



Quiz Submissions - Quiz 1

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Attempt 1

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Submission View

Your quiz has been submitted successfully.

Question 1

1 / 1 point

Explain about **model parametrization** in your own words

There are inherent uncertainties within the data and model parameterization is to incorporate these uncertainties. To conduct model parameterization is to figure out $p(y|x)$, the distribution of the output y given the input x , which is proportional to

$$e^{F(x,y)}$$

and is chosen for its benefit in normalization. Sometimes, we also have to consider the latent variables, where we regard the distribution as $p(y,z|x)$ that is proportional to

$$e^{F(x,y,z)}$$

. It indicates that there exists another non-negligible factor that would effect our final output.

Question 2

1 / 1 point

Given two distributions p and q , write down the cross-entropy of q relative to p over a given set,

$$H(p, q) =$$

$$H(p, q) = \sum_{x \in X} -p(x) * \log(q(x))$$

Question 3

1 / 1 point

Show cross-entropy is equivalent to negative log likelihood for a classification problem with one-hot labels

In the classification problem with one-hot labels, the likelihood of a single prediction with true class j can be represented as:

$$\prod_{i=1}^N \hat{y}_i^{y_i} = \hat{y}_i^{y_i}$$

. The negative log likelihood is shown as

$$\sum_{i=1}^N y_i \log(\hat{y}_i) = y_i \log(\hat{y}_i)$$

accordingly.

Considering cross entropy, the likelihood of a single prediction can be written as

$$\sum_{x \in X} -p(x) * \log(q(x))$$

, where $p(x)$ stands for the probability of our target class of x and $q(x)$ represents the probability of our predicted class of x . In the case of one-hot labels, this can be rewritten as

$$\sum_{i=1}^N -y_i * \log(\hat{y}_i) = -y_i * \log(\hat{y}_i)$$

, since only the component of the right class could be non-zero.

Overall, it's proved that the cross-entropy is equivalent to NLL for a classification problem with one-hot labels.

Question 4

1 / 1 point

If we have a vocabulary of 2000 tokens and a token embedding space with a dimension of 300, please select the right shape of the embedding matrix from below:

☐

2000 × 2000

☐

2000 × 300

☐

300 × 300

☐

300 × 2000

Question 5

1 / 1 point

For the bag-of-words model we used in lab2 for multi-class classification, does increasing the embedding dimension always helps to improve validation performance?

☐

True

☐

False

Question 6

1 / 1 point

Regarding the way a sentence or a document is represented in the Bag-of-words (BoW) model, what kind of information is missed in order to accurately convey the message of the text? Select the ones that are most reasonable for you.

☐ word order

☐ word occurrence / frequency

Question 7

1 / 1 point

Given a computed loss variable in PyTorch, obtained as below:

```
criterion = nn.CrossEntropyLoss()
```

```
output = model(input)
```

```
loss = criterion(output, label)
```

Write down the expression to perform backpropagation.

Answer: `loss.backward()`

Question 8

1 / 1 point

In lab 2, after the backpropagation, we perform the updating step with Pytorch SGD Optimizer (`optimizer = torch.optim.SGD(model.parameters(), lr=learning_rate)`) by calling `optimizer.step()`. Here you can find the functional implementation of SGD in PyTorch (https://github.com/pytorch/pytorch/blob/master/torch/optim/_functional.py#L146).

Based on the above code, suppose that we have **weight_decay=0.01**, **momentum=0**, **lr=0.1**, **dampening=0**, for a given parameter **p** and its gradient **g**, select the corresponding update on **p** from the following options:

☐

$$p = p + 0.1 \times g - 0.001 \times p$$

☐

$$p = p - 0.1 \times g$$

☐

$$p = p - 0.01 \times g + 0.1 \times p$$

☐

$$p = p - 0.001 \times p - 0.01 \times g$$

☐

$$p = p - 0.1 \times g - 0.001 \times p$$

Question 9

0.1 / 0.1 points

How long did you spend to complete this quiz (in hours)?

Nearly 0.8 Hour.

Done