

KINEMATICS

FISIKA DASAR 1 Kinematics:
Description of
Motion

Relative Velocity

Multi-body Kinematics Problems



Description of Motion

$$x = x(t)$$

$$x = c$$

All measurements require an origin, a coordinate system, and units

Next complication is "reference frame", the term used to describe the motion of observer Constant velocity is **OK**, accelerated observer is **not**

Basic definitions:

- □ Position Distance versus displacement
- ☐ Velocity change of position Speed is the magnitude of velocity
- Acceleration change of velocity

Relative Velocity

Kinematic

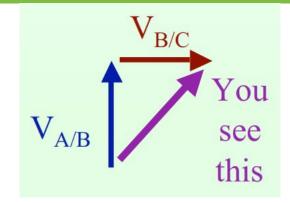
Basic Concept

- ☐ Observer B sees a moving object A, and
- ☐ Observer B is moving relative to observer C, so
- ☐ What does observer C see for the motion of the object?

Notation: use "wrt" to indicate "with respect to"

$$\frac{\vec{V}_{Awrt}}{C} = \frac{\vec{V}_{Awrt}}{B} + \frac{\vec{V}_{Bwrt}}{C}$$

Example: A=ball, B=me, C=you





Kinematics Concepts



Posisi Sesaat	x = x(t)
Kecepatan Sesaat	$v = \frac{dx}{dt}$
Kecepatan rata-rata	$v_{rata-rata} = \frac{\Delta x}{\Delta t} = \frac{x_2 - x_1}{t_2 - t_1}$
Percepatan	$a = \frac{dv}{dt} = \frac{d}{dt}\frac{dx}{dt} = \frac{d^2x}{dt^2}$
Percepatan rata-rata	$a_{rata-rata} = \frac{\Delta v}{\Delta t} = \frac{v_2 - v_1}{t_2 - t_1}$

Example

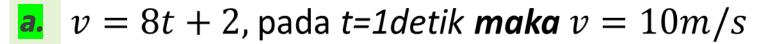
Posisi sebuah objek dilukiskan oleh:

$$x(t) = 4t^2 + 2t + 4$$

Hitung:

- a. Kecepatan pada t=1detik
- b. Kecepatan rata-rata pada 5 detik pertama
- c. Percepatan sesaat

Answer:



$$x(5) = 100 + 10 + 4 = 114m$$
$$x(0) = 4m$$

$$v_{rata-rata} = \frac{x(5) - x(0)}{5 - 0} = \frac{114 - 4}{5} = 22,5m/s$$

$$a = \frac{dv}{dt} = 8m/s^2$$



Key Kinematics Concepts

➤ Change=slope=derivative

$$v_x = \frac{dx}{dt}$$
 $a_x = \frac{dv_x}{dt} = \frac{d^2x}{dt^2}$
velocity is the slope of position vs t, acceleration is the slope of velocity vs t and the curvature of position vs t

- Even in simple 1D motion, you must understand the vector nature of these quantities
- >Initial conditions
- ➤ All formulas have assumptions



One Important Special Case

Constant Acceleration =a

$$x = (x_o) + (v_o)t + \frac{1}{2}at^2$$

$$v = (v_o) + at$$

Initial conditions

Physics



Example 1

A car is moving straight at a **constant velocity** of 4m/s. The starting position is 10m to the reference, then the car runs for 2 seconds. Calculate:

- a. Current car position
- b. Distance

Answer:

$$x_0 = 10m$$
 $x = vt + x_0$
 $v = 4m/s$ $= 4.2 + 10$
 $t = 2s$ $= 18m$

$$\Delta x = vt$$

$$= 4.2$$

$$= 8 m$$

DIAN WUSAA MA TORO

Example 2

A particle moving with an initial velocity of 20m/s is slowed by a deceleration of $2m/s^2$ for 4 seconds, if the initial position of the particle is 5m. Calculate:

- a. Particle position and distance
- b. Particle velocity at 4 seconds

Answer:

$$x = x_0 + v_0 t + \frac{1}{2} a t^2$$

$$= 5 + 20t + \frac{1}{2} (-2)t^2$$

$$= 5 + 20t + t^2$$

$$x(4) = 5 + 20(4) + (4)^2 = 69m$$

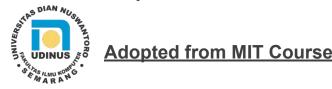
 $\Delta x = x - x_0 = 69 - 5 = 64m$

b.
$$v = v_0 + at$$

= $20 + (-2)4$
= $12m/s$

Multi-body Kinematics Problems

- □ Need to use consistent coordinate system and origin for all objects
- ☐ Need to think carefully about directions (signs!)
- □ Need to think carefully about initial conditions, especially when things
 - "start" at different times
- ☐ Write separate equations for each object
- ☐ Read problem carefully to understand the
- ☐ specific constraint to use to solve



SUMMARY

- 1. Kinematics provides a language to describe motion
- 2. Basic relationship between position, velocity, acceleration (change=slope=derivative)
- 3. Study special cases (like constant acceleration) but understand the assumptions that go into all Formulas
- 4. Position, velocity, and acceleration are ALL vectors and need to be manipulated using either arrows (qualitative) or components (quantitative)
- 5. Directions (or signs in 1D) of position, velocity, and acceleration can all be different

Adopted from MIT Course

THANK YOU