# $S = \frac{1}{\left|\int_{0}^{1} \left(\frac{1}{6}\left(-4t_{\frac{1}{3}}\mathcal{A}^{ai}_{a} \mathcal{A}^{\theta}_{,0} + 6 \mathcal{A}^{a\beta\chi} \right) \sigma_{a\beta\chi} + 6 f^{a\beta} \tau(\Delta + \mathcal{K})_{a\beta} + 8t_{\frac{1}{3}}\mathcal{A}^{\theta}_{a} \partial_{i}f^{ai} - 6r_{\frac{1}{3}}\partial_{i}\mathcal{A}^{a\beta}_{a} - 8t_{\frac{1}{3}}\mathcal{A}^{\theta}_{,0} \partial^{i}f^{a}_{a} + 4t_{\frac{1}{3}}\partial_{i}f^{\theta}_{,0} \partial^{i}f^{a}_{a} - 6 r_{\frac{1}{3}}\partial_{a}\mathcal{A}^{a\beta_{i}} \partial_{b}\mathcal{A}^{i}_{,0} + 12r_{\frac{1}{3}}\partial^{i}\mathcal{A}^{a\beta}_{a} \partial_{a}\mathcal{A}^{\theta}_{,0} + 4t_{\frac{1}{3}}\partial_{i}f^{ai}\partial_{0}f^{a}_{a} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{\theta}_{,0} + 8r_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} + 4t_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} + 8r_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} + 8r_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{a}\partial_{0}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{a}\partial_{i}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 8t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 2t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 2t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 2t_{\frac{1}{3}}\partial_{i}f^{a}_{,0}\partial_{i}f^{a}_{,0} - 2t_{\frac{1}{3}}\partial_{i}f^{a$

0

 $\frac{2ikt}{3} - \frac{1}{3}i\sqrt{2}kt$  0

 $^{2.}f^{\parallel}\uparrow^{\alpha\beta}$ 

 $-\frac{3\sqrt{2}}{(3+2k^2)^2t_3} \frac{3}{(3+2k^2)^2t_3} 0 \frac{3i\sqrt{2}k}{(3+2k^2)^2t_3}$ 

0

0

0

24

**PSALTer results panel** 

# 

 $^{1}\mathcal{A}^{\parallel}$ † $^{\alpha}$ 

 $\frac{1}{2}\mathcal{A}^{\perp} \uparrow^{\alpha}$ 

 $\frac{1}{2}f^{\parallel}\uparrow^{\alpha}$ 

 $\frac{1}{2}f^{\perp} + \alpha$ 

 $\frac{1}{2}\sigma^{\parallel} + \alpha$ 

 $\frac{1}{2} \tau^{\parallel} + \alpha$ 

0.<sup>+</sup> τ<sup>+</sup> †

<sup>0</sup> σ<sup>|</sup> †

### Source constraints Spin-parity form Covariant form Multiplicities $0.^{+}\tau^{\perp} == 0$ $\partial_{\beta}\partial_{\alpha}\tau \left(\Delta + \mathcal{K}\right)^{\alpha\beta} == 0$ $\partial_{\beta}\partial_{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\alpha\beta} == \partial_{\beta}\partial^{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\alpha}_{\alpha} + 2\,\partial_{\chi}\partial^{\chi}\partial_{\beta}\sigma^{\alpha}_{\alpha}^{\beta}$ $-2 i k^{0^+} \sigma^{\parallel} + 0^+ \tau^{\parallel} == 0$ $-i k 1 \sigma^{\parallel \alpha} + 1 \tau^{\perp \alpha} == 0$ $\partial_{\chi}\partial_{\beta}\partial^{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\beta\chi}+\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial_{\beta}\sigma^{\beta\alpha\chi}==\partial_{\chi}\partial^{\chi}\partial_{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\alpha\beta}+\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\alpha}\sigma^{\beta}_{\ \beta}^{\ \chi}+\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\chi}\sigma^{\beta\alpha}_{\ \beta}$ $\overline{\partial_{\chi}\partial_{\beta}\partial^{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\beta\chi}}==\partial_{\chi}\partial^{\chi}\partial_{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\beta\alpha}$ $1^{-}\tau^{\parallel^{\alpha}}=0$ $\partial_{\chi}\partial^{\alpha}\sigma^{\beta}_{\beta}^{\chi} + \partial_{\chi}\partial^{\chi}\sigma^{\beta\alpha}_{\beta} = 3 \partial_{\chi}\partial_{\beta}\sigma^{\beta\alpha\chi}$ $1 \sigma^{||^{\alpha}} + 2 1 \sigma^{||^{\alpha}} = 0$ $\|k\|_{\cdot,\sigma}^{1+} - \sigma^{1-\alpha\beta} + \|h\|_{\cdot,\sigma}^{1+} \|h\|_{\cdot,\sigma}^{\alpha\beta} = 0$ $|\partial_{\chi}\partial^{\alpha}\tau \left(\Delta + \mathcal{K}\right)^{\beta\chi} + \partial_{\chi}\partial^{\beta}\tau \left(\Delta + \mathcal{K}\right)^{\chi\alpha} + \partial_{\chi}\partial^{\chi}\tau \left(\Delta + \mathcal{K}\right)^{\alpha\beta} + 2 \partial_{\delta}\partial_{\chi}\partial^{\alpha}\sigma^{\chi\beta\delta} + 2 \partial_{\delta}\partial^{\delta}\partial_{\chi}\sigma^{\chi\alpha\beta} = 0$ $\partial_{\chi}\partial^{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\chi\beta}+\partial_{\chi}\partial^{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\alpha\chi}+\partial_{\chi}\partial^{\chi}\tau\left(\Delta+\mathcal{K}\right)^{\beta\alpha}+2\,\partial_{\delta}\partial_{\chi}\partial^{\beta}\sigma^{\chi\alpha\delta}$ $3\,\partial_\epsilon\partial_\delta\partial^\chi\partial^\alpha\sigma^{\delta\beta\epsilon} + 3\,\partial_\epsilon\partial^\epsilon\partial^\chi\partial^\alpha\sigma^{\delta\beta}_{\phantom{\delta\delta}\delta} + 2\,\partial_\epsilon\partial^\epsilon\partial_\delta\partial^\beta\sigma^{\alpha\chi\delta} + 4\,\partial_\epsilon\partial^\epsilon\partial_\delta\partial^\beta\sigma^{\chi\alpha\delta} +$ $2^{-}\sigma^{\parallel^{\alpha\beta\chi}}=0$ $2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\beta}\sigma^{\delta\alpha\chi} + 2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\chi}\sigma^{\beta\alpha\delta} + 4\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\chi}\sigma^{\delta\alpha\beta} + 2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\delta}\sigma^{\alpha\beta\chi} + \\$

 $3 \ \eta^{\beta\chi} \ \partial_\phi \partial^\phi \partial_\epsilon \partial^\alpha \sigma^\delta_{\ \ \delta} + 3 \ \eta^{\alpha\chi} \ \partial_\phi \partial^\phi \partial_\epsilon \partial_\delta \sigma^{\delta\beta\epsilon} + 3 \ \eta^{\beta\chi} \ \partial_\phi \partial^\phi \partial_\epsilon \partial^\epsilon \sigma^{\delta\alpha}_{\ \ \delta} =$ 

 $2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\alpha}\sigma^{\delta\beta\chi} + 2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\chi}\sigma^{\alpha\beta\delta} + 2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\delta}\sigma^{\beta\alpha\chi} + 4\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\delta}\sigma^{\chi\alpha\beta} +$ 

 $2\ \eta^{\alpha\beta}\ \partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial_{\chi}\tau(\Delta+\mathcal{K})^{\chi\delta} = \\ 3\ \partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\alpha}\tau(\Delta+\mathcal{K})^{\beta\chi} + \\ 3\ \partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\alpha}\tau(\Delta+\mathcal{K})^{\chi\beta} + \\ \\$ 

 $3\,\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\beta}\tau\,(\Delta+\mathcal{K})^{\alpha\chi} + 3\,\partial_{\delta}\partial^{\delta}\partial_{\chi}\partial^{\beta}\tau\,(\Delta+\mathcal{K})^{\chi\alpha} + 2\,\eta^{\alpha\beta}\,\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\delta}\tau\,(\Delta+\mathcal{K})^{\chi}_{\phantom{\chi}\chi}$ 

 $3\,\partial_{\epsilon}\partial_{\delta}\partial^{\chi}\partial^{\beta}\sigma^{\delta\alpha\epsilon} + 3\,\partial_{\epsilon}\partial^{\epsilon}\partial^{\chi}\partial^{\beta}\sigma^{\delta\alpha}_{\phantom{\delta\alpha}\delta} + 2\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\alpha}\sigma^{\beta\chi\delta} + 4\,\partial_{\epsilon}\partial^{\epsilon}\partial_{\delta}\partial^{\alpha}\sigma^{\chi\beta\delta} +$ 

 $3\ \eta^{\alpha\chi}\ \partial_{\phi}\partial^{\phi}\partial_{\epsilon}\partial^{\beta}\sigma^{\delta}_{\ \delta}{}^{\epsilon} + 3\ \eta^{\beta\chi}\ \partial_{\phi}\partial^{\phi}\partial_{\epsilon}\partial_{\delta}\sigma^{\delta\alpha\epsilon} + 3\ \eta^{\alpha\chi}\ \partial_{\phi}\partial^{\phi}\partial_{\epsilon}\partial^{\epsilon}\sigma^{\delta\beta}_{\ \delta}$ 

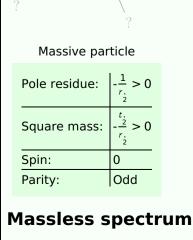
0

## ?

Massive spectrum

Total expected gauge generators:

 $2^+_{\cdot \tau} \parallel^{\alpha\beta} == 0$ 



# (No particles)

Unitarity conditions  $r_{.} < 0 \&\& t_{.} > 0$