$$||X|| \le ||A|| ||AX|| \qquad ||A^{-1}|| \ge \frac{1}{30}$$

$$2 \qquad \qquad \frac{1}{10}$$

$$ABx = b$$

$$\frac{\|\Delta X \| \|b\|}{\|X \| \|\Delta b\|} = \frac{\|B^{2}A^{-1}\Delta b\| \|ABX\|}{\|X \| \|\Delta b\|} \leq \frac{\|A\| \|A^{-1}\| \|B\| \|B^{-1}\|}{6}$$

$$\frac{\|\Delta X\|}{\|X\|} \leq 6 \times 16 \times 10^{-3}$$

$$||A \times ||_2$$
 $\frac{||\Delta \times ||}{||X||} \le \frac{||A|| ||A^{-1}||}{||A||} \frac{||\Delta b||}{||b||}$

| Rest well-conditioned metrix

$$my''(t) + cy'(t) + ky(t) = 0.$$

$$X \in [-1, 1]$$

$$-u''(x) + u'(x) = f(x)$$

$$U(-1) = U(1) = 0.$$

$$\frac{\partial \mathcal{U}}{\partial \tau} + \sqrt{\frac{\partial \mathcal{U}}{\partial x}} - D \frac{\partial^2 \mathcal{U}}{\partial x^2} = 0$$

U(X,t) gon(!

$$V=1.$$
 $D=0.1$ $X \in [-1,1].$

$$\mathcal{U}(-1,t) \equiv 0. \quad \frac{\partial \mathcal{U}}{\partial x} (1,t) = 0.$$

$$U(X,0) = g(x)$$

$$U(-1,t) = 0$$

$$\mathcal{U}(X,0) = \mathcal{U}_0 - 0.5$$