# ME449 HW1 - Zhengyang Kris Weng Submission 10/13/2024

#### Part 1A:

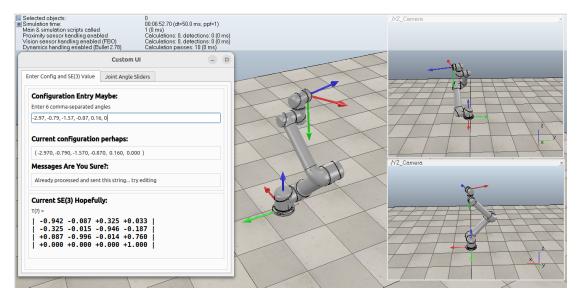
Please see file attachment.

### Part 1B:

I've changed the text labels on the UI to be more playful. Line # 258, 262, 266, 273 have been changed.

```
Simulation script "/UI_Script"
LUA ± 0 € 3 를 f() - 5 -
           <ui closeable="false" on-close="closeEventHandler" resizable="true">
               <tab title="Enter Config and SE(3) Value">
                     <group layout="vbox">
                       <label text="<big> Configuration Entry Maybe:</big>" wordwrap="false" style="font-v
                      <label text="clip" configuration Entry maybe. </pre>
<label text="Enter 6 comma-separated angles" />
<edit value="" id="7006" oneditingfinished="fulljointEntry" />
<label value="" id="5006" wordwrap="false" />
<label text="<big> Current configuration perhaps:</big>" id="6007" wordwrap="false"
                       <group layout="vbox">
                          <label value="" id="1237" wordwrap="true" />
                       </group>
                       <label text="<big> Messages Are You Sure?:</big>" id="6006" wordwrap="false" style=
                       <group layout="vbox"</pre>
                          <label value="" id="1236" wordwrap="true" />
                       </group>
                     <group>
                       <!-- </group> -->
                        <!-- <group> -->
<!-- <label text="<big> Settings:</big>" wordwrap="false" style="font-weight: bc
<!-- <checkbox text="Use degrees instead of radians?" checked="false" on-change=</pre>
                     </group>
                     <stretch />
                   </group>
                </tab>
```

#### Updated UI window and UR5 configurations:



## Part 2

Joint angles: [-2.97, -0.79, -1.57, -0.87, 0.16, 0]

I first found the i to i+1 joint angles by piecing given SO3 matrices together. Through simple matrix operations I found all 7 joint rotations. To find the specific joint angles  $theta_i$  associated with each rotation, I used MatrixLog3() to find their so(3) skew-symmetric expression respectively, then so3toVec() to find the 3-vector notation of joint rotation. The theta value can be found from this vector.

I also computed the R\_sb rotation using the given information to check with the computed SO(3) in CoppeliaSim UI.

Code implementation:

```
In [2]: import modern robotics as mr
                   import numpy as np
                   # Set NumPy print options to limit float precision to 2 decimal places
                   np.set_printoptions(precision=2, suppress=True)
                   ######## Part 2 ###########
                   # provided information
                   r = 13 = np.array([[-0.7071, 0, -0.7071], [0, 1, 0], [0.7071, 0, -0.7071]])
                   r s2 = np.array([[-0.6964, 0.1736, 0.6964], [-0.1228, -0.9848, 0.1228], [
                       25 = np.array([[-0.7566, -0.1198, -0.6428], [-0.1564, 0.9877, 0], [0.63])
                   r_12 = np.array([[0.7071, 0, -0.7071], [0, 1, 0], [0.7071, 0, 0.7071]])
                   r_34 = np.array([[0.6428, 0, -0.7660], [0, 1, 0], [0.7660, 0, 0.6428]])
                   r_s6 = np.array([[0.9418, 0.3249, -0.0859], [0.3249, -0.9456, -0.0151], [0.3249, -0.9456, -0.0151], [0.3249, -0.9456, -0.0151], [0.3249, -0.9456, -0.9456, -0.9456], [0.3249, -0.9456, -0.9456], [0.3249, -0.9456, -0.9456], [0.3249, -0.9456, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, -0.9456], [0.3249, 
                   r_6b = np.array([[-1, 0, 0], [0, 0, 1], [0, 1, 0]])
                   # missing info
                   # r s1
                   r s1 = np.dot(r s2, r 12.T)
                   print(f"r_s1 = \n \{r_s1\}")
                   r_23 = np.dot(r_12.T, r_13)
                   print(f"r_23 = \n \{r_23\}")
                   # r 45
                   r_24 = np.dot(r_23, r_34)
                   r_45 = np.dot(r_24.T, r_25)
                   print(f"r_45 = \n \{r_45\}")
                   # r 56
                   r_s3 = np.dot(r_s2, r_23)
                   r_s4 = np.dot(r_s3, r_34)
                   r_s5 = np.dot(r_s4, r_45)
                   r_{56} = np.dot(r_{55.T}, r_{56})
                   print(f"r 56 = \n {r 56}")
                   # find theta
                   # theta0
                   theta_0so3 = mr.MatrixLog3(r_s1)
                   theta_0_vec = mr.so3ToVec(theta_0_so3)
                   print(f"theta 0: {theta 0 vec}")
                   # thetal
                   theta_1_so3 = mr.MatrixLog3(r_12)
                   theta_1_vec = mr.so3ToVec(theta_1_so3)
                   print(f"theta_1: {theta_1_vec}")
                   # theta2
                   theta_2_so3 = mr.MatrixLog3(r_23)
                   theta 2 vec = mr.so3ToVec(theta_2_so3)
                   print(f"theta 2: {theta 2 vec}")
                   # theta3
                   theta_3_so3 = mr.MatrixLog3(r_34)
                   theta_3_vec = mr.so3ToVec(theta_3_so3)
                   print(f"theta_3: {theta_3_vec}")
                   # theta4
                   theta 4 \text{ so}3 = \text{mr.MatrixLog}3(\text{r} 45)
                   thata 1 yac - mr ca2TaVac/thata 1 ca21
```

```
LINETA_4_AEC - IIII . 20210AEC ( LINETA_4_202)
print(f"theta_4: {theta_4_vec}")
# theta5
theta_5_so3 = mr.MatrixLog3(r_56)
theta 5 vec = mr.so3ToVec(theta 5 so3)
print(f"theta_5: {theta_5_vec}")
# theta6
theta_6_so3 = mr.MatrixLog3(r_6b)
theta_6_vec = mr.so3ToVec(theta_6_so3)
print(f"theta_6: {theta_6_vec}")
# R sb
r_sb = np.dot(r_s6, r_6b)
print(f"r\_sb = \n \{r\_sb\}")
r_s1 =
[[-0.98 0.17 0. ]
 [-0.17 -0.98 0. ]
 [ 0.
        0.
             1. ]]
r_23 =
 [[ 0. 0. -1.]
[0. 1. 0.]
 [1. 0. 0.]
r 45 =
[[ 0.99 0.16 -0. ]
 [-0.16 0.99 0. ]
 [ 0.
             1. ]]
        0.
r_{56} =
[[ 1. -0. -0.]
[-0. 1. -0.]
[-0. -0. 1.]]
theta_0: [ 0.
               0. -2.97]
theta 1: [ 0.
               -0.79 0. ]
               -1.57 0.
theta_2: [ 0.
                         ]
theta_3: [ 0.
             -0.87 0.
theta 4: [ 0.
              -0. -0.16]
theta_5: [ 0. 0. -0.]
theta_6: [0.
              2.22 2.22]
r_sb =
[[-0.94 -0.09 0.32]
 [-0.32 -0.02 -0.95]
 [0.09 - 1. -0.01]
```