

## PSALTer results panel

$$S = \iiint (\rho \varphi + h^{\alpha\beta} \mathcal{T}_{\alpha\beta} + \frac{1}{2} \alpha_2 \partial_\alpha \varphi \partial^\alpha \varphi + \frac{1}{8} \alpha_1 (24(1 + \varphi) \partial_\alpha \partial^\alpha \varphi - 8 \partial_\alpha h^\beta{}_\beta \partial^\alpha \varphi + 8 \partial^\alpha \varphi \partial_\beta h^\beta{}_\alpha - 4 \partial_\beta \partial_\alpha h^{\alpha\beta} + 4 \partial_\beta \partial^\beta h^\alpha{}_\alpha - \partial_\beta h^\chi{}_\chi \partial^\beta h^\alpha{}_\alpha + 2 \partial^\beta h^\alpha{}_\alpha \partial_\chi h^\chi{}_\beta - 2 \partial_\beta h_{\alpha\chi} \partial^\chi h^{\alpha\beta} + \partial_\chi h_{\alpha\beta} \partial^\chi h^{\alpha\beta}) +$$

$$\alpha_5 (-4 \partial_\beta \partial_\alpha h^\chi{}_\chi \partial^\beta \partial^\alpha \varphi - 8 \partial_\beta \partial_\alpha \varphi \partial^\beta \partial^\alpha \varphi + 4 \partial^\beta \partial^\alpha \varphi \partial_\chi \partial_\alpha h^\chi{}_\beta + 4 \partial^\beta \partial^\alpha \varphi \partial_\chi \partial_\beta h^\chi{}_\alpha - 4 \partial^\beta \partial^\alpha \varphi \partial_\chi \partial^\chi h_{\alpha\beta} + 4 \partial_\alpha \partial^\alpha \varphi (2 \partial_\beta \partial^\beta \varphi - \partial_\chi \partial_\beta h^{\beta\chi} + \partial_\chi \partial^\chi h^\beta{}_\beta) - \partial_\chi \partial_\beta h^\delta{}_\delta \partial^\chi \partial^\beta h^\alpha{}_\alpha - 2 \partial^\chi \partial_\alpha h^{\alpha\beta} \partial_\delta \partial_\beta h^\delta{}_\chi - 2 \partial^\chi \partial_\alpha h^{\alpha\beta} \partial_\delta \partial_\chi h^\delta{}_\beta + 4 \partial^\chi \partial^\beta h^\alpha{}_\alpha \partial_\delta \partial_\chi h^\delta{}_\beta +$$

$$\partial_\beta \partial_\alpha h^{\alpha\beta} \partial_\delta \partial_\chi h^{\chi\delta} - 2 \partial_\beta \partial^\beta h^\alpha{}_\alpha \partial_\delta \partial_\chi h^{\chi\delta} - \partial_\chi \partial^\chi h^{\alpha\beta} \partial_\delta \partial^\delta h_{\alpha\beta} + 4 \partial^\chi \partial_\alpha h^{\alpha\beta} \partial_\delta \partial^\delta h_{\beta\chi} - 2 \partial^\chi \partial^\beta h^\alpha{}_\alpha \partial_\delta \partial^\delta h_{\beta\chi} + \partial_\beta \partial^\beta h^\alpha{}_\alpha \partial_\delta \partial^\delta h^\chi{}_\chi + \partial_\beta \partial_\alpha h_{\chi\delta} \partial^\delta \partial^\chi h^{\alpha\beta} - \partial_\chi \partial_\beta h_{\alpha\delta} \partial^\delta \partial^\chi h^{\alpha\beta} - \partial_\delta \partial_\beta h_{\alpha\chi} \partial^\delta \partial^\chi h^{\alpha\beta} + \partial_\delta \partial_\chi h_{\alpha\beta} \partial^\delta \partial^\chi h^{\alpha\beta})) [t, x, y, z] dz dy dx dt$$

## Wave operator

$$\begin{array}{c}
\begin{array}{ccc}
0^+ \varphi & 0^+ h^+ & 0^+ h^\parallel \\
\hline
0^+ \varphi \dagger & \frac{\alpha_2 k^2}{2} & 0 & -\frac{1}{2} \sqrt{3} \alpha_1 k^2 \\
0^+ h^+ \dagger & 0 & 0 & 0 \\
0^+ h^\parallel \dagger & -\frac{1}{2} \sqrt{3} \alpha_1 k^2 & 0 & -\frac{\alpha_1 k^2}{4}
\end{array}
\end{array}
\begin{array}{c}
1^- h^+ \alpha \\
1^- h^+ \dagger^\alpha \\
0 \\
2^+ h^\parallel \alpha \beta \\
2^+ h^\parallel \dagger^{\alpha \beta} \\
\frac{\alpha_1 k^2}{8}
\end{array}$$

## Saturated propagator

	$0^+ \rho$	$0^+ \mathcal{T}^\perp$	$0^+ \mathcal{T}^\parallel$
$0^+ \rho \dagger$	$\frac{2}{(6\alpha_1 + \alpha_2)k^2}$	0	$-\frac{4\sqrt{3}}{(6\alpha_1 + \alpha_2)k^2}$
$0^+ \mathcal{T}^\perp \dagger$	0	0	0
$0^+ \mathcal{T}^\parallel \dagger$	$-\frac{4\sqrt{3}}{(6\alpha_1 + \alpha_2)k^2}$	0	$-\frac{4\alpha_2}{\alpha_1(6\alpha_1 + \alpha_2)k^2}$
		$1^+ \mathcal{T}^\perp_\alpha$	$1^+ \mathcal{T}^\parallel_\alpha$
		$1^+ \mathcal{T}^\perp \dagger^\alpha$	0
		$2^+ \mathcal{T}^\parallel_\alpha \beta$	$2^+ \mathcal{T}^\parallel \dagger^{\alpha\beta}$
			$\frac{8}{\alpha_1 k^2}$

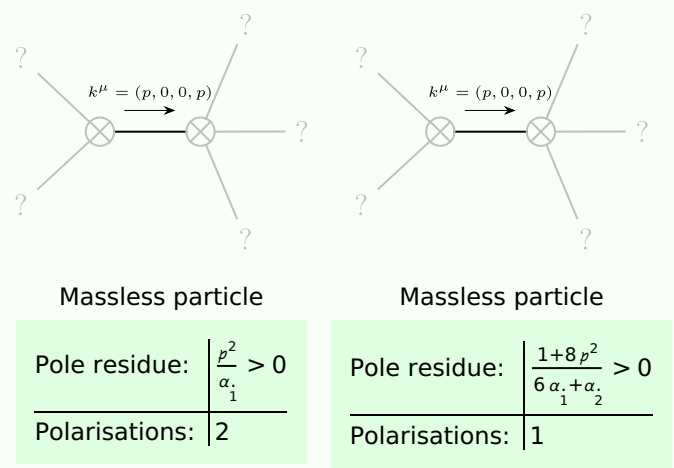
## Source constraints

Spin-parity form	Covariant form	Multiplicities
$0^+ \mathcal{T}^\perp = 0$	$\partial_\beta \partial_\alpha \mathcal{T}^{\alpha\beta} = 0$	1
$1^- \mathcal{T}^\perp{}^\alpha = 0$	$\partial_\chi \partial_\beta \partial^\alpha \mathcal{T}^{\beta\chi} = \partial_\chi \partial^\chi \partial_\beta \mathcal{T}^{\alpha\beta}$	3
Total expected gauge generators:		4

# Massive spectrum

(No particles)

## Massless spectrum



## Unitarity conditions

$$\alpha_1 > 0 \ \&\& \ \alpha_2 > -6 \alpha_1$$