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function idx = findClosestCentroids(X, centroids)
%FINDCLOSESTCENTROIDS computes the centroid memberships for every
example
% idx = FINDCLOSESTCENTROIDS (X, centroids) returns the closest centroids
% in idx for a dataset X where each row is a single example. idx = m \times 1
% vector of centroid assignments (i.e. each entry in range [1..K])
%
% Set K
K = size(centroids, 1);
% You need to return the following variables correctly.
idx = zeros(size(X,1), 1);
% ======== YOUR CODE HERE =====
% Instructions: Go over every example, find its closest centroid, and store
%
          the index inside idx at the appropriate location.
%
          Concretely, idx(i) should contain the index of the centroid
%
          closest to example i. Hence, it should be a value in the
%
          range 1..K
% Note: You can use a for-loop over the examples to compute this.
%
M = size(X, 1);
  for i = 1 : M;
    T = [];
    for i = 1 : K,
       T = [T ; X(i,:)];
    [Max, idx(i)] = min(sum((T - centroids).^2, 2));
  end
end
function centroids = computeCentroids(X, idx, K)
```

%COMPUTECENTROIDS returns the new centroids by computing the means of

%data points assigned to each centroid.

```
% centroids = COMPUTECENTROIDS(X, idx, K) returns the new centroids by
% computing the means of the data points assigned to each centroid. It is
% given a dataset X where each row is a single data point, a vector
% idx of centroid assignments (i.e. each entry in range [1..K]) for each
% example, and K, the number of centroids. You should return a matrix
% centroids, where each row of centroids is the mean of the data points
% assigned to it.
%
% Useful variables
[m n] = size(X);
% You need to return the following variables correctly.
centroids = zeros(K, n);
% ======== YOUR CODE HERE =====
% Instructions: Go over every centroid and compute mean of all points that
         belong to it. Concretely, the row vector centroids(i, :)
%
         should contain the mean of the data points assigned to
%
         centroid i.
% Note: You can use a for-loop over the centroids to compute this.
%
for k = 1 : K,
  sel = find(idx == k);
  centroids(k,:) = sum(X(sel,:)) / size(sel, 1);
end
end
function [U, S] = pca(X)
%PCA Run principal component analysis on the dataset X
% [U, S, X] = pca(X) computes eigenvectors of the covariance matrix of X
% Returns the eigenvectors U, the eigenvalues (on diagonal) in S
%
% Useful values
[m, n] = size(X);
% You need to return the following variables correctly.
U = zeros(n);
S = zeros(n);
% ========= YOUR CODE HERE ======
% Instructions: You should first compute the covariance matrix. Then, you
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%
         should use the "svd" function to compute the eigenvectors
%
         and eigenvalues of the covariance matrix.
%
% Note: When computing the covariance matrix, remember to divide by m (the
     number of examples).
%
sigma = (X' * X) / m;
[U, S, V] = svd(sigma);
end
function Z = projectData(X, U, K)
%PROJECTDATA Computes the reduced data representation when projecting
only
%on to the top k eigenvectors
% Z = projectData(X, U, K) computes the projection of
% the normalized inputs X into the reduced dimensional space spanned by
% the first K columns of U. It returns the projected examples in Z.
%
% You need to return the following variables correctly.
Z = zeros(size(X, 1), K);
% ======== YOUR CODE HERE =====
% Instructions: Compute the projection of the data using only the top K
         eigenvectors in U (first K columns).
%
%
         For the i-th example X(i,:), the projection on to the k-th
         eigenvector is given as follows:
%
%
            x = X(i, :)';
%
            projection_k = x' * U(:, 1:k);
%
U_{reduce} = U(:,1:K);
Z = X * U_reduce;
end
function X_rec = recoverData(Z, U, K)
%RECOVERDATA Recovers an approximation of the original data when using the
%projected data
\% X_rec = RECOVERDATA(Z, U, K) recovers an approximation the
% original data that has been reduced to K dimensions. It returns the
% approximate reconstruction in X_rec.
%
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% You need to return the following variables correctly.
X_{rec} = zeros(size(Z, 1), size(U, 1));
% ======== YOUR CODE HERE =====
% Instructions: Compute the approximation of the data by projecting back
%
          onto the original space using the top K eigenvectors in U.
%
%
          For the i-th example Z(i,:), the (approximate)
%
          recovered data for dimension j is given as follows:
%
             V = Z(i, :)';
             recovered_j = v' * U(j, 1:K)';
%
%
%
          Notice that U(j, 1:K) is a row vector.
X_{rec} = Z * U(:, 1:K)';
```

end