

```

In[359]:= Clear["Global`*"]

In[360]:= inputData = Import[NotebookDirectory[] <> "/input.txt"];
input = StringSplit[inputData];
l = Length[input]; (*l will have to be even*)
(*Write a function here that will take in strings as variable names*)
dt = Read[StringToStream[input[[2]]]];
tmax = input[[4]];
nTrajectory = input[[6]];
nstore = input[[8]];
yWall = input[[10]];
sigmaXX = input[[12]];
sigmaXZ = input[[14]];
transitTime = input[[16]];
sigmaPX = input[[18]];
sigmaPY = input[[20]];
sigmaPZ = input[[22]];
density = input[[24]];
rabi = input[[26]];
kappa = input[[28]];
lambda = input[[30]];
invT2 = input[[32]];
name = input[[34]]

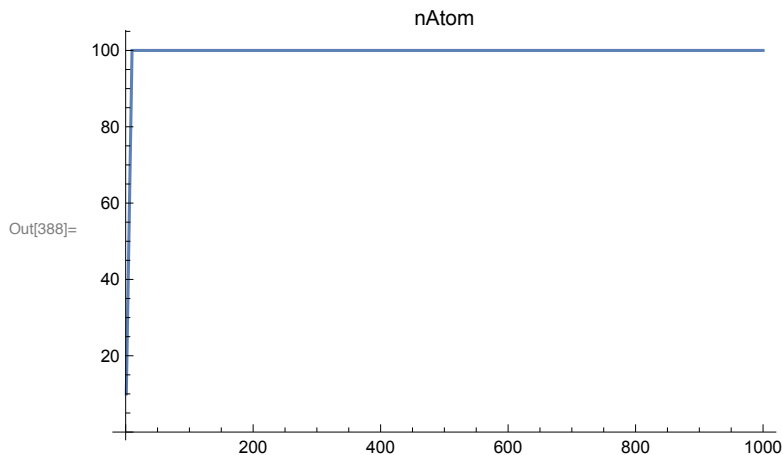
Out[379]:= test2

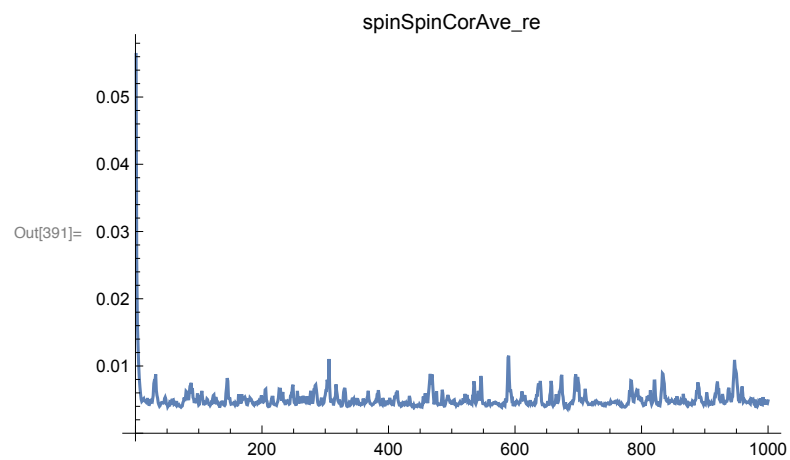
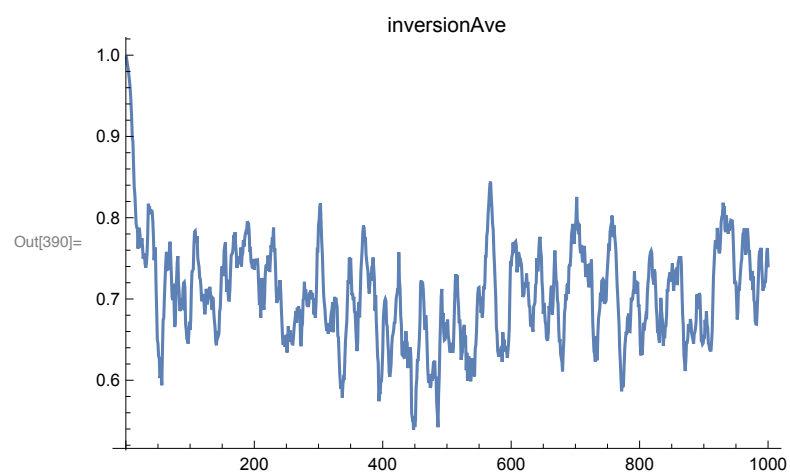
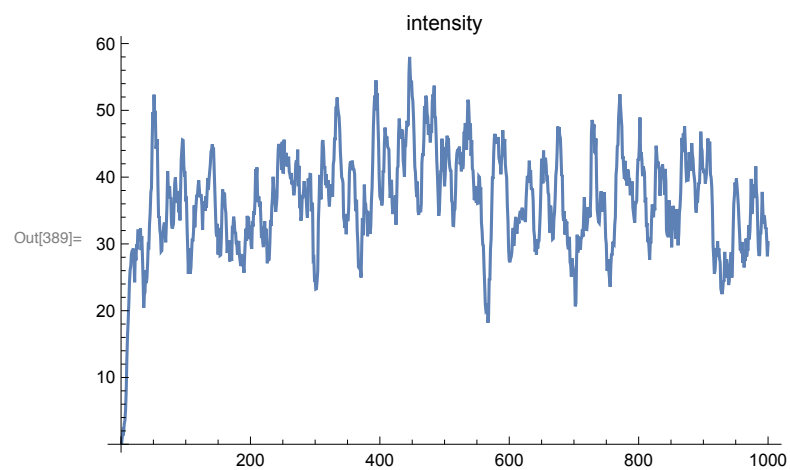
```

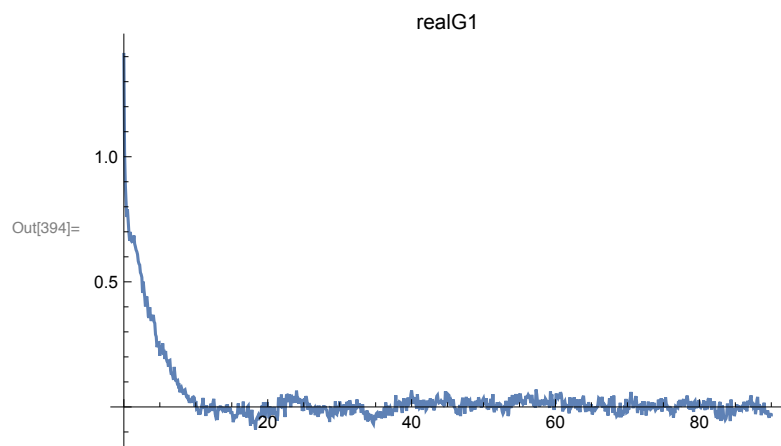
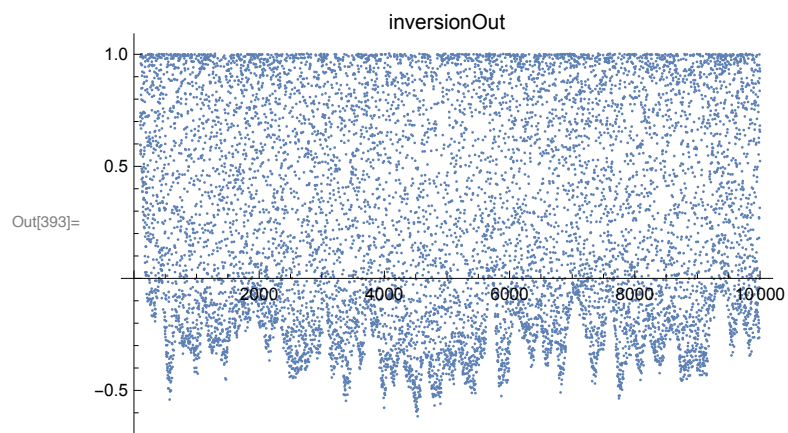
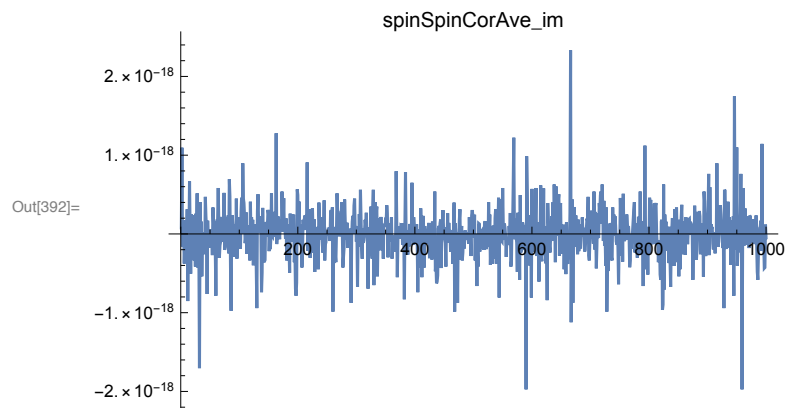
```

In[380]:= (*When doing one run*)
intensity = Flatten[Import[NotebookDirectory[] <> name <> "/intensity.dat"]];
nAtom = Flatten[Import[NotebookDirectory[] <> name <> "/nAtom.dat"]];
inversionAve =
  Flatten[Import[NotebookDirectory[] <> name <> "/inversionAve.dat"]];
spinSpinCorAveRe = Flatten[
  Import[NotebookDirectory[] <> name <> "/spinSpinCorAve_re.dat"]];
spinSpinCorAveIm = Flatten[Import[
  NotebookDirectory[] <> name <> "/spinSpinCorAve_im.dat"]];
szFinal = Flatten[Import[NotebookDirectory[] <> name <> "/szFinal.dat"]];
realG1 = Import[NotebookDirectory[] <> name <> "/realG1.dat"];
spectra = Import[NotebookDirectory[] <> name <> "/spectra.dat"];
ListLinePlot[nAtom, PlotRange → All, PlotLabel → "nAtom"]
ListLinePlot[intensity, PlotRange → All, PlotLabel → "intensity"]
ListLinePlot[inversionAve, PlotRange → All, PlotLabel → "inversionAve"]
ListLinePlot[spinSpinCorAveRe, PlotRange → All, PlotLabel → "spinSpinCorAve_re"]
ListLinePlot[spinSpinCorAveIm, PlotRange → All, PlotLabel → "spinSpinCorAve_im"]
ListPlot[szFinal, PlotRange → All, PlotLabel → "inversionOut"]
ListLinePlot[realG1, PlotRange → All, PlotLabel → "realG1"]
ListLinePlot[spectra, PlotRange → All, PlotLabel → "spectra"]

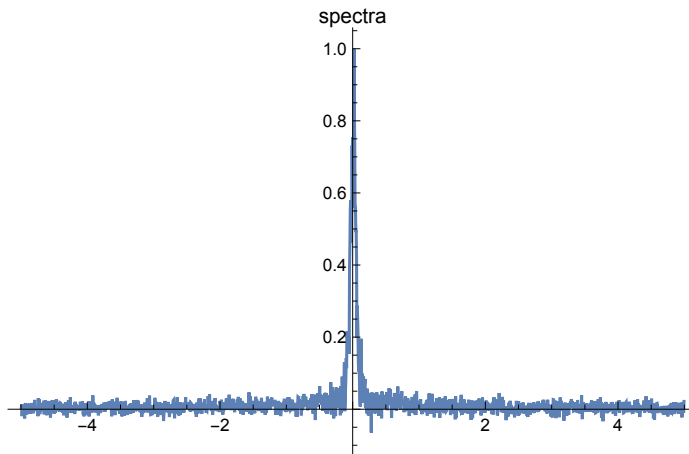
```







Out[395]=



```

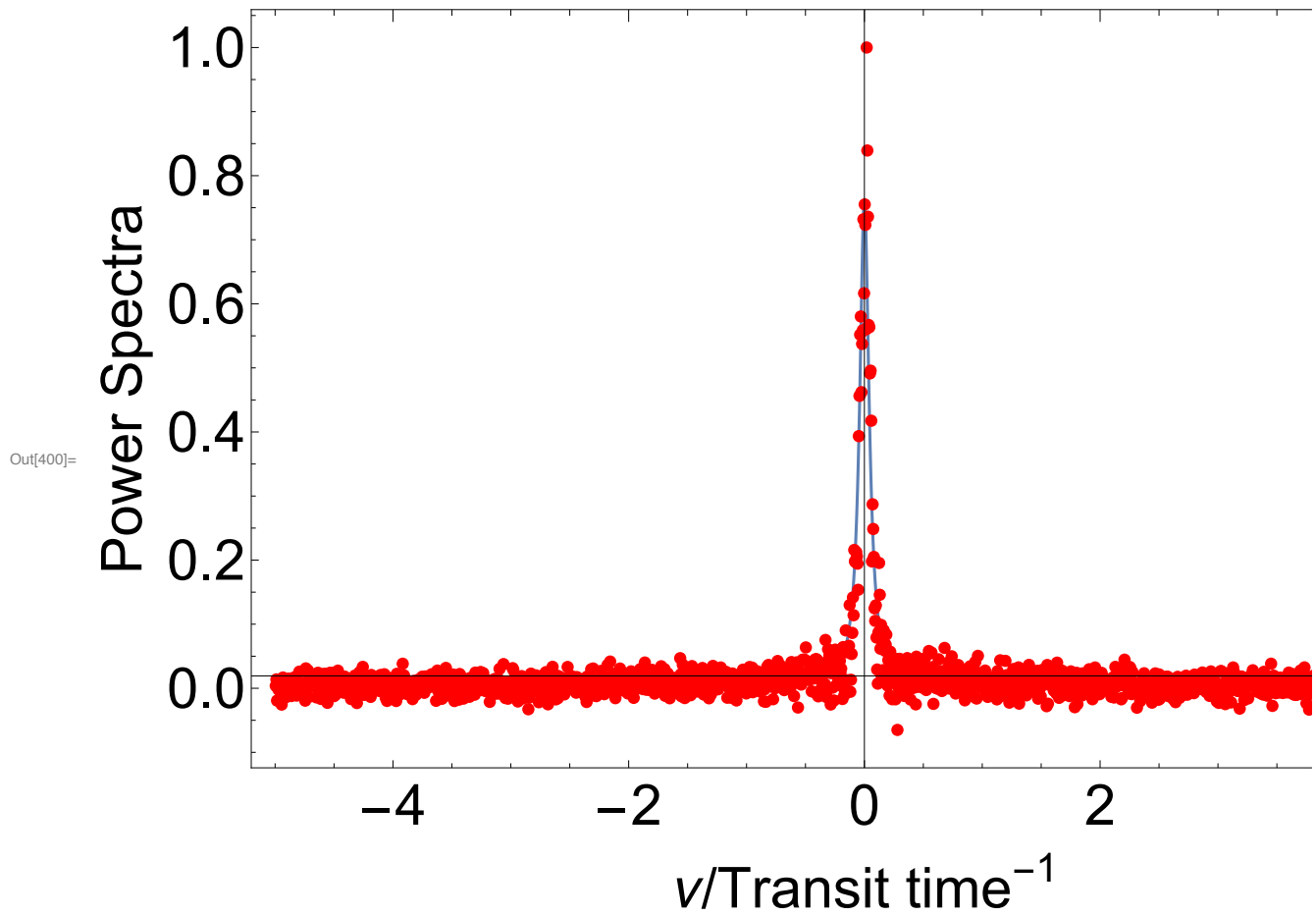
In[396]:= (*Fit the spectra to lorentzian*)
lorentzianModel = A  $\frac{\text{linewidth}}{\text{linewidth}^2 + 4 x^2}$ ;
fitLoren = NonlinearModelFit[spectra, {lorentzianModel}, {linewidth, A}, {x}]
fitLoren["ParameterTable"]
linewidth1 = linewidth /. fitLoren["BestFitParameters"]
Show[
  {Plot[fitLoren[x], {x, -0.3, 0.3}, PlotRange → All, BaseStyle → {FontSize → 30}],
   Graphics[{Red, PointSize[.01], Map[Point, spectra]}]},
  Frame → True, FrameLabel → {"v/Transit time-1", "Power Spectra"}]

```

Out[397]= FittedModel[$\frac{0.00711117}{0.00932305 + 4 x^2}$]

	Estimate	Standard Error	t-Statistic	P-Value
Out[398]= linewidth	0.0965559	0.0015798	61.1191	$2.85400345851 \times 10^{-441}$
A	0.0736482	0.00085206	86.4355	$1.024768773445 \times 10^{-642}$

Out[399]= 0.0965559



```
In[401]:= taucl =  $\frac{1}{\text{linewidth1 Pi}}$ 
```

```
Out[401]= 3.29664
```

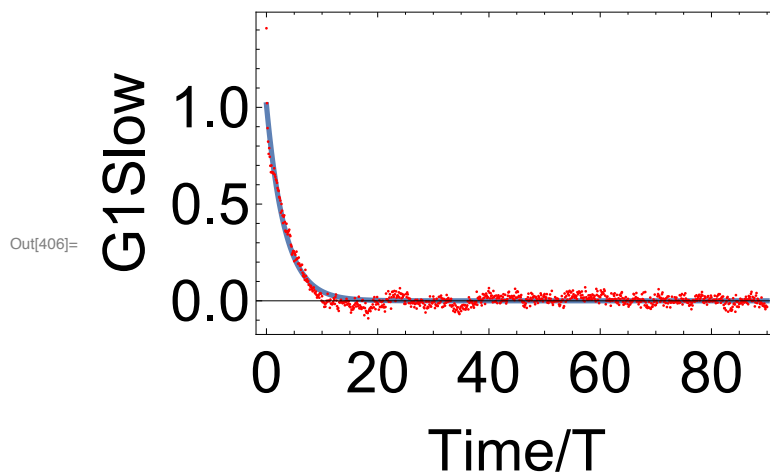
```
In[402]:= (*Fit the G1 function to exponential*)
exponentialModel = B Exp[- t / tc]
fitExp = NonlinearModelFit[realG1, {exponentialModel}, {tc, B}, {t}]
fitExp["ParameterTable"]
tauc2 = tc /. fitExp["BestFitParameters"]
Show[{Plot[fitExp[x], {x, 0, Last[realG1][[1]]}, PlotRange → All,
  PlotStyle → {Thickness[0.01]}, BaseStyle → {FontSize → 30}},
  Graphics[{Red, PointSize[.001], Map[Point, realG1]}]],
  Frame → True, FrameLabel → {"Time/T", "G1Slow"}]
```

```
Out[402]=  $B e^{-\frac{t}{tc}}$ 
```

```
Out[403]= FittedModel[  $1.01307 e^{-0.303048 t}$  ]
```

	Estimate	Standard Error	t-Statistic	P-Value
tc	3.29981	0.051147	64.5163	$1.301604028190 \times 10^{-339}$
B	1.01307	0.0109373	92.6258	$4.13454035930 \times 10^{-462}$

```
Out[405]= 3.29981
```



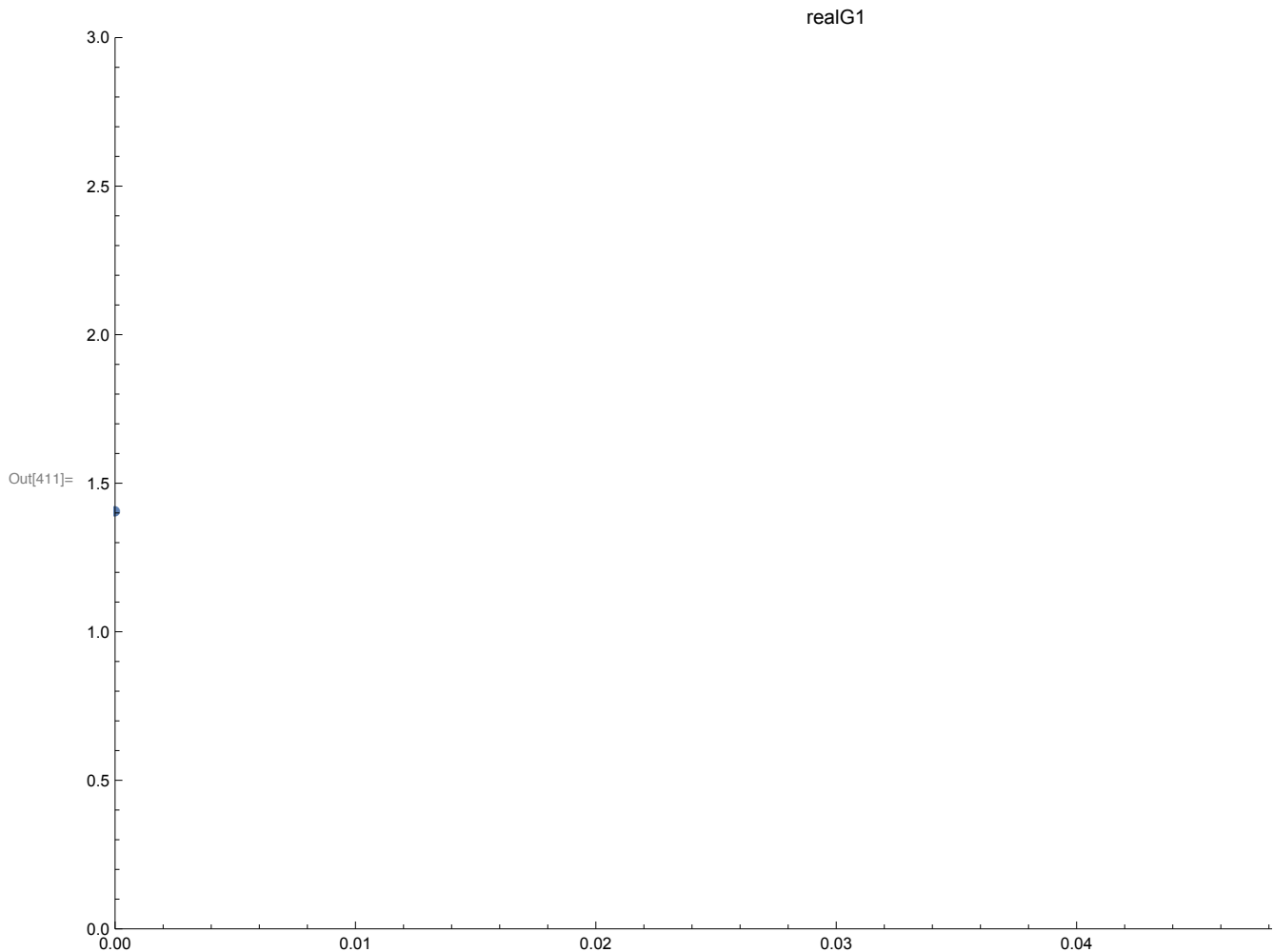
```
In[407]:= (*Get the linewidth from the coherent time*)
linewidth2 =  $\frac{1}{\text{tauc2 Pi}}$ 
```

```
Out[407]= 0.096463
```

```
In[408]:=
```

In[409]:= (*Notice there is another exponential decay.*)

```
In[410]:= cutOff = 0.06;
ListPlot[realG1, PlotRange → {{0, cutOff}, {0, 3}},
  PlotLabel → "realG1", PlotMarkers → {Automatic, Small}]
secondNum = IntegerPart[cutOff/realG1[[2, 1]]];
secondExp = Take[realG1, secondNum];
exponentialModel2 = B2 Exp[- Pi linewidthQuick t]
fitExp2 =
  NonlinearModelFit[secondExp, {exponentialModel2}, {linewidthQuick, B2}, {t}]
fitExp2["ParameterTable"]
Show[{Plot[fitExp2[x], {x, 0, cutOff}, PlotRange → All, BaseStyle → {FontSize → 30}],
  Graphics[{Red, PointSize[.02], Map[Point, secondExp]}]},
  Frame → True, FrameLabel → {"Time/T", "G1Fast"}]
```



Out[414]= $B2 e^{-\text{linewidthQuick} \pi t}$

... NonlinearModelFit: First argument {} in NonlinearModelFit is not a list or a rectangular array.

Out[415]= NonlinearModelFit[{}, { $B2 e^{-\text{linewidthQuick} \pi t}$ }, {linewidthQuick, B2}, {t}]

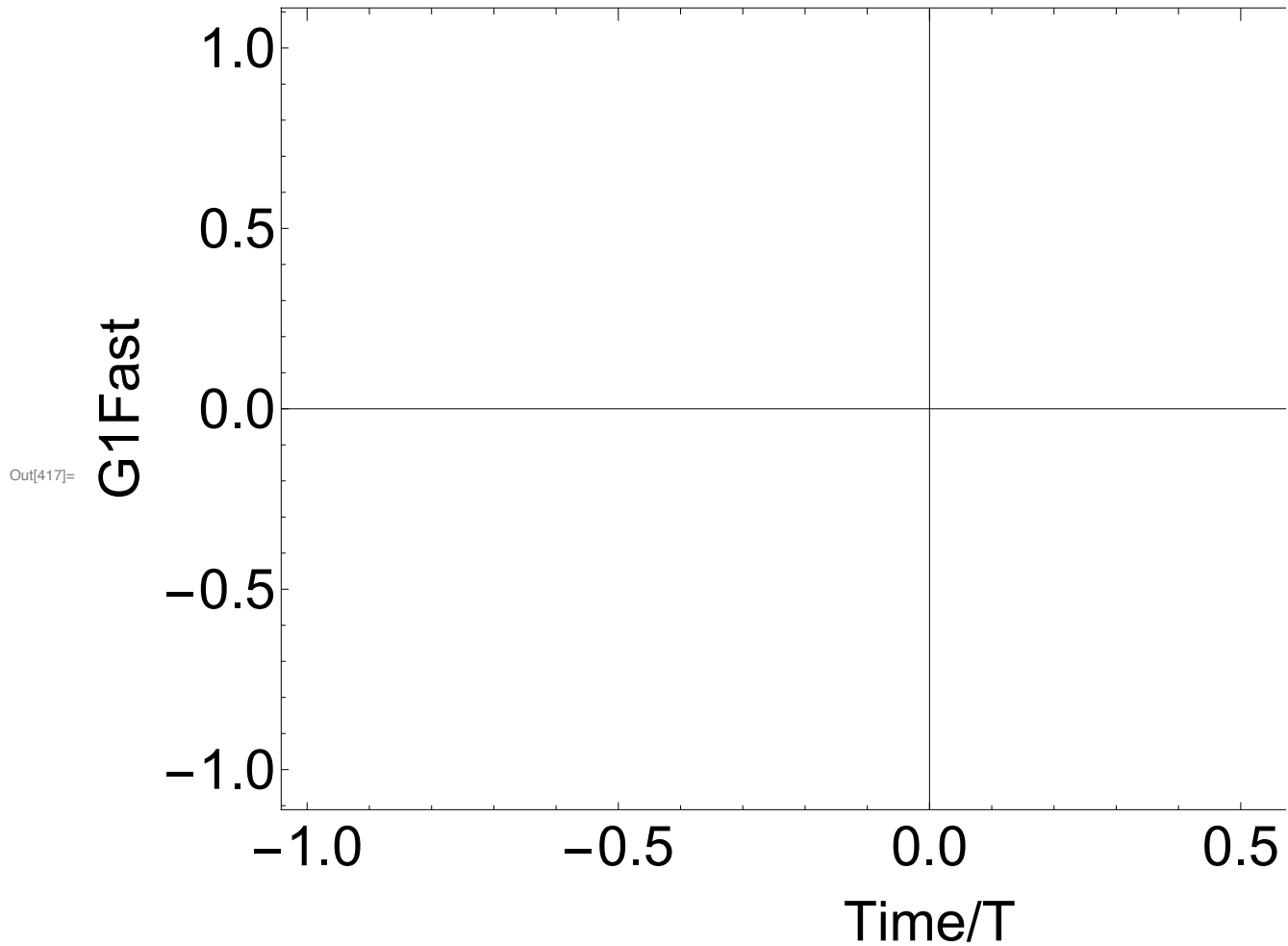
Out[416]= NonlinearModelFit[{}, {B2 e^{-linewidthQuick π t}}, {linewidthQuick, B2}, {t}] [ParameterTable]

... NonlinearModelFit: First argument {} in NonlinearModelFit is not a list or a rectangular array.

... NonlinearModelFit: First argument {} in NonlinearModelFit is not a list or a rectangular array.

... NonlinearModelFit: First argument {} in NonlinearModelFit is not a list or a rectangular array.

... General: Further output of NonlinearModelFit::fitd will be suppressed during this calculation.



In[418]:= secondTc = $\frac{1}{\text{linewidthQuick } \pi}$ /. fitExp2["BestFitParameters"]

... ReplaceAll: {NonlinearModelFit[{}, {B2 e^{-linewidthQuick π t}}, {linewidthQuick, B2}, {t}][BestFitParameters]} is neither a list of replacement rules nor a valid dispatch table, and so cannot be used for replacing.

Out[418]= $\frac{1}{\text{linewidthQuick } \pi}$ /.
 NonlinearModelFit[{}, {B2 e^{-linewidthQuick π t}}, {linewidthQuick, B2}, {t}] [
 BestFitParameters]