## Particle spectrograph

## Wave operator and propagator

	$\sigma_{1}^{\#1}{}_{lphaeta}$	$\sigma_{1^{+}lphaeta}^{ ext{#2}}$	$ au_{1}^{\#1}{}_{lphaeta}$	$\sigma_{1^{-}lpha}^{\sharp 1}$			$\sigma_{1}^{\text{#2}}{}_{lpha}$	$ au_{1^{-}c}^{#1}$	$ au_{1}^{\#2}$	
$\sigma_{1}^{\#1}\dagger^{lphaeta}$	$-\frac{\frac{1}{3(\alpha_0-4\beta_1)(\alpha_0+8\beta_3)}+(\alpha_2+\alpha_5)k^2}{16(\beta_1+2\beta_3)}$	$-\frac{2\sqrt{2}(3\alpha_{0}-4\beta_{1}+16\beta_{3})}{(1+k^{2})(-3(\alpha_{0}-4\beta_{1})(\alpha_{0}+8\beta_{3})+16(\alpha_{2}+\alpha_{5})(\beta_{1}+2\beta_{3})k^{2})}$	$-\frac{2 i \sqrt{2} (3 \alpha_0 - 4 \beta_1 + 16 \beta_3) k}{(1+k^2) (-3 (\alpha_0 - 4 \beta_1) (\alpha_0 + 8 \beta_3) + 16 (\alpha_2 + \alpha_5) (\beta_1 + 2 \beta_3) k^2)}$	0			0	0	0	
$\sigma_{1}^{\#2}\dagger^{lphaeta}$	$2\sqrt{2}(3\alpha_0-4\beta_1+16\beta_3)$	$6 \alpha_0 + 8 (\beta_1 + 8 \beta_3 + 3 (\alpha_2 + \alpha_5) k^2)$	$2 i k (3 \alpha_0 + 4 (\beta_1 + 8 \beta_3 + 3 (\alpha_2 + \alpha_5) k^2))$	0		0		0	0	
$ au_{1+}^{\#1}\dagger^{lphaeta}$	$\frac{(1+k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+8\beta_3)+16(\alpha_2+\alpha_5)(\beta_1+2\beta_3)k^2)}{2i\sqrt{2}(3\alpha_0-4\beta_1+16\beta_3)k}$	$2 i k (3 \alpha_0 + 4 (\beta_1 + 8 \beta_3 + 3 (\alpha_2 + \alpha_5) k^2))$	$\frac{(1+k^2)^2 \left(-3 \left(\alpha_0 - 4 \beta_1\right) \left(\alpha_0 + 8 \beta_3\right) + 16 \left(\alpha_2 + \alpha_5\right) \left(\beta_1 + 2 \beta_3\right) k^2\right)}{2 k^2 \left(3 \alpha_0 + 4 \left(\beta_1 + 8 \beta_3 + 3 \left(\alpha_2 + \alpha_5\right) k^2\right)\right)}$	0		0		0	0	
	$(1+k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+8\beta_3)+16(\alpha_2+\alpha_5)(\beta_1+2\beta_3)k^2)$	$(1+k^2)^2 (-3(\alpha_0-4\beta_1)(\alpha_0+8\beta_3)+16(\alpha_2+\alpha_5)(\beta_1+2\beta_3)k^2)$	$(1+k^2)^2 (-3(\alpha_0-4\beta_1)(\alpha_0+8\beta_3)+16(\alpha_2+\alpha_5)(\beta_1+2\beta_3)k^2)$	1		$2 \sqrt{2} (3 \alpha_0 - 4 \beta_1 + 4 \beta_2)$		)	$4i(3\alpha_0-4\beta_1+4\beta_2)k$	
$\sigma_1^{\#1} \uparrow^{\alpha}$	O			$-\frac{3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)}{8(2\beta_1+\beta_2)} + (\alpha_4+\alpha_5)k^2$ $= 2\sqrt{2}(3\alpha_0-4\beta_1+4\beta_2)$		$\frac{1}{(1+2k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4+\alpha_5)(2\beta_1+\beta_2)k^2)}$ $\frac{6\alpha_0+8(\beta_1+2\beta_2+3(\alpha_4+\alpha_5)k^2)}{(1+2k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4+\alpha_5)(2\beta_1+\beta_2)k^2)}$			$(1+2k^{2})(-3(\alpha_{0}-4\beta_{1})(\alpha_{0}+2\beta_{2})+8(\alpha_{4}+\alpha_{5})(2\beta_{1}+\beta_{2})$ $2i\sqrt{2}k(3\alpha_{0}+4(\beta_{1}+2\beta_{2}+3(\alpha_{4}+\alpha_{5})k^{2}))$	k <sup>2</sup> )
$\sigma_1^{#2} \uparrow^{\alpha}$	0	0	0	$\frac{2\sqrt{2}(3\alpha_0+\beta_1+4\beta_2)}{(1+2k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4+\alpha_5)(2)}$	$(\beta_1+\beta_2)k^2$	$(1+2k^2)^2$ (-3	$(\alpha_0 - 4 \beta_1) (\alpha_0 + 2 \beta_2) + 8 (\alpha_4 - \alpha_0)$	$+\alpha_5$ ) $(2\beta_1+\beta_2)k^2$ ) 0	$\frac{2 i \sqrt{2} \sqrt{3} \alpha_0 + 4 (\beta_1 + 2 \beta_2 + 3) (\alpha_4 + \alpha_5) \sqrt{(1+2 k^2)^2 (-3 (\alpha_0 - 4 \beta_1) (\alpha_0 + 2 \beta_2) + 8 (\alpha_4 + \alpha_5) (2 \beta_1 + \beta_2)}{(1+2 k^2)^2 (-3 (\alpha_0 - 4 \beta_1) (\alpha_0 + 2 \beta_2) + 8 (\alpha_4 + \alpha_5) (2 \beta_1 + \beta_2)}$	(k <sup>2</sup> )
$\tau_1^{#1} \uparrow^{\alpha}$	0	0	0	0 4 i (3 α <sub>0</sub> -4 β <sub>1</sub> +4 β <sub>2</sub> ) k		2 i v	$\frac{0}{\sqrt{2} k(3 \alpha_0 + 4(\beta_1 + 2 \beta_2 + 3(\alpha_0 + 4(\beta_1 + 2(\beta_1 + $	$(4+\alpha_5)k^2)$	$0$ $4 k^2 (3 \alpha_0 + 4 (\beta_1 + 2 \beta_2 + 3 (\alpha_4 + \alpha_5) k^2))$	
$\tau_1^{\#2} \uparrow^{\alpha}$	0	0	0	$-\frac{1}{(1+2k^2)(-3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4+\alpha_5)(2)}$	$(2\beta_1+\beta_2)k^2$	$(1+2k^2)^2$ (-3	$\frac{\beta(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4)}{\beta(\alpha_0+2\beta_2)+8(\alpha_4)}$	$+\alpha_5)(2\beta_1+\beta_2)k^2)$	$(1+2k^2)^2 (-3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)+8(\alpha_4+\alpha_5)(2\beta_1+\beta_2)$	$(k^2)$
$\sigma_{0}^{*1} + \frac{1}{\tau_{0}^{*1}} + \frac{1}{\tau_{0}^{*1}}$	$\begin{array}{c} \lambda \beta \beta \beta \gamma \beta \beta \beta \beta \gamma \beta \gamma \beta \gamma \beta \gamma \beta \gamma \beta \gamma$		$ 6 \alpha_0 f^{\alpha}_{\alpha} \partial_{\lambda} \mathcal{A}^{\dot{\alpha}\dot{\lambda}}_{\dot{\beta}} + 8 \beta_1 \mathcal{A}_{\dot{\beta}\dot{\chi}\alpha} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 16 \beta_3 \mathcal{A}_{\dot{\beta}\dot{\chi}\alpha} \partial^{\dot{\chi}} f^{\dot{\alpha}\dot{\beta}} - 8 \beta_1 \partial_{\alpha} f_{\dot{\beta}\dot{\chi}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 8 \beta_3 \partial_{\alpha} f_{\dot{\beta}\dot{\chi}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} - 8 \beta_1 \partial_{\alpha} f_{\dot{\beta}\dot{\chi}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 4 \beta_1 \partial_{\dot{\beta}} f_{\alpha\dot{\chi}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} - 4 \beta_3 \partial_{\dot{\chi}} f_{\alpha\dot{\beta}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 8 \beta_1 \partial_{\dot{\chi}} f_{\alpha\dot{\beta}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} - 4 \beta_3 \partial_{\dot{\chi}} f_{\alpha\dot{\beta}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 4 \beta_1 \partial_{\dot{\chi}} f_{\dot{\beta}\dot{\alpha}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} - 4 \beta_3 \partial_{\dot{\chi}} f_{\alpha\dot{\beta}} \partial^{\dot{\chi}} f^{\alpha\dot{\beta}} + \\ 4 (\beta_1 + 2 \beta_3) \mathcal{A}_{\alpha\dot{\beta}\dot{\chi}} (\mathcal{A}^{\alpha\dot{\beta}\dot{\chi}} + 2 \partial^{\dot{\chi}} f^{\alpha\dot{\beta}}) + \\ 6 \alpha_1 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\alpha}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} - 6 \alpha_2 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\chi}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} - \\ 6 \alpha_1 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\delta}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} + 6 \alpha_5 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\chi}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} + \\ 6 \alpha_1 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\delta}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} + 6 \alpha_5 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\chi}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\alpha\dot{\beta}} + \\ 6 \alpha_1 \partial_{\dot{\beta}} \mathcal{A}_{\dot{\delta}}^{\dot{\delta}} \partial^{\dot{\chi}} \mathcal{A}^{\dot{\beta}} \partial^{\dot{\chi}} \partial^{\dot{\lambda}} \partial^{\dot{\chi}} \partial^{\chi$		$f_{1}^{#1} + \alpha$ 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	$\mathcal{A}_{1}^{\#1} + \alpha$ 0       0 $\frac{\alpha_{0}}{4} + \frac{1}{3} (\beta_{1} + 2\beta_{2}) + (\alpha_{4} + \alpha_{5}) k^{2}}{4}$ $-\frac{3\alpha_{0} - 4\beta_{1} + 4\beta_{2}}{6\sqrt{2}}$ 0 $-\frac{1}{6} \bar{i} (3\alpha_{0} - 4\beta_{1} + 4\beta_{2}) k$ $\mathcal{A}_{1}^{\#2} + \alpha$ 0       0 $-\frac{3\alpha_{0} - 4\beta_{1} + 4\beta_{2}}{3} (\beta_{1} + \beta_{2})$ 0 $-\frac{1}{6} \bar{i} (3\alpha_{0} - 4\beta_{1} + 4\beta_{2}) k$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\frac{(\beta + \partial_{\chi} \partial^{\beta} \Gamma^{\alpha \chi} + \frac{2 (\alpha_{0} - 4 \beta_{1}) + 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}{(\gamma^{\beta \alpha} + 2 \partial_{\delta} \partial_{\chi} \partial^{\beta} \sigma^{\alpha \chi} \delta} + \frac{10}{10} = \frac{\frac{2 \pi^{2} + \alpha \beta}{2 + 1} + \alpha \beta}{\sigma_{2}^{2} + 1} + \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}{\alpha_{0} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 (\alpha_{0} - 4 (\beta_{1} + (\alpha_{1} + \alpha_{4}) k^{2}))}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} (\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} \alpha_{0} \beta_{1} - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} \alpha_{0} \beta_{1} - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} \alpha_{0} \beta_{1} - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} \alpha_{0} \beta_{1} - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}} = \frac{2 \pi^{2} \sqrt{2} \alpha_{0} \beta_{1} - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}{(\alpha_{0} - 4 \beta_{1}) k - 16 (\alpha_{1} + \alpha_{4}) \beta_{1} k^{2}}}$	$ \begin{aligned} \mathcal{H}_{2}^{2} + \Gamma^{-} & -\frac{1}{4} + \beta_{1} + (\alpha_{1} + \alpha_{4}) k & \frac{1}{2} \sqrt{2} & 0 \\ \mathcal{F}_{2}^{\pm 1} + \alpha \beta & \frac{i(\alpha_{0} + \beta_{1}) k}{2 \sqrt{2}} & 2\beta_{1} k^{2} & 0 \\ 0 & -\frac{\alpha_{0}}{4} + \beta_{1} + (\alpha_{1} + \alpha_{2}) k^{2} \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & -\frac{\alpha_{0}}{4} + \beta_{1} + (\alpha_{1} + \alpha_{2}) k^{2} \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & -\frac{\alpha_{0}}{4} + \beta_{1} + (\alpha_{1} + \alpha_{2}) k^{2} \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & -\frac{\alpha_{0}}{4} + \beta_{1} + (\alpha_{1} + \alpha_{2}) k^{2} \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & -\frac{\alpha_{0}}{4} + \beta_{1} + (\alpha_{1} + \alpha_{2}) k^{2} \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 & 0 \\ \mathbf{F}_{2}^{\pm 1} + \alpha \beta & 0 & 0 & 0 \\ \mathbf$	$\mathcal{A}_{2+\alpha\beta}^{\#1}$ $f_{2+\alpha\beta}^{\#1}$ $\mathcal{A}_{2}^{\#1}$
Mass	ive and massless spectra  ?  JP=1- ?		? $J^{P} = 1 + $ ? ?	?	$J^P = 2^+$	?	?	$J^{P} = 0^{+}$	? $J^{P} = 0^{-}$ ?	
	$k^{\mu} = (\varepsilon, 0, 0, p)$		$k^{\mu} = (\mathcal{E}, 0, 0, p)$	?	$k^{\mu} = (\mathcal{E}, 0, 0, p)$	?	?	$k^{\mu} = (\mathcal{E}, 0, 0, p)$	$k^{\mu} = (\mathcal{E}, 0, 0, p)$	
	Massive particle		Massive particle		Massive particle			lassive particle	Massive particle	
Pole re	$4 \alpha_{0} (-2 \alpha_{4} \beta_{1} - 2 \alpha_{5} \beta_{1} - 4 \beta_{1}^{2} + 2 \alpha_{4} \beta_{2} +$ $2 \alpha_{5} \beta_{2} + \beta_{2}^{2}) + 8 (-2 \beta_{1} \beta_{2} (2 \beta_{1} + \beta_{2}) +$ $\alpha_{4} (2 \beta_{1}^{2} + \beta_{2}^{2}) + \alpha_{5} (2 \beta_{1}^{2} + \beta_{2}^{2})))) /$ $(2 (\alpha_{4} + \alpha_{5}) (2 \beta_{1} + \beta_{2}) (3 \alpha_{0}^{2} + 6 \alpha_{0} (-2 \beta_{1} + \beta_{2}) +$ $4 (2 \alpha_{5} \beta_{1} + \alpha_{5} \beta_{2} - 6 \beta_{1} \beta_{2} +$ $\alpha_{4} (2 \beta_{1} + \beta_{2}))))) > 0$		pole residue: $ (3 (\alpha_0^2 (3 \alpha_2 + 3 \alpha_5 + 2 \beta_1 + 4 \beta_3) - 8 \alpha_0 (\beta_1^2 + \alpha_2 (\beta_1 - 4 \beta_3) + \alpha_5 (\beta_1 - 4 \beta_3) - 4 \beta_1 + 2 \beta_2) + \alpha_5 (\beta_1^2 + 8 \beta_3^2)))) \alpha_1 (2 (\alpha_2 + \alpha_5) (\beta_1 + 2 \beta_3) (3 \alpha_0^2 - 12 \alpha_0 (\beta_1 - 2 \beta_3) + 2 (\alpha_5 \beta_1 + 2 \alpha_5 \beta_3 - 6 \beta_1 \beta_3 + \alpha_2 (\beta_1 + 2 \beta_3)))) \alpha_2 (\alpha_2 + \alpha_5) (\alpha_3 + \alpha_5 (\beta_1 + 2 \alpha_5 \beta_3 - 6 \beta_1 \beta_3 + \alpha_2 (\beta_1 + 2 \beta_3))) ) ) ) ) ) ) ) ) ) ) ) ) ) ) ) ) ) $		Square mass: $\frac{\alpha_0 (\alpha_0^{-2})^2}{16 (\alpha_1 + \alpha_2^{-2})}$ Spin: 2 Parity: Even		$\frac{\alpha_{1}+\alpha_{4}+2\beta_{1}}{\alpha_{1}\beta_{1}+2\alpha_{4}\beta_{1}} > 0$ Pole residue: $\frac{1}{\alpha_{0}} + \frac{\alpha_{4}+\alpha_{6}+$		Square mass: $-\frac{\alpha_0 + 8\beta_3}{2(\alpha_2 + \alpha_3)} > 0$ Spin: 0  Parity: Odd	
	e mass: $\frac{\frac{3(\alpha_0-4\beta_1)(\alpha_0+2\beta_2)}{8(\alpha_4+\alpha_5)(2\beta_1+\beta_2)}}{8(\alpha_4+\alpha_5)(2\beta_1+\beta_2)} > 0$	Spin:	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Square r Spin: Parity:	Pole resi	~~ 			$k^{\mu} = \underbrace{(p,0,0,p)}$	
Spin: Parity	1 Odd	Parity:	Even	mass: $\frac{\frac{\alpha_0 - 4\beta_1}{4(\alpha_1 + \alpha_2)} > 0}{2}$ Odd	sidue: $\left  -\frac{1}{\alpha_1 + \alpha_2} \right  > 0$	$k^{\mu} = (\varepsilon, 0, 0, p)$	$J^P = 2^{-\frac{1}{2}}$		Massless particle  Pole residue: $\frac{1}{\alpha_0} > 0$ Polarisations: 2	

## **Unitarity conditions**