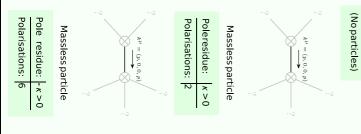
## **Particle spectrograph**

## Wave operator and propagator

Spin-parity form Covariant form	Multiplicities	1	1	1	м	К	м	<u>к</u>	α	r.	== σγ <sup>χβ</sup> +		20	$^{*1}$ $^{*2}$ $^{*2}$			αβ j <sub>αl</sub> αβ z α				<sup>∂</sup> v <sup>f</sup> μρ <sup>∂°</sup> f <sup>l</sup>	JV -θ <sub>ρ</sub> F <sub>μ</sub> ν	, ∂°f <sup>µv</sup> +	<sup>2 ∂<sub>ρ</sub>h</sup> μν	, ∂ <sup>ρ</sup> f <sup>µV</sup> κ	$-\partial_{\rho}h_{\mu\nu}$	∂°h <sup>µv</sup> +	-∂ <sub>v</sub> h <sub>μρ</sub> (	(-2 ∂°f <sup>µ</sup>	$v + \partial^{\rho} h^{\mu}$
Expression of the contract of								3x3xTab	$+ \partial_{\chi} \partial^{\chi} T^{\beta}$	50000 ar	$\partial_{\delta}\partial_{\chi}\mathcal{T}^{\chi\delta}$ $\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{a}$	χ	×	#2 1 - f								41	<b>"</b> 2 "	ı	2		41	#2	41	<b>#</b> 2
Ey form Cdva cetted gauge ge ected gauge ge gauge gauge ge ected gauge ge gauge gau								$\partial_{x}\partial^{x}j^{\alpha\beta}+i$	+ $\partial_{\chi}\partial^{\chi}j^{\beta\alpha}$ .	$a_{jX}^{X} + 2 \partial_{\epsilon}$ $\partial_{x}\partial^{x}\mathcal{T}^{\alpha\beta} +$	$\partial^{\alpha} \eta^{\alpha\beta} \partial_{\epsilon} \partial^{\epsilon} \partial^{$	$\partial_{x}\partial^{\beta}T^{\alpha\chi} +$					) - <u>k</u>	0	×   ½'	0	#1 0 <sup>+</sup> <i>j</i> †	_			_	#1 0 <sup>+</sup> f †			1	
Ey form Cdva cetted gauge ge ected gauge ge gauge gauge ge ected gauge ge gauge gau			ğ			+		$+ {}_{\chi} \mathcal{L}_{\chi} \mathcal{O}^{\chi} +$	$\partial_{\chi}\partial^{\beta}T^{\alpha\chi}$	$2 \partial_{\delta} \partial^{\delta} \partial^{\beta} \partial$ $^{2} + 3 \partial_{\delta} \partial^{\delta}$	$^{3} \circ \partial_{\chi} j^{\chi \delta} + ^{2} + ^{3} \circ \partial_{\chi} \partial_{$	$x^{4} + 3 \theta_{\delta} \theta^{\delta}$	×		×   42															
Ey form Cdva cetted gauge ge ected gauge ge ected gauge ge ected gauge ge $\frac{\pi^{1}}{1+\tau^{\alpha\beta}} = 0$ $\frac{\pi^{1}}{1+\tau^{\alpha\beta}} = 0$ $\frac{\pi^{1}}{1+\tau^{\alpha\beta}} = 0$ $\frac{\pi^{1}}{1+\tau^{\alpha\beta}} = 0$ $0$ $0$ $0$ $0$ $0$ $0$ $0$ $0$ $0$			+ *			== 4,0 <sup>X</sup> 0 <sub>p</sub> j'		$\partial^{\beta}j^{X\alpha}+\partial_{\gamma}$		$^{3}\partial^{\alpha}\mathcal{T}^{X^{\delta}} + ^{5}\partial^{\alpha}\partial_{\chi}\partial^{\chi}j^{\beta c}$	$\eta^{\alpha\beta} \partial_{\epsilon} \partial^{\epsilon} \partial_{\epsilon}$	, 5θ <sup>δ</sup> θχθβ <sup>jχα</sup> η <sup>αβ</sup> θεθέ		×	$\begin{bmatrix} *_1 \\ 1^+ f + \end{bmatrix}$	$\frac{*1}{1^+h^+}$	#1 1-f+	#2 1. f †	#1 1-h+	#2 1-h†								0		0
Ly form Cdva by form Cdva by form Cdva by			- 8		exograd	$^{_{l}}\partial ^{\alpha}\mathcal{L}_{_{l}}$	$^{\lambda}\partial_{\beta}j^{\alpha\beta}$		19 + 19 + 19	$4 \partial_{\delta} \partial_{\chi} \partial^{\beta}$ $\alpha^{\beta} + 3 \partial_{\delta}$	$-\beta \alpha + 2$ +3 $\partial_{\delta} \partial_{\delta}^{\alpha}$	$ax + 3 \theta_{\ell}$		٦				0		0										
ty form Cdva cetted gauge ge ected gauge ge ected gauge ge ected gauge ge $\frac{\partial \beta}{\partial x}$ $\frac{\partial \beta}{\partial x$		0 == 0	$+ \partial_{\beta}\partial_{\alpha}\mathcal{I}$	- #	- #	$e^{\chi}e + \chi_{g}$	1 #	$+ \partial_{\chi} \partial^{\alpha} \mathcal{T}$	$e^{\chi_{Q}} + e^{\chi_{Q}}$	$^{3}\partial^{\alpha}j^{X\delta}$ + $^{5}\partial^{\delta}\partial_{\chi}\partial^{\chi}j$	$^{5}\partial^{5}\partial_{\chi}\partial^{\chi}\eta^{5}$	igential section is a section of the section is a section in the section is a section in the section in the section is a section in the section is a section in the section in the section is a section in the section in the section is a section in the section in the section is a section in the section in the section in the section is a section in the section in the section is a section in the se	tors:	<sup>#2</sup> #1 Γ jα 1 <sup>-</sup> 5				0	•	0										
Ly form Cd $T = 0$	variant	$\partial_{eta}\partial_{lpha}\mathcal{T}^{lpha_{arphi}}$	ΘβΘα∫αβ	θ <sub>β</sub> θαj <sup>αβ</sup>	$\partial_{\chi}\partial_{\beta}\partial^{\alpha}\mathcal{T}$	$\partial_{\chi}\partial_{\beta}\partial^{\alpha}j'$	$\partial_{\chi}\partial_{\beta}\partial^{\alpha}j'$	$\partial_{\chi}\partial^{\alpha}j^{\beta\chi}$	$\partial_{\chi}\partial^{\alpha}j$	o <sub>o</sub> i	30,0	m m	genera	$\frac{*1}{1^-j^{\alpha}}$		0	$-\frac{\kappa}{4 k^2}$		4 k <sup>2</sup>											
$\begin{array}{c c} \text{arity } fc \\ =0 \\ \end{array}$ $\begin{array}{c c} =0 \\ \end{array}$ $\begin{array}{c c} =0 \\ \end{array}$ $\begin{array}{c c} x \\ \end{array}$						0 ==		0 == gπ		βπ			d gauge	$_{1}^{*1}_{\mathcal{T}^{lphaeta}}$		4 t 4 t 2	0		0											
Spin-pö $ \begin{array}{ccccccccccccccccccccccccccccccccccc$	Spin-parity fo	0==		0==	0 ==	$+ \frac{#1}{1} \mathcal{T}^{\alpha}$ :	0 ==	$+ \frac{*1}{1^{+}} \mathcal{T}$		#1 2 <sup>+</sup> 7			xpectec	$\frac{*1}{1^+j^{\alpha\beta}}$	$1^{+}j^{+}$ $\alpha\beta$ $\frac{\kappa}{4\kappa^2}$				$\frac{#1}{1}\mathcal{T}^{\dagger}$ 0	$\frac{\#^2}{1^-\mathcal{T}} + 0$										

## Massive and massless spectra



## **Unitarity conditions**