

Can Machine Learning Improve Screening for Targeted Delinquency Prevention Programs?

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Abstract

The cost-effectiveness of targeted delinquency prevention programs for children depends on the accuracy of the screening process. However, screening accuracy is often poor, resulting in wasted resources and missed opportunities to avert negative outcomes. This study examined whether screening approaches based on logistic regression or machine learning algorithms can enhance accuracy relative to traditional sum-score approaches when identifying boys in the 5th grade ($N = 1012$) who would be repeatedly arrested for violent and serious crimes from ages 13 to 30. Screening algorithms were developed that incorporated facets of teacher-reported externalizing problems and other known risk factors (e.g., peer rejection). The predictive performance of these algorithms was evaluated and compared in holdout (i.e., test) data using the area under the receiver operating curve (AUROC) and Brier score. Both the logistic and machine learning methods yielded AUROC superior to traditional sum-score screening approaches when a broad set of risk factors for future delinquency was considered. However, this improvement was modest and was not present when using item-level information from a composite scale assessing externalizing problems. Contrary to expectations, machine learning algorithms performed no better than simple logistic models. There was a large apparent advantage of machine learning that disappeared after appropriate cross-validation, underscoring the importance of careful evaluation of these methods. Results suggest that screening using logistic regression could improve the cost-effectiveness of targeted delinquency prevention programs in some cases, but screening using machine learning would confer no marginal benefit under currently realistic conditions.

Keywords This data is mandatory Please provide.

Introduction

Violence and other forms of serious criminal behavior are major public health problems that convey substantial economic and emotional costs to society (Bureau of Justice Statistics 2015; Federal Bureau of Investigation 2017). To address this

situation, there has been a proliferation of interventions for elementary-age children designed to prevent the emergence of severe and chronic delinquency during adolescence and young adulthood (O'Connell et al. 2009; Wilson and Lipsey 2007). These interventions are typically implemented in the school setting using an indicated or selective approach in which a subsample of children with known early risk factors for later delinquency receives the intervention. Ideally, scarce intervention resources are allocated to those children at highest risk for the chronic and severe pattern of criminal offending that conveys substantial emotional and financial burden (Foster and Jones 2006), but this requires accurately identifying the target children. The goal of this report is to evaluate whether novel screening methods using (a) logistic regression or (b) machine learning can improve accuracy in identifying children at risk for chronic or severe criminal offending.

The ultimate success of targeted delinquency prevention programs is contingent upon the use of accurate screening procedures. In the case of delinquency prevention, the

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traditional screening approach is to compute a risk index (i.e., a single variable measuring risk for later delinquency) and then use one of two methods to choose which children should receive the intervention. The first method is to enroll only those children that exceed some threshold on a nationally normed scale assessing early behavior problems, such as those with a teacher-report *t*-score at or above the 85th percentile (e.g., Lochman and Wells 2004). The second method is to enroll children that exceed a sample-specific cut-score on a summative risk index, such as children whose teacher-reported behavior problem score exceeds the 80th percentile among youth within the particular school district (e.g., Lochman et al. 2015). This method can be implemented using a scale assessing behavior problems or a screen score representing the cumulative number of risk factors present in a child's life (e.g., living in a single-parent household and attending an underfunded school). These traditional screening approaches can be conceptualized as "sum-score" methods because the risk score used for selecting children is calculated by adding up equally weighted items on a behavior problem scale or counting the number of risk factors present.

Unfortunately, sum-score screening methods have been shown to have relatively poor accuracy in identifying those children that will go on to exhibit serious and persistent delinquency (Hill et al. 2004; Loeber et al. 2005; Petras et al. 2013). For example, one longitudinal study found that a summative risk score based on teacher-rated conduct problems accurately identified about half of all boys in grades 1 to 5 (44–67% across grades) who would be arrested for violence during adolescence when equally weighting false positives and false negatives (Petras et al. 2004). This screening method also produced a large number of false positives across grades (48–71%). False positive predictions result in finite resources being wasted on children who would not have gone on to exhibit delinquency, and false negative predictions result in the missed opportunity to avert costly delinquency acts from occurring during adolescence and adulthood. Both types of errors undermine the utility of targeted interventions, underscoring the need for improved screening approaches that result in superior accuracy and thus return on investment.

Moreover, the performance of these screening procedures is likely worse than published literature suggests. Most prior work has developed the sum-score approach (e.g., selected the risk factors to count and the screening cutpoint) in the same data that was used to evaluate the approach (e.g., to calculate screening accuracy). This procedure results in a screening method that is "overfit" to the data, produces positively biased estimates of performance and is unlikely to perform well on new cases to be screened (Babyak 2004). Thus, it is important to find screening approaches that perform well in data not used to develop the method.

Closer consideration of the traditional sum-score approach to screening reveals two key limitations that may contribute to poor accuracy. First, sum-score approaches assume that each risk factor should be given equal weight when generating an overall risk score. For example, targeted delinquency prevention programs for children have used summative risk scores that equally weight minor covert (e.g., lying) and more serious overt (e.g., physical fighting) behavior problems, even though the latter are more strongly associated with future criminal offending (Loeber et al. 2005). Others have used multi-domain risk scores that equally weight ancillary (e.g., low family income) and primary (e.g., childhood conduct problems) risk factors when identifying children for enrollment in delinquency prevention programs (Dishion et al. 2008).

A second limitation of sum-score approaches is that they treat risk factors as having linear associations with future delinquency and do not account for potential interactive effects between different risk factors. A failure to account for these more complex associations may limit classification accuracy. For example, deviant peer group affiliation in childhood may only confer risk for future criminal offending when present at high, but not moderate, levels (Loeber et al. 2008). Similarly, higher cognitive control abilities may protect youth with persistent anger problems from engaging in criminal offending (Hawes et al. 2016). Risk factors may also exhibit a combination of non-linear and interactive associations, although these types of complex relations are rarely tested.

There are two clear strategies for overcoming these fundamental limitations of sum-score screening methods. The first is to differentially weight risk factors using weights determined via regression. In the case of a binary outcome (e.g., delinquent vs. non-delinquent), this can be accomplished by fitting a logistic regression and weighting each risk factor by the regression coefficient indicating its relation to the outcome to be predicted. Thus, primary risk factors for delinquency (e.g., aggression) can contribute more to the overall screening score than more ancillary risk factors (e.g., academic achievement). However, logistic regression methods are limited in their ability to comprehensively account for non-linear and interactive effects of multiple risk factors. Although it is possible to add non-linear and interactive predictors into logistic models, one often encounters estimation and separation issues when the number of predictors becomes large (Peduzzi et al. 1996). In addition, it is difficult to satisfy the standard recommendation that logistic regressions be fit to datasets with a minimum of 10 events per predictor variable when evaluating potential interactive and non-linear effects (Peduzzi et al. 1996). For example, considering only 10 risk factors for delinquency, there are 45 potential two-way interactions and 120 potential three-way interactions, which would

160 necessitate a sample that contains 1750 youth who exhib-
161 ited the targeted delinquency outcome.

162 **Machine Learning as an Untapped Approach**

163 A more flexible and effective strategy that can be used to
164 account for non-linear and interactive associations is machine
165 learning. This class of techniques is commonly used in statis-
166 tics, computer science, and engineering to build data-driven
167 predictive algorithms (Hastie et al. 2009). Although these
168 methods have improved prediction in diverse contexts, they
169 have not yet been applied to screening for delinquency pre-
170 vention. Relative to both sum-score approaches and to logistic
171 regression, machine learning techniques are better able to re-
172 produce complicated causal structures including higher-order
173 interactions, are more accommodating of non-linear relation-
174 ships between predictors and outcome, and are capable of
175 using a much greater number of predictor variables (Hastie
176 et al. 2009). For example, the popular random forest algorithm
177 aggregates the results of hundreds of classification “trees,”
178 each of which recursively partitions the sample into subgroups
179 that are maximally different in the outcome. This modeling
180 strategy allows for highly discontinuous effects (i.e., cutpoints
181 can occur anywhere within the range of a risk factor), permits
182 many-way interactions (i.e., five recursive partitions would
183 indicate a five-way interaction), and enforces no restriction
184 on the number of predictors. Thus, machine learning may be
185 able to address both the key limitations of existing screening
186 methods identified above and thereby improve screening ac-
187 curacy (Yarkoni and Westfall 2017).

188 We are aware of only two published applications in which
189 machine learning was compared to logistic regression in the
190 prospective prediction of delinquency outcomes. Neuilly et al.
191 (2011) found that a classification tree algorithm produced ac-
192 curacy superior to logistic regression (88% vs. 82%) when
193 predicting recidivism among 320 convicted adult homicide
194 offenders. Kleinberg et al. (2018) compared a gradient
195 boosted trees algorithm with logistic regression when
196 predicting re-offense among more than 20k adult defendants
197 awaiting trial, finding that gradient boosted trees better iden-
198 tified offenders in the highest range of the risk continuum
199 (e.g., positive predictive value of 56% vs. 46% in the upper-
200 most 1% of risk). However, both studies focused on adults
201 who had already offended, leaving it unclear whether machine
202 learning can similarly improve the prospective prediction of
203 which children will go on to display serious and persistent
204 delinquency.

205 **Present Study**

206 The current study used longitudinal data collected on a school-
207 based sample of 1012 boys to investigate whether logistic
208 regression and/or machine learning algorithms can improve

screening for targeted delinquency prevention programs, rel- 209
ative to traditional sum-score methods. Risk factors for delin- 210
quency were collected via teacher-report in the 5th grade using 211
a well-validated and nationally normed rating scale, similar to 212
those used to screen children for targeted delinquency preven- 213
tion programs (e.g., Coping Power; Lochman et al. 2010). 214
Serious and persistent delinquency outcomes from adoles- 215
cence through early adulthood were derived from official re- 216
cords. Models predicting delinquency outcomes were devel- 217
oped using logistic regression and machine learning algo- 218
rithms with a portion of the study sample. The performance 219
of these models was then evaluated on an independent holdout 220
sample and compared to traditional sum-score screening 221
methods. 222

Methods 223

Sample 224

This study used longitudinal data collected from boys in 225
the youngest and middle cohorts of the Pittsburgh Youth 226
Study (PYS). Boys were selected for the study follow- 227
ing a screening assessment conducted with a random 228
sample of 1st grade (youngest cohort) and 4th grade 229
(middle cohort) students enrolled in the Pittsburgh pub- 230
lic schools (youngest $N=849$; middle $N=868$). At the 231
screening, the boys’ conduct problems were assessed via 232
measures given to parents, teachers, and the boys them- 233
selves. Boys who scored in the upper 30% of risk on 234
the screener and a roughly equal number of boys ran- 235
domly selected from the remainder participated in the 236
follow-up (youngest total $N=503$; middle total $N=$ 237
508). Across both cohorts, boys were predominately 238
Black (54%) or White (42%). At the screening, most 239
boys were living with their biological mothers (93%), 240
and just under half had a father figure in the home 241
(42%). Boys in the follow-up sample did not differ 242
from those screened in terms of race, family configura- 243
tion, or level of parental education (for details see 244
Loeber et al. 1998). 245

The current study focused on evaluating the accuracy 246
of methods designed to identify youth for targeting de- 247
linquency prevention programs during late elementary 248
school, so all predictors were drawn from teacher- 249
report data collected on both cohorts during the spring 250
of the 5th grade (90% retention). This was the first 251
assessment after screening at which teacher-report data 252
was collected on both cohorts at the same grade level. 253
This grade-equivalent assessment was used to combine 254
data from both cohorts to achieve a sample large 255
enough for cross-validation. 256

Measures

Teacher-Report Form

Predictors of delinquency outcomes were drawn from an expanded version of the teacher-report form (TRF) (Achenbach 1991) that included supplemental items added by the PYS investigators. The TRF has well-established reliability and validity in predicting later criminal offending (e.g., Pardini et al. 2018; Verhulst et al. 1994). The TRF instructed teachers to rate how true a series of statements were about the participant using a three-point scale: *not true* (0), *somewhat or sometimes true* (1), *very true or often true* (2). Items assessed adaptive functioning in multiple domains: internalizing and externalizing problems, hyperactivity/impulsivity, inattention, social difficulties, and academic motivation. In addition, teachers provided information about a child's academic performance in the subjects of reading and math on a 5-option scale (1 = *far below grade* to 5 = *far above grade*).

Analyses were repeated using two different sets of predictors derived from the TRF. Each set had different advantages. In addition, since our primary research question was the relative performance of sum-score, logistic regression, and machine learning methods, we wished to probe whether relative performance depended on the nature of the predictors used.

Predictor Set #1: Externalizing Problem Items

The first predictor set comprised all 34 items from the TRF externalizing composite scale subscale, plus the age of the child in years. The items indicate a broad array of childhood conduct problems, including aggression, oppositional and defiant behaviors, rule-breaking, anger outbursts, destruction of property, and truancy. This predictor set had the advantage of being easy to replicate or use in future studies that have collected the TRF. In addition, by including more variables than would typically be used in a sum-score or logistic regression (i.e., $n = 34$), it probed the possibility that machine learning would manifest advantage over the other methods when the number of predictors was larger.

Predictor Set #2: Risk Factor Subscales

The second predictor set consisted of subscales measuring nine different risk factors for delinquent behavior (see Table S1 for descriptive statistics). The subscales measured subdomains of conduct problems (e.g., aggression and oppositionality/defiance) and other risk factors (e.g., academic achievement and peer rejection) that have been associated with severe delinquent behavior in prior research (Loeber et al. 2008). Multiple TRF items were averaged to create each subscale (Cronbach

alphas ranged from 0.84 to 0.94). The nine subscales were as follows: aggression (3 items), oppositionality/defiance (4 items), hyperactivity/impulsivity (5 items), inattention (6 items), dysregulated anger (4 items), interpersonal callousness (8 items), peer rejection (4 items), poor academic achievement (2 items), and negative attitude toward school (3 items). Relative to the TRF externalizing items, this predictor set had the advantages of (a) tapping into other domains of risk not captured in the externalizing items and (b) measuring risk factors with greater reliability than do the individual items. See supplement for citations to past work validating these subscales and confirmatory factor analysis of their structure in these data.

Outcomes: Serious and Persistent Criminal Offending

Criminal offending was measured using official records of criminal charges received between the 5th grade assessment and age 30. Juvenile criminal charges were collected from the Allegheny County Juvenile Court and the Pennsylvania (PA) Juvenile Court Judges' Commission. Adult criminal charges were collected by searching records managed by the PA State Police, PA Clerk of Courts, and the Federal Bureau of Investigation. Official criminal record searches were conducted on all study participants.

In order to investigate whether our conclusions were consistent across different specifications of the target outcome, a series of different criteria were used to delineate individuals who exhibited a pattern of serious and persistent criminal behavior. Three target outcomes were created based on the number of violent charges (i.e., simple assault, aggravated assault, rape, robbery, murder, and kidnapping), number of serious charges (i.e., felony violence or theft), and total number of charges received. For each charge outcome, a cutpoint was chosen that identified (as close as possible) the uppermost 25% of the sample. This cutpoint was chosen to identify those boys that exhibit a costly, chronic pattern of offending rather than isolated acts of delinquent behavior, which are relatively common among urban males living in impoverished environments. (Sensitivity analyses found conclusions were unchanged when using more liberal cutpoints [see supplement]). Using this approach, the target groups were as follows: (1) individuals with 3 or more violent charges (27%), (2) individuals with 3 or more serious charges (27%), and (3) individuals with 23 or more total charges (28%). A fourth group was also created consisting of individuals who met one or more of the three criteria outlined above (37%). Membership in each of these four groups was predicted as a binary outcome.

354	Data Analysis	
Q 355	All analyses were conducted in R (v3.5.2) (R Core Team	
356	2018).	
357	Handling of Missing Data	
358	Prior to analysis, 34 cases were eliminated because they died	
359	prior to the last criminal record data collection, and 99 cases	
360	were eliminated because families did not participate in the 5th	
361	grade assessment. An additional 15 cases were eliminated	
362	because teachers failed to complete enough items assessing	
363	the targeted predictors. Remaining missing data was minimal	
364	(0.37% of all item response values) and each missing value	
365	was replaced with the median on that variable (see supplement	
366	for discussion of why median imputation was preferable to,	
367	e.g., multiple imputation). The final dataset included 864	
368	(85%) of the original 1012 participants.	
369	Creation of Training and Test Datasets	
370	Prior to analysis, participants were randomly assigned to	
371	one of two mutually exclusive datasets, referred to as	
372	“training” and “test” datasets. Developing and evaluating	
373	a screening method using the same data results in	
374	overfitting, and thus an overestimate of predictive perfor-	
375	mance in future data (Hastie et al. 2009). To avoid this	
376	problem, we randomly assigned participants to the training	
377	set (probability = 0.70) or test set (probability = 0.30). The	
378	choice of a 70/30% split balanced (a) the desire to have as	
379	many cases as possible in the training set to increase the	
380	precision of the predictive model and (b) the need to have	
381	sufficient number of cases remaining for the test set to	
382	produce credible estimates of performance on holdout data	
383	(Hastie et al. 2009). The training set was used to develop	
384	and select the predictive models using repeated 10-fold	
385	cross-validation; the test set was used to evaluate the pre-	
386	dictive performance of the final models in holdout data.	
387	Sum-Score Approach	
388	The predictive performance of logistic and machine learn-	
389	ing models was contrasted with traditional sum-score	
390	screening approaches. For the predictor set comprising	
391	the TRF externalizing items, the sum-score risk score was	
392	the TRF total externalizing problems <i>t</i> -score, which is a	
393	function of the summed responses to each item. For the	
394	predictor set comprising the risk factor subscales, the	
395	sum-score risk score was calculated as the sum of the stan-	
396	dardized values (i.e., <i>z</i> -scores) on each of the nine	
397	subscales.	
	Logistic Regression	398
	Logistic regression models were used to examine whether	399
	screening performance was improved when components	400
	of the risk score were differentially weighted. We fit lo-	401
	gistic models (a) using all items from the TRF external-	402
	izing scale as separate predictors and (b) using the risk	403
	factor subscales as separate predictors. These logistic	404
	models were fit to the training data for each delinquency	405
	outcome. Coefficients were saved and then applied to the	406
	test dataset to evaluate the predictive performance of the	407
	logistic models.	408
	Machine Learning	409
	Analyses also examined the performance of five different	410
	machine learning algorithms: lasso, random forest, gradi-	411
	ent boosted trees, neural networks, and support vector ma-	412
	chines. These methods have demonstrated success in nu-	413
	merous machine learning applications and represent differ-	414
	ent algorithmic approaches (see supplement, and also	415
	James et al. 2013). Best-practice entails trying multiple	416
	approaches to the same problem and selecting as the final	417
	model that which produces the best performance in the	418
	training dataset (Hastie et al. 2009; Kuhn and Johnson	419
	2013). Thus, although five different machine algorithms	420
	were developed in the training data, only the one that pro-	421
	duced the best cross-validated performance was compared	422
	to the sum-score and logistic methods in the test data.	423
	Machine learning models were developed using a series	424
	of steps performed using the training data (see supplement	425
	for technical detail). For each machine learning model,	426
	optimal values on that algorithm’s “tuning parameters”	427
	were selected based on the results of a repeated 10-fold	428
	cross-validation procedure (10 repeats). Each algorithm	429
	has different tuning parameters that control its functioning.	430
	For example, the lasso algorithm has one tuning parameter:	431
	a value for λ , a penalty factor that shrinks the estimated	432
	regression coefficients toward zero. Thus, we evaluated the	433
	performance of a model (i.e., combination of algorithm and	434
	potential tuning values) in the following way. First, partic-	435
	ipants in the training dataset were randomly divided into	436
	ten equal-size blocks. Next, the model was estimated using	437
	data from 9 of the 10 blocks, and then tested on the 10th.	438
	This was repeated ten times, each time holding out a dif-	439
	ferent one of the 10 blocks, and then the results were av-	440
	eraged together. Thus, the performance of the models was	441
	always evaluated using data from an independent group of	442
	participants, reducing model overfitting.	443
	Predictive performance in training data was evaluated	444
	using the Brier score, which is the mean squared difference	445
	between each participant’s model predicted the probability	446
	of experiencing the outcome and participant’s observed	447

448 outcome (i.e., 0 = did not experience the outcome; 1 = did
 449 experience the outcome). A lower Brier score indicates that
 450 the predicted probabilities are closer to the participants'
 451 true probabilities. For each algorithm, the tuning parameter
 452 specification that produced the lowest Brier score metric
 453 was used to generate the final predictive model based on
 454 the entire training dataset. Finally, we chose the algorithm
 455 whose final predictive model produced the lower Brier
 456 score in the training data as the machine learning method
 457 to apply in the test data.

458 **Comparing the Performance of Screening Approaches in Test** 459 **(i.e., Holdout) Data**

460 Next, we compared the performance of the three predictive ap-
 461 proaches (i.e., sum-score method, logistic regression, and ma-
 462 chine learning) in the test dataset. For the logistic and machine
 463 learning methods, each participant was assigned a predicted
 464 probability score by inputting their observed values on the pre-
 465 dictors to the final model selected. These probability values were
 466 treated as continuous risk scores for evaluating performance (pre-
 467 dicted probabilities can range 0–1).

468 Screening methods were compared using two performance
 469 metrics: (1) the area under the receiver operating characteristic
 470 curve (AUROC) and (2) the Brier score. The AUROC indexes
 471 the ability of a test to correctly classify those with and without the
 472 outcome, with a higher AUROC indicating better accuracy in
 473 terms of discriminating positive from negative cases
 474 (AUROC = 0.50 indicates discrimination at the level of random
 475 guessing; AUROC = 1 indicates perfect discrimination). To ver-
 476 ify that our models were discriminating delinquents from non-
 477 delinquents at a rate better than chance, we tested the null hy-
 478 pothesis that the AUROC was equal to 0.50 using the Mason and
 479 Graham (2002) method. The Brier score is the mean squared
 480 difference between the predicted probability of the delinquency
 481 outcome and the actual outcome. Because Brier scores are based
 482 on predicted probabilities, they cannot be calculated for sum-
 483 score approaches.

484 To address the primary research question, we tested whether
 485 the AUROC and Brier score values generated by each of the
 486 three screening methods were significantly different. For each
 487 combination of predictor set and outcome, the performance of
 488 the sum-score approach was compared with the logistic
 489 regression and machine learning models, and then the
 490 performance of the logistic regression and machine learning
 491 models were compared. The Delong et al. (1988) method was
 492 used to compare AUROCs, and the percentile bootstrap
 493 (Davison and Hinkley 1997) was used to compare Brier scores.
 494 There were 8 comparisons of AUROCs from sum-score vs. lo-
 495 gistic regression models, 8 comparisons of AUROCs from sum-
 496 score vs. machine learning models, 8 comparisons of AUROCs
 497 from logistic regression vs. machine learning models, and 8 com-
 498 parisons of Brier scores from logistic regression vs. machine

learning models. To reduce concerns about multiple testing, we
 focus interpretation on the pattern of results across conditions
 (i.e., combinations of predictors and outcome) rather than any
 specific statistical contrast.

Performance Across Screening Cutpoints 503

Performance measures that utilize the predicted probabilities or
 rank order (e.g., AUROC and Brier score) are more efficient and
 robust than metrics that utilize cutpoints to make discrete predic-
 tions (e.g., accuracy, sensitivity, and specificity). To complement
 our statistical comparison of the screening methods using the
 AUROC and Brier score, we also descriptively compared their
 positive predictive value (PPV) and negative predictive value
 (NPV) across a range of screening cutpoints. PPV indicates
 how often the children identified as positives (i.e., those to be
 enrolled in the intervention) go on to manifest the delinquency
 outcome. NPV indicates how often the children identified as
 negatives (i.e., those to be excluded from the intervention) go
 on to *not* manifest the delinquency outcome. PPV and NPV of
 screening algorithms were estimated via repeated 10-fold cross-
 validation in the training data since estimates from the test data
 would have been too unstable (e.g., screening 10% of test data
 into intervention comprises only 26 youth for the PPV
 calculation).

Results 522

See supplement for complete reporting of model performance
 (Table S2), model comparisons (Table S4), and the final ma-
 chine learning algorithm selected under each condition.

Overall Predictive Performance 526

Within the test data, AUROC analyses confirmed that every
 predictive model discriminated which children would later man-
 ifest the delinquency outcome significantly better than chance
 (all $ps < 0.001$). AUROCs ranged from 0.68 to 0.78, with a me-
 dian value of 0.74. Brier Scores ranged from 0.161 to 0.208, with
 a median value of 0.168.

Comparing Sum-Score Methods to Logistic Regression and Machine Learning 533

Table 1 reports the AUROC values for the sum-score, logistic
 regression, and machine learning models for each combination of
 predictor set and outcome. When the predictor set was comprised
 of the TRF externalizing problem items, there were no statisti-
 cally significant differences between the sum-score method and
 the logistic regression or machine learning methods (ns).
 Averaging across outcomes, mean AUROC was 0.73 for sum-

Q12 t1.1 Table 1 Predictive performance in test data for risk scores produced by sum-score, logistic, and machine learning methods

t1.2	Predictor set	Outcome Variable	Sum-score method [95% CI]	Logistic regression [95% CI]	Machine learning [95% CI]
t1.3	Area under the receive operating curve (AUROC)				
t1.4	Risk factor subscales	3+ violent charges	0.75 [0.69, 0.81] ^a	0.77 [0.71, 0.84] ^a	0.78 [0.71, 0.84] ^a
t1.5		3+ serious charges	0.73 [0.67, 0.79] ^a	0.78 [0.72, 0.84] ^b	0.78 [0.72, 0.84] ^b
t1.6		23+ total charges	0.68 [0.61, 0.75] ^a	0.74 [0.67, 0.80] ^b	0.73 [0.67, 0.80] ^b
t1.7		Violent, serious, or total charges	0.73 [0.67, 0.79] ^a	0.75 [0.69, 0.82] ^a	0.75 [0.69, 0.82] ^a
t1.8	Externalizing problem items	3+ violent charges	0.75 [0.68, 0.81] ^a	0.73 [0.66, 0.80] ^a	0.75 [0.69, 0.82] ^a
t1.9		3+ serious charges	0.72 [0.66, 0.79] ^a	0.73 [0.66, 0.81] ^a	0.75 [0.69, 0.81] ^a
t1.10		23+ total charges	0.69 [0.63, 0.76] ^{a,b}	0.74 [0.67, 0.80] ^a	0.68 [0.61, 0.76] ^b
t1.11		Violent, serious, or total charges	0.74 [0.68, 0.80] ^{a,b}	0.69 [0.62, 0.76] ^a	0.74 [0.67, 0.80] ^b
t1.12	Brier scores				
t1.13	Risk factor subscales	3+ violent charges	—	0.161 [0.138, 0.184] ^a	0.166 [0.145, 0.190] ^b
t1.14		3+ serious charges	—	0.161 [0.137, 0.185] ^a	0.163 [0.140, 0.187] ^a
t1.15		23+ total charges	—	0.177 [0.150, 0.204] ^a	0.174 [0.149, 0.200] ^a
t1.16		Violent, serious, or total charges	—	0.193 [0.168, 0.218] ^a	0.193 [0.171, 0.217] ^a
t1.17	Externalizing problem items	3+ violent charges	—	0.167 [0.141, 0.195] ^a	0.167 [0.144, 0.190] ^a
t1.18		3+ serious charges	—	0.166 [0.138, 0.196] ^a	0.167 [0.143, 0.192] ^a
t1.19		23+ total charges	—	0.168 [0.142, 0.198] ^a	0.184 [0.159, 0.211] ^b
t1.20		Violent, serious, or total charges	—	0.208 [0.179, 0.238] ^a	0.194 [0.170, 0.219] ^a

Within each row, values that do *not* share a superscript differ significantly, $p < 0.05$

score method, 0.72 for logistic regression, and 0.73 for machine learning algorithms.

In contrast, when the predictor set comprised the risk factor subscales, there were four (of 8 possible) statistically significant differences between the sum-score method and the other two approaches. Both logistic regression and machine learning produced higher AUROCs than did the sum-score method ($p < 0.05$) when predicting outcomes involving repeated serious charges or total charges. Averaging across all models, mean AUROC was 0.72 for sum-score method, 0.76 for logistic regression, and 0.75 for machine learning algorithms, indicating a modest advantage of the more complex approaches.

Comparing Logistic Regression to Machine Learning

Table 1 reports the AUROC and Brier scores of logistic regression and machine learning models for each combination of predictor set and outcome. Both the statistical tests (i.e., the p values) and the descriptive results (i.e., the means) suggested that there was no consistent difference in the performance of the two methods. Logistic regression performed significantly better (i.e., higher AUROC and lower Brier score) when predicting the total charges criterion using the externalizing problem items ($p < 0.05$). In contrast, machine learning performed significantly better (i.e., higher AUROC) when predicting which participants would meet criteria for one or more of the delinquency outcomes using the externalizing problem items ($p < 0.05$). Averaging across all models, the mean performance of logistic regression

was almost identical to that of machine learning on both AUROC (0.741 vs. 0.747) and Brier score (0.175 vs. 0.176).

Performance Across Screening Cutpoints

Figure 1 shows the positive predictive value (PPV) obtained by each of the three methods—sum-score, logistic regression, and machine learning—when between 0 and 50% of children are screened into the preventive intervention (i.e., across cutpoints that 0 to 50% of children exceed). When predicting the violent, serious, and total charges outcomes, PPVs generally ranged between 40 and 60% and were (as expected) higher when a smaller proportion of children were screened into the intervention. When predicting the outcome of meeting any of the three charges criteria, PPVs generally ranged from 50 to 70% and again were higher when a smaller proportion of children were screened into the intervention. Advantages of (a) machine learning and logistic regression over (b) sum-score methods were most apparent when predicting the outcome of meeting any of the three charges criteria, where PPVs were approximately 10 to 20 percentage points higher when between 10 and 20% of children were screened into intervention.

Figure 2 shows the same for negative predictive value (NPV). When predicting the violent, serious, and total charges outcomes, NPVs generally ranged between 75 and 85% and were (as expected) higher when a larger proportion of children were screened into the intervention. When predicting the outcome of meeting any of the three charges criteria, PPVs generally ranged

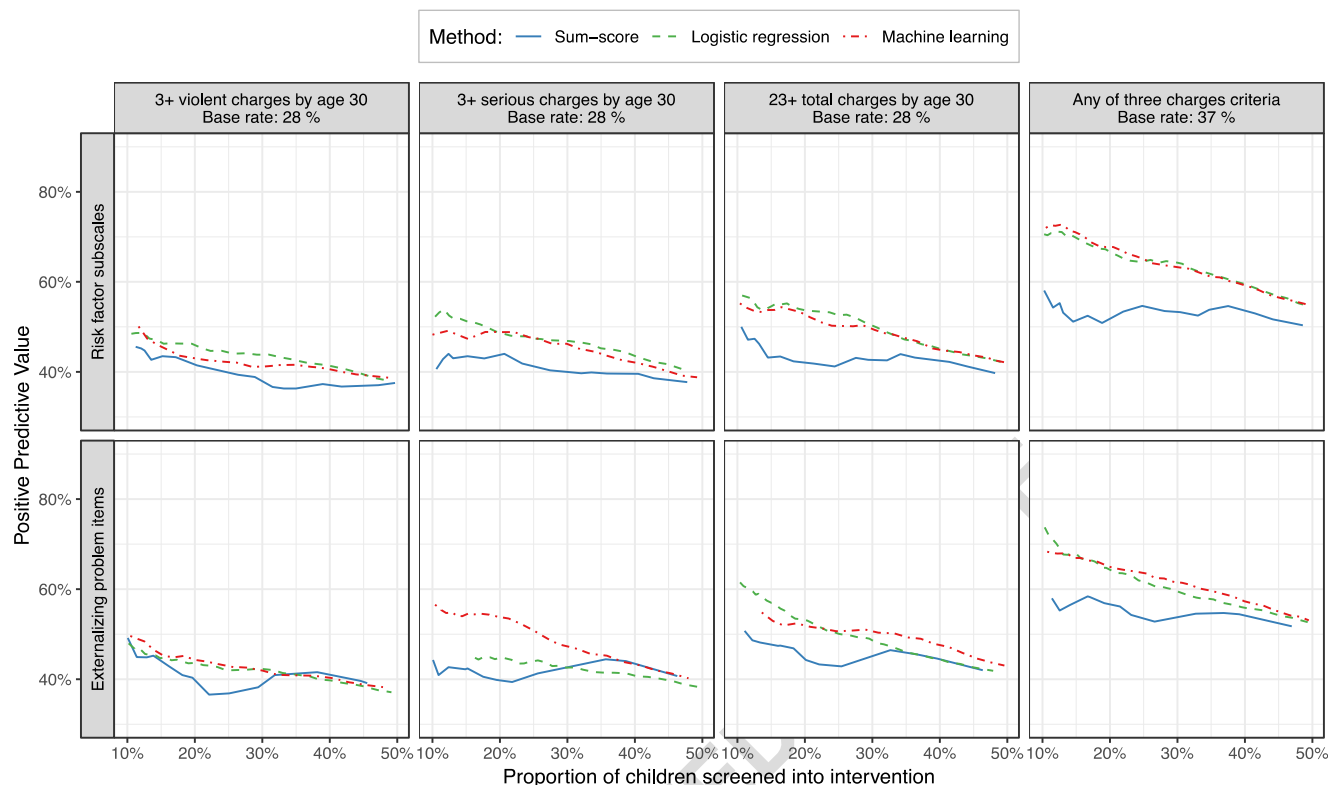


Fig. 1 Positive predictive value (PPV) across screening thresholds, per repeated 10-fold cross-validation in training data. Values calculated via repeated 10-fold cross-validation in training data. Positive predictive value is the probability that when the model predicts a child will go on to exhibit the delinquency outcome, the child will in fact exhibit that outcome. Graph shows positive predictive value achieved by each

screening method across range of proportion of kids screened into intervention. Results separated by predictor set (rows) and outcome to be predicted (columns). Each line is constructed by calculating the positive predictive value and proportion predicted to be positive across a range of possible cutpoints in the risk score produced by the method (i.e., the sum score or the predicted probability)

from 65 to 80% and again were higher when a larger proportion of children were screened into the intervention. While the NPV curves for machine learning and logistic regression were higher than those for sum-score methods in almost all cases, differences in NPV were very small in magnitude (5% at maximum).

Discussion

Data from a prospective, longitudinal study was used to evaluate whether logistic regression and/or machine learning algorithms improved screening for targeted delinquency prevention programs, relative to traditional sum-score methods. To protect against overfitting, the performance of logistic and machine learning methods was tested on an independent holdout sample using eight different combinations of predictor set and outcome. Results indicated that both the logistic and machine learning methods could improve on traditional sum-score screening approaches when multiple-domain risk factors were used to predict repeated criminal offending. However, there was no evidence that the complex machine learning algorithms provided better predictive performance than simpler logistic models.

All screening approaches obtained AUROCs of between 0.68 and 0.78, indicating that they would correctly classify a randomly selected pair of delinquent and non-delinquent boys 68–78% of the time. These AUROC values were comparable to those obtained in prior studies predicting violent arrests (Petrus et al. 2004; AUROCs up to 0.74) or diagnoses of antisocial personality disorder (Petrus et al. 2013; AUROCs from 0.62 to 0.71) from teacher-reported aggression during elementary school. However, our AUROCs were calculated on holdout data not used to estimate the risk score, so they will be lower (and more accurate) than the values obtained in past work that has not maintained this distinction.

More complex methods—logistic regression and machine learning—performed better than the sum-score approach only when the risk score was based on multiple risk factor subscales. One potential explanation for this discrepancy is a key limitation of sum-score approaches raised earlier: Ancillary risk factors receive equal weighting to primary risk factors when they are incorporated into the risk score. The risk factors used in the current study included ancillary risks (e.g., school motivation and peer rejection) that were weighted equally to primary risks

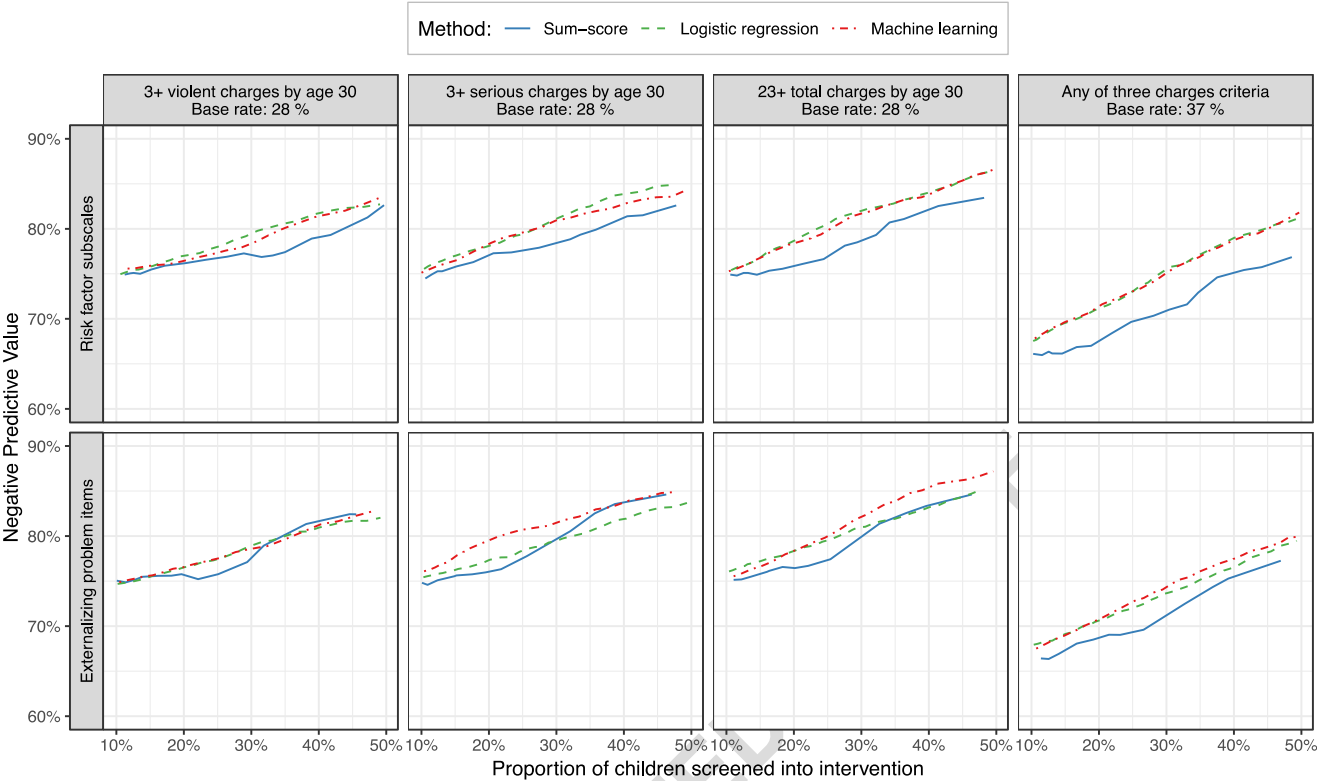


Fig. 2 Negative predictive value (NPV) across screening thresholds, per repeated 10-fold cross-validation in training data. Values calculated via repeated 10-fold cross-validation in training data. Negative predictive value is the probability that when the model predicts a child will not go on to exhibit the delinquency outcome, the child will in fact not exhibit that outcome. Graph shows negative predictive value achieved by each

screening method across range of proportion of kids screened into intervention. Results separated by predictor set (rows) and outcome to be predicted (columns). Each line is constructed by calculating the positive predictive value and proportion predicted to be positive across a range of possible cutpoints in the risk score produced by the method (i.e., the sum score or the predicted probability)

(e.g., aggression and interpersonal callousness) when forming a risk score with the sum-score method. In contrast, the TRF externalizing problem items were all assessing the primary risk domain of disruptive behavior problems, so permitting differential weighting may have had less impact on screening performance. Thus, logistic regression or machine learning methods for screening may confer benefit beyond sum-score approaches when using subscales measuring multiple different risk factors, but not when using item-level information from a composite scale assessing externalizing problems.

However, the advantage of the more complex methods was modest and not universally present. The mean increase in AUROC was approximately 0.04 (Table 1). The increase in positive predictive value was in some cases substantial (e.g., of 15–20% in upper, rightmost panel of Fig. 1), but only across part of the range of potential cutpoints, and only with certain combinations of predictor set and outcome to be predicted. There was no substantial increase in negative predictive value. Thus, whether these methods’ improved screening performance justifies their increased difficulty of implementation would depend on the specific screening situation at hand. Important factors would include the relative cost of false positives and false negatives and whether the data needed to develop such an algorithm (i.e., to find the

regression coefficients) are in existence or being routinely collected.

Machine Learning vs. Logistic Regression

Although logistic regression provided differential weighting to risk factors, only machine learning permitted complex combinations of non-linear associations and interactive effects between risk factors. Nonetheless, the machine learning algorithms we evaluated did not perform any better than logistic models. This finding is consistent with a recent systematic review of 71 studies comparing clinical prediction models developed in many different fields of medicine (Christodoulou et al. 2019). The authors found that when pooling comparisons at low risk of bias, the mean difference in AUC between logistic regression and the machine learning algorithm was almost exactly zero.

In our study, perhaps the number of risk factors (i.e., predictors) was insufficient to realize the benefit of machine learning. The number of constructs assessed in the current study was limited by reliance on teacher report, and the performance of machine learning may prove superior to logistic methods when considering a broader set of risk factors (e.g., family functioning, neighborhood crime) assessed via multiple informants (e.g.,

679 parents, youth). Similarly, it is possible that machine learning
 680 would be superior to other methods when predicting offending
 681 outcomes measured in a different way (Jo et al. 2018) or at a
 682 different point in development.

683 Perhaps the dataset used in the current study was too
 684 small to benefit from machine learning (van der Ploeg
 685 et al. 2014). Our effective sample size was 864 cases,
 686 and after placing 30% of the cases in the test set, this left
 687 approximately 605 cases to fit the model in the training
 688 set. This is a large sample size relative to most psycho-
 689 logical research, but it is small when compared to the
 690 many successful applications of machine learning in tech-
 691 nology or administrative databases (e.g., datasets with 50k
 692 images, 80k insurance claims). There may have been an
 693 insufficient number of cases to reliably recover the non-
 694 linear, interactive relationships that machine learning al-
 695 gorithms would (in theory) be better able to model.

696 Perhaps the simplest explanation for our findings is
 697 that additive, weighted effects across risk factors, captures
 698 most of the predictable variance in delinquency outcomes
 699 assessed via criminal records. In other words, there may
 700 not be many strong non-linear, interactive relationships
 701 for the machine learning algorithms to recover (van der
 702 Ploeg et al. 2016). The fact that simpler models often
 703 achieve nearly as good performance as more complicated
 704 ones has been documented in a variety of contexts (Hand
 705 2006; Holte 1993; Jamain and Hand 2008). In fact, in this
 706 study, a simple sum-score performed as well as both lo-
 707 gistic regression and the far more complicated machine
 708 learning methods when predicting offending outcomes
 709 using the externalizing problem items (Dawes 1979;
 710 Wainer 1976).

711 Although two previous studies have found that ma-
 712 chine learning outperformed logistic regression in
 713 predicting criminal offending outcomes, these studies dif-
 714 fered from the current investigation in several notable
 715 ways. Both were samples of adults (mean age > 30 years)
 716 that had already been arrested for or convicted of a crim-
 717 inal offense, whereas the current sample was a community
 718 sample of children in the 5th grade. Machine learning
 719 may be more potent when predicting re-offense among
 720 active offenders than predicting later offense among chil-
 721 dren. Moreover, Kleinberg et al. (2018) developed their
 722 machine learning models using a dataset that included
 723 more than 200k cases. Thus, the observed advantage
 724 may have been explained by the fact that machine learn-
 725 ing was able to recover complex interactions than was
 726 logistic regression. Neuilly et al. (2011) calculated the
 727 predictive performance of methods using the same data
 728 used to fit the model, compared with our use of estimates
 729 in holdout data. Thus, the observed advantage of machine
 730 learning may have resulted from the algorithm overfitting
 731 the data more than did the logistic regression. Consistent

with this notion, machine learning outperformed logistic
 regression in the present study when data from the same
 participants were used to fit and evaluate the model, but
 this discrepancy disappeared when the models were ap-
 propriately cross-validated (see Figs. S1 and S2). This
 underscores the importance of evaluating the performance
 of machine learning algorithms using estimates from ei-
 ther internal cross-validation procedures (e.g., 10-fold
 cross-validation) or a holdout sample (Arlot and Celisse
 2010).

Limitations

In addition to the limitations already described, the na-
 ture of the PYS sample limits the generalizability of our
 conclusions. Oversampling for children with conduct
 problems increased the base rate of delinquency out-
 comes in this sample. However, the metric we used to
 compare screening approaches (AUROC) is in theory
 independent of the base rate, and sensitivity analyses
 confirmed that our screening algorithms performed sim-
 ilarly within the lower risk and higher risk portions of
 the sample (see supplement). In addition, we have no
 reason to believe that the sampling scheme would dif-
 ferentially impact the sum-score, logistic regression, or
 machine learning methods, leaving their *relative* screen-
 ing performance unaffected.

The PYS sample consisted entirely of boys, and per-
 haps machine learning would outperform other screen-
 ing methods in a mixed-gender sample (e.g., by permit-
 ting gender by risk factor interactions). There was only
 one assessment during elementary school that over-
 lapped for both cohorts (5th grade), and the relative
 performance of screening methods may vary at different
 developmental stages (e.g., during early childhood or
 adolescence). Finally, the sample was drawn from boys
 attending school in one urban city, which might affect
 the distributions on risk factors in such a way as to
 attenuate or accentuate differences among screening
 methods.

Conclusions

How can logistic regression or machine learning ap-
 proaches contribute to screening for targeted delinquen-
 cy prevention? Our results suggest that both approaches
 may improve screening when a broader set of risk fac-
 tors are used to generate an overall risk score, but the
 improvements are modest and situation-dependent. None
 of the complex machine learning methods we evaluated
 was superior to simple logistic regression, suggesting
 the latter is preferred. However, the field needs more

780 studies applying these algorithms in diverse contexts to
781 fully evaluate the potential benefits of machine learning
782 (Dwyer et al. 2018). It will be critical to compare the
783 performance of machine learning models to other
784 methods using appropriate cross-validation procedures
785 as these methods may otherwise produce misleading es-
786 timates of predictive accuracy. There remains a clear
787 need for strategies that can improve screening for
788 targeted delinquency prevention, and more work is nec-
789 essary to determine if machine learning will ultimately
790 be one of those strategies.

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794 Compliance with Ethical Standards

795 **Conflict of Interest** The authors declare that they have no conflicts of
796 interest.

797 **Ethical Approval** All procedures performed in studies involving human
798 participants were in accordance with the ethical standards of the institu-
799 tional and/or national research committee and with the 1964 Helsinki
800 declaration and its later amendments or comparable ethical standards.

801 **Informed Consent** Informed consent/assent was obtained from all par-
802 ticipants in this study.

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