CS 171, Intro to A.I., Winter Quarter, 2020 — Quiz # 1 — 25 minutes

NAME:	:UCINetID						
YOUR ID#: _	ID# TO RIGHT:	ID# TO LEFT:	_ROW:	SEAT:			
 1. (42 pts total, 3 pts each) SEARCH METHODS AND FAIRNESS. Say that a search method is Fa any point in time during any search, it is guaranteed that every node on the fringe (= frontier = open-list queue) at that point in time eventually will be expanded provided that a goal is not discovered in the man Say a search method is Not Fair if, for some point in time during some search, it is possible that node on the fringe at that time might never be expanded even if no goal is ever discovered. Here, you are doing Tree Search (that is, do not remember expanded nodes). Assume that a small positive constant, and that every step cost is ≥ ε (that is, every step cost is bounded away from As always, the branching factor is finite. Fill out this table of search conditions as F (= Fair) or N (= Not Fair) to indicate if the limit to the provided that a goal is not discovered in the man shaded in the man shad							
	SEARCH SPACE CHARACTERIST						
	Depth First Search	Finite Graphs without Loops (i.e., without Cycles) F	Infinite Graphs (i.e., with Cycle N	goals and just keep on going right on down.			
SEARCH METHOD	Breadth First Search	F	F				
	Uniform Cost Search	F	F	F			
	Iterative Deepening Search	F	F				
	Bidirectional Search (using Breadth First Search)	F	F	F			
	GreedF Best First Search	F	N	A malicious demon could			
	A* Search	F	F	choose very misleading			
2. (24 pts total, 4 pts each) Label the following statements as True (T) or False (F). 2.aT_ Local search algorithms generally operate only on one (or a few) current node(s). 2.bF_ Local search algorithms generally are used to find the globally optimal solution. 2.cT_ In tabu search recently visited states are temporarily excluded from being visited again.							
	·	ly decides whether to return the cu		p searching.			

2.e. T Local search difficulties include shoulders, local maximums, "flat" local maximums, and ridges.

2.f. T Hill-climbing moves to the best successor that improves the current state, or returns if no such child.

3. (30 pts total, 5 pts each) ADMISSIB wery simple search problems; but this quenext to each arc. Next to each node is should and G is the Goal node. Label the the specific formation above is Admissible.	estion is abo own g = path following se	out Heuristics, not a h cost so far, h = he earch spaces as Y	about Search. Step costs are indicateuristic value, and $f = g+h$. S is the	ted Start
3.a. (10 pts total, 5 pts each)	Consistent		Admissible because h(n) ≤ h*(r nodes n.	ı) for all
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	B g=20 h=6 f=26	10 g=3 h=0 f=30	f(S) = 28 > 27 = f(A), i.e., f() is decreasing along any path. Als	s not non- so, (S)
3.a.i. (5 pts) (Answer Y=Yes or N=No)	Y	Is the heuristic above	ve (h) admissible?	
3.a.ii. (5 pts) (Answer Y=Yes or N=No)	N	Is the heuristic above	ve (h) consistent?	
3.b. (10 pts total, 5 pts each) $(A) \qquad \qquad (A) \qquad \qquad 10$	→(B)-	10 G	Admissible because h(n) ≤ h* nodes n.	(n) for all
g=0 g=10 h=19 h=13 f=19 f=23	g=20 h=8 f=28	g=3 h=0 f=30	Consistent because f() is non- along any path. Also, every n	ode and
3.b.i. (5 pts) (Answer Y=Yes or N=No)	Y	Is the heuristic above	ve (h) admissible?	
3.b.ii. (5 pts) (Answer Y=Yes or N=No)	<u>Y</u>	Is the heuristic above	ve (h) consistent?	
3.c. (10 pts total, 5 pts each)		10	Not admissible because (among h(S) = 39 > 30 = h*(S).	ong others
g=0 g=10 h=39 h=29 f=39 f=39	g=20 h=19 f=39	g=3 h=0 f=30	non-decreasing along any pa	th. Also, =h(B)
3.c.i. (5 pts) (Answer Y=Yes or N=No)	N	Is the heuristic above		.,,.
3.c.ii. (5 pts) (Answer Y=Yes or N=No)	N	Is the heuristic above	ve (h) consistent?	
4. (4 pts total, 1 pt each) Your book def PEAS. Fill in the blanks with the names			et of four things, with the acronym	
Performance (measure) Environme	nt	Actuators	Sensors	
		1	See Chaps. 2, 3.1-3.3.	

NAME (Print Darkly & Clearly):______ UCI NetID: _____