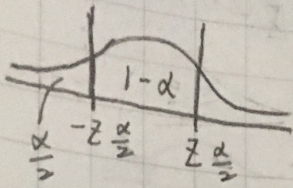


6.19

$$95\% \quad 1 - \alpha = 0.95$$

沒 $\sigma$ 用 $s$ 代入

$$Z_{\alpha/2} = Z_{0.025} = 1.96, \quad s = 0.05 \text{ 標準差}$$

$$e \text{ 為誤差界限} = Z_{\alpha/2} \frac{\sigma}{\sqrt{n}} = 0.01$$

$$\text{求 } n = \left( \frac{Z_{\alpha/2} \sigma}{e} \right)^2 = \left( \frac{1.96 \times 0.05}{0.01} \right)^2 = 96.04$$

$$97 - 35 = 62$$

增62袋

取 $n = 97$  取比 $n$ 大的最小整數

6.9

抽125KJ泡,  $n < 30$  為小樣本

$$\bar{x} = 15291.67 = \text{所有樣本數值} \div 12$$

$$s \text{ 標準差} = \sqrt{\frac{\sum (x_i - \bar{x})^2}{n-1}} = 39015.4 = 197.523$$

$x_i - \bar{x}$	-291	-191	-91	209	109	9	309	
$(x_i - \bar{x})^2$	84681	36481	8281	43681	11881	81	95481	和
$\times 2$	169362		16562	87362	23762	162		
$\Sigma x_i$	15000	15100	15200	15500	15400	15300	15600	

$$(2) \quad 1 - \alpha = 0.9 \quad \frac{\alpha}{2} = \frac{1}{2} = 0.05 \quad \text{自由度 } n-1 = 12-1 = 11$$

$$t_{0.05(11)} = 1.796$$

$$\bar{x} \pm t_{\alpha/2} (n-1) \frac{s}{\sqrt{n}}$$

$$= 15291.67 \pm 1.796 \frac{197.52}{\sqrt{12}} = 15291.67 \pm 102.41$$

$$= (15189.26, 15394.08)$$

(3) 區長度

$$15394.08 - 15189.26 = 204.82$$