations per group
> t = 10; n = 10
> Groups <- sort(rep(seq(1, t), n))</pre>
> Groups <- as.factor(Groups)</pre>
>
> set.seed(5729)
> SimData <- data.frame(SampleID = sort(rep(seq(1, 1000), length
(Groups))),
                         Group = rep(Groups, 1000),
+
                         Y = rnorm(1000*length(Groups)))
> summary(SimData)
    SampleID
                                          Υ
                       Group
                                           :-4.251903
Min.
       :
            1.0
                          :10000
                                    Min.
 1st Qu.: 250.8
                          :10000
                                   1st Qu.:-0.671399
Median : 500.5
                   3
                          :10000 Median : 0.004226
       : 500.5
                   4
                          :10000 Mean :-0.000067
Mean
                   5
 3rd Qu.: 750.2
                          :10000
                                    3rd Qu.: 0.675631
                                   Max. : 4.558262
Max. :1000.0
                          :10000
                   (Other):40000
> str(subset(SimData, SampleID == 1))
'data.frame':
                   100 obs. of 3 variables:
 $ SampleID: int 1 1 1 1 1 1 1 1 1 ...
           : Factor w/ 10 levels "1", "2", "3", "4", ...: 1 1 1 1 ...
$ Y
           : num -1.003 0.811 -1.898 -0.339 -0.578 ...
>
> OutData10.1 <- ddply(SimData, c("SampleID"),</pre>
                  function(d) {
                  oneway <-lim(Y \sim Group, data = d)
                  emout <- emmeans(oneway, ~ Group)</pre>
                  emout1 <- tidy(pairs(emout))</pre>
+
                  emout2 <- tidy(pairs(emout, adjust = "none"))</pre>
                  emout3 <- tidy(pairs(emout, adjust = "bonferron")</pre>
i"))
```

```
data.frame(Tukey = emout1$p.value,
                            Unadj = emout2$p.value,
                                 = emout3$p.value)
                       }
+ )
> str(OutData10.1)
'data.frame':
                45000 obs. of 4 variables:
 $ SampleID: int 1 1 1 1 1 1 1 1 1 ...
          : num 1 1 1 1 0.994 ...
$ Unadj
           : num 0.621 0.869 0.538 0.938 0.347 ...
$ Bon
           : num 1 1 1 1 1 1 1 1 1 1 ...
> hist(OutData10.1$Unadj, main = "Histogram of Unadjusted p-valu
es")
```

Histogram of Unadjusted p-values



OutData10.1\$Unadj

```
> #CER t = 10
> CER <- (OutData10.1[,-1] < 0.05)
> colSums(CER)/nrow(CER)
       Tukey
                   Unadj
0.0012222222 0.0502444444 0.0008444444
> #EER t = 10
> EER <- (OutData10.2[,-1] < 0.05)
> colSums(EER)/nrow(EER)
minTukey minUnadj minBon
   0.040 0.610 0.028
#Similarly for t = 5 groups
#Simulation Code not shown
> t = 5; n = 10
> #CER t = 5
> CER <- (OutData5.1[,-1] < 0.05)
> colSums(CER)/nrow(CER)
Tukey Unadj
                Bon
0.0075 0.0546 0.0051
> #EER t = 5
> EER <- (OutData5.2[,-1] < 0.05)
> colSums(EER)/nrow(EER)
minTukey minUnadj minBon
  0.055 0.293 0.039
```