PSALTer results panel

$$S == \int\int\int\int (\frac{1}{8} (-4\, a_{.0}\, \mathcal{A}_{\alpha\chi\beta}\, \mathcal{A}^{\alpha\beta\chi} + 4\, a_{.0}\, \mathcal{A}^{\alpha}{}_{\alpha}{}^{\beta}\, \mathcal{A}^{\chi}{}_{\beta\chi} + 8\, \mathcal{A}^{\alpha\beta\chi}\, \mathcal{W}_{\alpha\beta\chi} + 8\, \mathcal{T}^{\alpha\beta}\, h_{\alpha\beta} + 4\, a_{.0}\, h^{\alpha\beta}\, \partial_{\beta}\mathcal{A}_{\alpha}{}^{\chi}{}_{\chi} - 4\, a_{.0}\, h^{\alpha\beta}\, \partial_{\chi}\mathcal{A}_{\alpha}{}^{\chi}{}_{\beta} - 2\, a_{.0}\, h^{\alpha}{}_{\alpha}\, \partial_{\chi}\mathcal{A}^{\beta}{}_{\beta}{}^{\chi} + 2\, a_{.0}\, h^{\alpha}{}_{\alpha}\, \partial_{\chi}\mathcal{A}^{\beta\chi}{}_{\beta} - h_{.3}\, \partial_{\chi}\mathcal{A}^{\delta}{}_{\beta}{}^{\delta}\, \partial^{\chi}\mathcal{A}^{\alpha}{}_{\alpha}{}^{\beta} - 2\, h_{.3}\, \partial_{\chi}\mathcal{A}^{\delta}{}_{\beta\delta}\, \partial^{\chi}\mathcal{A}^{\alpha}{}_{\alpha}{}^{\beta} - h_{.3}\, \partial_{\chi}\mathcal{A}^{\delta}{}_{\beta\delta}\, \partial^{\chi}\mathcal{A}^{\alpha\beta}{}_{\alpha} - h_{.3}\, \partial_{\beta}\mathcal{A}^{\alpha\beta\chi}\, \partial_{\delta}\mathcal{A}_{\alpha}{}^{\delta}{}_{\chi} - 2\, h_{.3}\, \partial_{\alpha}\mathcal{A}^{\alpha\beta\chi}\, \partial_{\delta}\mathcal{A}_{\beta}{}^{\delta}{}_{\chi} + 2\, h_{.3}\, \partial^{\chi}\mathcal{A}^{\alpha}{}_{\alpha}{}^{\beta}\, \partial_{\delta}\mathcal{A}_{\beta}{}^{\delta}{}_{\chi} + 2\, h_{.3}\, \partial^{\chi}\mathcal{A}^{\alpha\beta}{}_{\alpha}\, \partial_{\delta}\mathcal{A}_{\beta}{}^{\delta}{}_{\chi} - h_{.3}\, \partial_{\alpha}\mathcal{A}^{\alpha\beta\chi}\, \partial_{\delta}\mathcal{A}_{\chi\beta}{}^{\delta} + 2\, h_{.3}\, \partial^{\chi}\mathcal{A}^{\alpha}{}_{\alpha}{}^{\beta}\, \partial_{\delta}\mathcal{A}_{\chi\beta}{}^{\delta} + 2\, h_{.3}\, \partial^{\chi}\mathcal{A}^{\alpha\beta}{}_{\alpha}\, \partial_{\delta}\mathcal{A}_{\chi\beta}{}^{\delta}))[t, x, y, z]\, dz\, dy\, dx\, dt$$

Wave operator

	$0^+_{.}h^{\perp}$	$0^+_{.}h^{\parallel}$	$0^+_{.}\mathcal{A}_s{}^{\perp t}$	$0^+_{.}\mathcal{A}_s{}^{\parallel}$	$0^+_{.}\mathcal{A}_s{}^{\perp h}$
$0^+_{.}h^{\perp}\dagger$	0	0	0	$\frac{i\, a_{.0}\, k}{4}$	$\frac{i\, a_{.0}\, k}{8\sqrt{2}}$
$0^+_{.}h^{\parallel}\dagger$	0	0	0	$-\frac{i\, a_{.0}\, k}{4\sqrt{3}}$	$\frac{5\, i\, a_{.0}\, k}{8\sqrt{6}}$
$0^+_{.}\mathcal{A}_s{}^{\perp t}\dagger$	0	0	0	$\frac{a_{.0}}{2}$	$\frac{a_{.0}}{4\sqrt{2}}$
$0^+_{.}\mathcal{A}_s{}^{\parallel}\dagger$	$-\frac{1}{4}\, i\, a_{.0}\, k$	$\frac{i\, a_{.0}\, k}{4\sqrt{3}}$	$\frac{a_{.0}}{2}$	$-\frac{2\, k^2\, h_{.3}}{3}$	$\frac{3\, a_{.0} - 4\, k^2\, h_{.3}}{12\sqrt{2}}$
$0^+_{.}\mathcal{A}_s{}^{\perp h}\dagger$	$-\frac{i\, a_{.0}\, k}{8\sqrt{2}}$	$-\frac{5\, i\, a_{.0}\, k}{8\sqrt{6}}$	$\frac{a_{.0}}{4\sqrt{2}}$	$\frac{3\, a_{.0} - 4\, k^2\, h_{.3}}{12\sqrt{2}}$	$\frac{1}{12}\, (-3\, a_{.0} - k^2\, h_{.3})$

	$1^+_{.}\mathcal{A}_s{}^{\perp}{}_{\alpha\beta}$	$1^-_{.}h^{\perp}{}_{\alpha}$	$1^-_{.}\mathcal{A}_s{}^{\perp t}{}_{\alpha}$	$1^-_{.}\mathcal{A}_s{}^{\parallel t}{}_{\alpha}$	$1^-_{.}\mathcal{A}_s{}^{\perp h}{}_{\alpha}$	$1^-_{.}\mathcal{A}_s{}^{\parallel h}{}_{\alpha}$
$1^+_{.}\mathcal{A}_s{}^{\perp}\dagger^{\alpha\beta}$	$\frac{1}{16}\, (4\, a_{.0} - k^2\, h_{.3})$	0	0	0	0	0
$1^-_{.}h^{\perp}\dagger^{\alpha}$	0	0	$-\frac{i\, a_{.0}\, k}{4\sqrt{6}}$	$\frac{1}{4}\, i\, \sqrt{\frac{5}{6}}\, a_{.0}\, k$	$\frac{i\, a_{.0}\, k}{8\sqrt{3}}$	$-\frac{i\, a_{.0}\, k}{4\sqrt{6}}$
$1^-_{.}\mathcal{A}_s{}^{\perp t}\dagger^{\alpha}$	0	$\frac{i\, a_{.0}\, k}{4\sqrt{6}}$	$\frac{1}{6}\, (-2\, a_{.0} - k^2\, h_{.3})$	$\frac{\sqrt{5}\, a_{.0}}{6}$	$\frac{a_{.0} + 2\, k^2\, h_{.3}}{12\sqrt{2}}$	$\frac{a_{.0}}{12}$
$1^-_{.}\mathcal{A}_s{}^{\parallel t}\dagger^{\alpha}$	0	$-\frac{1}{4}\, i\, \sqrt{\frac{5}{6}}\, a_{.0}\, k$	$\frac{\sqrt{5}\, a_{.0}}{6}$	$\frac{1}{6}\, (2\, a_{.0} - 5\, k^2\, h_{.3})$	$\frac{1}{12}\, \sqrt{\frac{5}{2}}\, a_{.0}$	$\frac{1}{12}\, \sqrt{5}\, (a_{.0} - k^2\, h_{.3})$
$1^-_{.}\mathcal{A}_s{}^{\perp h}\dagger^{\alpha}$	0	$-\frac{i\, a_{.0}\, k}{8\sqrt{3}}$	$\frac{a_{.0} + 2\, k^2\, h_{.3}}{12\sqrt{2}}$	$\frac{1}{12}\, \sqrt{\frac{5}{2}}\, a_{.0}$	$\frac{1}{12}\, (a_{.0} - k^2\, h_{.3})$	$-\frac{a_{.0}}{3\sqrt{2}}$
$1^-_{.}\mathcal{A}_s{}^{\parallel h}\dagger^{\alpha}$	0	$\frac{i\, a_{.0}\, k}{4\sqrt{6}}$	$\frac{a_{.0}}{12}$	$\frac{1}{12}\, \sqrt{5}\, (a_{.0} - k^2\, h_{.3})$	$-\frac{a_{.0}}{3\sqrt{2}}$	$\frac{1}{24}\, (-2\, a_{.0} - k^2\, h_{.3})$

	$2^+_{.}h^{\parallel}{}_{\alpha\beta}$	$2^+_{.}\mathcal{A}_s{}^{\parallel}{}_{\alpha\beta}$	$2^+_{.}\mathcal{A}_s{}^{\perp}{}_{\alpha\beta}$	$2^-_{.}\mathcal{A}_s{}^{\parallel}{}_{\alpha\beta\chi}$
$2^+_{.}h^{\parallel}\dagger^{\alpha\beta}$	0	$-\frac{i\, a_{.0}\, k}{4\sqrt{3}}$	$-\frac{i\, a_{.0}\, k}{2\sqrt{6}}$	0
$2^+_{.}\mathcal{A}_s{}^{\parallel}\dagger^{\alpha\beta}$	$\frac{i\, a_{.0}\, k}{4\sqrt{3}}$	$\frac{1}{6}\, (-3\, a_{.0} - k^2\, h_{.3})$	$-\frac{k^2\, h_{.3}}{12\sqrt{2}}$	0
$2^+_{.}\mathcal{A}_s{}^{\perp}\dagger^{\alpha\beta}$	$\frac{i\, a_{.0}\, k}{2\sqrt{6}}$	$-\frac{k^2\, h_{.3}}{12\sqrt{2}}$	$\frac{a_{.0}}{4} - \frac{k^2\, h_{.3}}{48}$	0
$2^-_{.}\mathcal{A}_s{}^{\parallel}\dagger^{\alpha\beta\chi}$	0	0	0	$\frac{a_{.0}}{4}$

	$3^-_{.}\mathcal{A}_s{}^{\parallel}{}_{\alpha\beta\chi}$
$3^-_{.}\mathcal{A}_s{}^{\parallel}\dagger^{\alpha\beta\chi}$	$-\frac{a_{.0}}{2}$

Saturated propagator

	$0^+_{.}\mathcal{T}^{\perp}$	$0^+_{.}\mathcal{T}^{\parallel}$	$0^+_{.}\mathcal{W}_s{}^{\perp t}$	$0^+_{.}\mathcal{W}_s{}^{\parallel}$	$0^+_{.}\mathcal{W}_s{}^{\perp h}$
$0^+_{.}\mathcal{T}^{\perp}\dagger$	$-\frac{4\, k^2\, (a_{.0} - 8\, k^2\, h_{.3})}{3\, a_{.0}{}^2\, (4 + k^2)^2}$	0	$-\frac{8\, i\, k\, (a_{.0} - 8\, k^2\, h_{.3})}{3\, a_{.0}{}^2\, (4 + k^2)^2}$	$\frac{10\, i\, k}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	$\frac{4\, i\, \sqrt{2}\, k}{12\, a_{.0} + 3\, a_{.0}\, k^2}$
$0^+_{.}\mathcal{T}^{\parallel}\dagger$	0	$\frac{4}{a_{.0}\, k^2}$	0	$-\frac{2\, i}{\sqrt{3}\, a_{.0}\, k}$	$\frac{4\, i\, \sqrt{\frac{2}{3}}}{a_{.0}\, k}$
$0^+_{.}\mathcal{W}_s{}^{\perp t}\dagger$	$\frac{8\, i\, k\, (a_{.0} - 8\, k^2\, h_{.3})}{3\, a_{.0}{}^2\, (4 + k^2)^2}$	0	$-\frac{16\, (a_{.0} - 8\, k^2\, h_{.3})}{3\, a_{.0}{}^2\, (4 + k^2)^2}$	$\frac{20}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	$\frac{8\, \sqrt{2}}{12\, a_{.0} + 3\, a_{.0}\, k^2}$
$0^+_{.}\mathcal{W}_s{}^{\parallel}\dagger$	$-\frac{10\, i\, k}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	$\frac{2\, i}{\sqrt{3}\, a_{.0}\, k}$	$\frac{20}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	0	0
$0^+_{.}\mathcal{W}_s{}^{\perp h}\dagger$	$-\frac{4\, i\, \sqrt{2}\, k}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	$-\frac{4\, i\, \sqrt{\frac{2}{3}}}{a_{.0}\, k}$	$\frac{8\, \sqrt{2}}{12\, a_{.0} + 3\, a_{.0}\, k^2}$	0	0

	$1^+_{.}\mathcal{W}_s{}^{\perp}{}_{\alpha\beta}$	$1^-_{.}\mathcal{T}^{\perp}{}_{\alpha}$	$1^-_{.}\mathcal{W}_s{}^{\perp t}{}_{\alpha}$	$1^-_{.}\mathcal{W}_s{}^{\parallel t}{}_{\alpha}$	$1^-_{.}\mathcal{W}_s{}^{\perp h}{}_{\alpha}$	$1^-_{.}\mathcal{W}_s{}^{\parallel h}{}_{\alpha}$
$1^+_{.}\mathcal{W}_s{}^{\perp}\dagger^{\alpha\beta}$	$\frac{16}{4\, a_{.0} - k^2\, h_{.3}}$	0	0	0	0	0
$1^-_{.}\mathcal{T}^{\perp}\dagger^{\alpha}$	0	$\frac{4\, (6\, a_{.0}{}^2\, k^2 + a_{.0}\, k^4\, h_{.3} - 8\, k^6\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, i\, \sqrt{\frac{2}{3}}\, k\, (-6\, a_{.0}{}^2\, (1 + k^2) + a_{.0}\, k^2\, (19 + 9\, k^2)\, h_{.3} - 8\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{2\, i\, \sqrt{\frac{10}{3}}\, k\, (6\, a_{.0}{}^2 - 3\, a_{.0}\, k^2\, h_{.3} - 2\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$-\frac{4\, i\, k\, (-6\, a_{.0}{}^2\, (4 + k^2) + a_{.0}\, k^2\, (16 + 9\, k^2)\, h_{.3} + 16\, k^4\, h_{.3}{}^2)}{\sqrt{3}\, a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, i\, \sqrt{\frac{2}{3}}\, k\, (-12\, a_{.0}{}^2 + 9\, a_{.0}\, k^2\, h_{.3} + 10\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$
$1^-_{.}\mathcal{W}_s{}^{\perp t}\dagger^{\alpha}$	0	$\frac{4\, i\, \sqrt{\frac{2}{3}}\, k\, (6\, a_{.0}{}^2\, (1 + k^2) - a_{.0}\, k^2\, (19 + 9\, k^2)\, h_{.3} + 8\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{8\, (-2\, a_{.0}{}^2\, (13 + 10\, k^2 + k^4) + a_{.0}\, k^2\, (57 + 38\, k^2 + 5\, k^4)\, h_{.3} - 8\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{5}\, (2\, a_{.0}{}^2\, (5 + k^2) + a_{.0}\, k^2\, (-1 + k^2)\, h_{.3} - 2\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{2}\, (2\, a_{.0}{}^2\, (4 + k^2 + k^4) - a_{.0}\, k^4\, (11 + 5\, k^2)\, h_{.3} - 16\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{8\, (a_{.0}{}^2\, (4 + 8\, k^2) - a_{.0}\, k^2\, (1 + 5\, k^2)\, h_{.3} + 10\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$
$1^-_{.}\mathcal{W}_s{}^{\parallel t}\dagger^{\alpha}$	0	$\frac{2\, i\, \sqrt{\frac{10}{3}}\, k\, (-6\, a_{.0}{}^2 + 3\, a_{.0}\, k^2\, h_{.3} + 2\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{5}\, (2\, a_{.0}{}^2\, (5 + k^2) + a_{.0}\, k^2\, (-1 + k^2)\, h_{.3} - 2\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{1}{\frac{3\, k^2\, h_{.3}}{2} + \frac{6}{5}\, a_{.0}\, (1 + \frac{a_{.0}}{14\, a_{.0} + 5\, k^2\, h_{.3}})}$	$-\frac{2\, \sqrt{10}\, (2\, a_{.0}{}^2\, (-4 + k^2) + a_{.0}\, k^2\, (8 + k^2)\, h_{.3} + 4\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{5}\, (4\, a_{.0} + k^2\, h_{.3})}{36\, a_{.0}{}^2 - 30\, a_{.0}\, k^2\, h_{.3} - 15\, k^4\, h_{.3}{}^2}$
$1^-_{.}\mathcal{W}_s{}^{\perp h}\dagger^{\alpha}$	0	$\frac{4\, i\, k\, (-6\, a_{.0}{}^2\, (4 + k^2) + a_{.0}\, k^2\, (16 + 9\, k^2)\, h_{.3} + 16\, k^4\, h_{.3}{}^2)}{\sqrt{3}\, a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{2}\, (2\, a_{.0}{}^2\, (4 + k^2 + k^4) - a_{.0}\, k^4\, (11 + 5\, k^2)\, h_{.3} - 16\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$-\frac{2\, \sqrt{10}\, (2\, a_{.0}{}^2\, (-4 + k^2) + a_{.0}\, k^2\, (8 + k^2)\, h_{.3} + 4\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$-\frac{4\, (2\, a_{.0}{}^2\, (-32 - 8\, k^2 + k^4) + a_{.0}\, k^2\, (48 + 16\, k^2 - 5\, k^4)\, h_{.3} + 32\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)^2\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{2}\, (-8\, a_{.0}{}^2\, (5 + k^2) + a_{.0}\, k^2\, (28 + 5\, k^2)\, h_{.3} + 20\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$
$1^-_{.}\mathcal{W}_s{}^{\parallel h}\dagger^{\alpha}$	0	$\frac{4\, i\, \sqrt{\frac{2}{3}}\, k\, (12\, a_{.0}{}^2 - 9\, a_{.0}\, k^2\, h_{.3} - 10\, k^4\, h_{.3}{}^2)}{a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{8\, (a_{.0}{}^2\, (4 + 8\, k^2) - a_{.0}\, k^2\, (1 + 5\, k^2)\, h_{.3} + 10\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{4\, \sqrt{5}\, (4\, a_{.0} + k^2\, h_{.3})}{36\, a_{.0}{}^2 - 30\, a_{.0}\, k^2\, h_{.3} - 15\, k^4\, h_{.3}{}^2}$	$\frac{4\, (a_{.0}{}^2\, (4 + 8\, k^2) - a_{.0}\, k^2\, (1 + 5\, k^2)\, h_{.3} + 10\, k^4\, h_{.3}{}^2)}{3\, a_{.0}\, (2 + k^2)\, (12\, a_{.0}{}^2 - 10\, a_{.0}\, k^2\, h_{.3} - 5\, k^4\, h_{.3}{}^2)}$	$\frac{16\, (a_{.0} - 5\, k^2\, h_{.3})}{3\, (-12\, a_{.0}{}^2 + 10\, a_{.0}\, k^2\, h_{.3} + 5\, k^4\, h_{.3}{}^2)}$

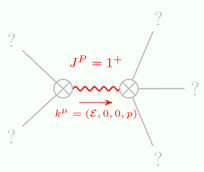
	$2^+_{.}\mathcal{T}^{\parallel}{}_{\alpha\beta}$	$2^+_{.}\mathcal{W}_s{}^{\parallel}{}_{\alpha\beta}$	$2^+_{.}\mathcal{W}_s{}^{\perp}{}_{\alpha\beta}$	$2^-_{.}\mathcal{W}_s{}^{\parallel}{}_{\alpha\beta\chi}$
$2^+_{.}\mathcal{T}^{\parallel}\dagger^{\alpha\beta}$	$-\frac{8}{a_{.0}\, k^2}$	$\frac{4\, i}{\sqrt{3}\, a_{.0}\, k}$	$-\frac{8\, i\, \sqrt{\frac{2}{3}}}{a_{.0}\, k}$	0
$2^+_{.}\mathcal{W}_s{}^{\parallel}\dagger^{\alpha\beta}$	$-\frac{4\, i}{\sqrt{3}\, a_{.0}\, k}$	$-\frac{32}{12\, a_{.0} + 3\, k^2\, h_{.3}}$	$\frac{16\, \sqrt{2}}{12\, a_{.0} + 3\, k^2\, h_{.3}}$	0
$2^+_{.}\mathcal{W}_s{}^{\perp}\dagger^{\alpha\beta}$	$\frac{8\, i\, \sqrt{\frac{2}{3}}}{a_{.0}\, k}$	$\frac{16\, \sqrt{2}}{12\, a_{.0} + 3\, k^2\, h_{.3}}$	$-\frac{16}{12\, a_{.0} + 3\, k^2\, h_{.3}}$	0
$2^-_{.}\mathcal{W}_s{}^{\parallel}\dagger^{\alpha\beta\chi}$	0	0	0	$\frac{4}{a_{.0}}$

	$3^-_{.}\mathcal{W}_s{}^{\parallel}{}_{\alpha\beta\chi}$
$3^-_{.}\mathcal{W}_s{}^{\parallel}\dagger^{\alpha\beta\chi}$	$-\frac{2}{a_{.0}}$

Source constraints

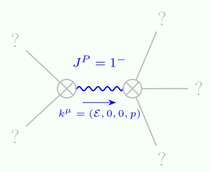
Spin-parity form	Covariant form	Multiplicities
$k\, 0^+_{.}\mathcal{W}_s{}^{\perp t} + 2\, i\, 0^+_{.}\mathcal{T}^{\perp} == 0$	$2\, \partial_{\beta}\partial_{\alpha}\mathcal{T}^{\alpha\beta} == \partial_{\chi}\partial_{\beta}\partial_{\alpha}\mathcal{W}^{\alpha\beta\chi}$	1
$2\, k\, 1^-_{.}\mathcal{W}_s{}^{\perp h\alpha} + k\, 1^-_{.}\mathcal{W}_s{}^{\perp t\alpha} + 6\, i\, 1^-_{.}\mathcal{T}^{\perp\alpha} == 0$	$2\, \partial_{\chi}\partial_{\beta}\partial^{\alpha}\mathcal{T}^{\beta\chi} + \partial_{\delta}\partial^{\delta}\partial_{\chi}\partial_{\beta}\mathcal{W}^{\beta\alpha\chi} == 2\, \partial_{\chi}\partial^{\chi}\partial_{\beta}\mathcal{T}^{\alpha\beta} + \partial_{\delta}\partial_{\chi}\partial_{\beta}\partial^{\alpha}\mathcal{W}^{\beta\chi\delta}$	3
Total expected gauge generators:		4

Massive spectrum



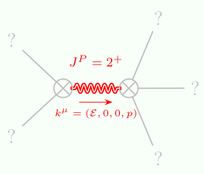
Massive particle

Pole residue:	$-\frac{16}{h_{.3}} > 0$
Square mass:	$\frac{4\, a_{.0}}{h_{.3}} > 0$
Spin:	1
Parity:	Even



Massive particle

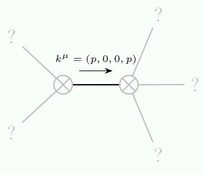
Pole residue:	$\frac{560\, a_{.0} - 52\, \sqrt{85}\, a_{.0} - 572\, h_{.3} + 84\, \sqrt{85}\, h_{.3}}{85\, a_{.0}\, h_{.3} - 5\, \sqrt{85}\, a_{.0}\, h_{.3} + 10\, \sqrt{85}\, h_{.3}{}^2} > 0$
Square mass:	$\frac{(-5 + \sqrt{85})\, a_{.0}}{5\, h_{.3}} > 0$
Spin:	1
Parity:	Odd



Massive particle

Pole residue:	$-\frac{16}{h_{.3}} > 0$
Square mass:	$-\frac{4\, a_{.0}}{h_{.3}} > 0$
Spin:	2
Parity:	Even

Massless spectrum



Massless particle

Pole residue:	$-\frac{p^2}{a_{.0}} > 0$
Polarisations:	2

Unitarity conditions

(Demonstrably impossible)