PSALTer results panel $\mathcal{S} == \iiint (\mathcal{A}^{\alpha\beta\chi} \ \sigma_{\alpha\beta\chi} + f^{\alpha\beta} \ \tau(\Delta + \mathcal{K})_{\alpha\beta} +$ $2\,\beta_{\frac{1}{2}}\left(-\,\mathcal{A}_{\alpha\chi\beta}\,\mathcal{A}^{\alpha\beta\chi}+(2\,\,\mathcal{A}_{\beta\chi\alpha}-\partial_{\alpha}f_{\chi\beta}+\partial_{\chi}f_{\alpha\beta})\,\partial^{\chi}f^{\alpha\beta}+\,\mathcal{A}_{\alpha\beta\chi}\,(\,\mathcal{A}^{\alpha\beta\chi}+2\,\partial^{\chi}f^{\alpha\beta})\right)+$ $2\alpha_{1}\left(-\partial_{\chi}\mathcal{A}_{\alpha\beta\delta}+\partial_{\delta}\mathcal{A}_{\alpha\beta\chi}\right)\partial^{\delta}\mathcal{A}^{\alpha\beta\chi})[t,\,x,\,y,\,z]\,dz\,dy\,dx\,dt$ Wave operator $0^{+}\mathcal{A}^{\parallel} + 0^{+}f^{\parallel} \quad 0^{+}f^{\perp} \quad 0^{-}\mathcal{A}^{\parallel}$ $0^{+}\mathcal{A}^{\parallel} + \frac{\beta_{1}^{+} + 2\alpha_{1}^{-}k^{2} - i\sqrt{2}\beta_{1}^{-}k}{i} \quad 0$ $0.+f + i \sqrt{2} \beta. k 2 \beta. k^2 0$ $0.^{+}f^{\perp}$ † ${}^{0}\mathcal{A}^{\parallel}$ † $\frac{1}{2}\mathcal{A}^{\perp} + \alpha \qquad 0 \qquad 0 \qquad 0$ $0 \qquad \qquad \beta_{1} \qquad \qquad 0 \quad i \sqrt{2} \, \beta_{1} \, k$ $f^{\parallel} = \frac{1}{2} + \frac{1}{2$ $0 \qquad 0 \qquad -i \sqrt{2} \beta_{1} k \qquad 0 \qquad 2 \beta_{1} k^{2} \qquad 2^{+} \mathcal{A}^{\parallel}_{\alpha\beta} \qquad 2^{+} f^{\parallel}_{\alpha\beta}$ $2^{+} \mathcal{A}^{\parallel} + \alpha^{\beta} \beta_{1} + 2 \alpha_{1} k^{2} -i \sqrt{2} \beta_{1} k$ Saturated propagator $0.^{+}\tau^{\perp}$ † $0 \quad \boxed{\frac{1}{4\beta_1 + 2\alpha_1 k^2}}$ 0.0 σ^{\parallel} † $1^{+} \sigma^{\perp} + \frac{1}{2 \sqrt{2} (1 + k^{2}) (\beta_{1}^{-} + \alpha_{1}^{-} k^{2})} - \frac{3 \beta_{1}^{-} + 2 \alpha_{1}^{-} k^{2}}{4 \beta_{1}^{-} (1 + k^{2})^{2} (\beta_{1}^{-} + \alpha_{1}^{-} k^{2})} - \frac{i k (3 \beta_{1}^{-} + 2 \alpha_{1}^{-} k^{2})}{4 \beta_{1}^{-} (1 + k^{2})^{2} (\beta_{1}^{-} + \alpha_{1}^{-} k^{2})}$ $\begin{array}{c|c} 1^+ \tau^{\parallel} \uparrow^{\alpha\beta} \end{array} \frac{i\,k}{2\,\,\sqrt{2}\,\,(1+k^2)\,(\beta_1^{}+\alpha_1^{}\,k^2)} & -\frac{i\,k\,(3\,\beta_1^{}+2\,\alpha_1^{}\,k^2)}{4\,\beta_1^{}\,(1+k^2)^2\,(\beta_1^{}+\alpha_1^{}\,k^2)} & \frac{k^2\,(3\,\beta_1^{}+2\,\alpha_1^{}\,k^2)}{4\,\beta_1^{}\,(1+k^2)^2\,(\beta_1^{}+\alpha_1^{}\,k^2)} \end{array}$ $\frac{1}{\beta_1 + 2 \alpha_1 k^2}$ $1^{-}\sigma^{\parallel} \uparrow^{\alpha}$ $\frac{1}{2}\sigma^{\perp} \uparrow^{\alpha}$ $1^{-}\tau^{\parallel} +^{\alpha}$ 0 $1 \tau^{\perp} + \alpha$ $2^{-}\sigma^{\parallel} + \alpha^{\alpha\beta\chi}$ $\beta_1 + 2 \alpha_1 k^2$ **Source constraints** Spin-parity form Covariant form Multiplicities $\partial_{\beta}\partial_{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\alpha\beta}$ == 0 $0^+\tau^{\perp} == 0$ 1 $\partial_{\chi}\partial_{\beta}\partial^{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\beta\chi}==\partial_{\chi}\partial^{\chi}\partial_{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\beta\alpha}$ $1 \tau^{||\alpha|} == 0$ 3 $2ik \cdot 1 \cdot \sigma^{\perp \alpha} + 1 \cdot \tau^{\perp \alpha} == 0 \quad \partial_{\chi} \partial_{\beta} \partial^{\alpha} \tau \left(\Delta + \mathcal{K} \right)^{\beta \chi} == \partial_{\chi} \partial^{\chi} \partial_{\beta} \tau \left(\Delta + \mathcal{K} \right)^{\alpha \beta} + 2 \partial_{\delta} \partial^{\delta} \partial_{\chi} \partial_{\beta} \sigma^{\beta \alpha \chi}$ 3 $\tilde{\mathbf{k}} \, \mathbf{k} \, \overset{1+}{\cdot} \, \sigma^{\perp} \, \overset{\alpha\beta}{\cdot} \, + \, \overset{1+}{\cdot} \, \tau^{\parallel} \, \overset{\alpha\beta}{\cdot} \, = 0 \ \partial_{\chi} \partial^{\alpha} \tau \, (\Delta + \mathcal{K})^{\beta\chi} \, + \, \partial_{\chi} \partial^{\beta} \tau \, (\Delta + \mathcal{K})^{\chi\alpha} \, + \, \partial_{\chi} \partial^{\chi} \tau \, (\Delta + \mathcal{K})^{\alpha\beta} \, + \, 2 \, \partial_{\delta} \partial_{\chi} \partial^{\alpha} \sigma^{\chi\beta\delta} \, + \, 2 \, \partial_{\delta} \partial^{\delta} \partial_{\chi} \sigma^{\chi\alpha\beta} \, = 0$ 3 $\partial_{\chi}\partial^{\alpha}\tau\left(\Delta+\mathcal{K}\right)^{\chi\beta}+\partial_{\chi}\partial^{\beta}\tau\left(\Delta+\mathcal{K}\right)^{\alpha\chi}+\partial_{\chi}\partial^{\chi}\tau\left(\Delta+\mathcal{K}\right)^{\beta\alpha}+2\,\partial_{\delta}\partial_{\chi}\partial^{\beta}\sigma^{\chi\alpha\delta}$ Total expected gauge generators: 10 **Massive spectrum** Massive particle Massive particle Pole residue: Pole residue: Square mass: Square mass: Spin: Spin: Parity: Odd Parity: Even $k^{\mu} = (\mathcal{E}, 0, 0, p)$ Massive particle Massive particle Pole residue: Pole residue: Square mass: Square mass: Spin: Spin: Odd Odd Parity: Parity: **Massless spectrum** $k^{\mu} = (p, 0, 0, p)$ $k^{\mu} = (p, 0, 0, p)$ Massless particle Massless particle Pole residue: $\left| -\frac{1}{\alpha_1 \beta_1^2} (\beta_1^2 + 28 \alpha_1 \beta_1 p^2 + \alpha_2 \beta_1^2) \right|^2$ Pole residue: $3\sqrt{(\beta_1^{\,\,2}\,(9\,\beta_1^{\,\,2}-8\,\alpha_1^{\,\,}\beta_1^{\,\,}p^2+144\,\alpha_1^{\,\,2}\,p^4)))}>0$ Polarisations: 2 Polarisations: 3 $k^{\mu} = (p, 0, 0, p)$ $k^{\mu} = (\mathcal{E}, 0, 0, p)$

Massless particle

 $3\sqrt{(\beta_1^2 (9\beta_1^2 - 8\alpha_1\beta_1p^2 + 144\alpha_1^2p^4)))} > 0$

Pole residue: $\frac{1}{\alpha_1^{\alpha_1}\beta_1^{2}} (-\beta_1(\beta_1 + 28\alpha_1 p^2) + \beta_1(\beta_1 + 28\alpha_1 p^2) + \beta_1(\beta_1 + \beta_1 p^2)$

Polarisations: 3

Unitarity conditions

(Demonstrably impossible)

Quartic pole

Pole residue: $0 < \frac{p^2}{\alpha_1} \&\& \frac{p^2}{\alpha_1} > 0$

Polarisations: 3